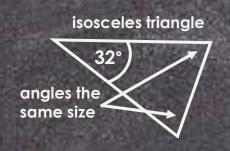
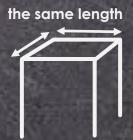


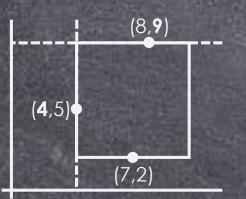
# I SEE PROBLEM-SOLVING - UKS2 WORKED EXAMPLES

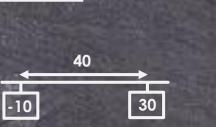




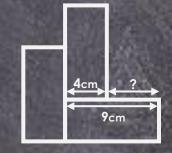














#### GARETH METCALFE

Available as PowerPoint and PDF from www.iseemaths.com



# I SEE PROBLEM-SOLVING – UKS2 WORKED EXAMPLES

<u>Task 1: Sum of the digits</u> <u>Task 11: Missing digits subtraction</u>

<u>Task 2: Decimal number line</u> <u>Task 12: Sum and difference</u>

<u>Task 3: Rounding money</u> <u>Task 13: Four numbers challenge</u>

<u>Task 4: Rounding puzzles</u> <u>Task 14: Café calculations</u>

<u>Task 5: Negatives on a number line</u> <u>Task 15: Multiplication missing digits</u>

<u>Task 6: Number sequences</u> <u>Task 16: Remainder of one-half</u>

<u>Task 7: More, less, equal</u> <u>Task 17: Find the factors</u>

<u>Task 8: Four number sentences</u> <u>Task 18: Number detective</u>

<u>Task 9: Subtraction number sentences</u> <u>Task 19: Athletics club ratios</u>

<u>Task 10: Missing digits addition</u> <u>Task 20: Shot accuracy statistics</u>



# I SEE PROBLEM-SOLVING – UKS2 WORKED EXAMPLES

Task 21: Pages read, pages left

Task 22: Clothes shop sale

Task 23: Fractions of a square

Task 24: Adding fractions

Task 25: Make one and a quarter

Task 26: Fractions of an amount

Task 27: Improper fractions

Task 28: Make two and a quarter

Task 29: Part-finished book

Task 30: Fractions and decimals

Task 31, Algebra: Combined weights

Task 32, Algebra: Sports ball weights

Task 33, Algebra: Hiring a surfboard

Task 34, Algebra: Dot pattern sequence

Task 35, Algebra: My secret number

Task 36, Measures: Sorting measures

Task 37, Measures: Time spent driving

Task 38, Measures: Lengths of time

Task 39, Measures: Ticket prices

Task 40, Angle: Missing angles



# I SEE PROBLEM-SOLVING – UKS2 WORKED EXAMPLES

<u>Task 41: Isosceles triangle angles</u> <u>Task 51: Cube nets</u>

<u>Task 42: Clock hands angles</u> <u>Task 52: Cuboid dimensions</u>

<u>Task 43: Change the perimeter</u> <u>Task 53: Faces, edges, vertices</u>

<u>Task 44: Rectangle length</u> <u>Task 54: Before/now pie charts</u>

<u>Task 45: Compound shape</u> <u>Task 55: Bike race line graphs</u>

<u>Task 46: Combined shapes</u> <u>Task 56: Train timetables</u>

<u>Task 47: Triangle area</u> <u>Task 57: Average of 3 numbers</u>

<u>Task 48: Inside, edge or outside?</u> <u>Task 58: Average ages</u>

Task 49: Which vertices?

Task 50: Branching database



To make the **smallest** possible number:



To make the **smallest** possible number:

- Must be a 2-digit number
- Make the tens value as small as possible



To make the **smallest** possible number:

- Must be a 2-digit number
- Make the tens value as small as possible

15



To make the **largest** possible number:



To make the **largest** possible number:

- Use as many digits as possible
- Use the digit 0



To make the largest possible number:

- Use as many digits as possible
- Use the digit 0

Use four digits: 0, 1, 2, 3



To make the largest possible number:

- Use as many digits as possible
- Use the digit 0
- Largest → smallest digits put left → right

Use four digits: 0, 1, 2, 3



To make the largest possible number:

- Use as many digits as possible
- Use the digit 0
- Largest → smallest digits put left → right

Use four digits: 0, 1, 2, 3

3210

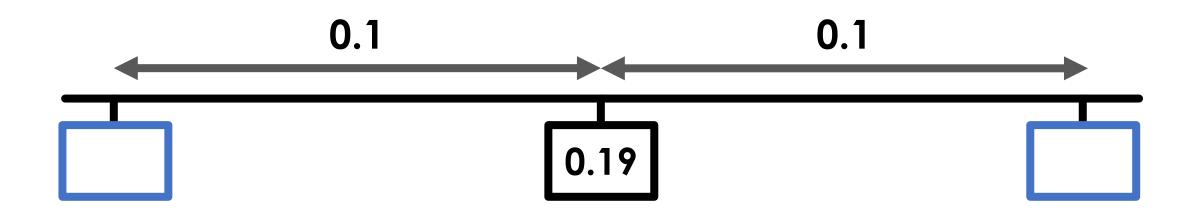


#### Example 1:



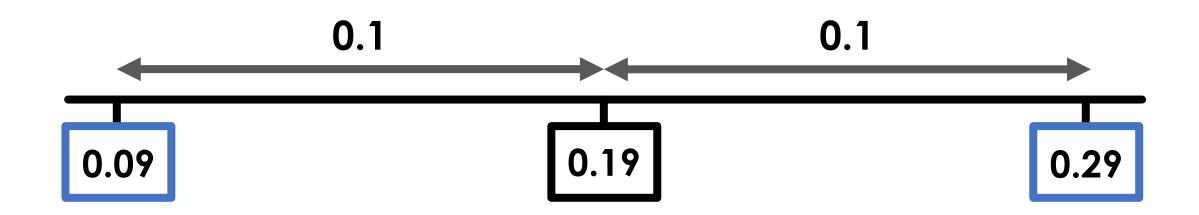


#### Example 1:



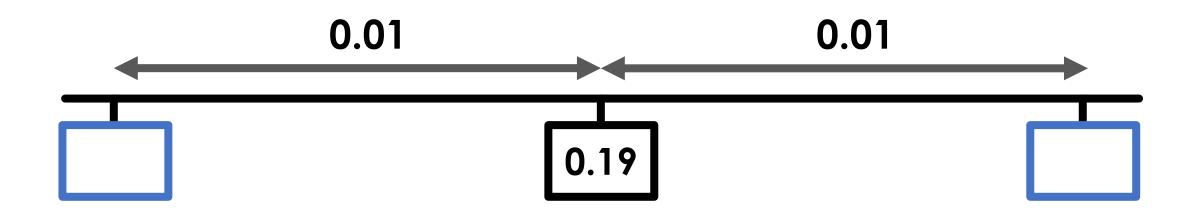


#### Example 1:



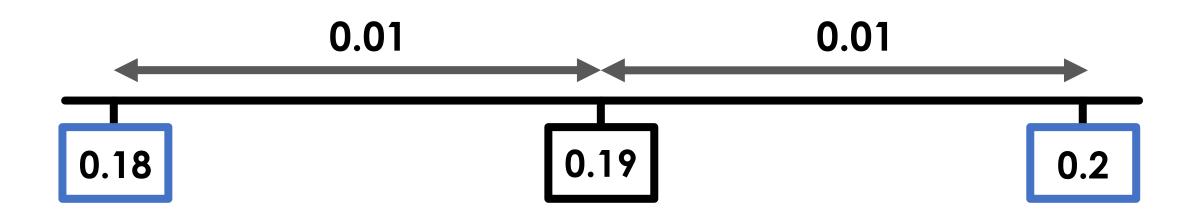


#### Example 2:



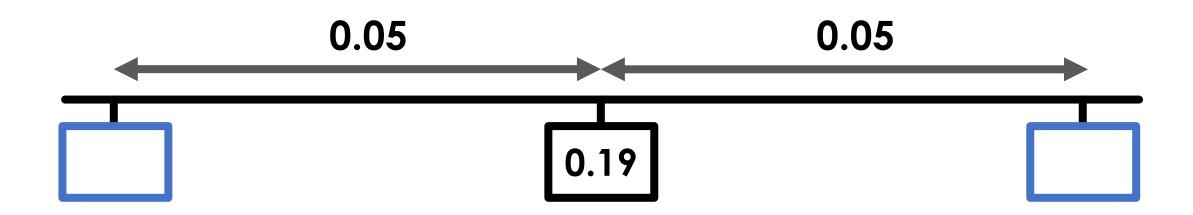


#### Example 2:



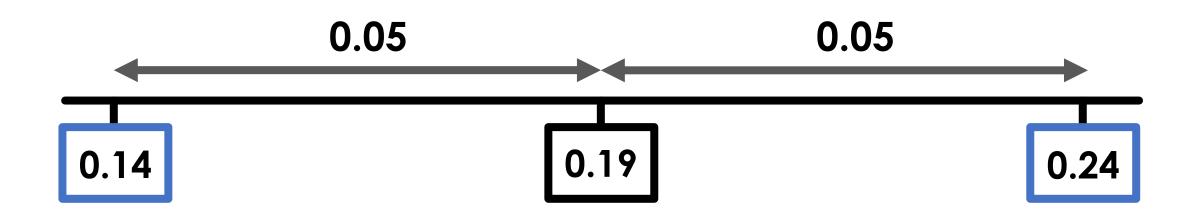


#### Example 3:



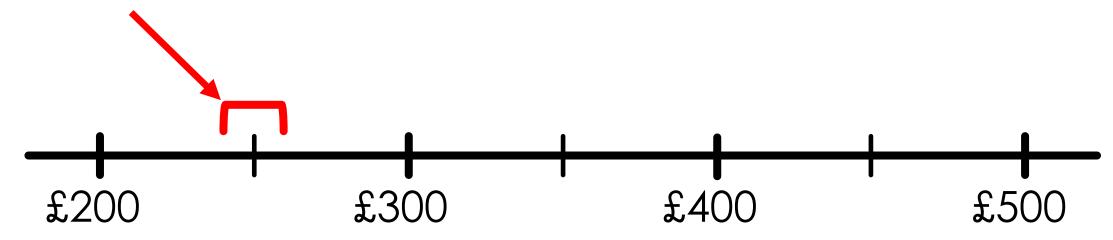


#### Example 3:



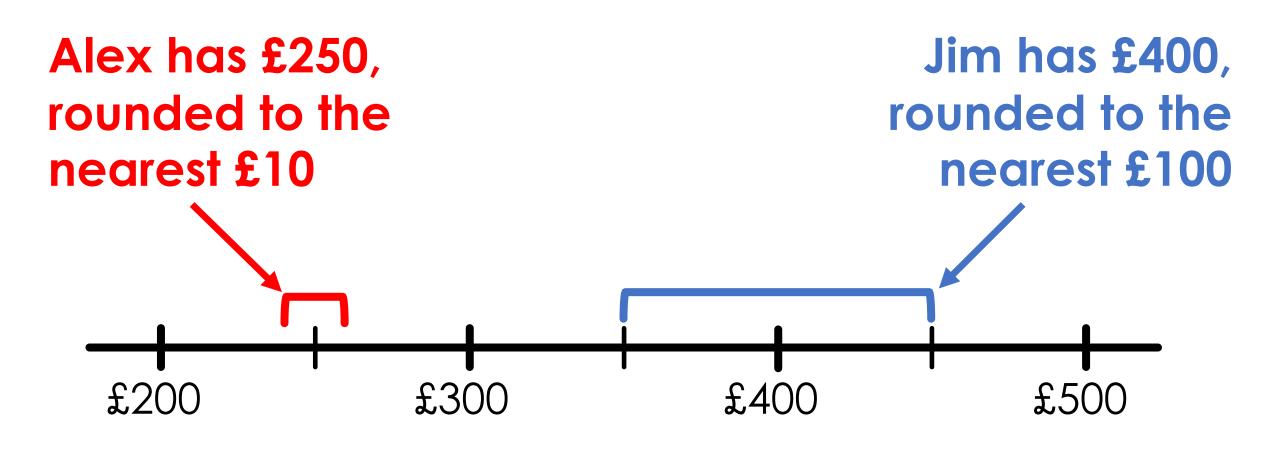


Alex has £250, rounded to the nearest £10



£245—£254

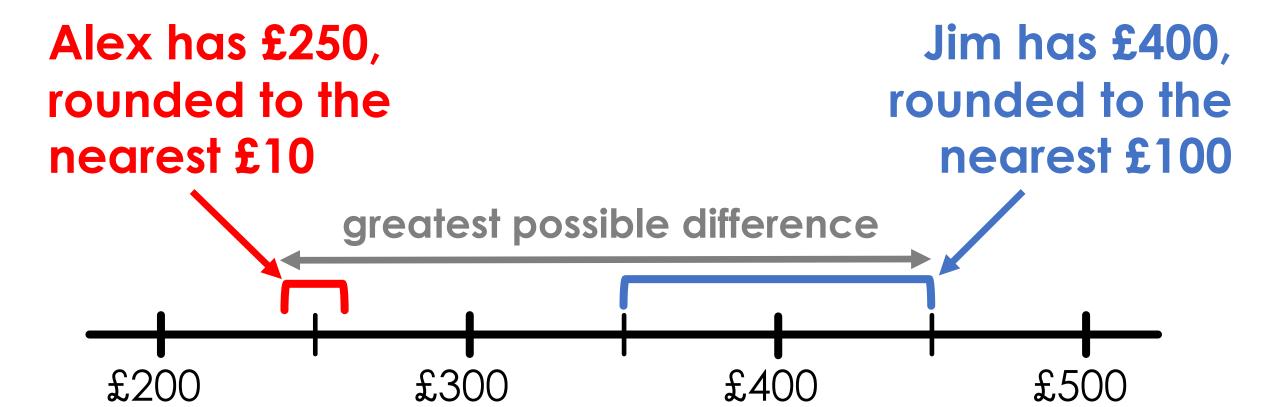




£245—£254

£350—£449

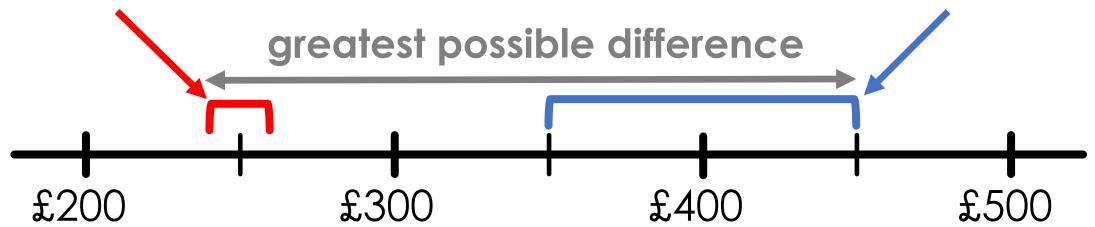






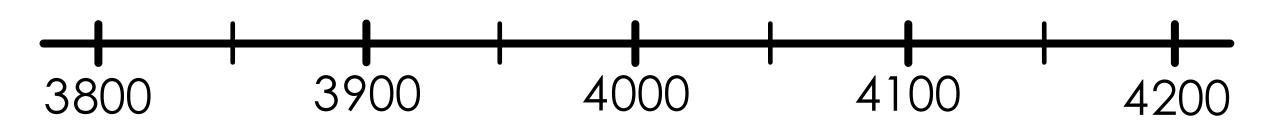
Alex has £250, rounded to the nearest £10

Jim has £400, rounded to the nearest £100





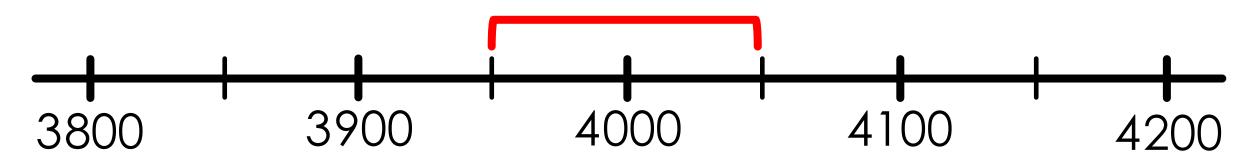
Part 1: nearest 100 is 4000





#### Part 1: nearest 100 is 4000

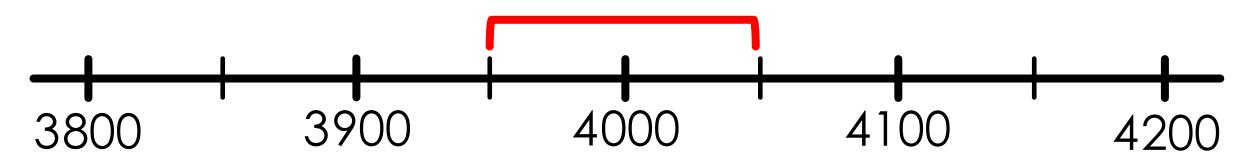
### Numbers in this range, to the nearest 100, are 4000





Part 1: nearest 100 is 4000

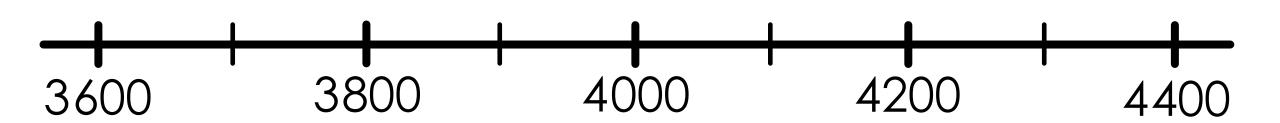
Numbers in this range, to the nearest 100, are 4000



Largest possible whole number = 4049



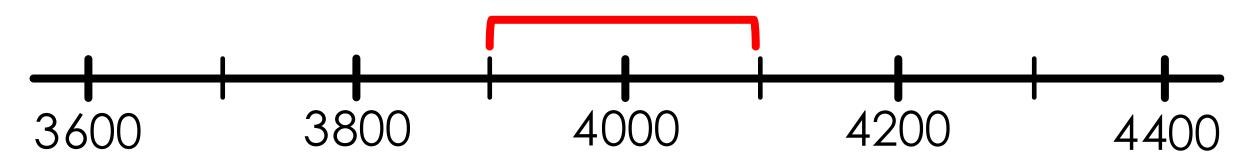
#### Part 2: nearest 200 is 4000





#### Part 2: nearest 200 is 4000

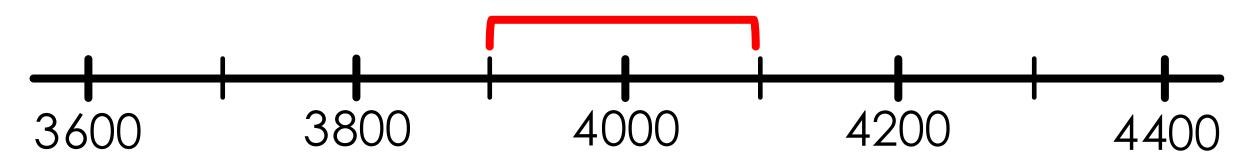
### Numbers in this range, to the nearest 200, are 4000





Part 2: nearest 200 is 4000

Numbers in this range, to the nearest 200, are 4000

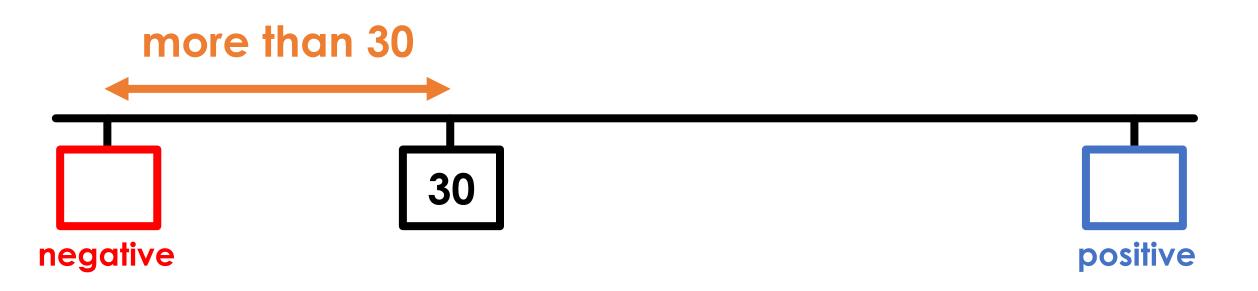


Largest possible whole number = 4099

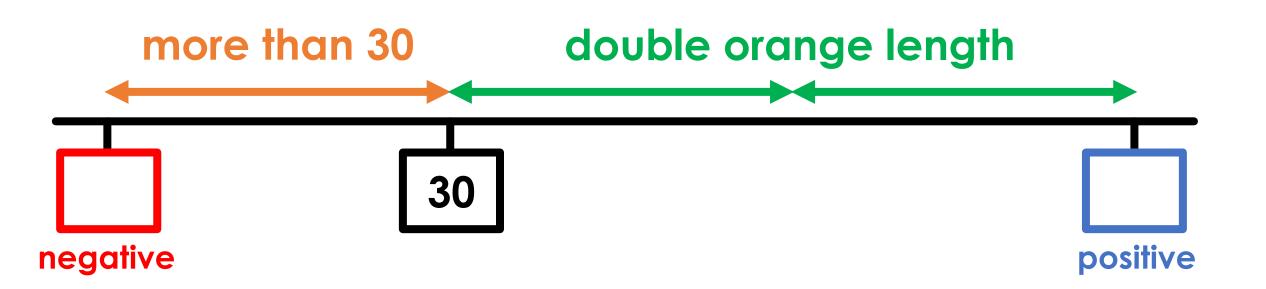






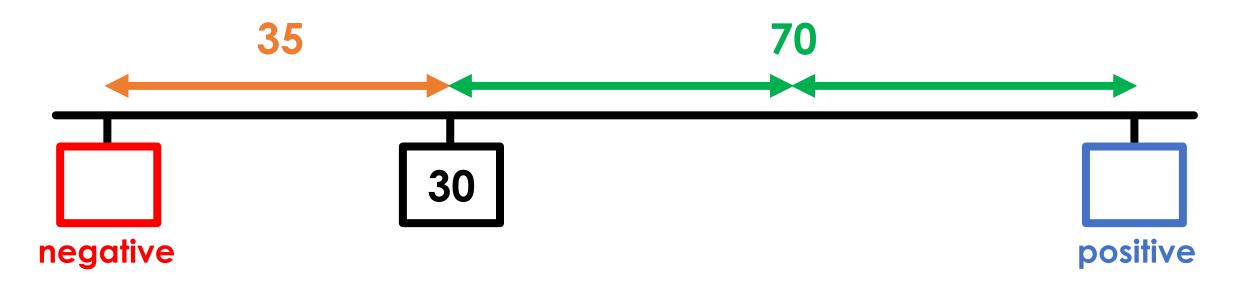






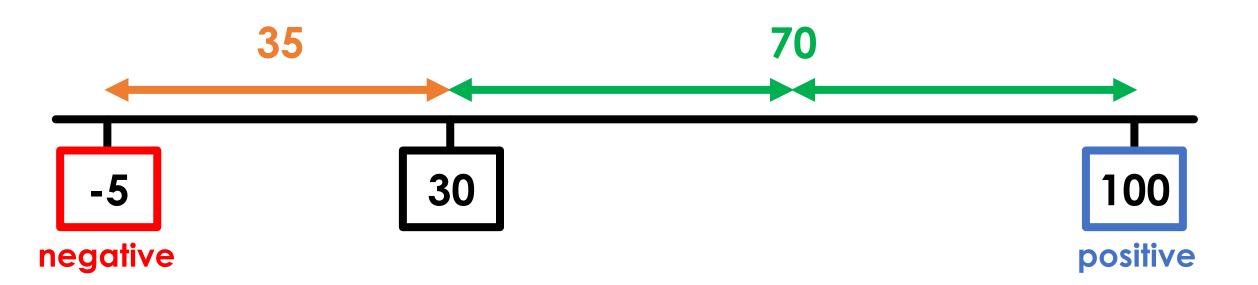


#### Example answer 1:



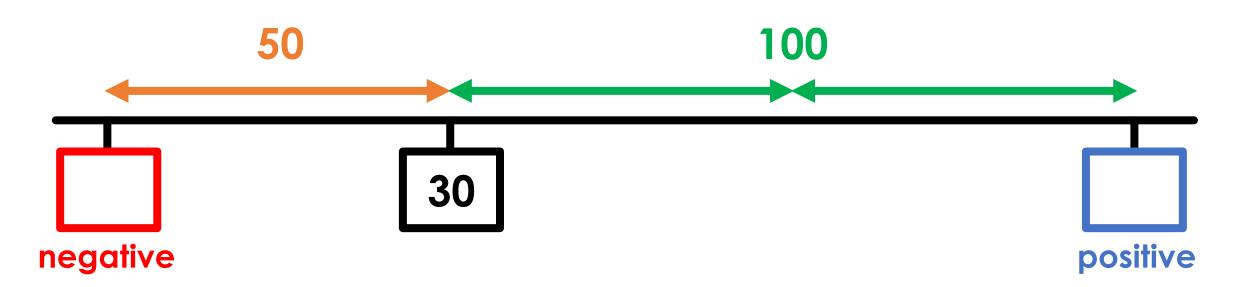


#### Example answer 1:



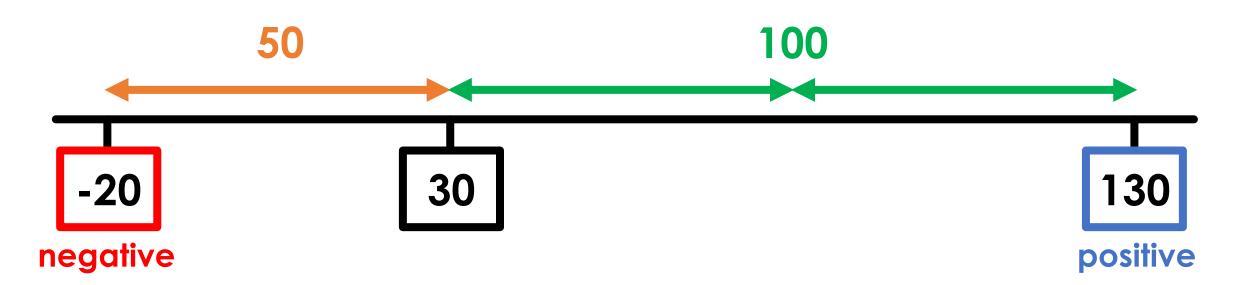


#### Example answer 2:





#### Example answer 2:





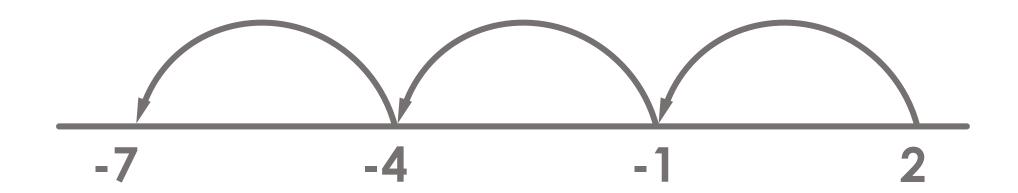
Can the **difference** between the numbers in the sequence be **3?** 

8, 5, 2...



