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# Mechanical Engineering Drawing 

## MECH 211

## LECTURE 2

## The design process

- A design is created after analysis, full understanding of requirements and constraints and synthesis
- Two individuals may not come with the same solution to the same problem
- Example: Connect two straight pipes ND 4" to avoid leaking of the gas and to permit easy maintenance of the segment


## Solutions to the problem

- Multiple: flanges, clips, clamps, seals, etc.



## The design process



## The design process



## The design process



## Drawings in product development



## Drawings in product development



## Content of the lecture

- Drawing instruments and practices
- Graphic constructions - more during the tutorial period
- Computer Aided Design (CAD) Tools
- CAD comprehensive tools
- Demonstration on AutoCAD


## Assignments

- This week you will start to solve assignments
- The problem numbers and page numbers are given in the web (for edition 8) along with the due date for submission.
- Draw on paper the solution
- Submit the hard-copy to the relevant TA


## Tutorials

- There is no scheduled AUTOCAD lab for this course
- However you can do practice with AutoCAD during the tutorials and or in any free time you have.
- Most ENCS labs are equipped with AutoCAD.


## Anatomy of Engg. Laboratory

- Starting 2007, there is a lab component for this course
- The schedule and venue for the lab is available in the
course outline
- Safety is of utmost importance
- So is your preparation for what you have to do during
your scheduled time in the lab


## Drawing instruments

- Depending on the practice condition
- Basic representations performed by free hand sketching
- require paper and pencil
- To-scale sketching requires drafting tools
- Component design - CADS tools
- Changes could be fast operated
- Solid model is created
- Analysis is carried out with minimal effort
- Easy portable


## Drafting tools

- Engineering drafting tools



## Parallel rulers, Squares (30으응)

- Draw straight lines
- Provide support to squares for lining (hatching)

- Draw straight perpendicular lines
- Draw parallel lines to a specific direction



## Compasses, dividers

- Draw circles, arcs
- Used to perform geometric constructions: divisions, measurements, copying of dimensions
- Used to draw specific angles:
- $30^{\circ}, 60^{\circ}, 45^{\circ}, 90^{\circ}$



## Protractors, T-squares, splines

- Measure angles, maintain a fixed direction, connect two lines by a curve



## Why learn to use drafting tools?

- CAD Tools are not easily available - computer, power and software are needed
- Some jobs could be easier performed using graphics tools
- Hand drawing is another skill that the designer needs to acquire
- Enhances the designer capability to perform better quality free hand sketching


## Why free-hand sketching?

- Perform a sketch without rulers, triangles or compasses, only by free hand
- Ideation, conceptual proofing, technical dialogue - all require free-sketching capabilities
- Often, the first conceptual sketches are carried out outside an office
- Added skills to the designer
- Include within the sketch all the needed information or to convey or to understand when reviewing, an idea.


## Free Hand Sketching

- Example:



## Free Hand Sketching

- Sketches could be performed for various level of detailing



## Free Hand Sketching

- Projection type is also important



## Free Hand Sketching



## TRESTLE TABLE (3/16/2002)

- The ultimate objective
- the working drawing production
SCALE: 1/8" = 1"



## Free Hand Sketching

- How to practice?
- Select objects that you could sketch for various levels of detailing - DRAW IT!
- Try to represent one of your ideas on a new product (say, a car, a boat, an airplane, etc.).
- After production, ask one of your colleagues to have a look and tell you what he understands out from your sketch


## Graphic constructions

- EXAMPLES: Making use of the drawing tools only, draw:
- Line perpendicular to a segment passing through the middle point
- Bisection line of an angle
- Tri-section lines of a $90^{\circ}$ angle
- A hexagon inscribed into a given circle
- A point on a segment that divides the line in a given ratio


## Example-Graphic construction

- Given the segment AB, Draw line perpendicular to the direction $A B$ passing through the centre of the segment $A B$



## Example-Graphic construction

- Given the segment $A B$, Draw line perpendicular to the direction $A B$ passing through the centre of the segment AB
- With compass in the point $A$ and $B$ opened larger than half of the segment draw two arcs above and below the segment
- Maintain the opening of the compass do not change it while moving


