Unit 9 Answers Exercise 9.1 1 a 200 cm **b** 6.2 m **c** 1.35 km 2 a 25 cm **b** 30 cm c 75 cm d 22.5 cm 3 4 m 2m 7 m 8m 6m 11 m 4 a 1800 m **b** 1440 m **c** 5400 m **d** 720 m 5 a 20 cm **b** 300 cm **c** 45 cm **d** 50 cm e 250 cm f 450 cm 6 a i 250 m ii 150 m iii 100 m **b** 6 minutes 7 a 1 cm on the map is 200 km in real life. **b** i 300 km ii 540 km iii 900 km 8 Angle is 78° 9 5cm 4cm

Exercise 9.2

1 Angles accurately drawn. **2 a** a = 323° **b** b = 98° **c** c, d = 70° 3 a 120 km **b** 6 cm **4 a** 090° **b** 180° **c** 270° **d** 135° **e** 225° **f** 315° **5 a** 115° **b** 295° 6 Ν 170 St Symphorien 7.6 cm 3.4 cm

Lighthouse

Ν

Salatos

302

b Bearing 095°, distance 104 km

Bellegarde

7 a

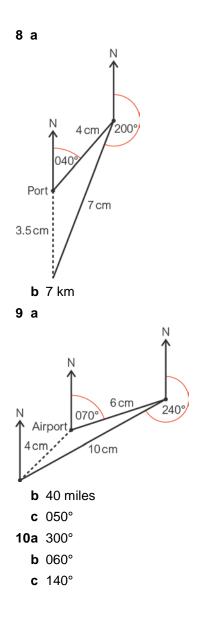
Ν

60

N

0

Ship



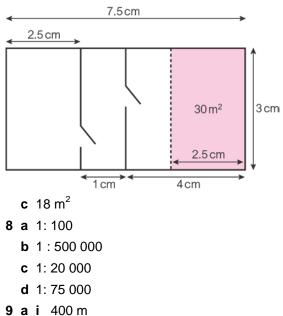
Exercise 9.3

- **1 a** 250 m
 - **b** 400 m
 - **c** 1 km
 - **d** 1.5 km
- **2 a** 1:5
 - **b** 1:3
 - **c** 1 : 15
 - **d** 1:10
- **3** a 300
 - **b** 150
 - **c** 1000
 - **d** 1500
- 4 a 800 m
 - **b** 1200 m
 - **c** 900 m
 - **d** 100 m
- 5 A iv
 - Вi

C iii

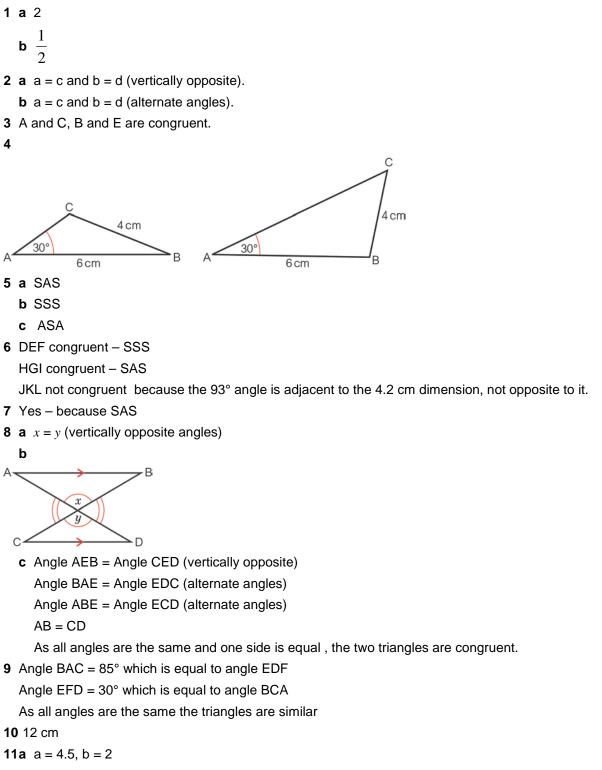
- Dii
- 6 a i 1.7 cm
 - ii 8.5 km
- 6 b i 12.5 km ii 5 km
 - **iii** 15.5 km

7 a, b



ii 2 km
 iii 10 km
 b i 100 cm
 ii 20 cm
 iii 4 cm

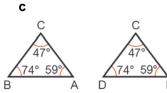
Exercise 9.4



- **b** c = 2.5 cm, d = 2.4 cm
- **12** A and C are similar.