Can the **difference** between the numbers in the sequence be **3?** 

8, 5, 2...



No: -7 is the third negative number in this sequence



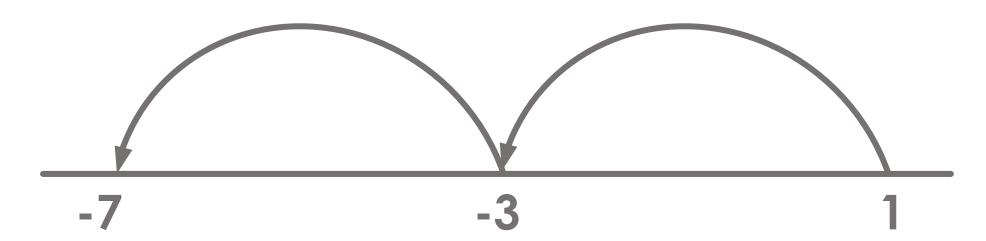
Can the **difference** between the numbers in the sequence be **4?** 

9, 5, 1...



Can the difference between the numbers in the sequence be 4?

9, 5, 1...



Yes: -7 is the second negative number in this sequence



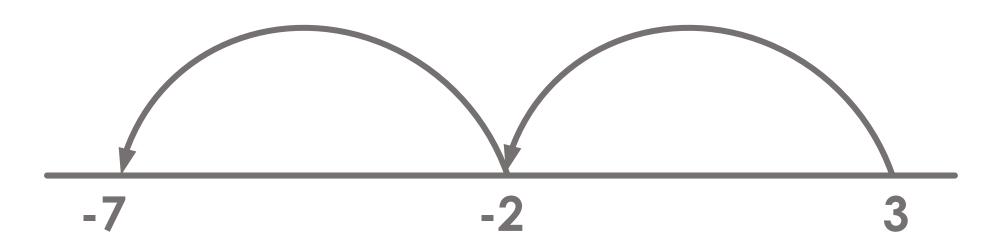
Can the **difference** between the numbers in the sequence be **5?** 

13, 8, 3...



Can the **difference** between the numbers in the sequence be **5?** 

13, 8, 3...



Yes: -7 is the second negative number in this sequence



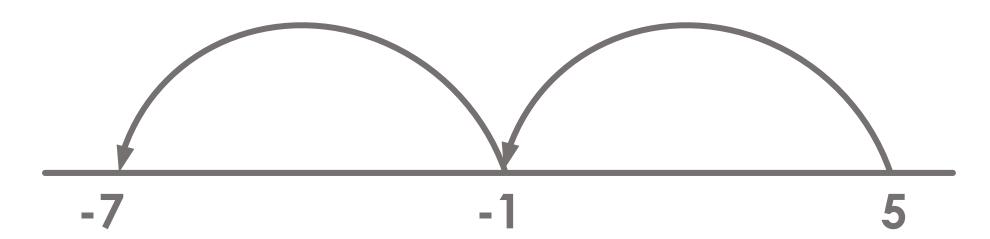
Can the difference between the numbers in the sequence be 6?

17, 11, 5...



Can the difference between the numbers in the sequence be 6?

17, 11, 5...



Yes: -7 is the second negative number in this sequence



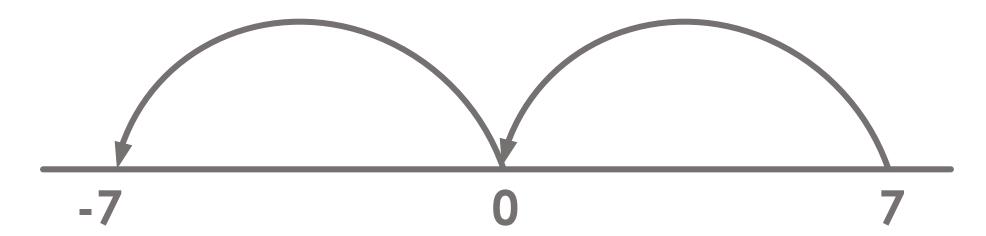
Can the **difference** between the numbers in the sequence be **7?** 

21, 14, 7...



Can the **difference** between the numbers in the sequence be **7?** 

21, 14, 7...



No: -7 is the first negative number in this sequence



$$+ 4 = 15 -$$



$$+ 4 = 15 -$$



$$+ 4 = 15 -$$

This is the **only** place the 8 can go, so it **must** go there.

Where can 7 go?



$$7 + 4 = 15 - 4$$

The 7 can't go in the top two lines. It **must** go on the bottom line.

4 **must** be in the other bottom box to make the number sentence balance.

The 7 and 4 can go in either bottom box.

Where can 6 go?



### This is solution 1

$$10 - 8 < 8 - 5$$
 $20 > 6 \times 3$ 
 $7 + 4 = 15 - 4$ 

6 **must** go in the middle line space.

This leaves a space for 5. The top number sentence is now correct.



### This is solution 2

$$10 - 8 < 8 - 5$$
 $20 > 6 × 3$ 
 $4 + 4 = 15 - 7$ 



3, 6, 7, 8, 9

$$\times 3 = 18 +$$

$$2 \times 2 \times 2 \times 2 < 2 + 8$$



$$\times 3 = 18 +$$

$$2 \times 2 \times 2 \times 2 < +8$$

Which number can go in the orange box?



$$\times 3 = 18 +$$

$$2 \times 2 \times 2 \times 2 < 9 + 8$$

9 is the only number that can go in the orange box.

Where can 8 go?



$$8 \times 3 = 18 + 6$$

$$2 \times 2 \times 2 \times 2 < 9 + 8$$

This is the **only** place that the 8 can go.

To complete the number sentence, 6 must go in the other box on the top line.

Where can 7 go?



# This is the solution

$$8 \times 3 = 18 + 6$$

$$2 \times 2 \times 2 \times 2 < 9 + 8$$

This is the **only** place that the 7 can go.

This leaves a space for 3. The second number sentence is now correct.



$$H - 25 < 35$$

$$80 - H < 39$$



$$H - 25 < 35$$
  $60 - 25 = 35$ 

$$80 - H < 39$$



$$H - 25 < 35$$
  $59 - 25 < 35$ 

$$80 - H < 39$$



$$H - 25 < 35$$
  $59 - 25 < 35$  H is 59 or less

$$80 - H < 39$$



$$H - 25 < 35$$
 59 - 25 < 35 H is 59 or less

$$80 - H < 39$$



$$H - 25 < 35$$
 59 - 25 < 35 H is 59 or less

$$80 - H < 39$$
  $80 - 41 = 39$ 



$$H - 25 < 35$$
  $59 - 25 < 35$  H is 59 or less

$$80 - H < 39$$
  $80 - 42 < 39$ 



$$H - 25 < 35$$
  $59 - 25 < 35$  H is 59 or less

$$80 - H < 39$$
  $80 - 42 < 39$  H is 42 or more



$$H - 25 < 35$$
  $59 - 25 < 35$  H is 59 or less

$$80 - H < 39$$
  $80 - 42 < 39$  H is 42 or more

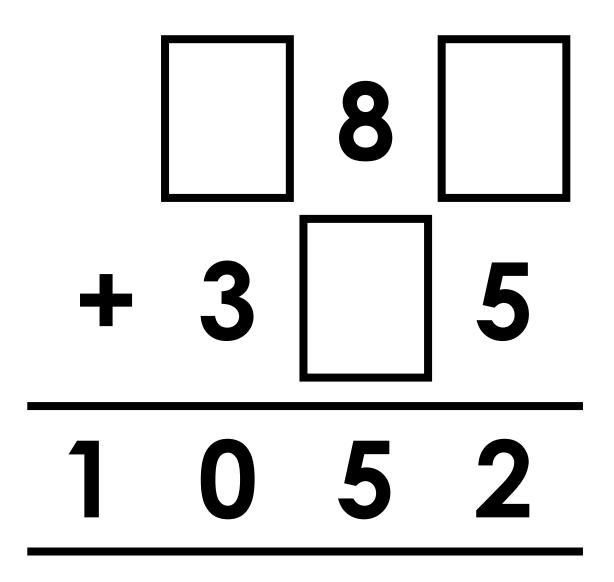


$$H - 25 < 35$$
  $59 - 25 < 35$  H is 59 or less

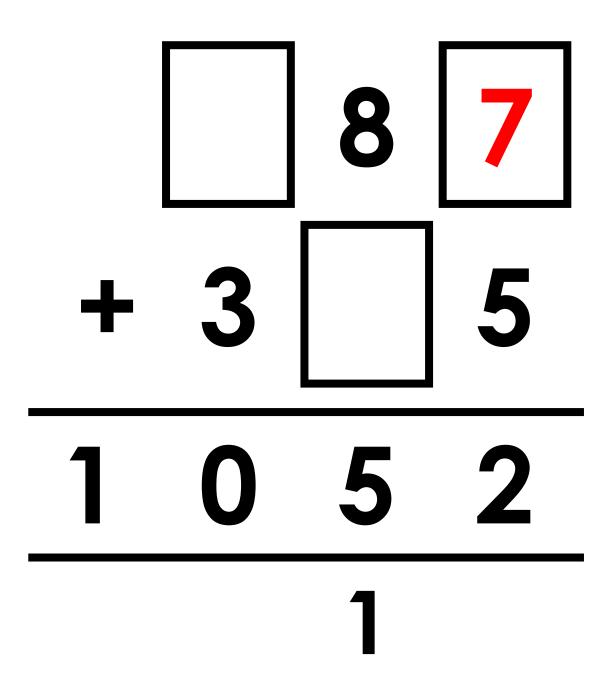
$$80 - H < 39$$
  $80 - 42 < 39$  H is 42 or more