## Example-Graphic construction

- Given the segment AB, Draw line perpendicular to the direction $A B$ passing through the centre of the segment AB
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- Line MN is the line that is asked for


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## Example 2 -Graphic construction

- Given an angle, find the line that passes through point O and divides the angle in two equal parts


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- With a convenient opening in the compass draw and arc with centre in O and that intersects OA and OB


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- Given an angle, find the line that passes through point O and divides the angle in two equal parts
- With a convenient opening in the compass draw and arc with centre in
$O$ and that intersects OA and OB
- With same or another convenient opening in compass, larger than half of the arc size, draw two arcs with centers located in the previous points of intersection


## Example 2 -Graphic construction

- Given an angle, find the line that passes through point $O$ and divides the angle in two equal parts

O

- With a convenient opening in the compass draw a continuous arc with centre in O and that intersects both OA and OB through shortest distance
- With same or another convenient opening in compass, larger than half of the arc size, draw two arcs with centers located in the previous points of intersection
- The line that connects the point $O$ with the last intersection point, as shown in figure is the bisectory line of the angle


## Example 3 -Graphic construction



- Given the $90^{\circ}$ angle, find two lines that pass through point $O$ and divides the angle in three equal parts ( $30^{\circ}$ each)


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- With a convenient opening in the compass draw a continuous arc with centre in O and that intersects both OA and OB through shortest distance
- Maintaining the same opening of the compass, draw arcs to cut the previously drawn arc with centre at the intersections of the arc with OA and OB respectively


## Example 3 -Graphic construction

The two segments

A $\quad$| divide the $90^{\circ}$ angle |
| :--- |
| in three equal parts |

- Given the $90^{\circ}$ angle, find two lines that pass through point O and divides the angle in three equal parts ( $30^{\circ}$ each)
- With a convenient opening in the compass draw a continuous arc with centre in O and that intersects both OA and OB through shortest distance
- Maintaining the same opening of the compass, draw arcs to cut the previously drawn arc with centre at the intersections of the arc with OA and OB respectively
- The two segments divide the $90^{\circ}$ angle in three equal parts


## Example 4 -Graphic construction

- Given the circle of radius R, inscribe a hexagon inside the circle


## Example 4 -Graphic construction

- Given the circle of radius R, inscribe a hexagon inside the circle
- Draw two perpendicular diameters that pass through the centre of the circle. Select one of the diameters as the reference. Two of the sides of the hexagon will be perpendicular to the other diameter


## Example 4 -Graphic construction

- Given the circle of radius R, inscribe a hexagon inside the circle
- Draw two perpendicular diameters that pass through the centre of the circle. Select one of the diameters as the reference. Two of the sides of the hexagon will be perpendicular to the other diameter
- From the intersection of the reference diameter with the circle, draw two arcs of same opening as the circle to intersect the given circle in 4 points


## Example 4 -Graphic construction

- Given the circle of radius R, inscribe a hexagon inside the circle
- Draw two perpendicular diameters that pass through the centre of the circle. Select one of the diameters as the reference. Two of the sixes of the hexagon will be perpendicular to the other diameter
- From the intersection of the reference diameter with the circle, draw two arcs of same opening as the circle to intersect the given circle in 4 points
- The four points of intersection and two centre of the arcs will form the hexagon when connected in order


## Example 5 -Graphic construction

- Given the segment $A B$, find the point $D$ such that the ratio of $A D / B D$ is $5 / 6$


## Example 5 -Graphic construction

- Given the segment $A B$, find the point $D$ such that the ratio of $A D / B D$ is $5 / 6$
- Ratio of $5 / 6$ requires 11 equal
segments to be built. Draw a line of convenient direction passing though either A or B. the line should be long enough to accommodate 11 equal segments of appropriate length