Exercise 9.5

- 1 No, they are not similar.
- **2** x = 5 cm
- 3 a Vertically opposite
 - **b** d is equal to b alternate angles
 - c c is equal to f alternate angles
- 4 a Angle DCE = 47° vertically opposite Angle CDE = 74° – alternate angles Angle CED = 59° – alternate angles
 - ${\bf b}\,$ As all angles are the same the triangles ABC and CDE are similar.



- 5 a Angle MPN = Angle QPR vertically opposite
 Angle NMP = Angle PRQ alternate angles
 Angle MNP = Angle PQR alternate angles
 As all angles are the same the two triangles are similar.
 - **b** 6 cm
- 6 a Angle AEC = Angle BDC
 - Angle CAE = Angle CBD = 90°
 - Angle DCB = Angle ECA

As the triangles have the same angles they are similar.

- **b** 6 cm
- **c** 4 cm
- 7 a Angle ACB = Angle AED

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Angle ABC = Angle ADC
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Angle BAC = Angle DAE = 36^{\circ}
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As the triangles have the same angles they are similar.

- **b** 14 cm
- **c** 7 cm
- **d** 3 cm
- 8 320 m

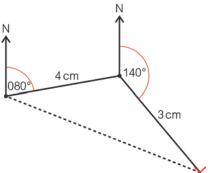
9 Check up

Maps and scales

- 1 48 cm
- 2 0.5 cm
- **3** a 250 m
- b8cm
- **4** 1000 m

Bearings

- **5** 020°
- 6 a



- **b** 18 km
- **c** 285°

Congruence and similarity

- 7 A and C as they are SAS
- **8 b** *x* = 8 cm
 - **c** y = 6 cm
- **9** Angle AED = Angle ACB = 90°

Angle ABC = Angle ADE

Angle A is the same in both

AAA so are similar

10a Angle DAE = Angle BAC, vertically oppositeAngle DEA = Angle ACB, alternate anglesAngle EDA = Angle ABC, alternate anglesAAA, so are similar

b
$$a = 10$$
 $b = 3$

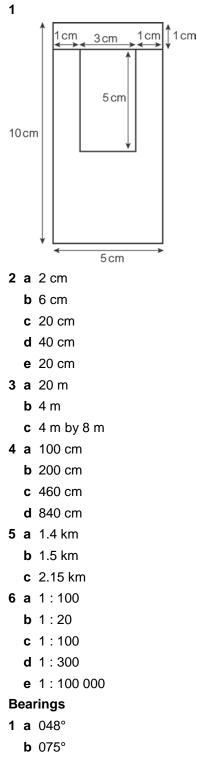
Challenge

12a Yes (AAA)

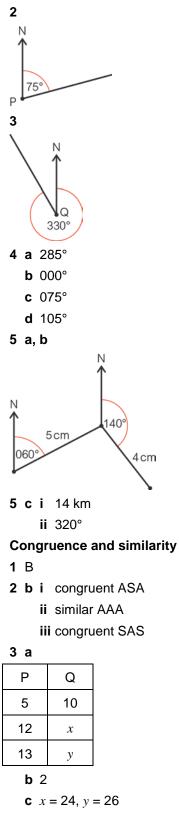
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b Yes (AAA)
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9 Strengthen

Maps and scales



- **c** 170°
- **d** 240°

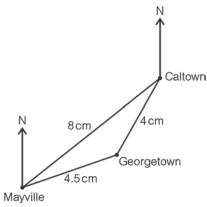


- **4** 6
- **5 a** = 16 cm
 - **b** = 3 cm
 - **c** = 9 cm
 - **d** = 6 cm
- 6 C and E