H is a multiple of 6 42, 48, 54

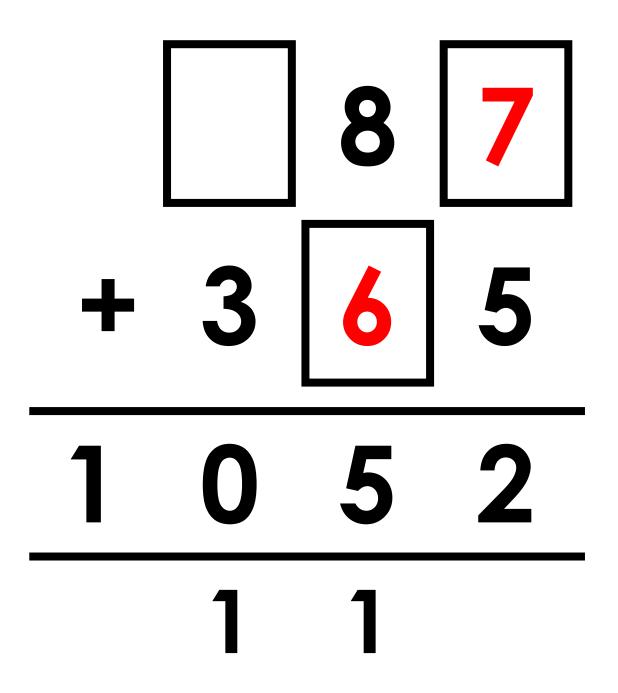




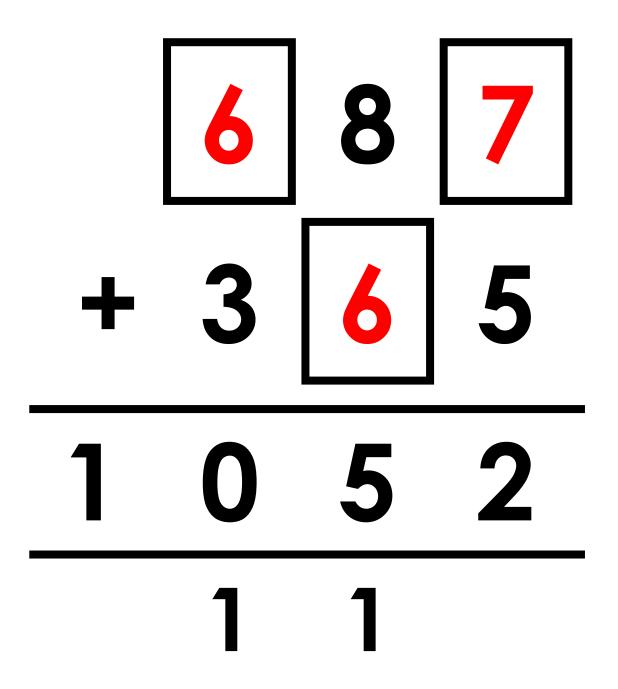






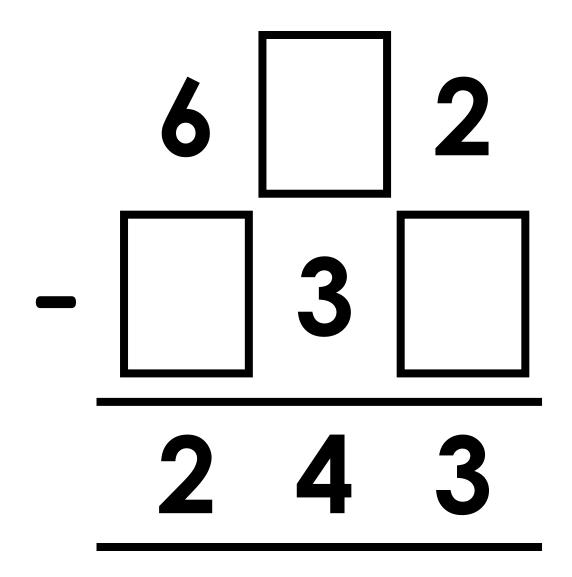






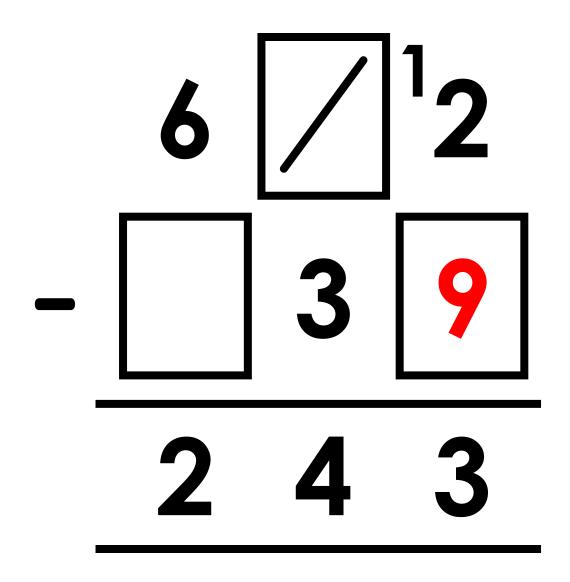


# Task 11: Missing digits subtraction



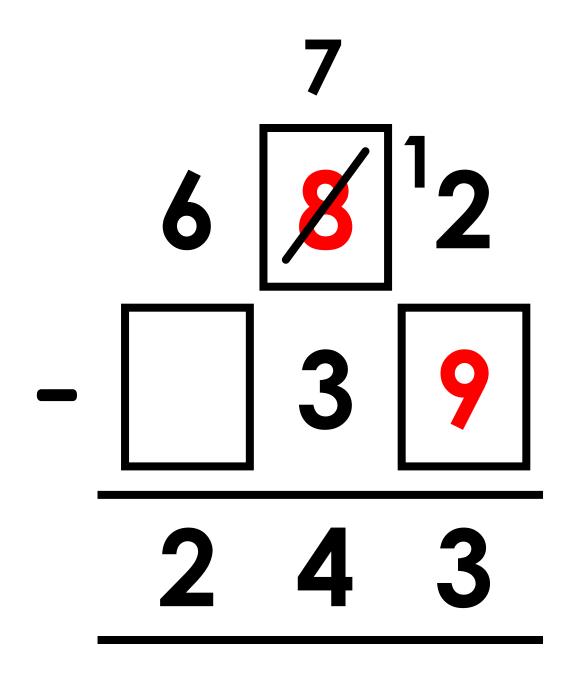


### Task 11: Missing digits subtraction



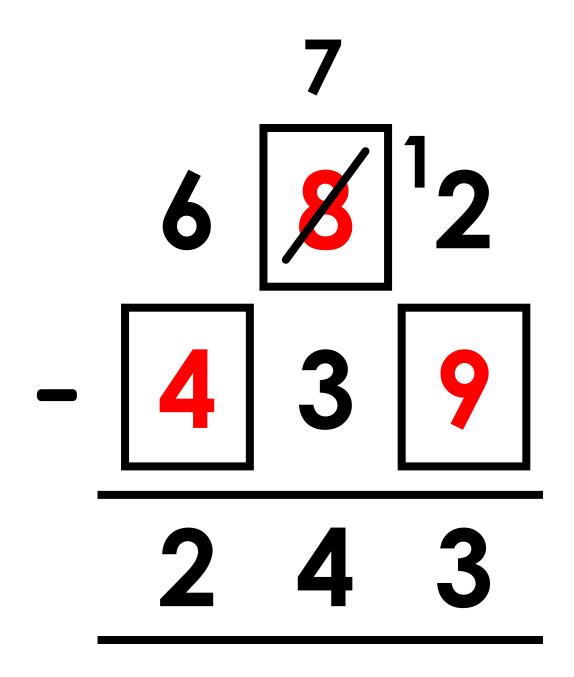


### Task 11: Missing digits subtraction





### Task 11: Missing digits subtraction

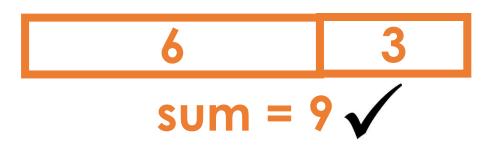


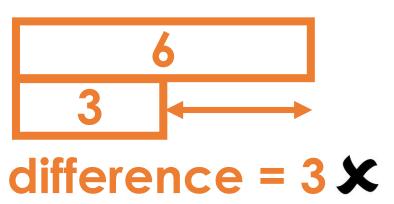


#### Task 12: Sum and difference

# Two numbers: sum = 9, difference = 4

6 and 3



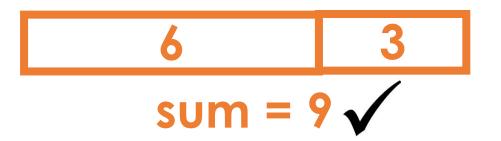




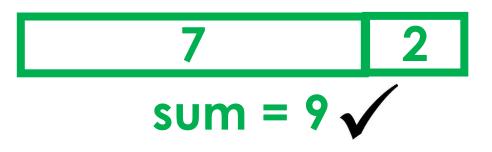
#### Task 12: Sum and difference

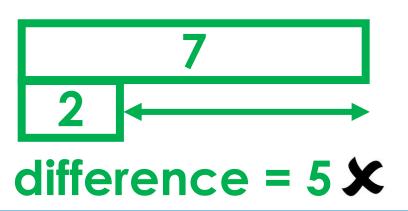
# Two numbers: sum = 9, difference = 4

**6** and **3** 



7 and 2



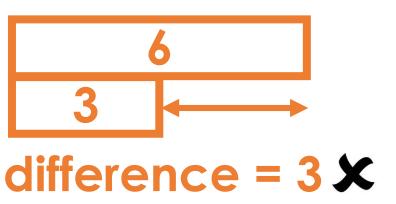




#### Task 12: Sum and difference

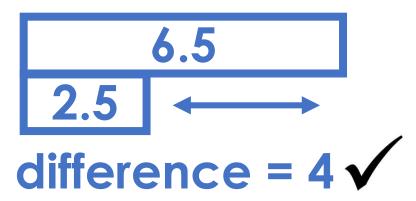
# Two numbers: sum = 9, difference = 4

**6** and **3** 

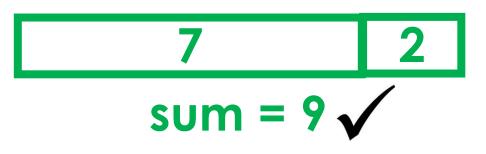


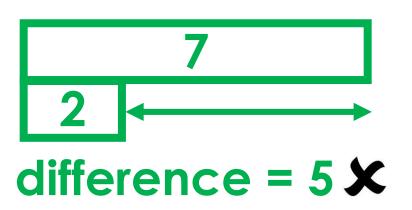
6.5 and 2.5

$$6.5$$
 2.5 sum = 9  $\sqrt{ }$ 

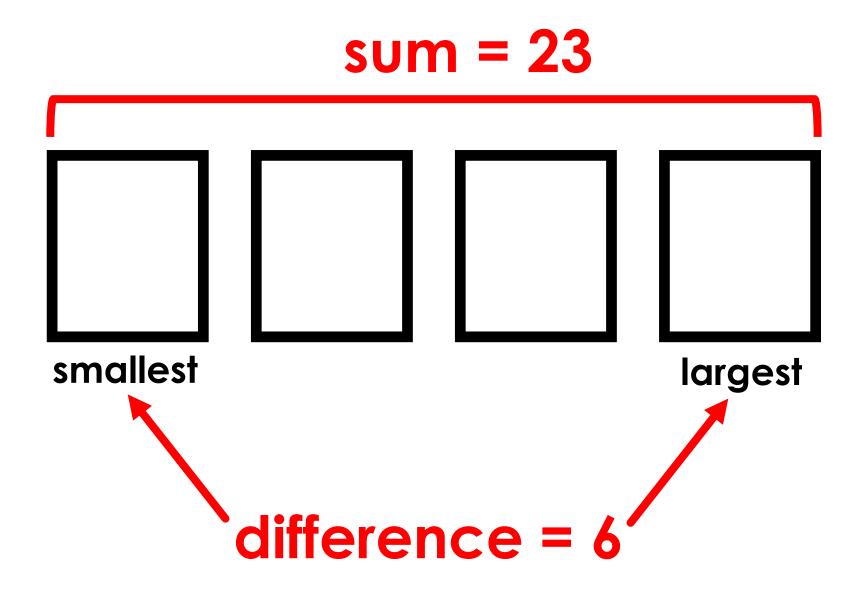


7 and 2

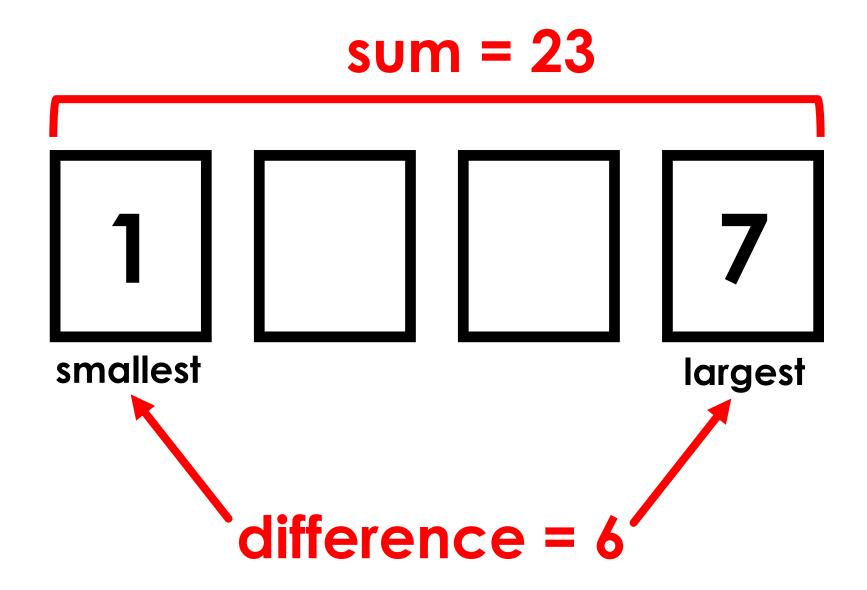




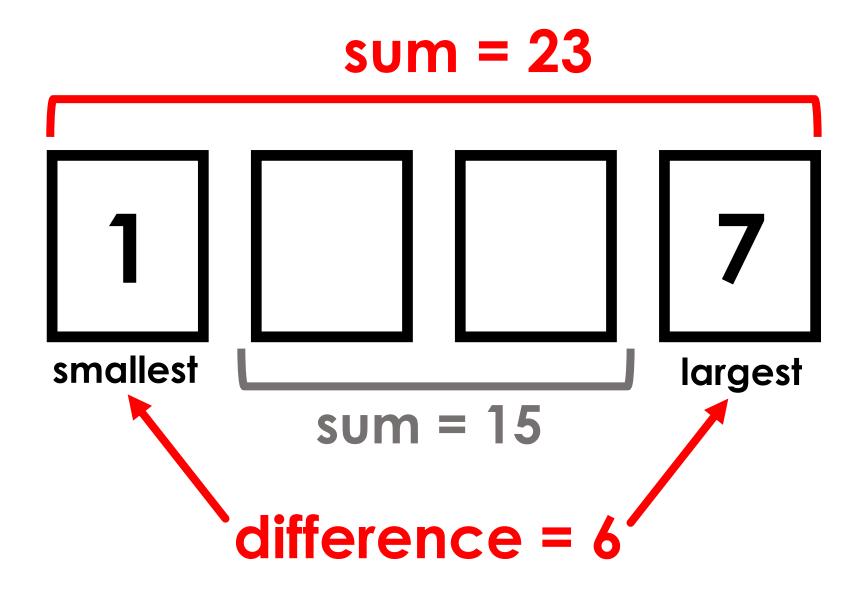




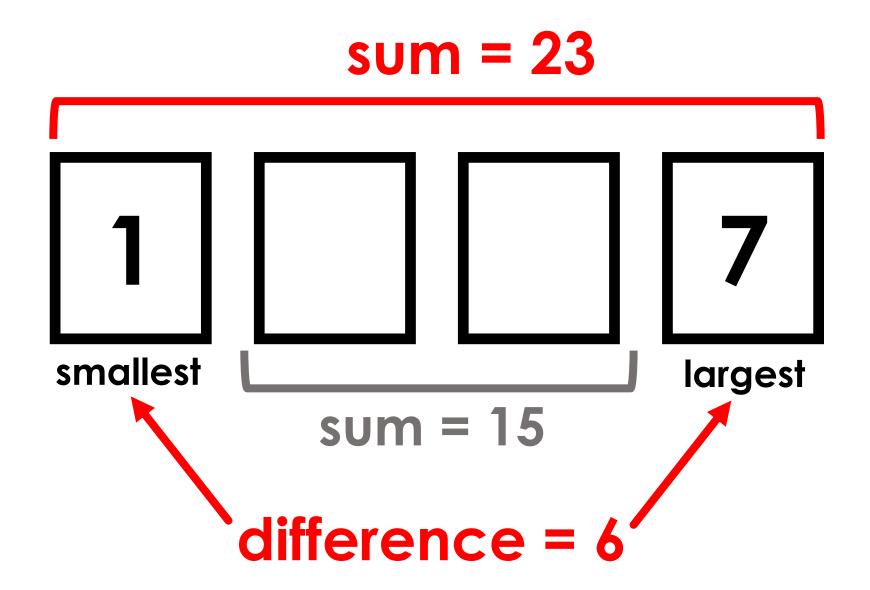






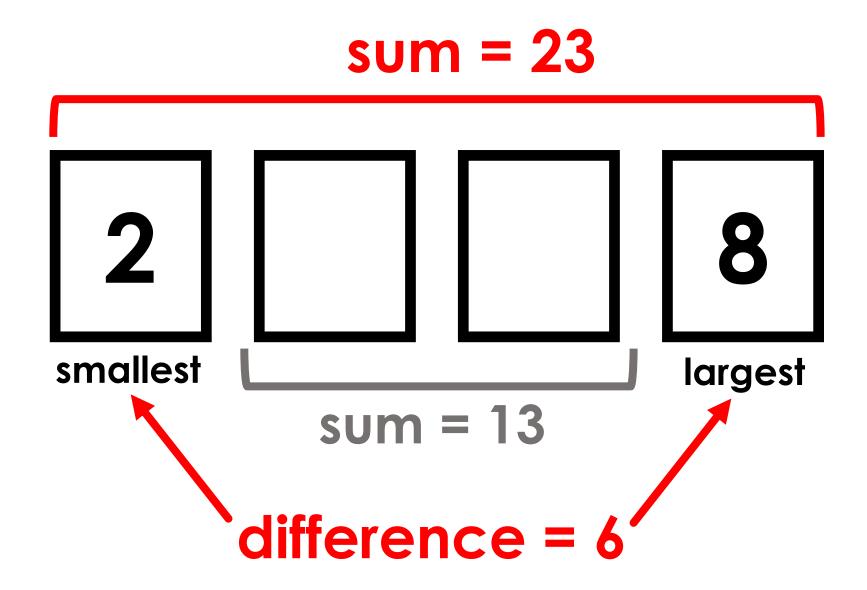




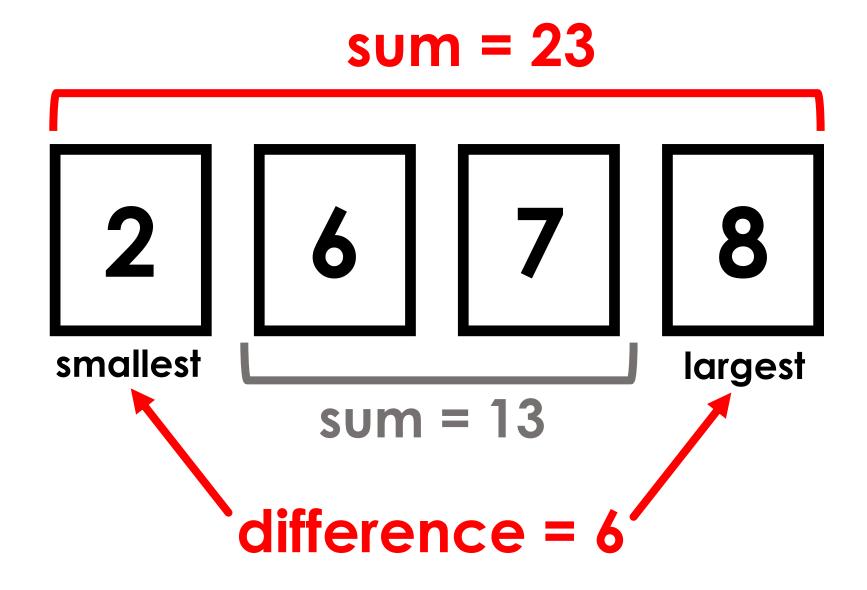


Not possible with two whole numbers less than 7



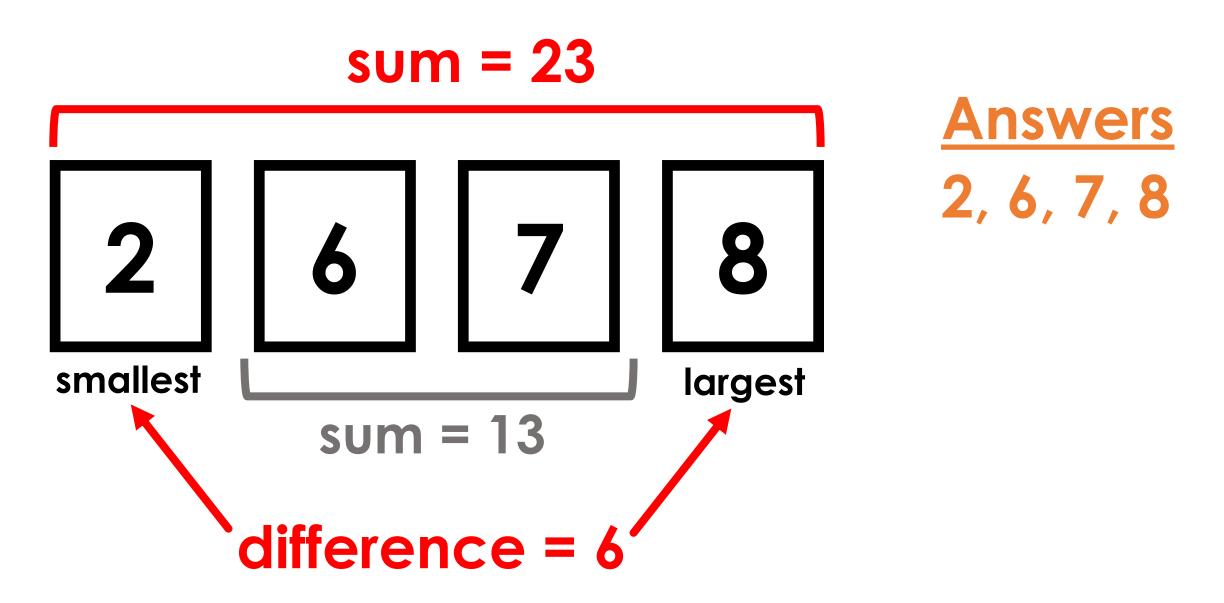






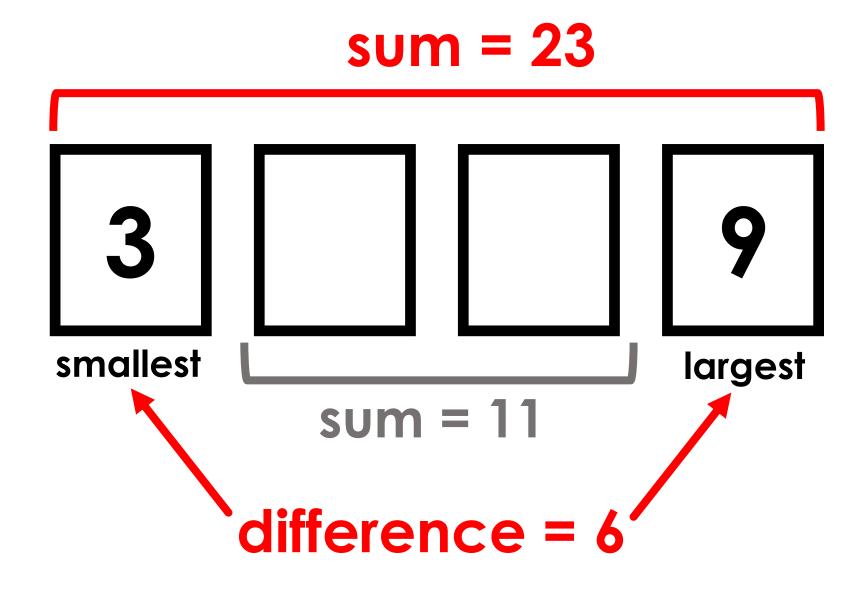
Answers 2, 6, 7, 8





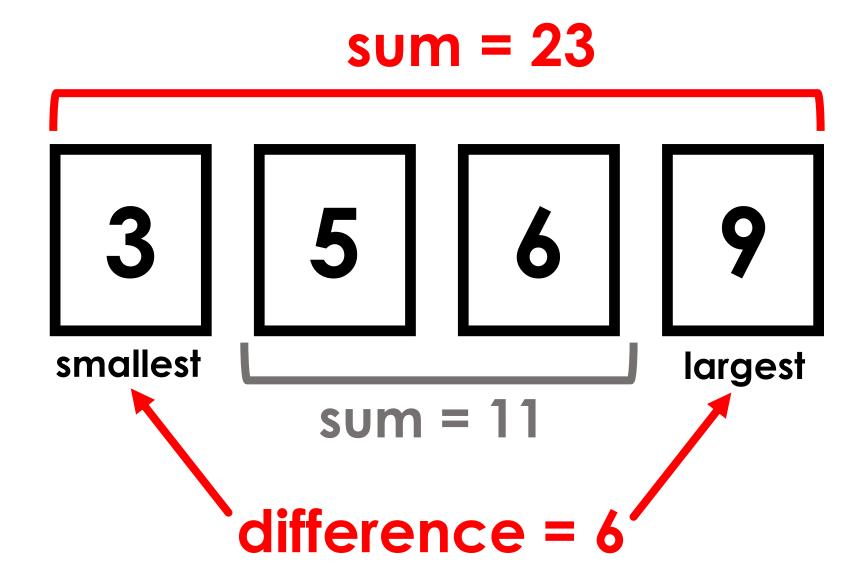
7 and 6 only numbers less than 8 with sum of 13