## Example 5 -Graphic construction

- Given the segment $A B$, find the point $D$ such that the ratio of $A D / B D$ is $5 / 6$
$\qquad$ B
- Ratio of $5 / 6$ requires 11 equal segments to be built. Draw a line of convenient direction passing though either A or B. the line should be long enough to accommodate 11 equal segments of appropriate length
- Connect the end of the last drawn segment of the auxiliary line to the other end of the line. Draw parallel lines to the previously described line. The parallel lines divide the segment $A B$ into 11 equal segments


## Example 5 -Graphic construction

- Given the segment $A B$, find the point $D$ such that the ratio of $\mathrm{AD} / \mathrm{BD}$ is $5 / 6$

- Ratio of $5 / 6$ requires 11 equal segments to be built. Draw a line of convenient direction passing though either A or B. the line should be long enough to accommodate 11 equal segments of appropriate length
- Connect the end of the last drawn segment of the auxiliary line to the other end of the line. Draw parallel lines to the previously described line. The parallel lines divide the segment $A B$ into 11 equal segments
- Locate point $D$ on the line $A B$ such that $A D=5$ segments while $B D=6$ segments


## Laying out an Angle

- Draw the line $X$ to any convenient length (preferably 100 units)
- Find the Sine of the angle $\theta$ in the table of natural sine - Multiply that by the value length of the $X$ (in this case 100) - Use this as Radius $R$

Laying Out An Angle.
Sine Method.

$$
\begin{aligned}
& \mathrm{R}=\mathrm{XSIN} \theta \\
& \theta=33^{\circ} 16^{\prime} \\
& \mathrm{R}=100 \times \operatorname{SIN} 33^{\circ} 16^{\prime} \\
& \mathrm{R}=100 \times 0.5485364 \\
& \mathrm{R}=54.85364
\end{aligned}
$$

## Laying out an Angle

- Draw the line $X$ to any convenient length (preferably 100 units)
- Find the Sine of the angle $\theta$ in the table of natural sine - Multiply that by the value length of the $X$ (in this case 100) - Use this as Radius R
- Strike an arc R=54.85364

Laying Out An Angle.
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## Laying out an Angle

- Draw the line $X$ to any convenient length (preferably 100 units)
- Find the Sine of the angle $\theta$ in the table of natural sine - Multiply that by the value length of the $X$ (in this case 100) - Use this as Radius R
- Strike an arc R=54.85364
- Draw the other side of the angle tangent to the arc

Laying Out An Angle.
Sine Method.

## Transfer a Triangle

- Set of any side of the given triangle, such as $A B C$, in the new location. Start from the selected location of point of choice
- Draw an arc with the center in A of radius B



## Transfer a Triangle

Set of any side of the given triangle, such as $A B C$, in the new location. Start from the selected location of point of choice
Draw an arc with the center in A of radius AB (3.9365)
From A draw a line of the specified direction until intersects the arc


## Transfer a Triangle

Set of any side of the given triangle, such as $A B C$, in the new location. Start from the selected location of point of choice
Draw an arc with the center in A of radius AB (3.9365)
From A draw a line of the specified direction until intersects the arc
From that point B, draw an arc with the centre in B of radius BC (5.3179)


## Transfer a Triangle

Set of any side of the given triangle, such as ABC, in the new location. Start from the selected location of point of choice
Draw an arc with the center in A of radius AB (3.9365)
From A draw a line of the specified direction until intersects the arc
From that point $B$, draw an arc with the centre in $B$ of radius $B C$ (5.3179)
From A draw an arc with centre in A of radius AC (7.9186)


## Transfer a Triangle

Set of any side of the given triangle, such as ABC, in the new location.
Start from the selected location of point of choice
Draw an arc with the center in A of radius AB (3.9365)
From A draw a line of the specified direction until intersects the arc
From that point B, draw an arc with the centre in B of radius BC (5.3179)
From A draw an arc with centre in A of radius AC (7.9186)
Connect $B$ with $C$ and again $C$ with $A$. The triangle is relocated.


