# **Unit 5 Parallel and Perpendicular Lines**

#### Target 5.1: Classify and identify angles formed by parallel lines and transversals

- 5.1 a Parallel and Perpendicular lines
- 5.1b Parallel Lines and its Angle Relationships

#### Target 5.2: Apply and prove statements using perpendicularity theorems

- 5.2a Prove Theorems about Perpendicular Lines
- 5.2b Constructions: Perpendicular and Parallel Lines



# Target 5.3 : Use parallel and perpendicular lines to write linear equations and to determine the distance between a point and a line

- 5.3a Determine Whether Lines are Parallel or Perpendicular Using Linear Equations
- 5.3b Determine Whether Lines are Parallel or Perpendicular Using Linear Equations

#### Target 5.4: Use angle properties in triangles to determine unknown angle measurements

**5.4: Parallel Lines and Triangles** 

Date	Target	Assignment to be Completed Before Class	Video?	In Class Assignment	Done?
M 11-16	5.1a	5.1a Video	You Tube	5.1a Worksheet	
T 11-17	5.1b	5.1b Video	You Tube	5.1b Worksheet	
W 11-18	5.2a	5.2a Video	You Tube	5.2a Worksheet	
R 11-19	5.2b	5.2b Video	You Tube	5.2b Worksheet	
F 11-20	5.3a	5.3a Video	You Tube	5.3a Worksheet	
M 11-23	5.3b	5.3b Video	You Tube	5.3b Worksheet	
T 11-24	Review			5.1 – 5.3 Review	
W 11-25	Quiz			Quiz 5.1 – 5.3	
M 11-30	5.4	5.4 Video	You Tube	5.4 Worksheet	
T 12-1	Quiz			Quiz 5.4	
W 12-2	Review			Unit 5 Review	
R 12-3	Test			Unit 5 Test	

NAME:		

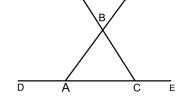
# 5.1a – Draw and Classify Angles formed by Transversals Target 1: Classify and find measures of angles formed by parallel lines and transversals

Vocabulary:		<u>Annotate Here</u>
Parallel Lines:		
Example 1: Identify relationship in space Think of each segment in the figure as plane(s) in the figure appear to fit the  a) Line(s) parallel to $\overrightarrow{AF}$ and containing p	description?	
b) Plane(s) parallel to plane FGJ and cont	aining point E.	
		What is a way you can tell that lines are parallel in a diagram?
Drawing with	your teacher!	

#### **Example 2: Identify angle relationships**

Identify the special angle pairs in the diagram

a) Corresponding Angles



**Annotate Here** 

b) Alternative Interior Angles

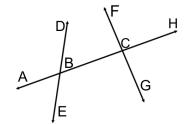
c) Alternate Exterior Angles

d) Consecutive Interior Angles

#### **YOU TRY NOW!**

1) Identify special angle pair relationships in the diagram

a) Corresponding Angles



- b) Alternative Interior Angles
- c) Alternate Exterior Angles
- d) Consecutive Interior Angles

Were you able to identify all of the angle pairs WITHOUT looking at the answers first?

# 5.1b - Use Parallel Line and Transversals

## Target 1: Classify and find measures of angles formed by parallel lines and transversals

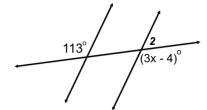
Congruent Angle Pairs	ruent Angle Pairs Supplementary Angle Pairs		Annotate Here
lf	are intersected by a transversal, then		
Corresponding Angles are Congruent	Consecutive Interior Angles are Supplementary		What do supplementary angles add up to?
Alternate Interior Angles are Congruent			What does congruent mean?
Alternate Exterior Angles are Congruent			
Example 1: Identify Congruent Angles			

The measure of three of the number angles is  $125^{\circ}$ . Identify those angles. For each pair of angles, identify which angles are congruent and explain why.

Which angles are supplementary?

#### Example 2: Use properties of parallel lines

Find the value of x, then find the measure of angle 2.



## **YOU TRY NOW!**

1) If the  $m \angle 7 = 75^{\circ}$ , what other angles are congruent to  $\angle 7$ ? Explain how you know.

Congruent Angles:

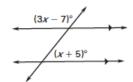
1\2 4\3 5\6 8\7

Explanation:

2) A taxiway is being constructed that intersects two parallel runways at an airport. You know that m  $\angle$  2 = 98°. What is m  $\angle$  1? How do you know?



3) Find the value of x and explain your reasoning for your initial equation.



# **Annotate Here**

Name all vertical angles in the diagram.

# 5.2a - Prove Theorems about Perpendicular Lines Target 2: Apply and prove statements using perpendicularity theorems

#### Vocabulary/Concept

Draw a horizontal line below and draw a smiley face somewhere above the line. How would you calculate the shortest diance from the smile face to the line?

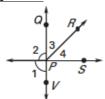
Angles Formed with Perpendicular lines				
<i>Linear Pairs</i>	of Congruent Angles			
If two lines	intersect to form of	1	of congruent	
angles, the	en			
Apply and p	rove statements usi	ng perpendicularity theo	 orems	
<i>Perpendicul</i>	ar Lines and Right Ang	gles Theorem		
	are perpendicular			

**Annotate Here** 

What symbol would you see that IMMEDIATELY indicates that two lines are intersecting?