Answers 2, 6, 7, 8



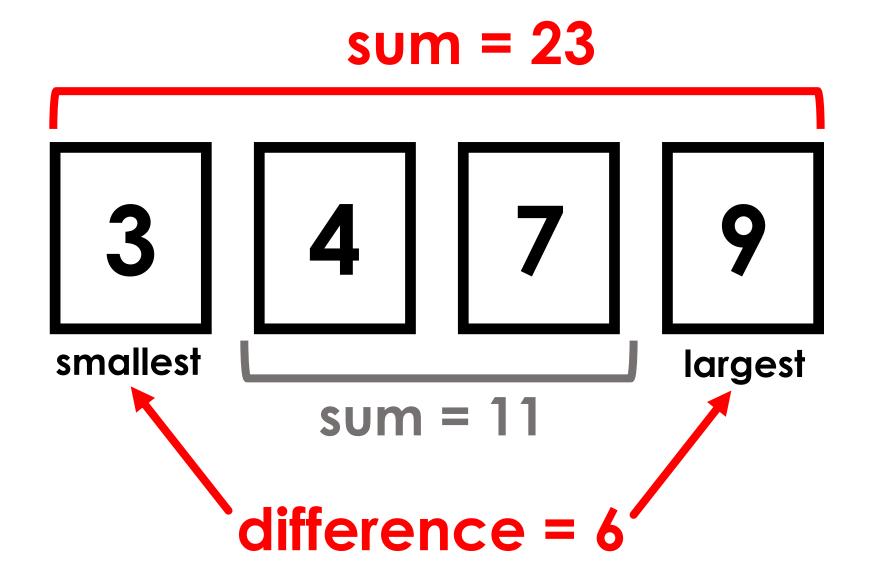


# **Answers**

2, 6, 7, 8

3, 5, 6, 9

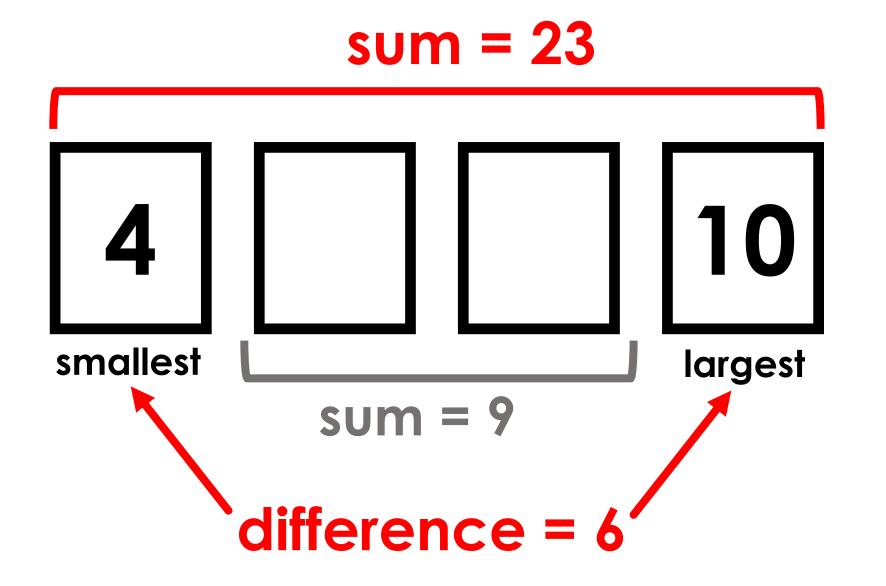




# **Answers**

- 2, 6, 7, 8
- 3, 5, 6, 9
- 3, 4, 7, 9

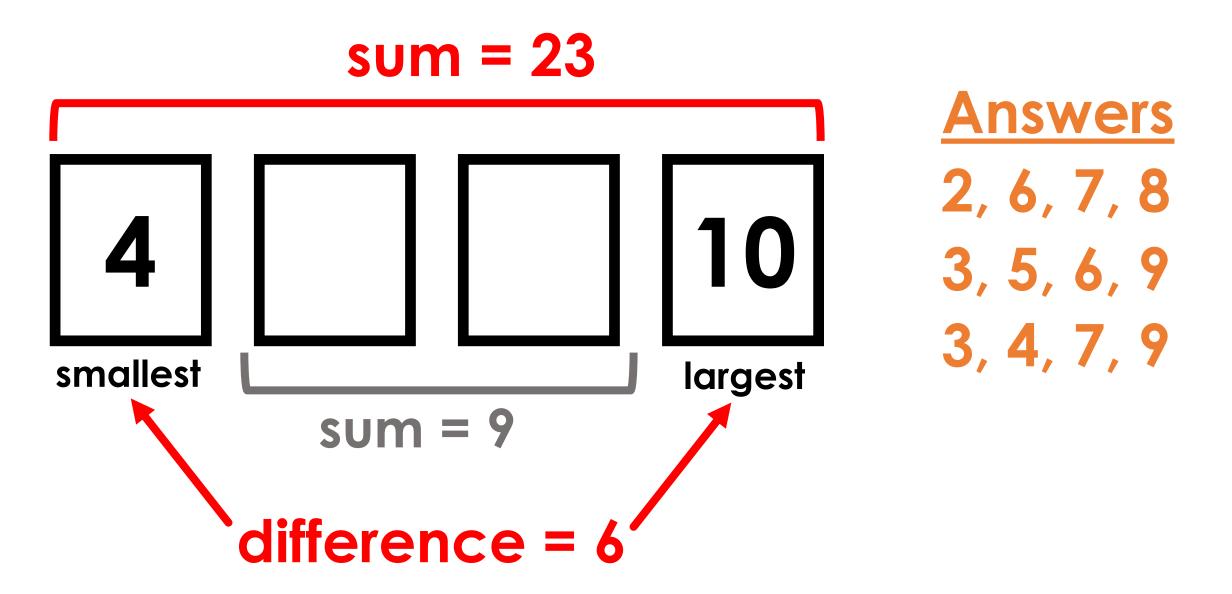




# **Answers**

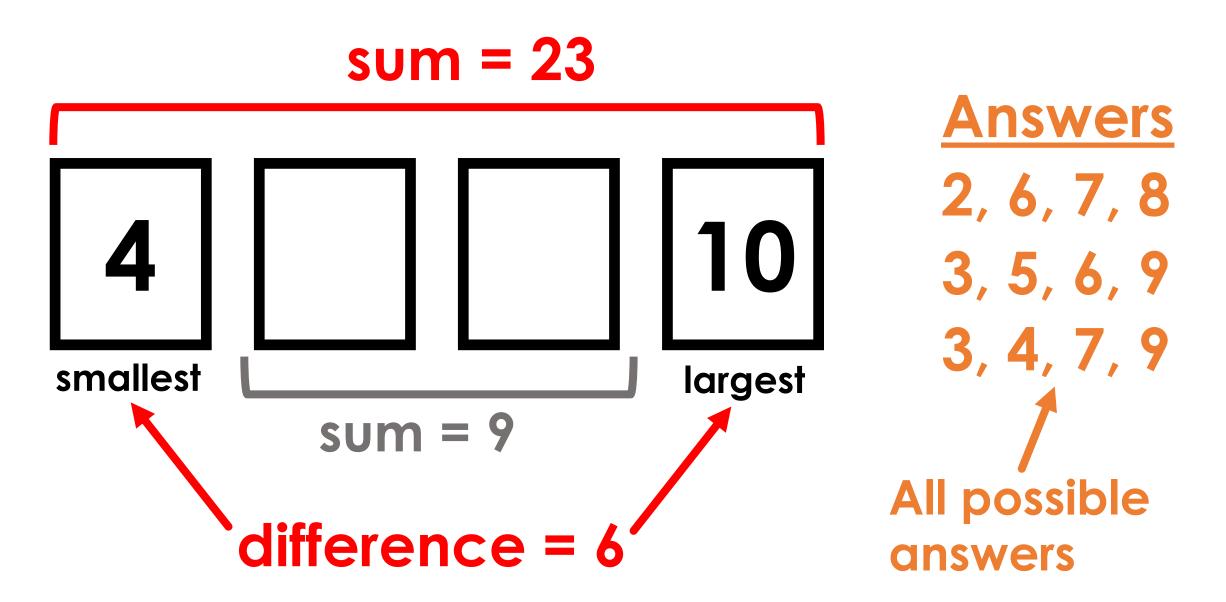
- 2, 6, 7, 8
- 3, 5, 6, 9
- 3, 4, 7, 9





Not possible with two whole numbers greater than 4

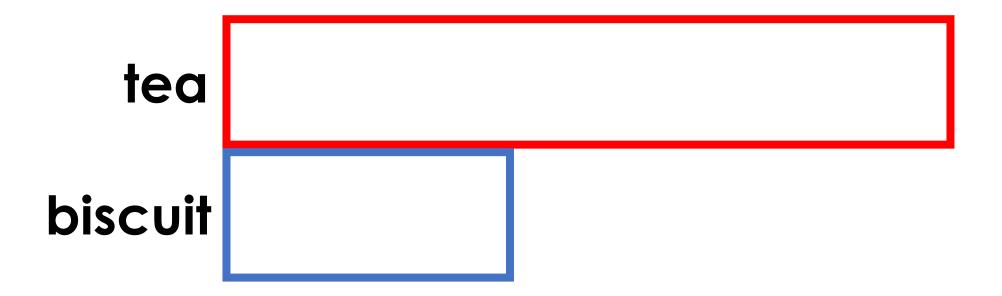




Not possible with two whole numbers greater than 4

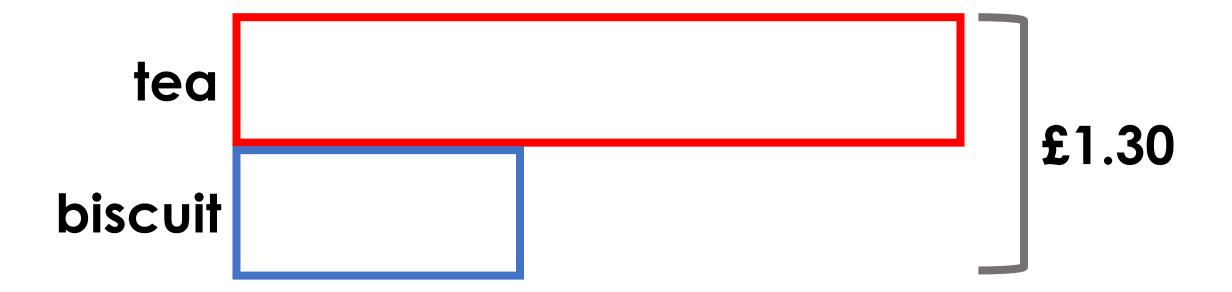


# Tea costs more than biscuit



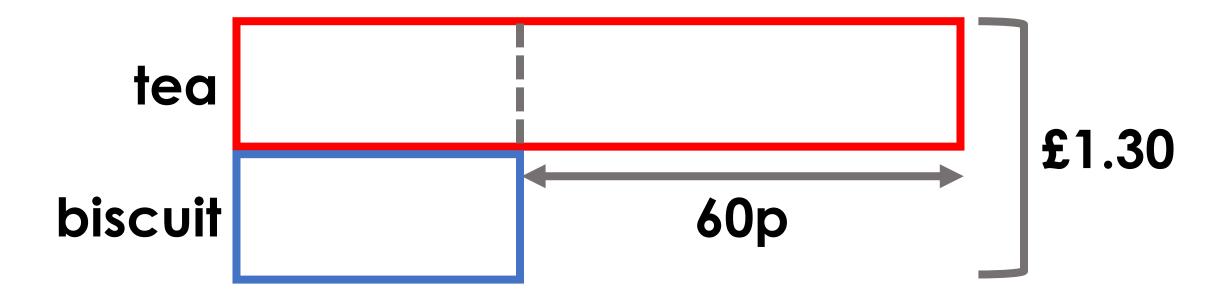


Tea and biscuit = £1.30





# Tea 60p more than biscuit





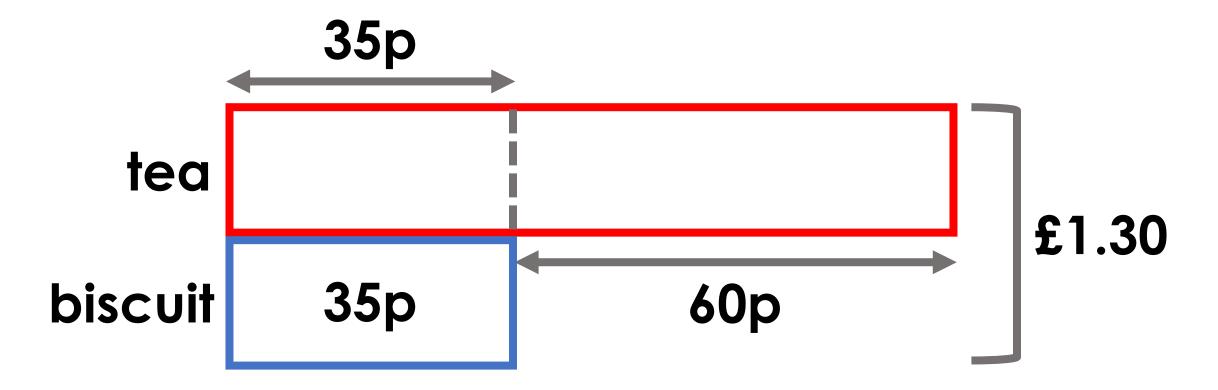
Two sections: £1.30 - 60p = 70ptea £1.30

60p

biscuit

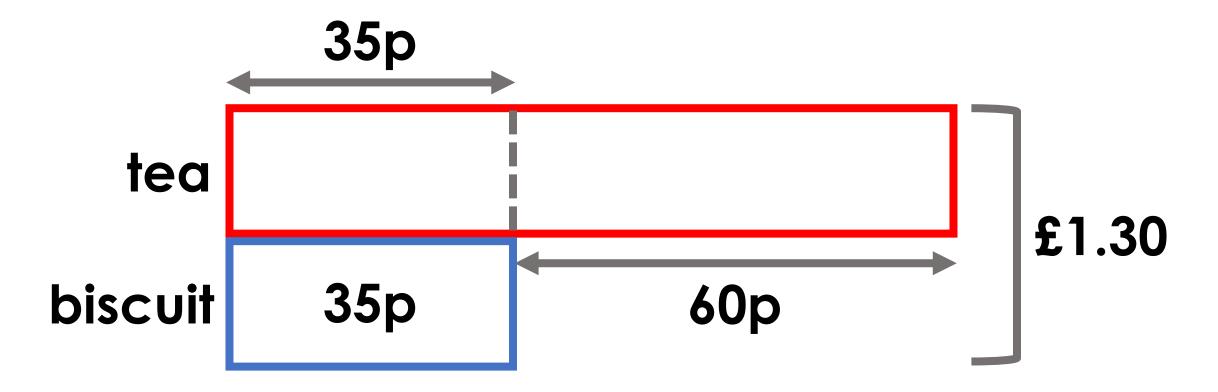


Each section:  $70p \div 2 = 35p$ 





# A biscuit costs 35p





	6		
	X		3
	2	0	4
2	7	2	0
2	9	2	4



$$\begin{array}{r}
6 \\
3 \\
2 \\
2 \\
2 \\
2 \\
4
\end{array}$$

$$6 \square \times 3 = 204$$



$$\begin{array}{c|c}
6 \\
3 \\
2 & 0 \\
4 \\
2 & 7 & 2 \\
\hline
2 & 9 & 2 & 4
\end{array}$$

$$6 \square \times 3 = 204$$
  
 $60 \times 3 = 180$ 



$$\begin{array}{c|c}
 & 6 \\
 & 3 \\
 & 2 \\
 & 4 \\
 & 2 \\
 & 2 \\
 & 4 \\
\end{array}$$

$$6 \square \times 3 = 204$$
  
 $60 \times 3 = 180$   
 $8 \times 3 = 24$ 



$$\begin{array}{c|c}
 & 6 \\
 \hline
 & 3 \\
 \hline
 & 2 \\
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 & 4 \\
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 & 4 \\
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 & 4 \\
 & 4 \\
 \hline
 & 5 \\
 \hline
 & 6 \\
 \hline
 & 7 \\
 \hline
 &$$

$$6 \square \times 3 = 204$$
 $60 \times 3 = 180$ 
 $8 \times 3 = 24$ 
 $180 + 24 = 204$ 



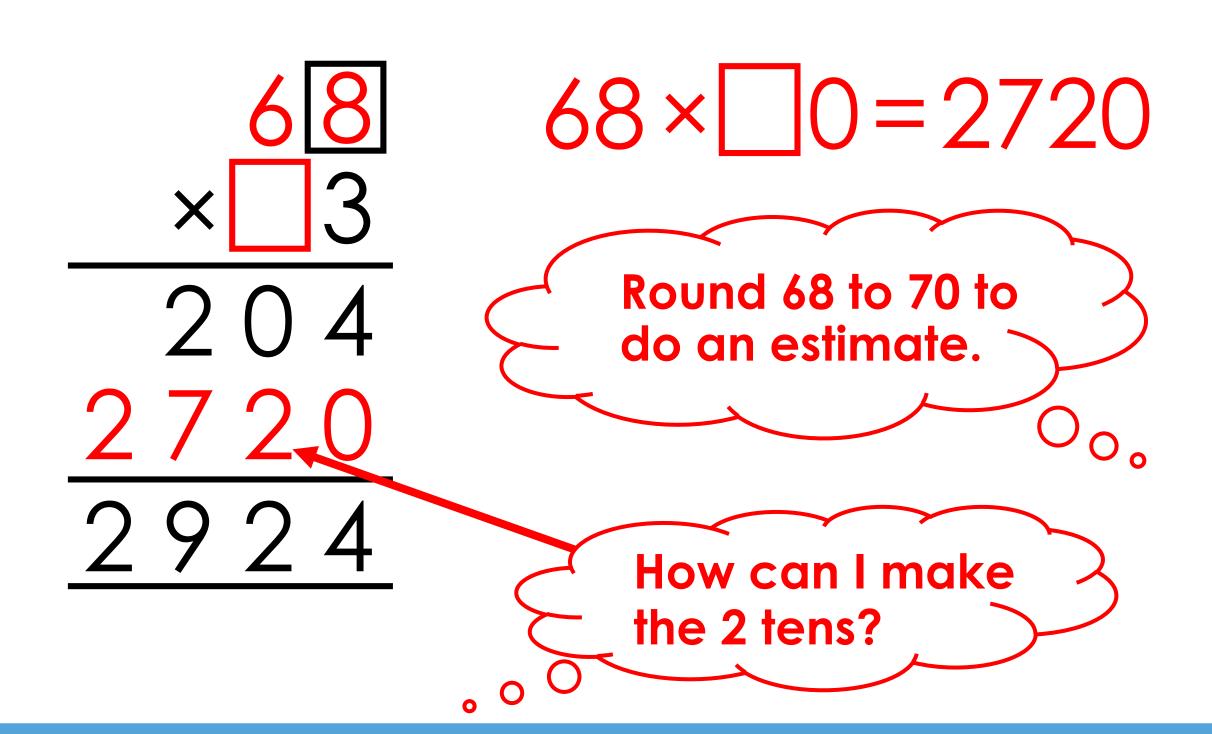
$$68 \times \square 0 = 2720$$



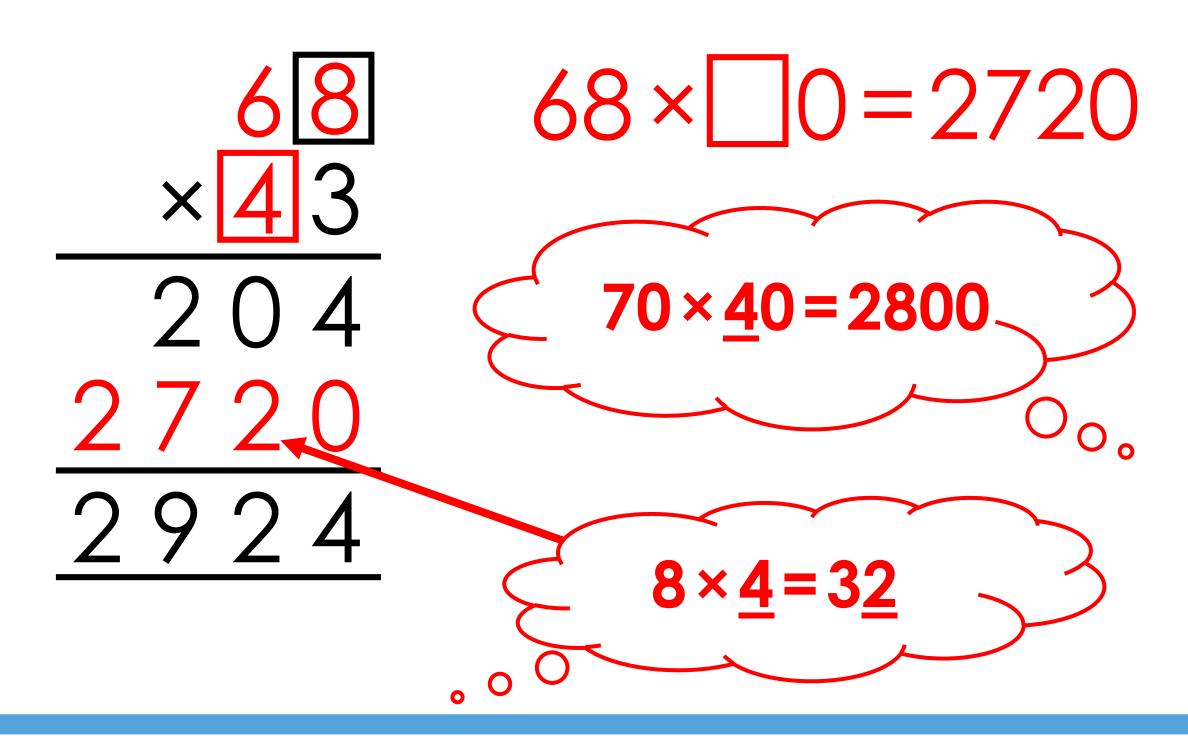
$$\begin{array}{c|c}
 & 6 \\
 \hline
 & 3 \\
 \hline
 & 2 \\
 \hline
 & 4 \\
 \hline
 & 2 \\
 \hline
 & 4 \\
 \hline
 & 2 \\
 \hline
 & 4 \\
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 & 4 \\
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 & 2 \\
 \hline
 & 4 \\
 & 4 \\
 \hline
 & 5 \\
 \hline
 & 6 \\
 \hline
 & 7 \\
 \hline$$

$$68 \times \boxed{0} = 2720$$
Round 68 to 70 to do an estimate.











$$\begin{array}{r}
68 \\
\times 43 \\
204 \\
2720 \\
2924 \\
\end{array}$$



#### Task 16: Remainder of one-half

When ÷ 8, a remainder of \_\_\_\_\_ is equivalent to  $\frac{1}{2}$ 

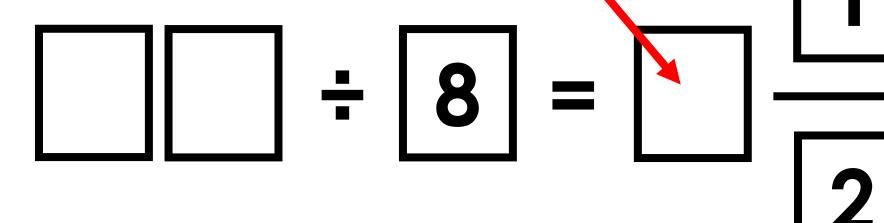


When ÷ 8, a remainder of  $\frac{4}{2}$  is equivalent to  $\frac{1}{2}$ 

**Example:**  $20 \div 8 = 2 \text{ remainder } 4 = 2\frac{1}{2}$ 

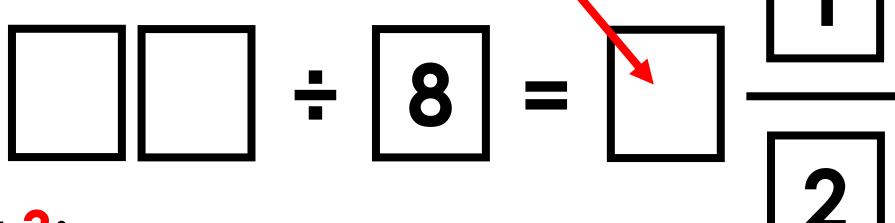


**Example method:** work out which digits can go in this place.





**Example method:** work out which digits can go in this place.

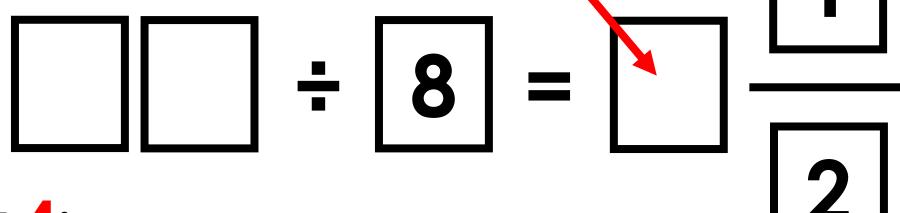


$$28 \div 8 = 3\frac{1}{2}$$

**NOT a solution** as the digits 2 and 8 are used twice.



**Example method:** work out which digits can go in this place.

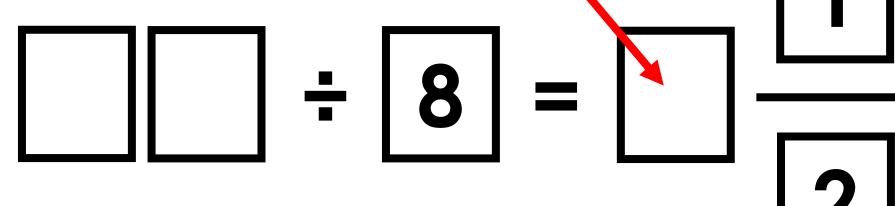


$$36 \div 8 = 4\frac{1}{2}$$

This is a possible solution.



**Example method:** work out which digits can go in this place.



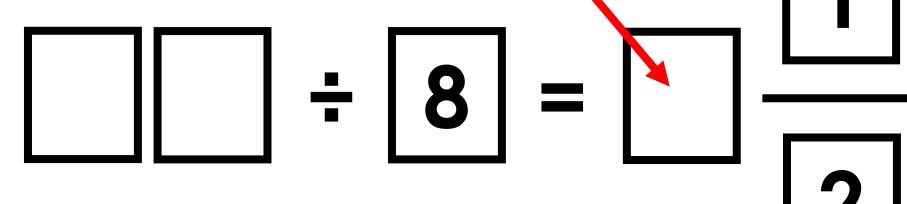
**Try 5**:

$$44 \div 8 = 5\frac{1}{2}$$

**NOT a solution** as the digit 4 is used twice.



**Example method:** work out which digits can go in this place.



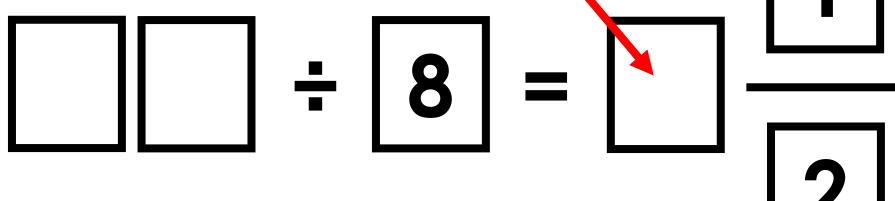
**Try 6:** 

$$52 \div 8 = 6\frac{1}{2}$$

**NOT a solution** as the digit 2 is used twice.



**Example method:** work out which digits can go in this place.

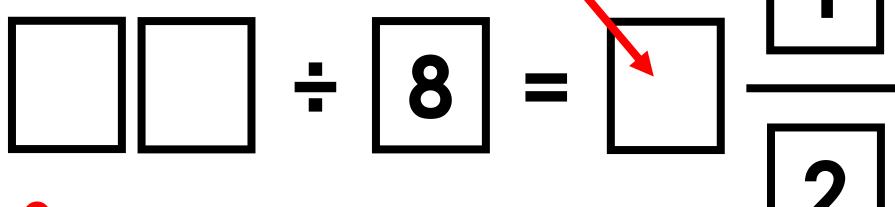


$$60 \div 8 = 7\frac{1}{2}$$

This is a possible solution.



**Example method:** work out which digits can go in this place.

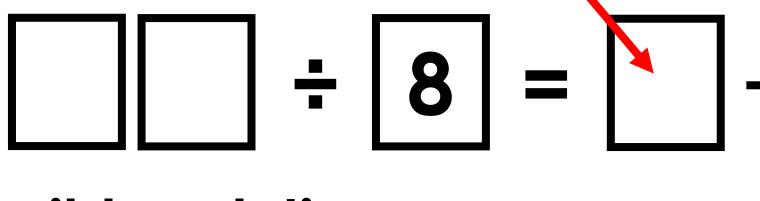


$$76 \div 8 = 9\frac{1}{2}$$

This is a possible solution.



**Example method:** work out which digits can go in this place.





$$60 \div 8 = 7\frac{1}{2}$$

$$76 \div 8 = 9\frac{1}{2}$$

$$36 \div 8 = 4\frac{1}{2}$$























**532** 

1 2 3 4 5 6 7 8 9

Without calculating we know...



**532** 

(2) 3 4 X 6 7 8

Without calculating we know...



**532** 

- (2) 3 4 X

600 is a multiple of 3

60 is a multiple of 3

**540** is therefore a multiple of 3



**532** 

- (2) X 4 X 6 7 8

- 600 is a multiple of 3
- 60 is a multiple of 3
- **540** is therefore a multiple of 3
- So 3 is not a factor of 532.
- 540 532 = 8.8 is not a multiple of 3.



**532** 

- - (2) X 4 X 6 7 8

3 is not a factor of 532, therefore

and are not factors of 532.



**532** 

- - (2) X 4 X X 7 8

- 3 is not a factor of 532, therefore
- 6 and 9 are not factors of 532.