- 7 a i Alternate angles
 - ii Alternate angles
 - iii Vertically opposite angles
- **b** They are similar
- **c** x = 4 cm, y = 10 cm
- 8 a BC and DE are parallel because both are at right angles to AE
 - **b** Angle ABC = angle ADE because triangles ABC and ADE are similar (AAA)
 - **c** 2
 - **d** 20 cm

9 Extend

1 a, b



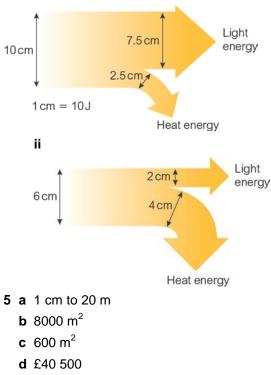
- **c** 4.5 km
- **2 a** 1: 50 000
 - **b** 1 : 500 000
 - **c** 3:200 000
- **3 a i** 135 km
 - ii 75 km
 - **iii** 145 km
 - b 3 hours 40 minutes
 - c Roads aren't straight, so the actual distance travelled will be greater.

4 a i 40 J

ii 30 J

iii 10 J

b i



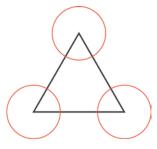
6 a Students' own accurate scale drawing made using an appropriate scale.

- \mathbf{b} 40 m²
- **c** 160
- **d** £800
- **7** a 105°
 - **b** 105°
 - **c** 35°

d All angles are the same and all sides are the same.

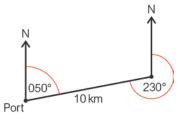
- 8 a 8 cm
 - **b** 4.5 cm
 - **c** 85°
 - **d** 5 cm
 - **e** 45°
- 9 a 5 cm
 - **b** 15 cm
- 10 Memmingen

11a

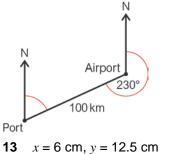




12a Bearing back to port is 230°



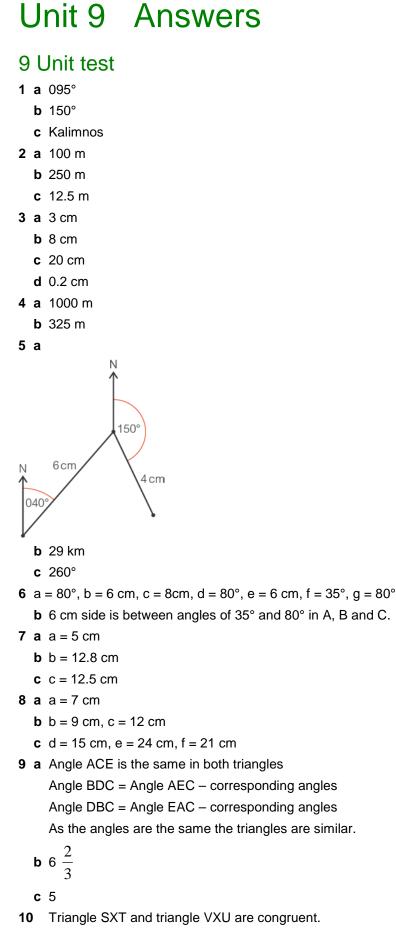
b Bearing back to airport is 050°



14 Angle B = Angle D

Angle BAC = Angle ACD – alternate angles Angle DAC = Angle BCA – alternate angles Side AD = Side BC AAA and a side the same - must be congruent

OC is a side of both triangles
Side OB = OA as both radii so triangle ABO is an isosceles triangle.
Angle OBC = Angle OAC
Angle BOC = Angle AOC
As all angles are the same and two pairs of sides are the same, must be congruent.



Angle TSU = Angle SUV alternate angles Angle STV = Angle TVU alternate angles Side ST = VU AAA and side equal, so must be congruent. Triangle SXV and triangle TXU are congruent. Angle SXV = Angle TXU – vertically opposite Angle VSU = Angle SUT – alternate angles Angle VTU = Angle SVT – alternate angles Side SV = side TU AAA and side equal so must be congruent.

Challenge

11 No, right-angled angles need only have one common angle.