Example 1: Explain how you know that angles have specific properties

In the diagram,  $\angle 1 \cong \angle 2$ . Prove that  $\angle 3$  and  $\angle 4$  are complementary using complete sentences.

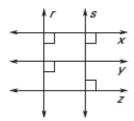


# **YOU TRY NOW!**

1) If  $c\perp d$ , what do you know about the sum of the measure of  $\angle$  3 and  $\angle$  4? Answer in complete sentences



2) Determine which lines, if any, must be parallel in the diagram. Explain



Δ	n	n	Ω	ta	te	Н	_	re
A	H	П	U	ıu	ıe	п	C	ΙE

# 5.2b - Constructions: Perpendicular and Parallel Lines Target 2: Apply and prove statements using perpendicularity theorems

Constructions of Perpendicular lines	Annotate Here
Example 1: Construct a perpendicular line from a point on line  Video: "The perpendicular from a point on a line"	
X	
Example 2: Construct a perpendicular line to the original line and that passes through a given point not on the line.  Video: "Geometry – Construction 4 – Perpendicular to Line Through Point Not on Line"	
P●	

#### **Constructions of Parallel Lines**

#### Example 3: Construct a line parallel to a given line

Video: "Constructing Parallel Lines (using a straightedge and a compass)"

a

#### Example 4: Construct a line parallel to a given line through a specific point

Video: "Constructing Parallel Line Through a Given Point 128-2.21"

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e .

**Annotate Here** 

# 5.3a - Determine Whether Lines are Parallel or Perpendicular Using Linear Equations

Target 3: Use parallel and perpendicular lines to write linear equations and to determine the distance between a point and a line

Parallel Lines					
If two NONVERTICAL lines have the same, then the lines are					
Given Line: $y = -3x + 1$					
Line 1:					
Line 2:					

#### **Example 1: Write an equation of a parallel line**

Write an equation of the line that passes through (2, 4) AND is parallel to the line y=4x+1.

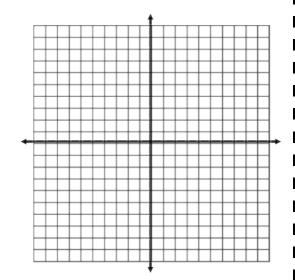
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### **Perpendicular Lines**

If two NONVERTICAL lines have the slopes that are \_\_\_\_\_, then the lines are \_\_\_\_\_

#### \*\*opposite reciprocal example



Line 1:

Line 2:

#### Example 2: Determine parallel or perpendicular lines

Determine which lines of the following lines, IF ANY, are parallel or perpendicular:

**Line a:** 12x - 3y = 3**Line b:** y = 4x + 2**Line c:** 4y + x = 8

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### **YOU TRY NOW!**

1) Write an equation of the line that passes through (-4, 6) and is parallel to the line

y = -3x + 2

2) Determine which of the following lines, if any, are parallel or perpendicular.

**Line a:** 4x + y = 2**Line b:** 5y + 20x = 10

**Line c:** 8y = 2x + 8

# M YOU TRY NOW! (cont)

#### 3) Write an equation of a perpendicular line

Write an equation of the line that passes through (-3, 4) and is perpendicular to the line  $y = \frac{1}{3}x + 2$ .

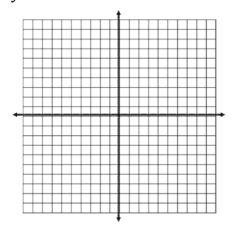
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# 5.3b - Determine Whether Lines are Parallel or Perpendicular Using Linear Equations

Target 3: Use parallel and perpendicular lines to write linear equations and to determine the distance between a point and a line

VIDEO: "MPM2D-2.1- Finding Distance Between a Point and a Line"

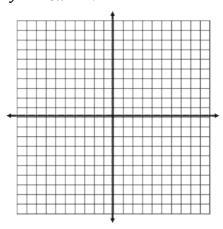
**Example 1:** Calculate the shortest distance between point A(6, 5) and the line y = 2x + 3.



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#### **YOU TRY NOW!**

Calculate the shortest distance between point A(1, 5) and the line y = -5x - 2.



**Annotate Here** 

## 5.4 - Parallel Lines and Triangles

# Target 4: Use angle properties in triangles to determine unknown angle measurements

#### **Vocabulary**

Interior Angles:

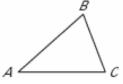
Exterior Angles:

## **Triangle Sum Theorem**

The sum of the measures of the interior angles of a triangle is \_\_\_\_\_.



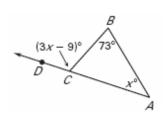
m/A + m/B + m/C =



# **Exterior Angle Theorem**

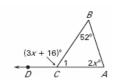
The measure of an exterior angle of a triangle is equal to the SUM of the measures of the two\_\_\_\_\_ angles.

**Example 1:** Find the measure of  $\angle$  DCB.



#### **YOU TRY NOW!**

Find the measure of \$1 in the diagram shown.



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