**532** 

- - (2) X 4 X X 7 8

4 is a factor of 100  $(4 \times 25 = 100)$ 

This means 4 is a factor of 500



- (1) (2) X (4) X X 7 8

- 4 is a factor of 100  $(4 \times 25 = 100)$
- This means 4 is a factor of 500
- 4 is a factor of 32  $(4 \times 8 = 32)$
- **So 4** is a factor of **532** (500 + 32 = 532)



**532** 

(1) (2) X (4) X X 7 8 X

7 is a factor of 490  $(7 \times 70 = 490)$ 



(1) (2) X (4) X X 7 8





7 is a factor of 490 
$$(7 \times 70 = 490)$$

$$532 - 490 = 42$$



- (1) (2) X (4) X (7) 8

7 is a factor of 490 
$$(7 \times 70 = 490)$$

$$532 - 490 = 42$$

7 is a factor of 42  $(7 \times 6 = 42)$ 

**So 7** is a factor of **532** (490 + 42 = 532)



**532** 

(1) (2) X (4) X (7) 8 X

8 is a factor of  $480 (8 \times 60 = 480)$ 



- (2) X (4) X (7) 8

8 is a factor of 
$$480 (8 \times 60 = 480)$$

$$532 - 480 = 52$$



- (1) (2) X (4) X X (7) X

- 8 is a factor of 480 ( $8 \times 60 = 480$ )
- 532 480 = 52
- 8 is a not a factor of 52

## So 8 is not a factor of 532



#### Task 18: Number detective

# Digits with sum of 13:

9 and 4

8 and 5

7 and 6



#### Task 18: Number detective

Digits with sum of 13:	Number made with these digits:
9 and 4	94 and 49
8 and 5	85 and 58
7 and 6	76 and 67



#### Task 18: Number detective

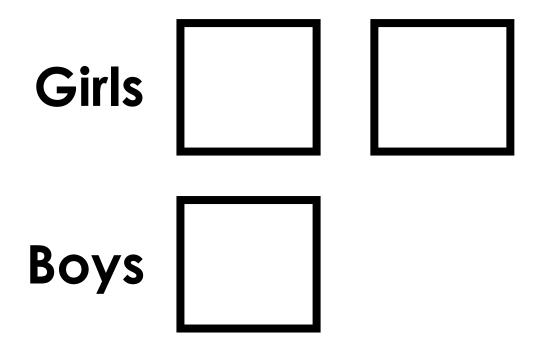
Digits with sum of 13:	Number made with these digits:
9 and 4	94 and 49
8 and 5	85 and 58
7 and 6	76) and 67

Multiple of 4



### Task 19: Athletics club ratios

## Athletics Club, Week 1:

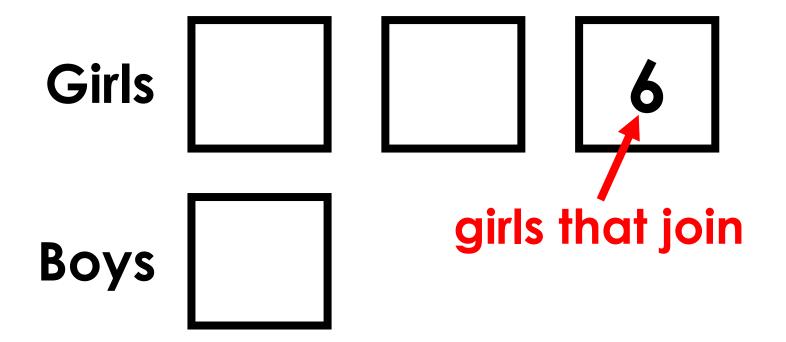


Twice as many girls as boys.



#### Task 19: Athletics club ratios

## Athletics Club, Week 2:

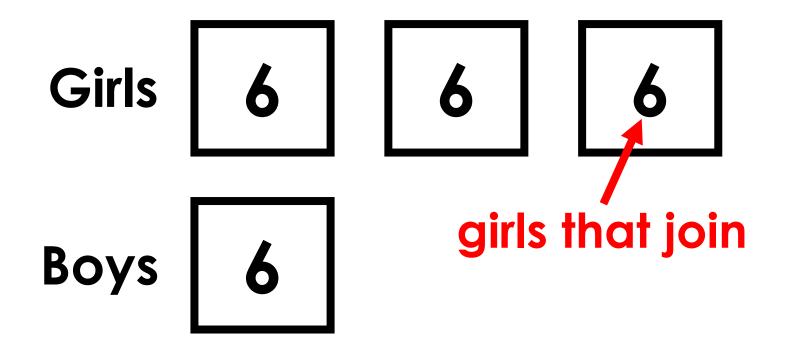


For every boy there are three girls.



#### Task 19: Athletics club ratios

## Athletics Club, Week 2:

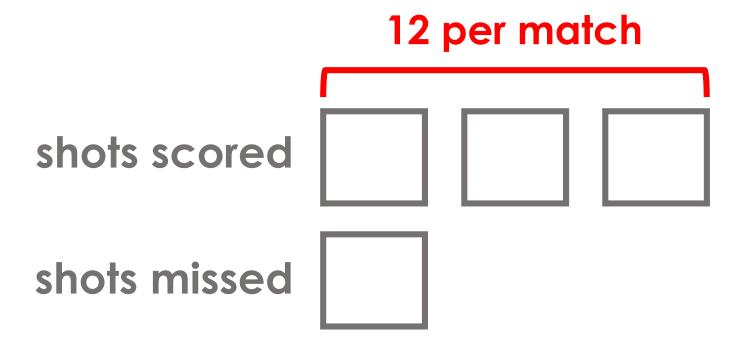


For every boy there are three girls.

There are 24 children at athletics club.



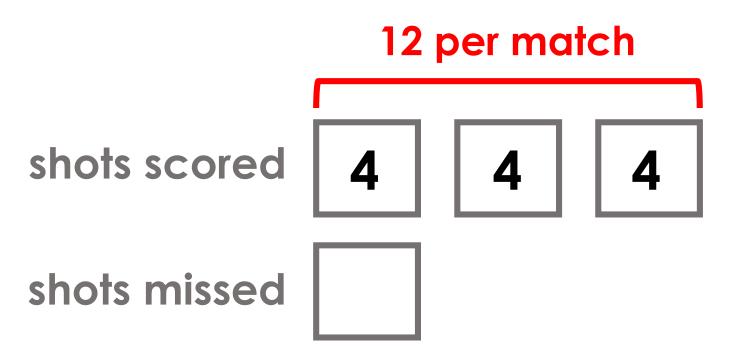
Julia's average shots per match:







Julia's average shots per match:

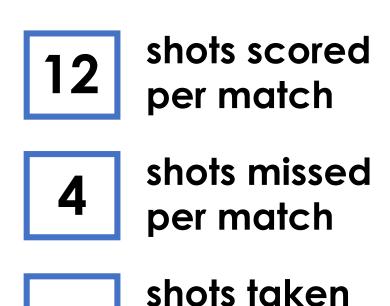






Julia's average shots per match:





per match



Julia's average shots per match:



- shots scored per match
- shots missed per match
- 16 shots taken per match



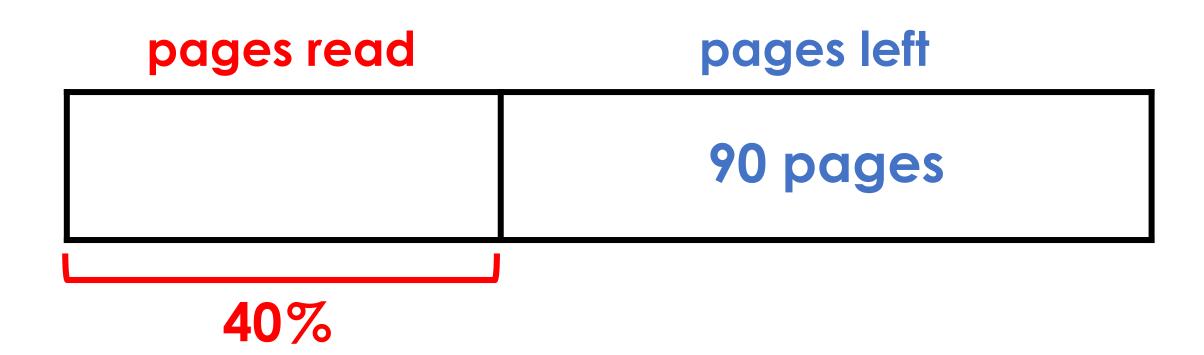
Julia's average shots per match:



- shots scored per match
- shots missed per match
- 16 shots taken per match
- 16 shots per match × 12 matches
- = 192 shots in the season

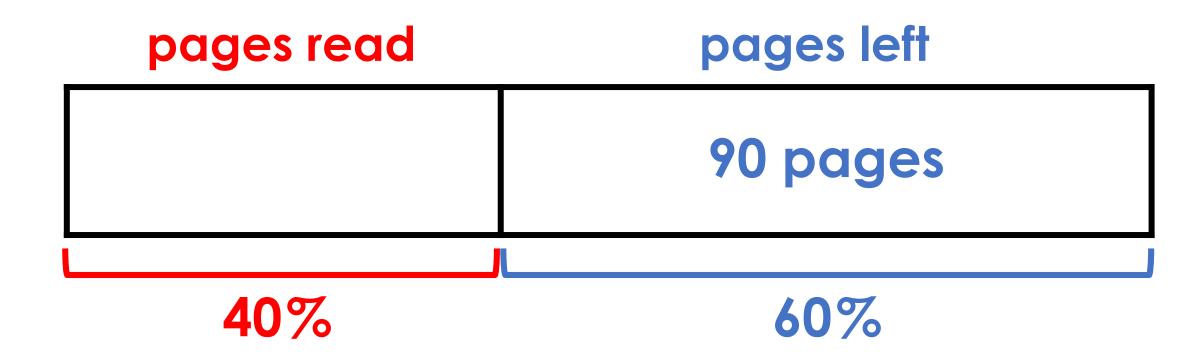


## Task 21: Pages read, pages left



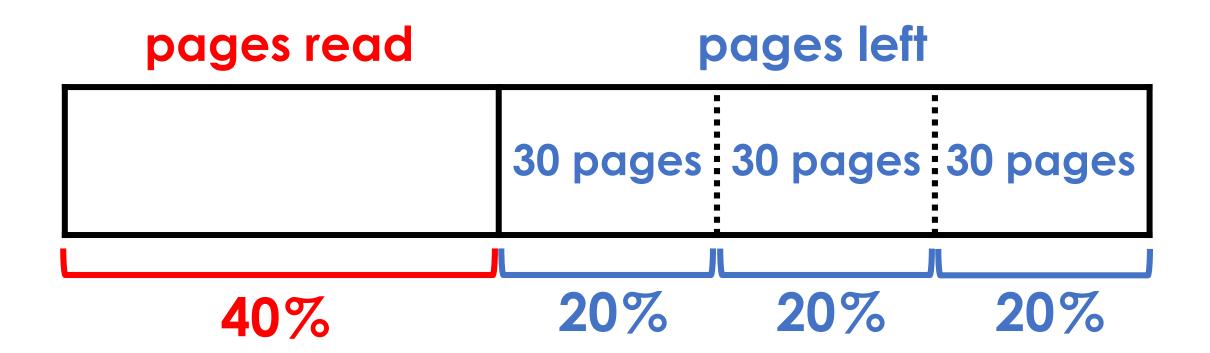


## Task 21: Pages read, pages left



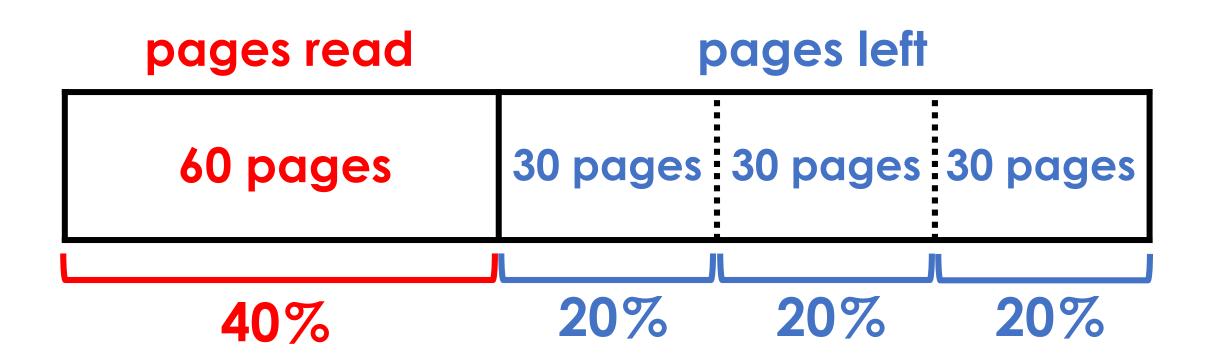


## Task 21: Pages read, pages left





## Task 21: Pages read, pages left



# 60 pages have been read



## Task 22: Clothes shop sales



£32 £24

sale price



## Task 22: Clothes shop sales



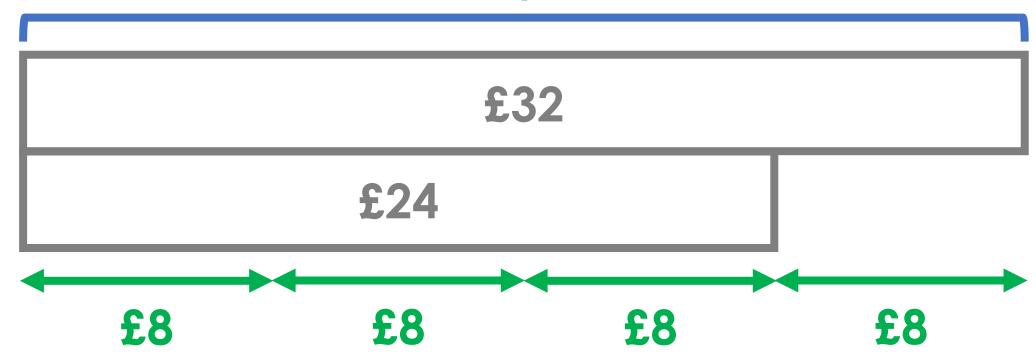
£8 off in the sale.

Next step: £8 is what fraction of £32?



## Task 22: Clothes shop sales

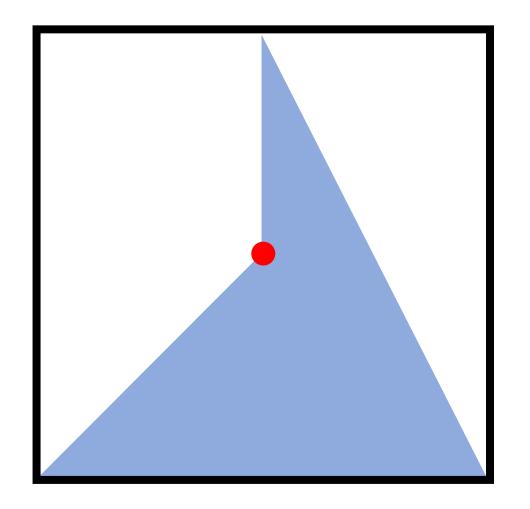




£8 is one-quarter of £32. One-quarter is 25%.

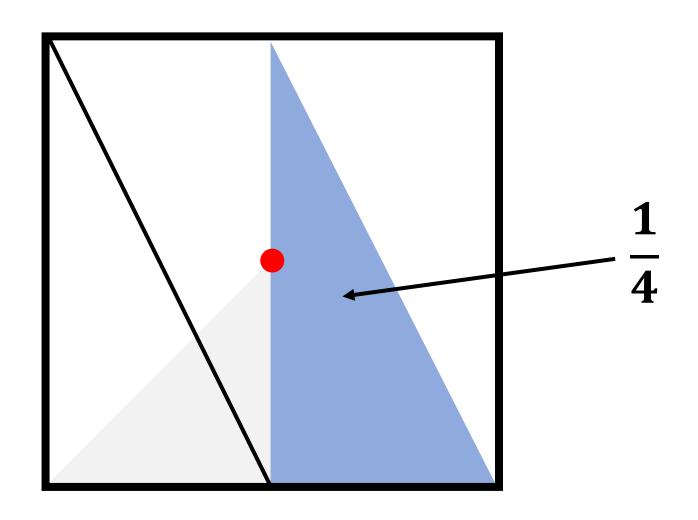
There is 25% off in the sale.



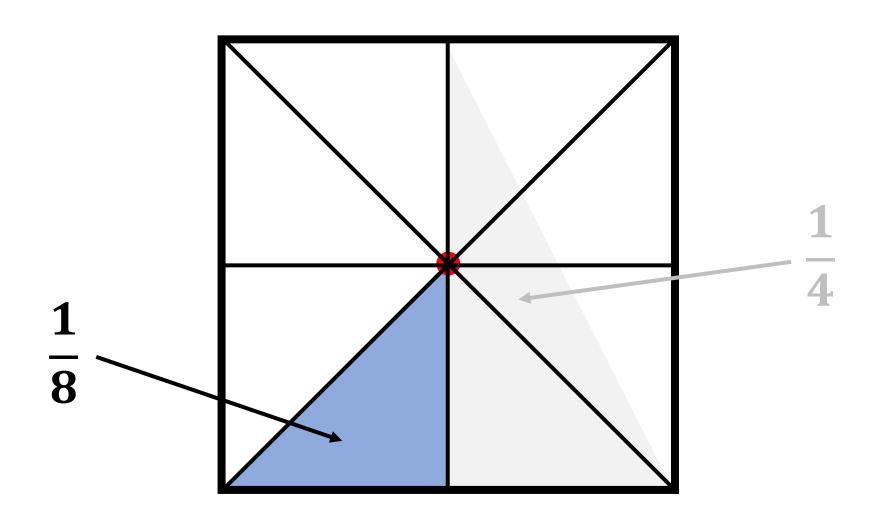


Split blue shape into sections

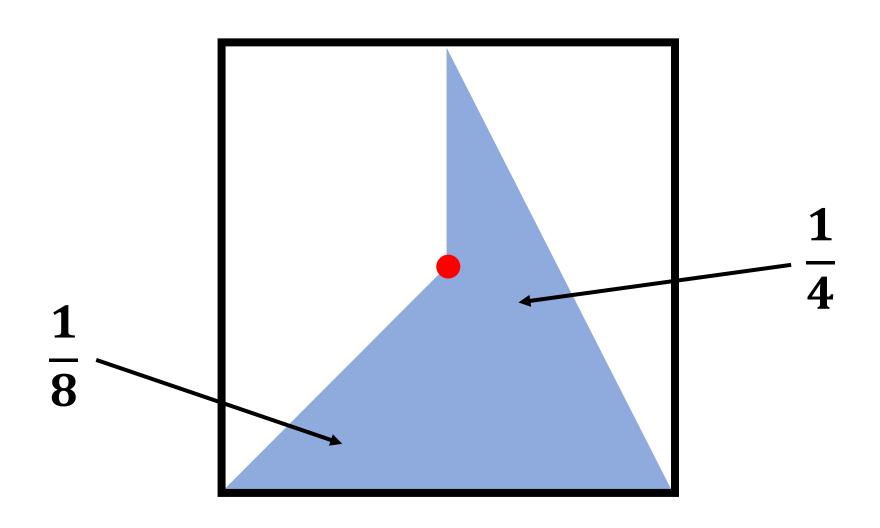












$$\frac{1}{8} + \frac{1}{4} = \frac{3}{8}$$



$$\frac{\boxed{\phantom{0}}}{6} + \frac{1}{\boxed{\phantom{0}}} = \frac{\boxed{\phantom{0}}}{3}$$



$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$
Find all the ways to make  $\frac{1}{3}$ 



$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$
Find all the ways to make  $\frac{1}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$



$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$
This is the only way to make  $\frac{1}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$



$$\frac{\Box}{6} + \frac{1}{\Box} = \frac{2}{3}$$
Find all the ways to make  $\frac{2}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$



$$\frac{1}{6} + \frac{1}{2} = \frac{2}{3}$$
Find all the ways to make  $\frac{2}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3} \qquad \frac{1}{6} + \frac{1}{2} = \frac{2}{3}$$



$$\frac{2}{6} + \frac{1}{3} = \frac{2}{3}$$
Find all the ways to make  $\frac{2}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3} \qquad \frac{1}{6} + \frac{1}{2} = \frac{2}{3} \qquad \frac{2}{6} + \frac{1}{3} = \frac{2}{3}$$



$$\frac{3}{6} + \frac{1}{6} = \frac{2}{3}$$
Find all the ways to make  $\frac{2}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3}$$

$$\frac{1}{6} + \frac{1}{2} = \frac{2}{3}$$

$$\frac{2}{6} + \frac{1}{3} = \frac{2}{3}$$

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3} \qquad \frac{1}{6} + \frac{1}{2} = \frac{2}{3} \qquad \frac{2}{6} + \frac{1}{3} = \frac{2}{3} \qquad \frac{3}{6} + \frac{1}{6} = \frac{2}{3}$$



$$\frac{3}{6} + \frac{1}{6} = \frac{2}{3}$$
These are all the ways ways to make  $\frac{2}{3}$ 

$$\frac{1}{6} + \frac{1}{6} = \frac{1}{3} \qquad \frac{1}{6} + \frac{1}{2} = \frac{2}{3} \qquad \frac{2}{6} + \frac{1}{3} = \frac{2}{3} \qquad \frac{3}{6} + \frac{1}{6} = \frac{2}{3}$$



# Example answer 1:

$$\frac{3}{\Box} + \frac{\Box}{\Box} = 1 \frac{1}{4}$$

 $\frac{1}{4}$ 



$$\frac{3}{4} + \frac{\square}{\square} = 1 \frac{1}{4}$$

1			$\frac{1}{4}$
	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$

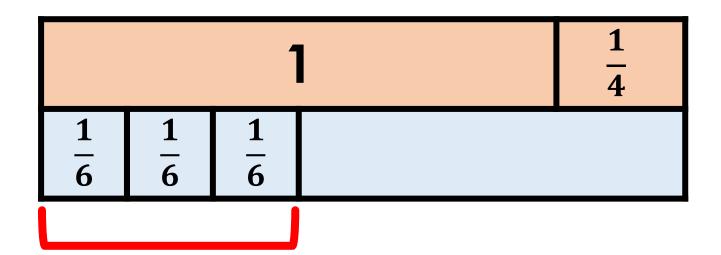


$$\frac{3}{4} + \frac{1}{2} = 1 - \frac{1}{4}$$

1			$\frac{1}{4}$
$\frac{1}{2}$	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$



$$\frac{3}{6} + \frac{1}{6} = 1 \frac{1}{4}$$





$$\frac{3}{6} + \frac{3}{4} = 1 - \frac{1}{4}$$

1				$\frac{1}{4}$	
$\frac{1}{6}$	$\frac{1}{6}$	$\frac{1}{6}$	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$
	J		<u> </u>	•	