## Draw an Arc Tangent to Two Arcs

To draw a circular arc from a given Radius $R$ tangent to two given circular arcs

Given the circular arcs with centers A and B, and radius $R$ and $r$, respectively

## Draw an Arc Tangent to Two Arcs



To draw a circular arc from a given Radius R1 tangent to two given circular arcs

Given the circular arcs with centers $A$ and $B$, and radius $R$ and $r$, respectively

Using any point in the first arc as centre and R1 as radius strike arc parallel to first arc. Using any point in the second arc as centre and R1 as radius strike an arc parallel to the second arc

## Draw an Arc Tangent to Two Arcs



To draw a circular arc from a given Radius R1 tangent to two given circular arcs

Given the circular arcs with centers A and B, and radius $R$ and $r$, respectively

Using any point in the first arc as centre and R1 as radius strike arc parallel to first arc. Using any point in the second arc as centre and R1 as radius strike an arc parallel to the second arc

Using A as centre and R1 + R as radius strike arc parallel to first arc. Using B as centre and $R 1+r$ as radius strike an intersecting arc parallel to the second arc

## Draw an Arc Tangent to Two Arcs



To draw a circular arc from a given Radius R1 tangent to two given circular arcs

Given the circular arcs with centers A and B, and radius R and r , respectively
Using a point in the first arc as centre and R1 as radius strike an arc. Using a point in the second arc as centre and R1 as radius strike an arc

Using $A$ as centre and $R 1+R$ as radius strike arc parallel to first arc. Using B as centre and R1 + r as radius strike an arc parallel to the second arc

Since the intersecting arcs are R1 away from the given arcs, C will be centre of the tangent arc. Mark the points of tangency T and T that line on the lines of $A C$ and $B C$

## Draw an Arc Tangent to Two Lines

Draw a circular arc of radius $R$ tangent to two lines
Given the two lines, not at right angles, and the radius R


## Draw an Arc Tangent to Two Lines

Draw a circular arc of radius $R$ tangent to two lines
Given the two lines, not at right angles, and the radius $R$
Draw lines parallel to given lines at distance R. because the point of intersection of these lines is at distance $R$ from the both lines, it will be centre for the required arc


## Draw an Arc Tangent to Two Lines

Draw a circular arc of radius $R$ tangent to two lines
Given the two lines, not at right angles, and the radius R
Draw lines parallel to given lines at distance R. because the point of intersection of these lines is at distance R from the both lines, it will be centre for the required arc

Draw arc of Radius $R$


## Draw an Arc Tangent to Two Lines

Draw a circular arc of radius $R$ tangent to two lines
Given the two lines, not at right angles, and the radius R
Draw lines parallel to given lines at distance R. because the point of intersection of these lines is at distance $R$ from the both lines, it will be centre for the required arc

## Draw arc of Radius R

Mark the points of intersection T1 and T2 are found @ the intersection of the perpendiculars from C to sides of the angle


## Computer Aided Design

- ADVANTAGES
- Create a traceable record in the documentation
- Integration of analysis, manufacturing, cost analysis
- Solid modeling - assembly and interference analysis
- Easy portable and shareable documentation
- DISADVANTAGES
- More effort in design
- No more drafting personnel (?)


## Computer Aided Design

- Types of CAD tools
- Comprehensive - with integrated modules for stress analysis, thermal analysis - etc (Ex:

CATIA, Pro ENGINEER, IDEAS)

- Drafting - low end CAD tools (AutoCAD)
- Cost is proportional to the capability of the tool $-85 \%$ of companies use low end CAD tool


# Computer Aided Design 

## INTRODUCTION <br>  <br> AutoCAD

## CAD Software

- Aimed to ease the design
- Better quality drawings (accuracy $10^{-14}$ of a unit)
- Easier to operate modifications
- Convenient archiving
- Structured organization of the documentation
- Portability and exchange
- Synergy
- Integrated approach on design, analysis, optimization, etc.


## CAD Software

- Disadvantage
- Requires special training
- Difficult to be used in the preliminary ideation process (free hand sketching)
- Require expensive software and computing equipment
- If not used to the entire capability, such CAD tools are more liability than advantage


## CAD Software

- Basic introduction to AutoCAD
- Used by many small industries - cost based decision
- Requires other pieces of software to be able to integrate the design with the analysis