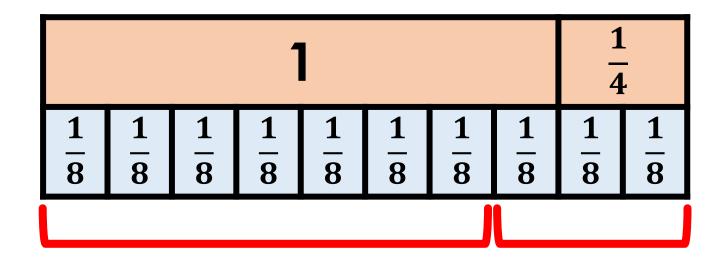


$$\frac{3}{8} + \frac{\square}{\square} = 1 \frac{1}{4}$$



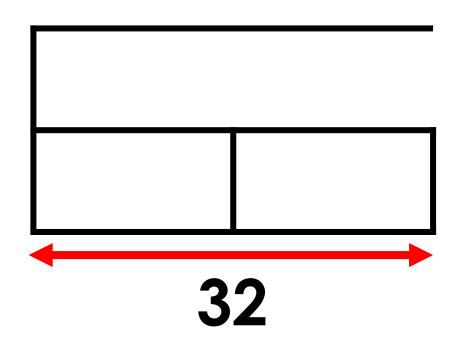


$$\frac{3}{8} + \frac{7}{8} = 1 - \frac{1}{4}$$



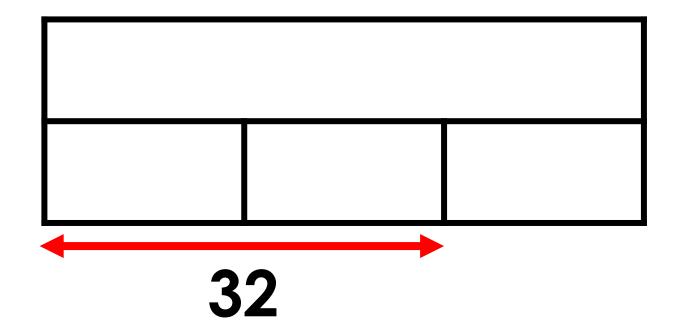


$$\frac{2}{\prod} \text{ of } \boxed{} = 32$$



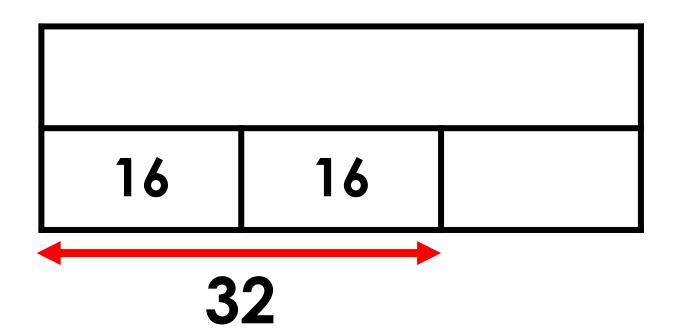


$$\frac{2}{3} \text{ of } \boxed{\phantom{0}} = 32$$



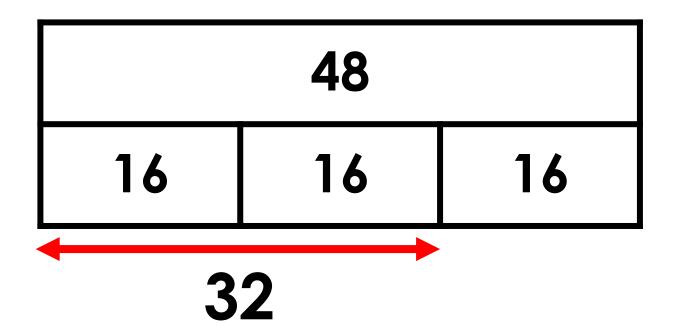


$$\frac{2}{3} \text{ of } \boxed{\phantom{0}} = 32$$



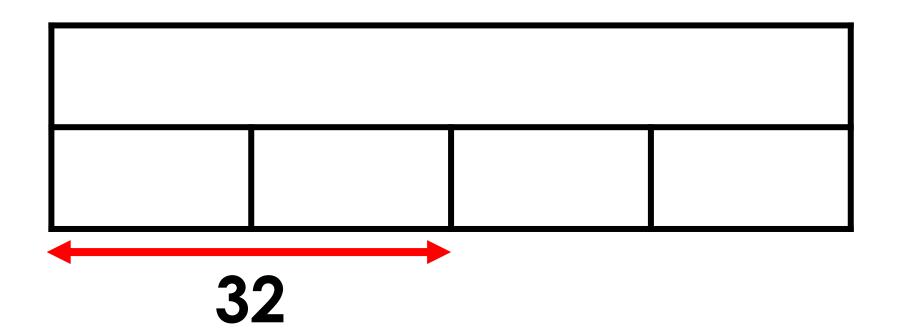


$$\frac{2}{3} \quad \text{of} \quad \boxed{48} = 32$$



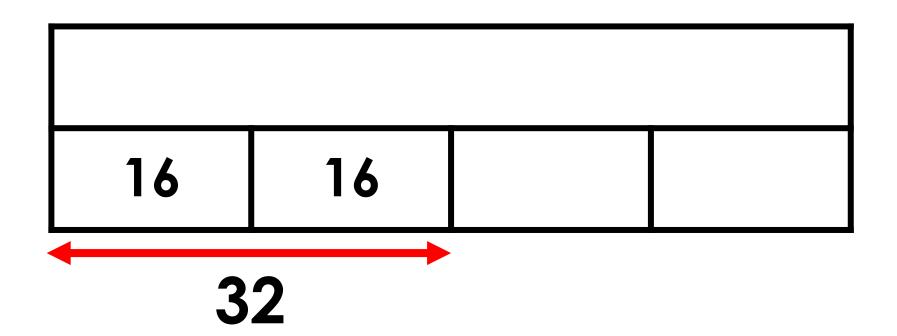


$$\frac{2}{4} \text{ of } = 32$$



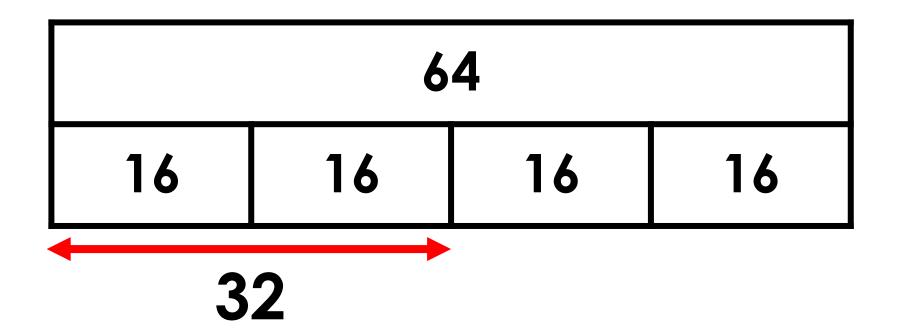


$$\frac{2}{4} \text{ of } = 32$$



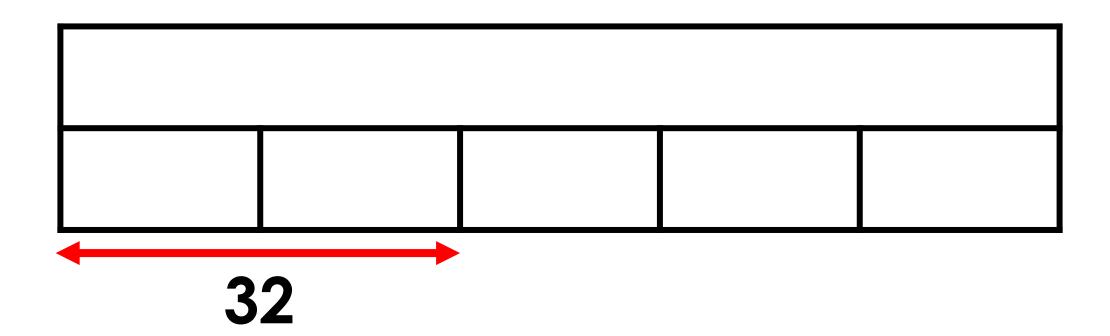


$$\frac{2}{4} \text{ of } \boxed{64} = 32$$



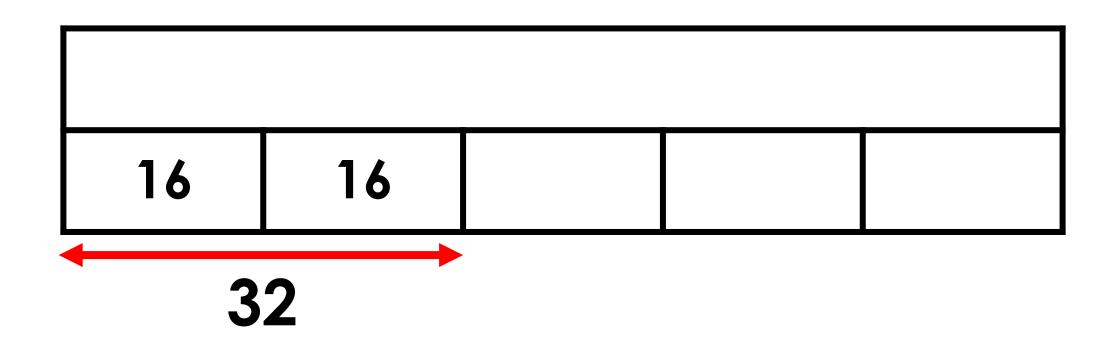


$$\frac{2}{5} \text{ of } \boxed{\phantom{0}} = 32$$



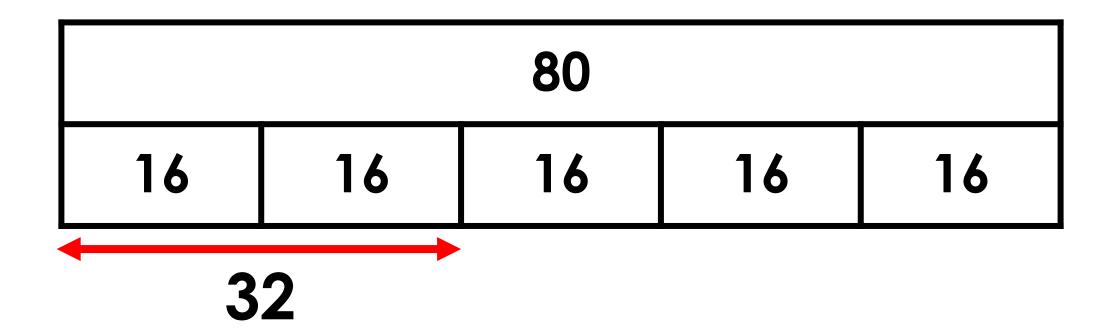


$$\frac{2}{5} \text{ of } \boxed{} = 32$$





$$\frac{2}{5} \quad \text{of} \quad \boxed{80} = 32$$





# Task 27: Improper fractions

Can it be 
$$\frac{17}{5} = 2 \frac{\square}{\square}$$
fifths?



$$\frac{17}{5} = 2\frac{\square}{\square}$$

		1		
1	1	1	1	1
<del>-</del> 5				

		1		
1	1	1	1	1
<del>-</del> 5				

		1		
1	1	1	1	1
<del>-</del> 5	<del>-</del> 5	<del>-</del> 5	<del>-</del> 5	<del>-</del> 5

$$\begin{array}{c|c}
1 & 1 \\
\hline
5 & 5
\end{array}$$

$$\frac{17}{5} = 3\frac{2}{5}$$

**NOT** a solution



Can it be sixths? 
$$\frac{17}{6} = 2 \frac{\square}{\square}$$



Can it be 
$$\frac{17}{6} = 2 \frac{5}{6}$$
sixths?

		•			
1	1_	1_	1	1	1
$\frac{1}{6}$	<del>-</del> 6	<del>-</del> 6	$\frac{1}{6}$	$\frac{1}{6}$	<del>-</del> 6

		4			
1	1	1	1	1	1
<u>-</u> 6	$\frac{1}{6}$	<u></u>	<del>-</del> 6	<del>-</del> 6	<del>-</del> 6

$$\frac{17}{6}$$
 =  $2\frac{5}{6}$ 

### Solution 1



Can it be 
$$\frac{17}{7} = 2 \frac{\square}{\square}$$
 sevenths?



Can it be 
$$\frac{17}{7} = 2 \frac{3}{7}$$
sevenths?

$$\frac{17}{7} = 2\frac{3}{7}$$

Solution 2



Can it be eighths? 
$$\frac{17}{8} = 2 \frac{\square}{\square}$$



Can it be eighths? 
$$\frac{17}{8} = 2 \frac{11}{8}$$

			•				
1	1	1	1	1	1	1	1
8	8	8	8	8	8	8	$\frac{1}{8}$

			•				
1	1	1	1	1	1	1	1
$\frac{1}{8}$	$\frac{1}{8}$	8	8	8	$\frac{1}{8}$	$\frac{1}{8}$	$\frac{1}{8}$

$$\frac{1}{8}$$

$$\frac{17}{8}$$
 =  $2\frac{1}{8}$ 

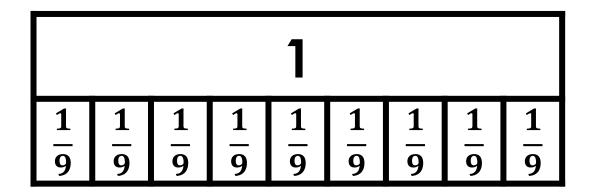
**Solution 3** 



Can it be ninths? 
$$\frac{17}{9} = 2 \frac{\square}{\square}$$



Can it be 
$$\frac{17}{19} = 2 \frac{\square}{\square}$$
ninths?



$$\frac{17}{9} = 1\frac{8}{9}$$

### **NOT** a solution



# Example answer 1:

$$\frac{\square}{\square} \times \square = 2\frac{1}{4}$$

1

1

 $\frac{1}{4}$ 



# Example answer 1:

$$\frac{\boxed{1}}{\boxed{4}} \times \boxed{} = 2\frac{1}{4}$$

1

 $\frac{1}{4}$ 



# Example answer 1:

$$\frac{\boxed{1}}{\boxed{4}} \times \boxed{9} = 2\frac{1}{4}$$

	1		
1	1	1	1
<b>4</b>	$\frac{-}{4}$	$\frac{-}{4}$	$\frac{-}{4}$

1	1	1	1
<b>4</b>	$\overline{4}$	$\frac{\overline{4}}{4}$	<b>4</b>

1
$\frac{1}{4}$
1
<b>-</b>



# Example answer 2:

$$\frac{\boxed{3}}{\boxed{4}} \times \boxed{ } = 2 \frac{1}{4}$$

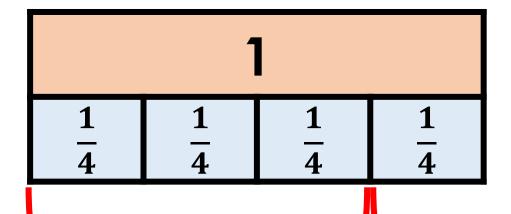
1

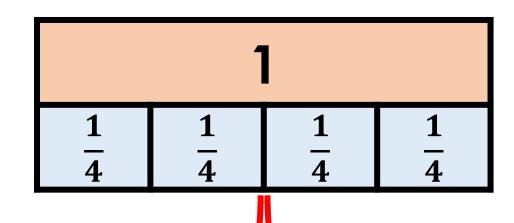
 $\frac{1}{4}$ 



# Example answer 2:

$$\frac{\boxed{3}}{\boxed{4}} \times \boxed{3} = 2\frac{1}{4}$$





1	
$\overline{4}$	
1	
$\frac{-}{4}$	



# Example answer 3:

$$\frac{3}{8} \times \Box = 2\frac{1}{4}$$

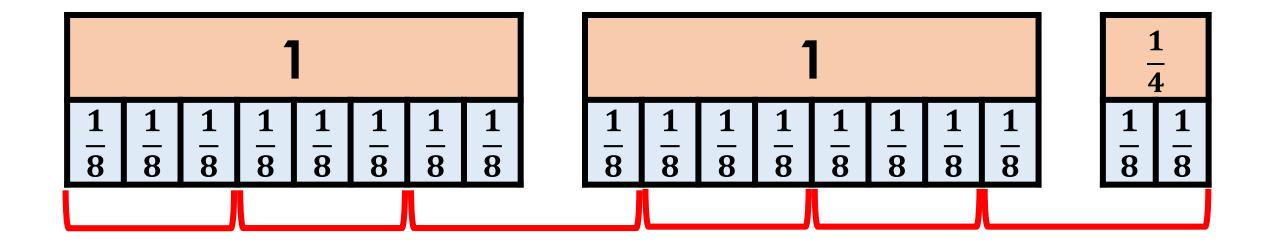
1

 $\frac{1}{4}$ 

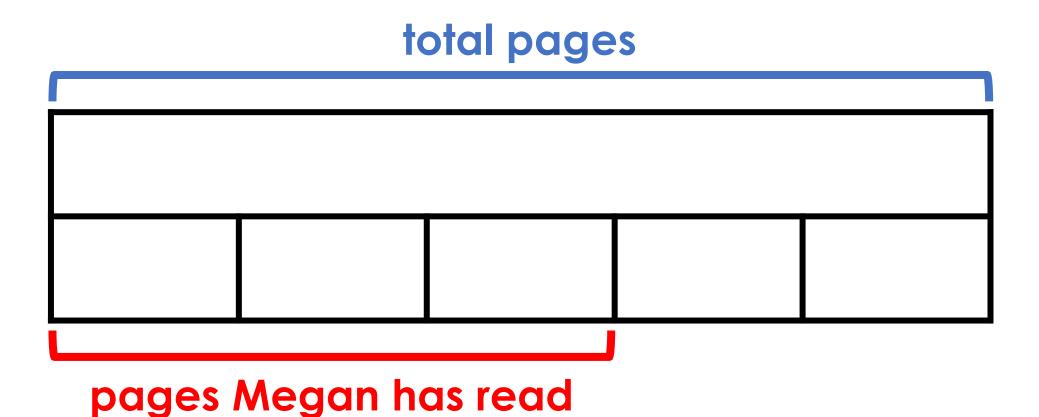


# Example answer 3:

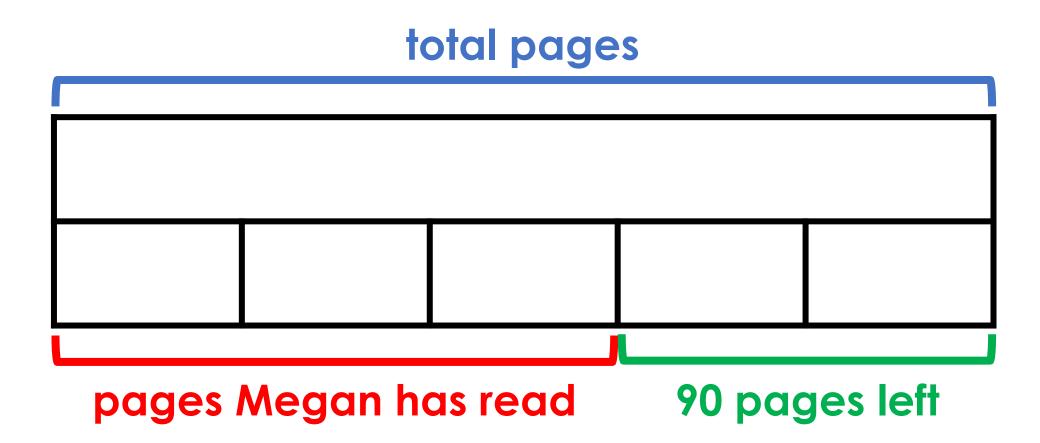
$$\frac{3}{8} \times 6 = 2\frac{1}{4}$$



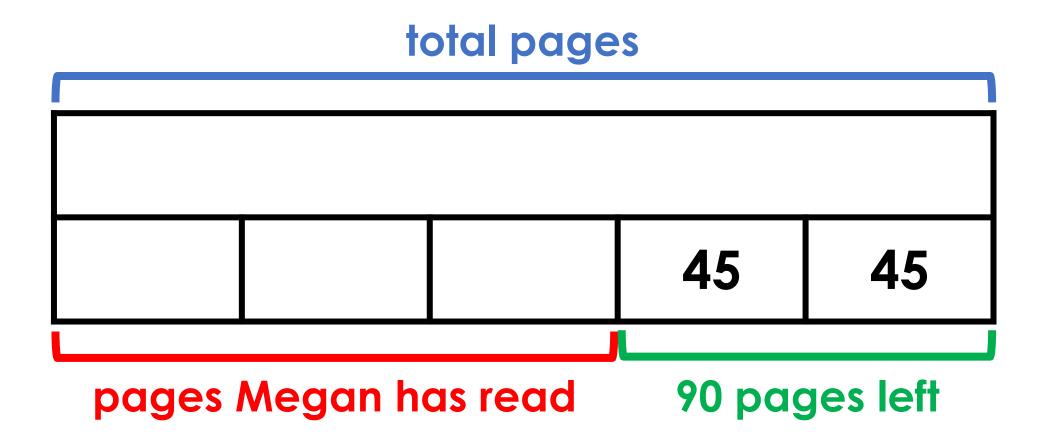




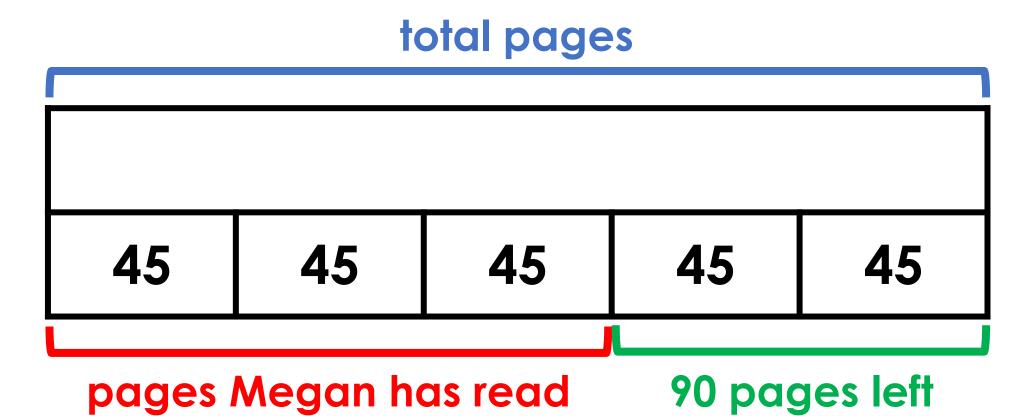






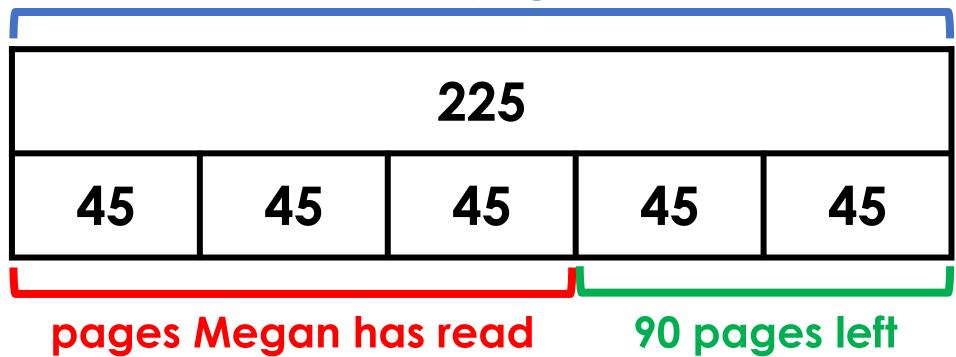






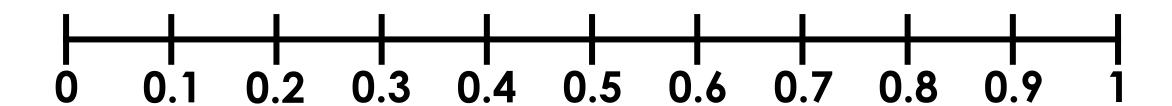




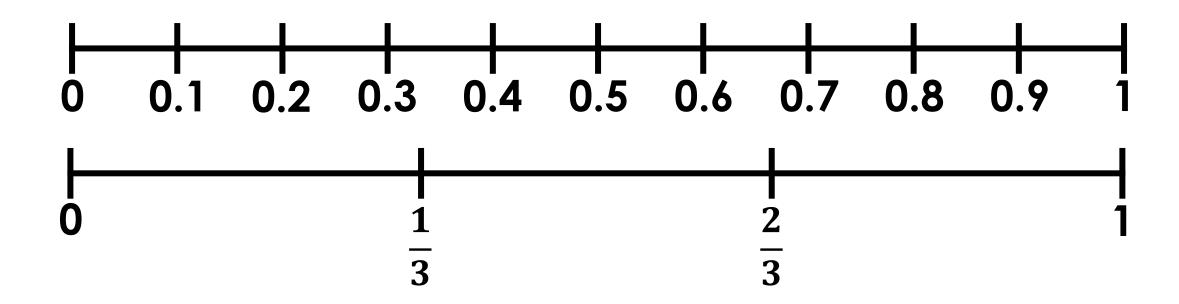


Megan's book is 225 pages long.

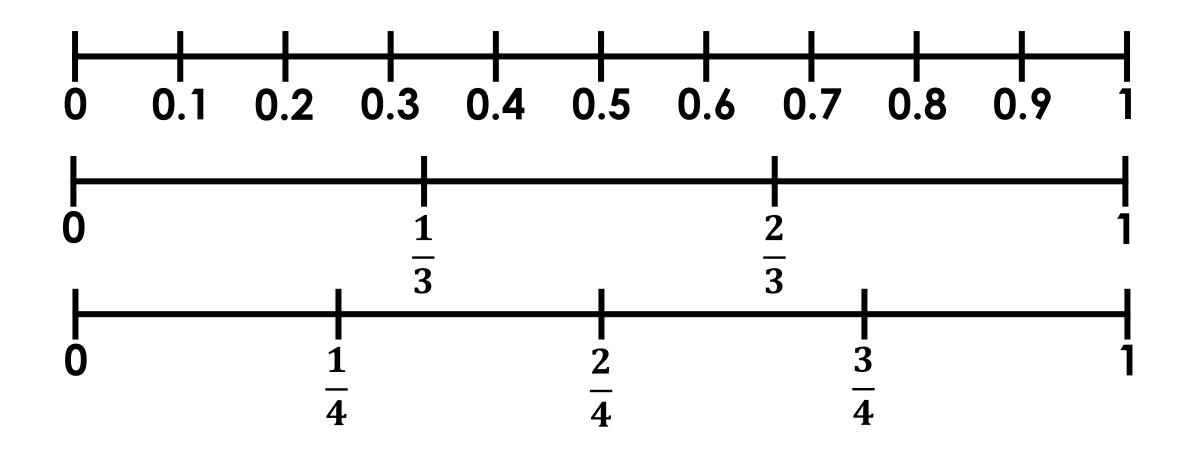




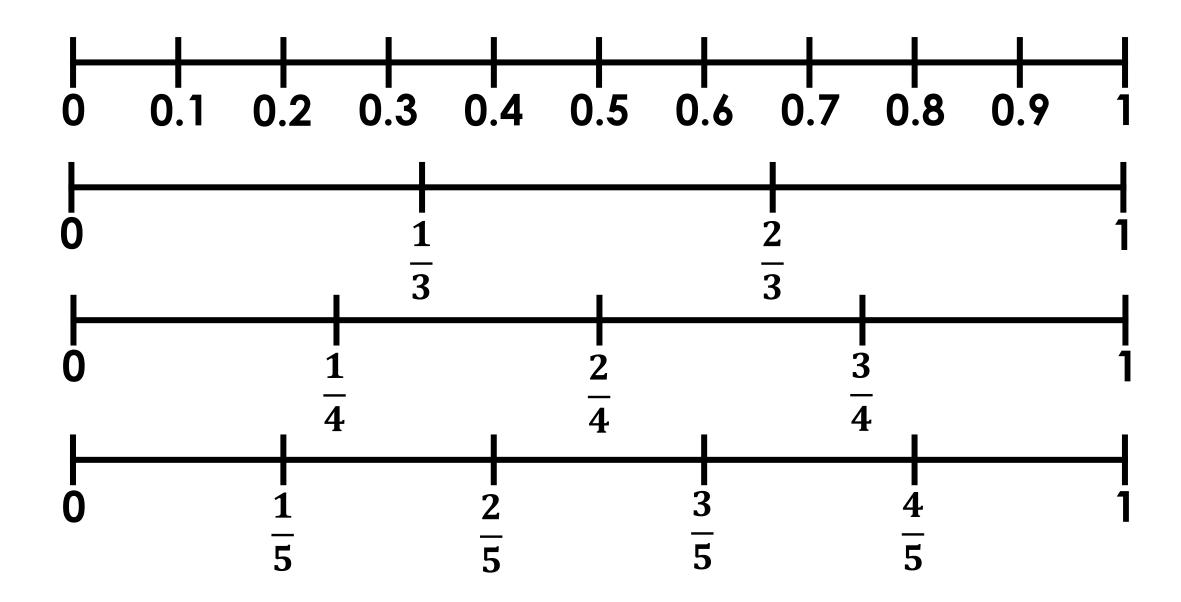




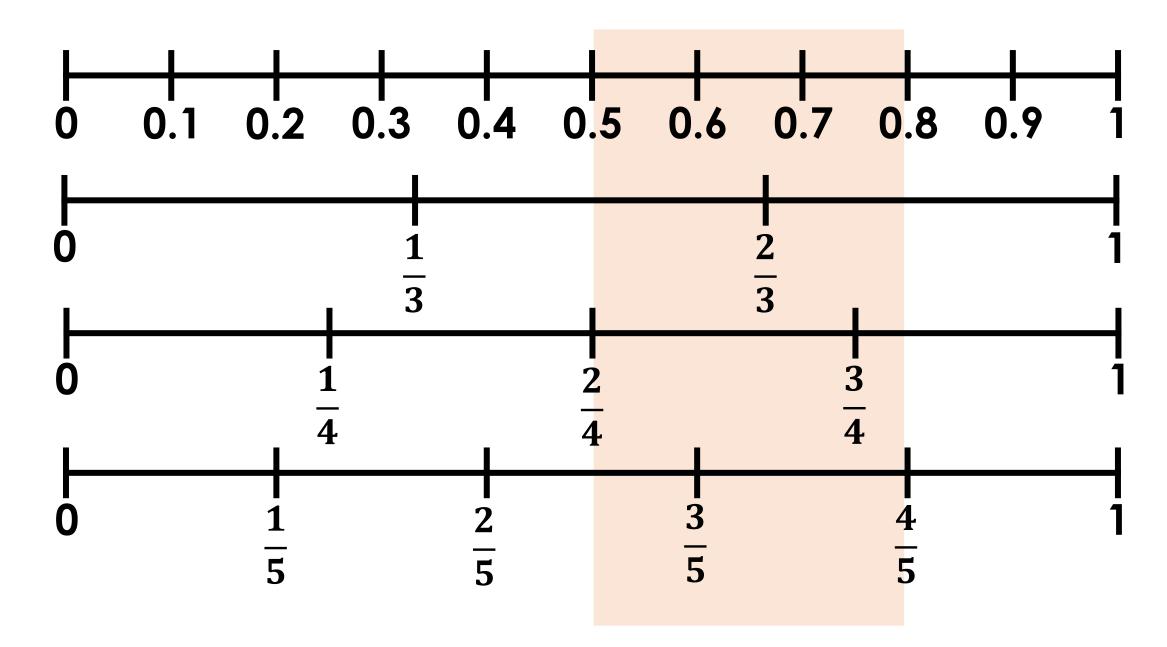




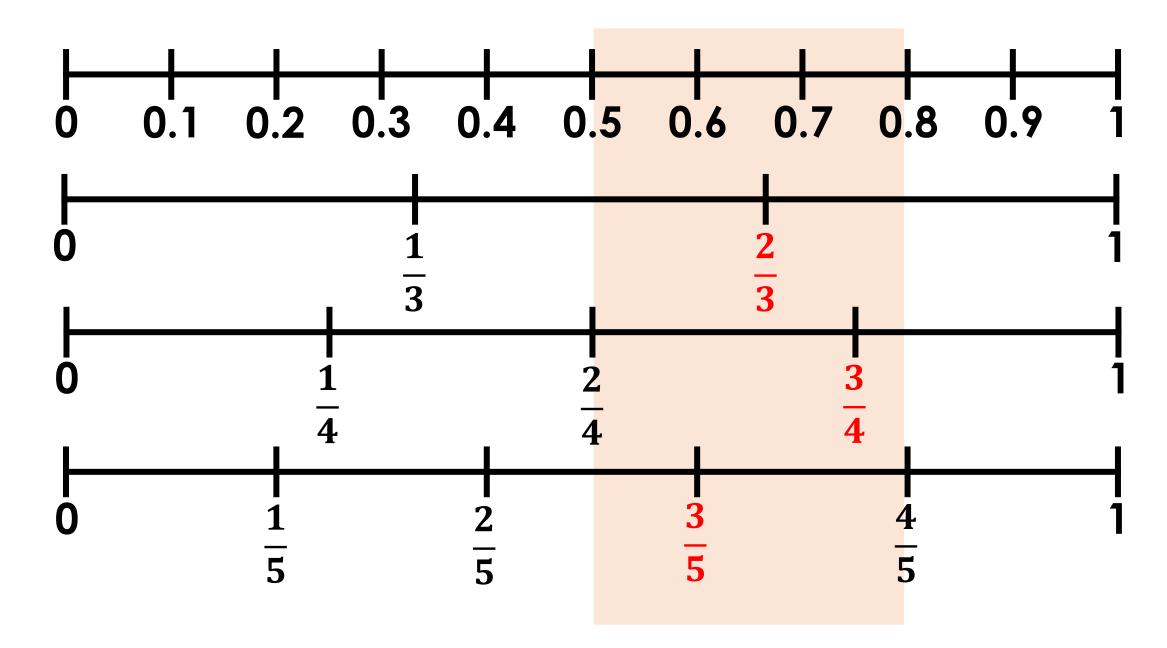






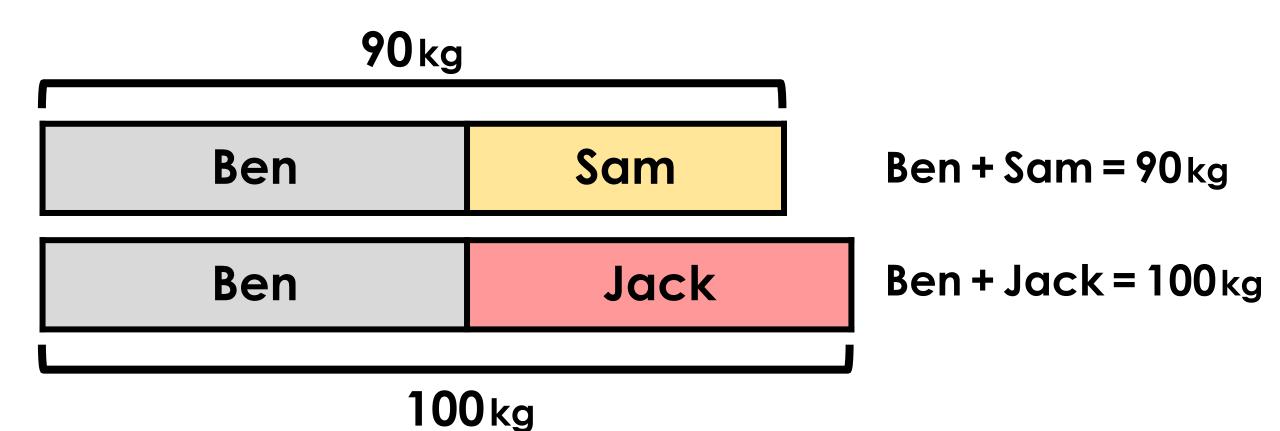




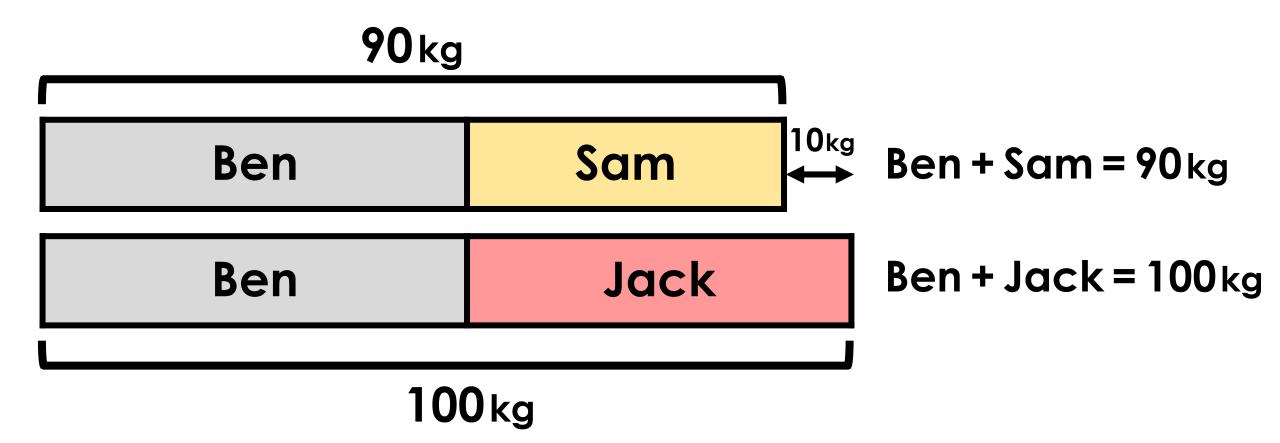


More than 0.5 and less than 0.8:  $\frac{2}{3}$   $\frac{3}{4}$   $\frac{3}{5}$ 



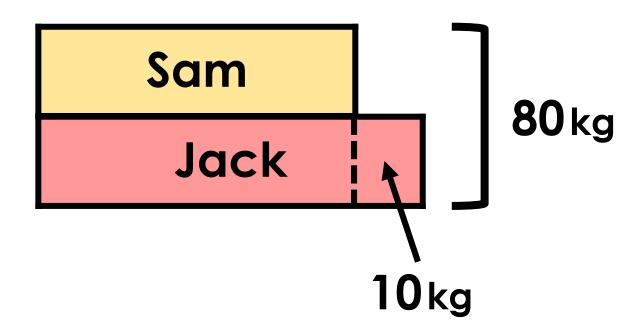






Jack weighs 10kg more than Sam.

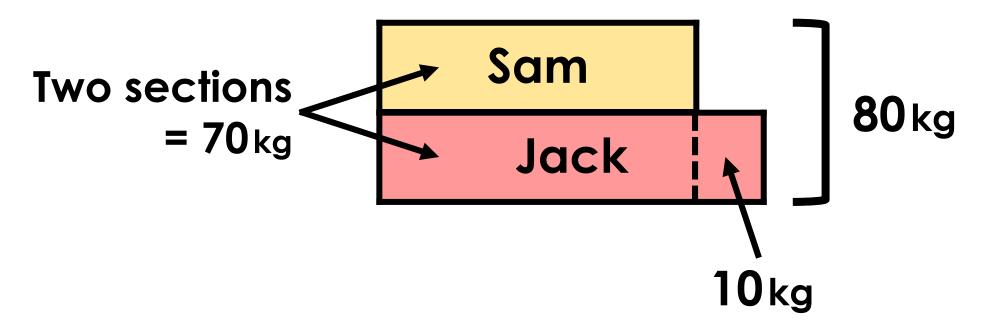




Jack weighs 10kg more than Sam.

Sam and Jack weigh 80kg in total.

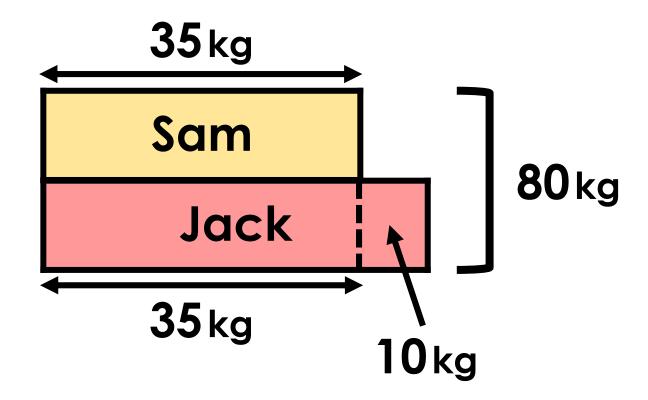




Jack weighs 10kg more than Sam.

Sam and Jack weigh 80kg in total.



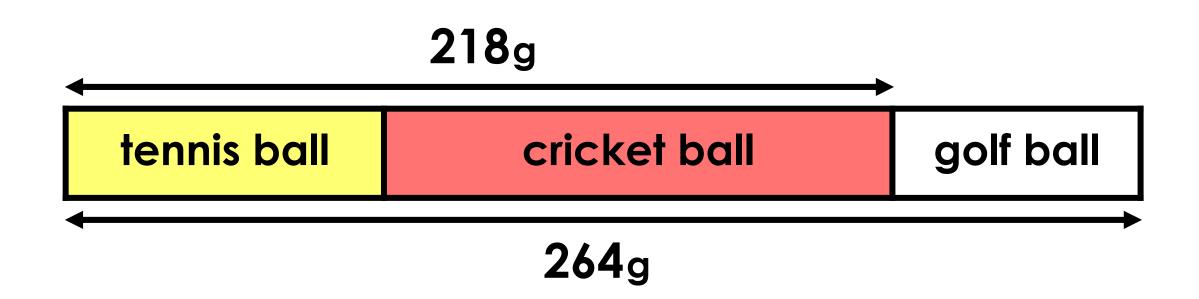


# Sam weighs 35kg

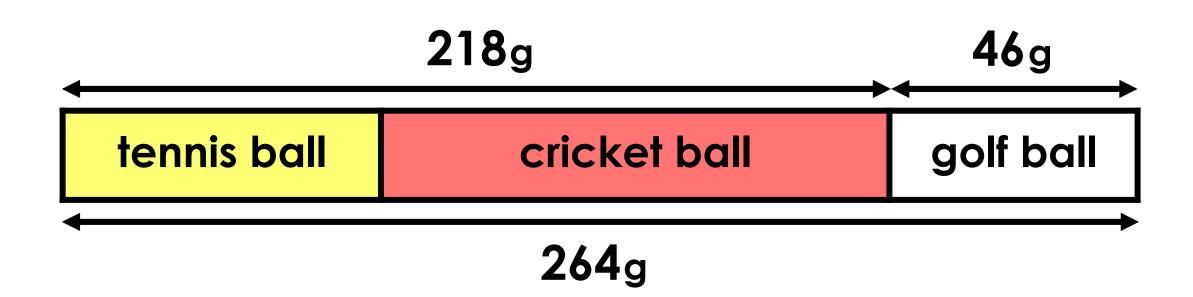
Jack weighs 10kg more than Sam.

Sam and Jack weigh 80kg in total.



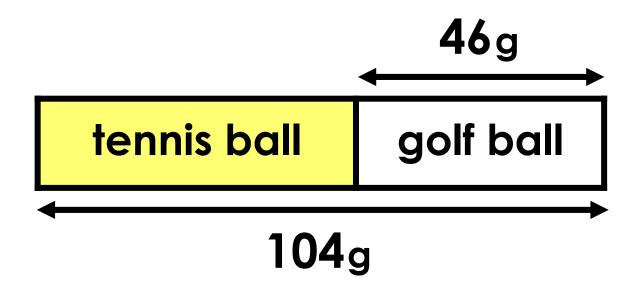




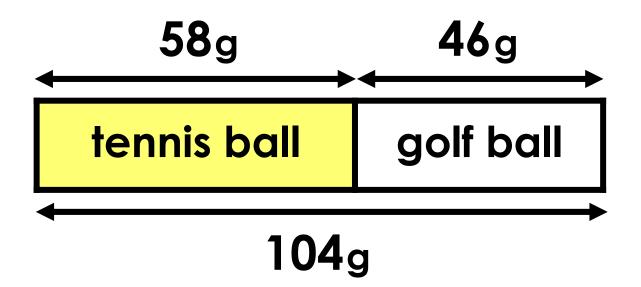


# A golf ball weighs 46g





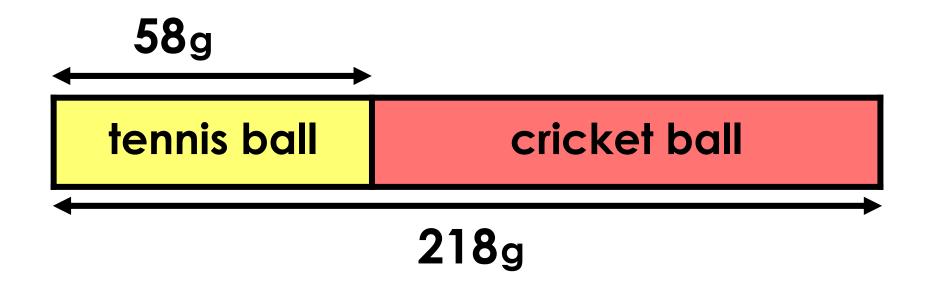




# A tennis ball weighs 58g

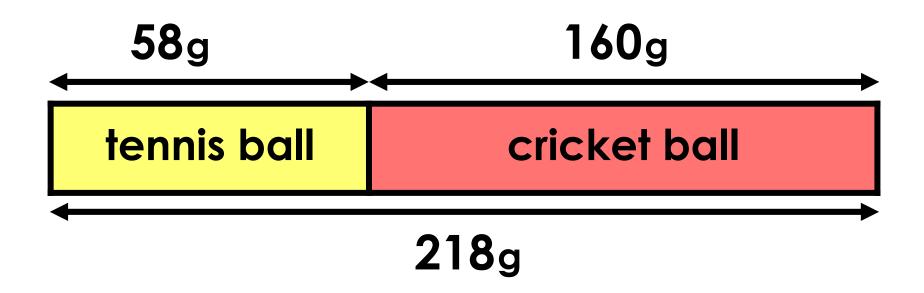


## Task 32: Sports ball weights



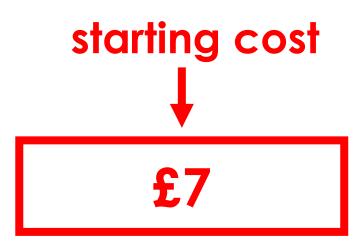


#### Task 32: Sports ball weights



# A cricket ball weighs 160g











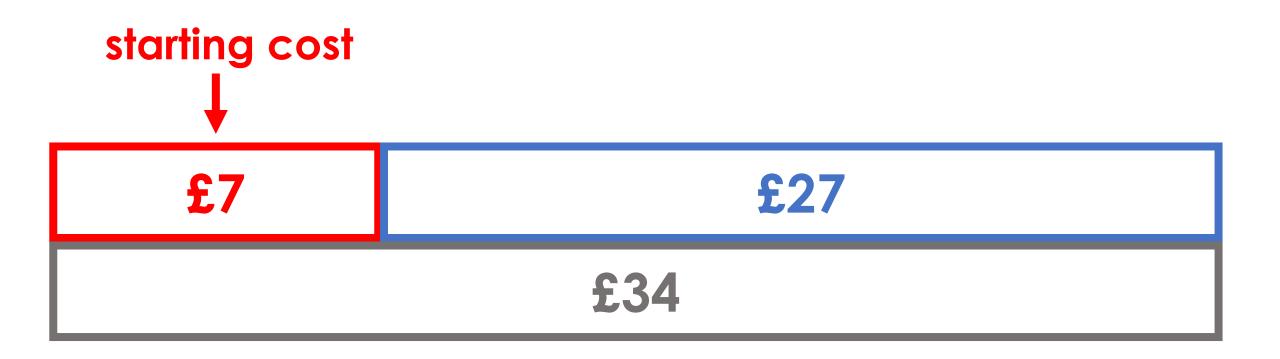


Total cost = 
$$£25$$

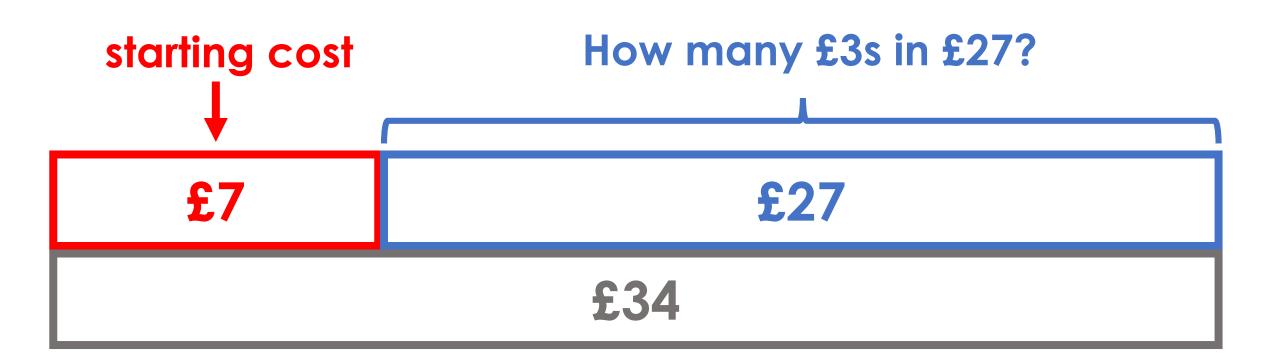




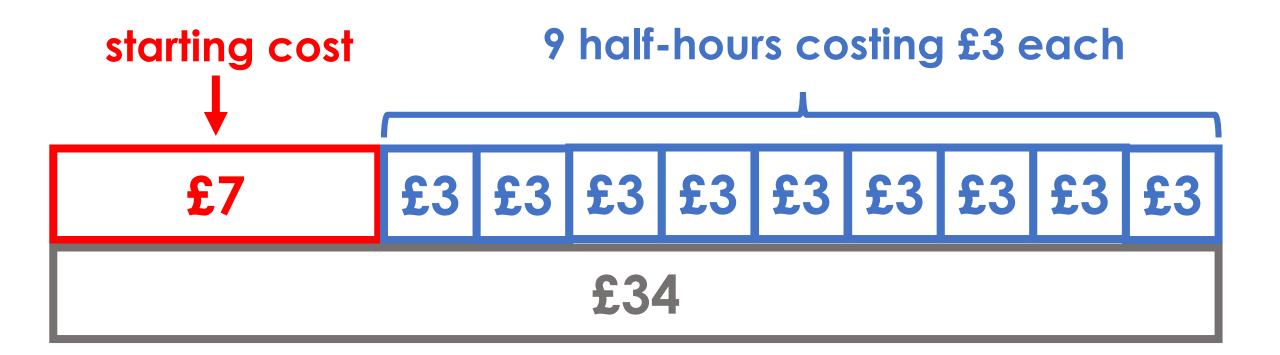




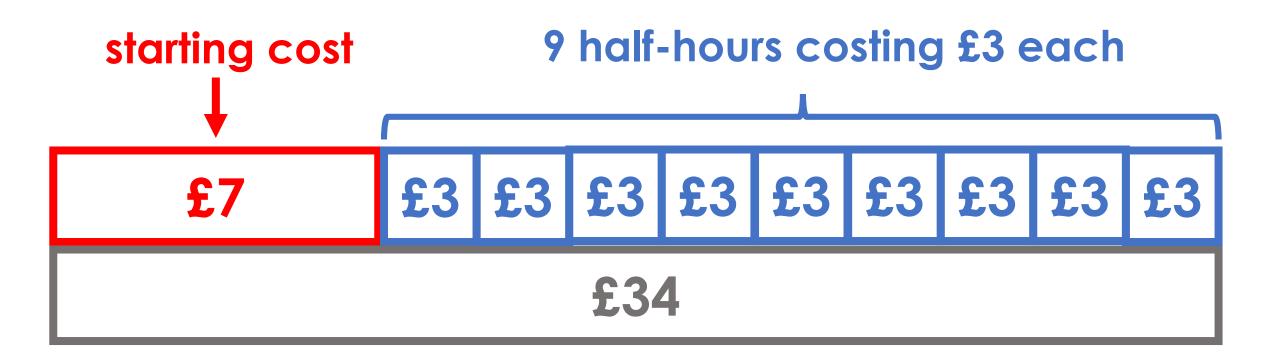








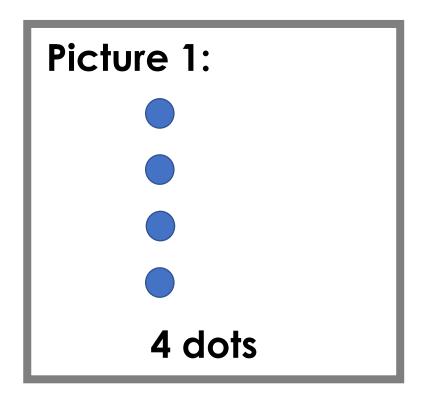


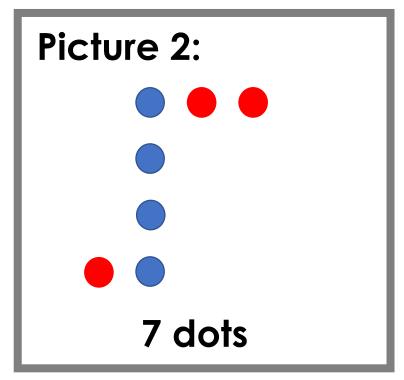


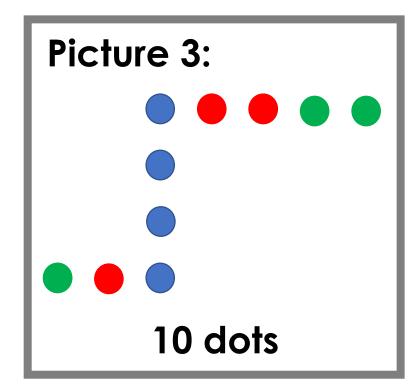
Jack goes surfing for 
$$4\frac{1}{2}$$
 hours



#### Method 1:

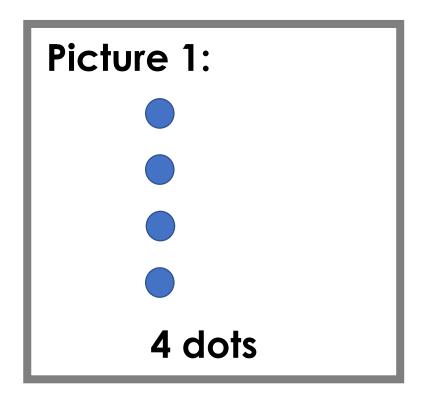




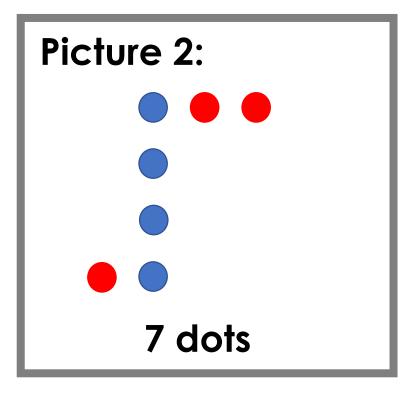


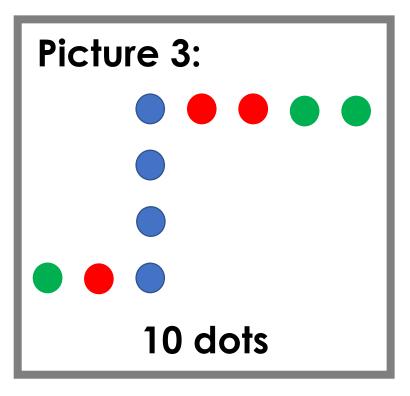


Method 1: 4 dots plus 3 more dots each picture



4 dots

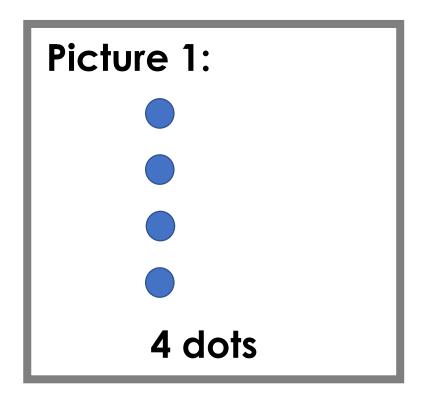




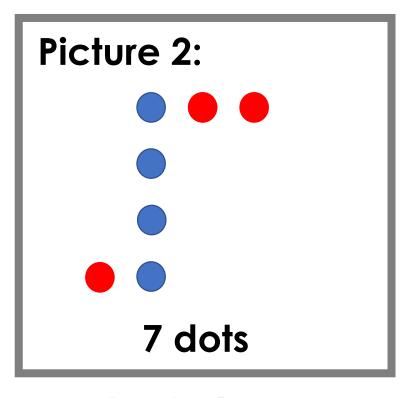
$$4+3+3$$
 dots  
 $4+2\times3$  dots



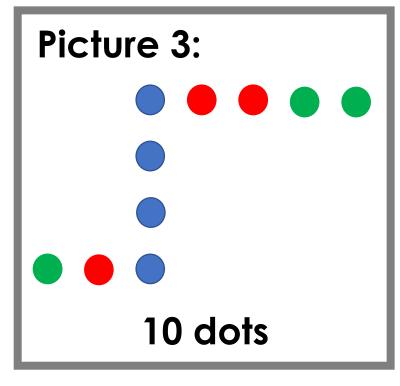
Method 1: 4 dots plus 3 more dots each picture



4 dots



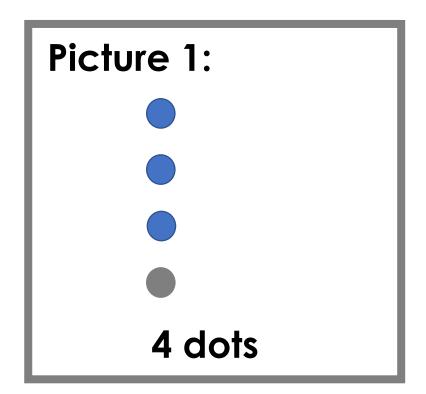
4 + 3 dots 4 + 1 × 3 dots

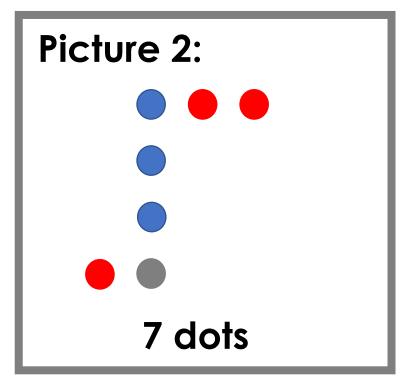


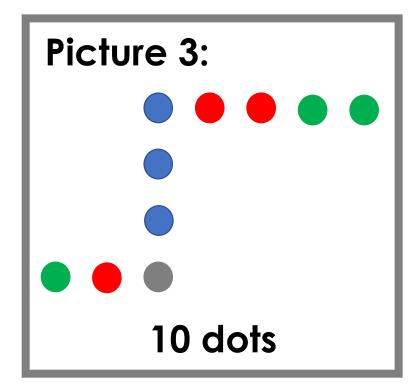
4+3+3 dots  $4+2\times3$  dots



#### Method 2:

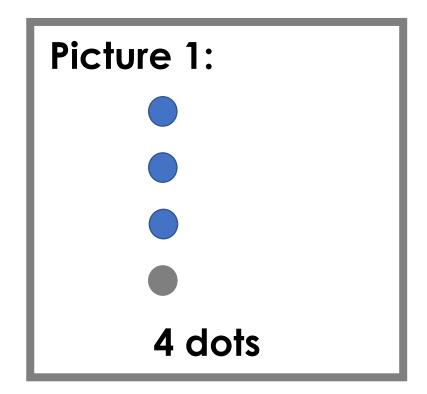




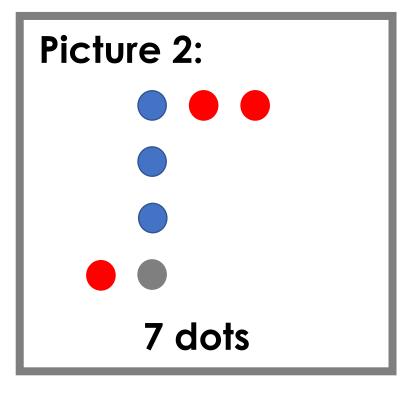




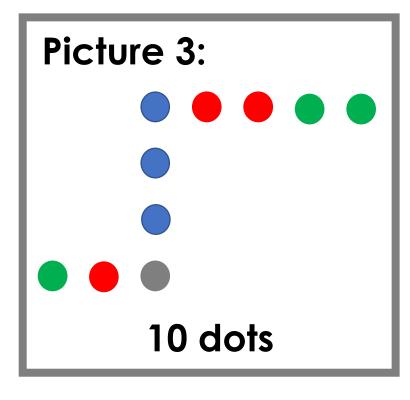
## Method 2: 3 more dots each picture plus 1







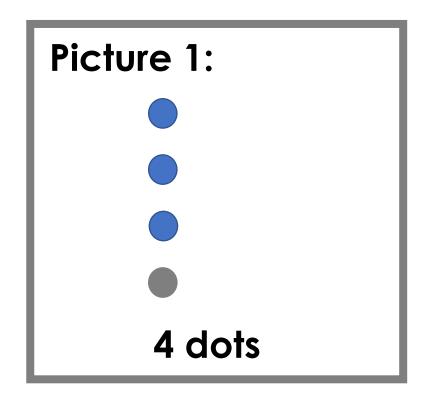
$$1 + 2 \times 3$$
 dots



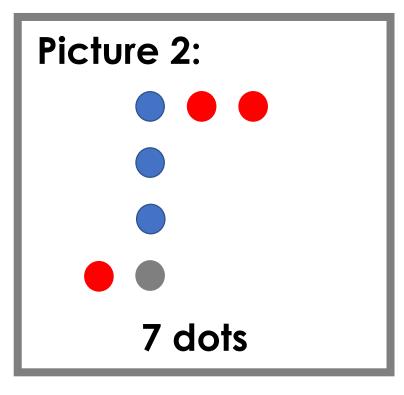
$$1 + 3 \times 3$$
 dots



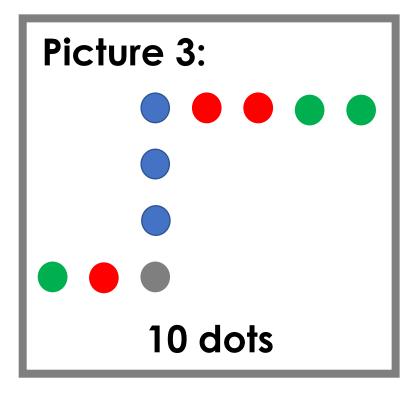
## Method 2: 3 more dots each picture plus 1







$$1 + 2 \times 3$$
 dots



$$1 + 3 \times 3$$
 dots

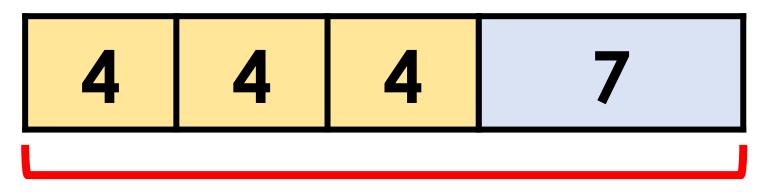


# Could the secret number be 4?

4 4 4 7



# Could the secret number be 4?



19

Less than 20.

The secret number is more than 4.

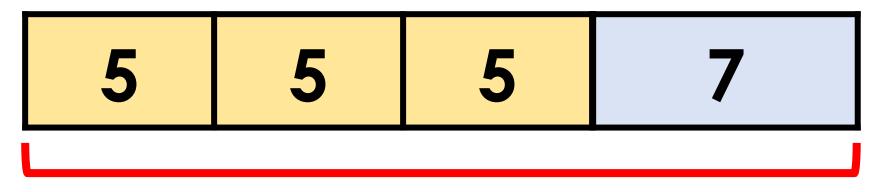


# Could the secret number be 5?

5 5 5 7



## Could the secret number be 5?



**22** 

The secret number could be 5.

Next try 6.

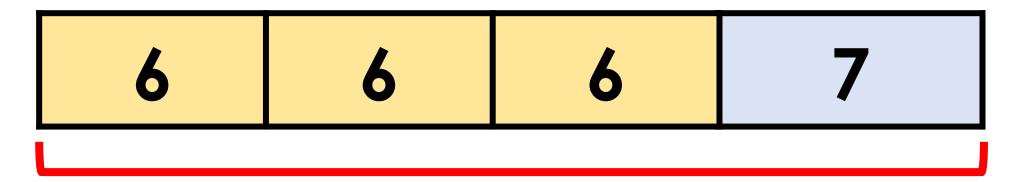


# Could the secret number be 6?

6 6 7



## Could the secret number be 6?



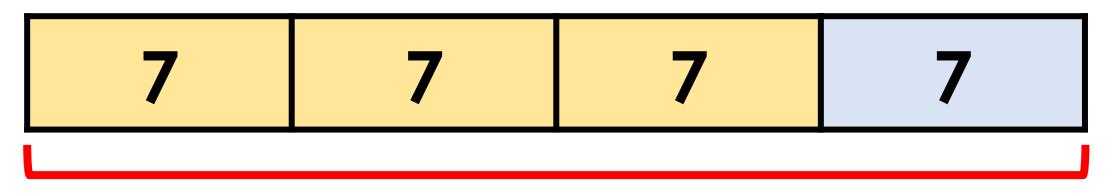
**25** 

The secret number could be 6.

Next try 7.



## Could the secret number be 7?



**28** 

The secret number could be 7.

Next try 8.



# Could the secret number be 8?

8 8 7



## Could the secret number be 8?

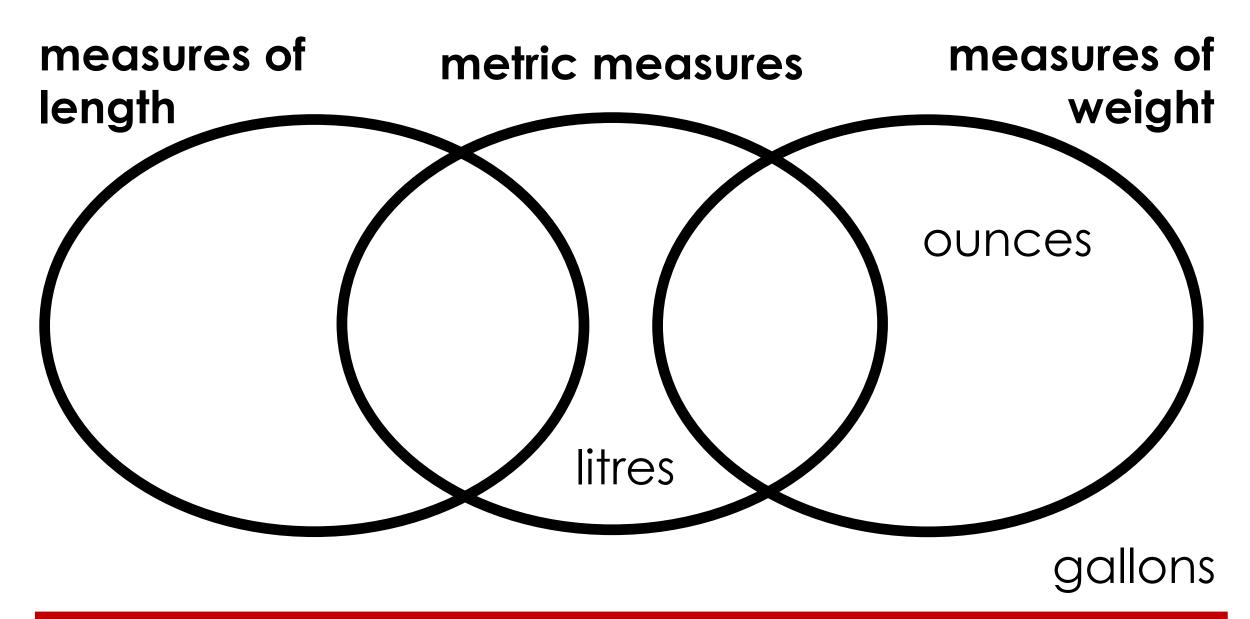
8 8 7

31

## More than 29.

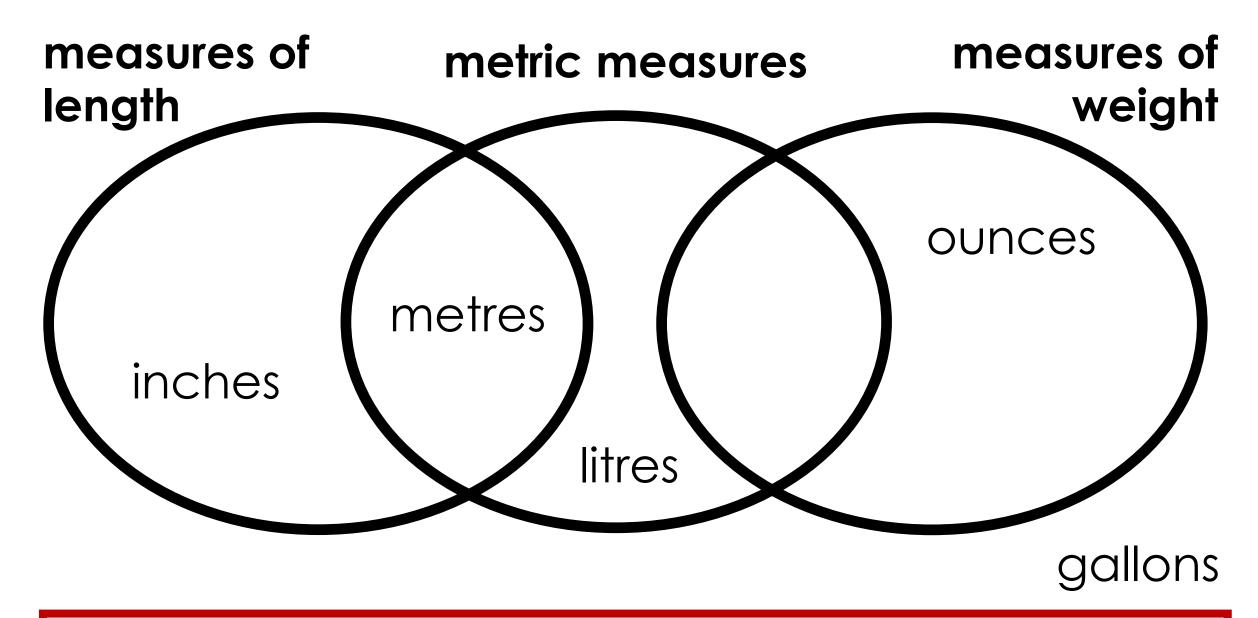
The secret number can be 5, 6 or 7.





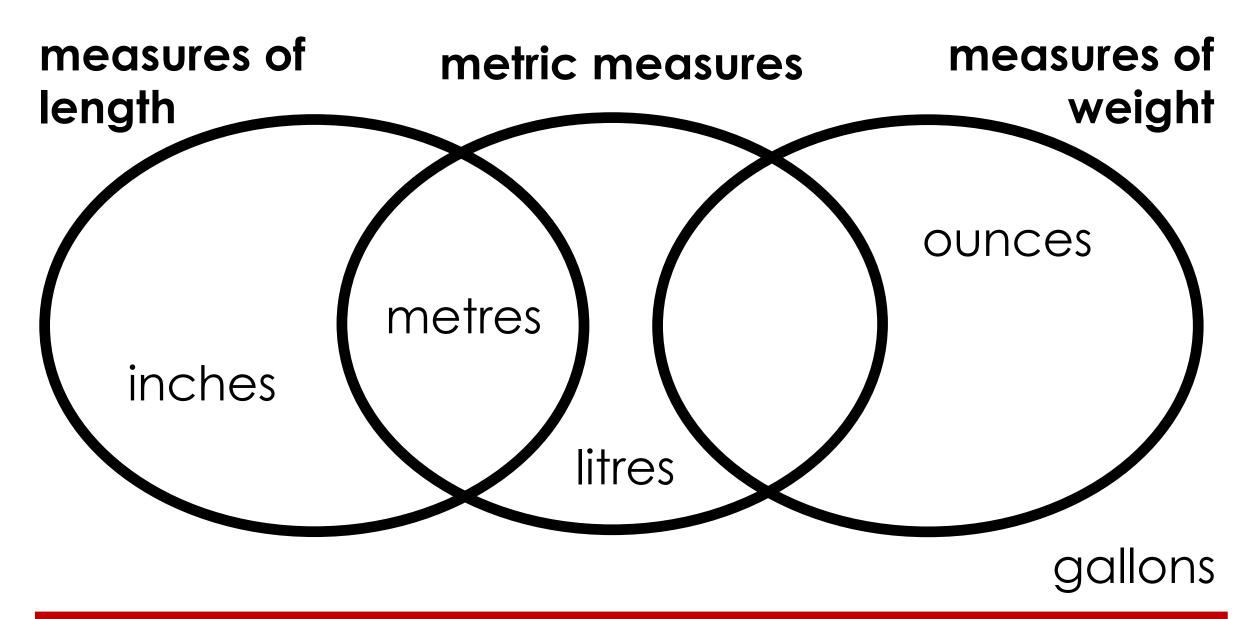
Position these measures: inches, metres





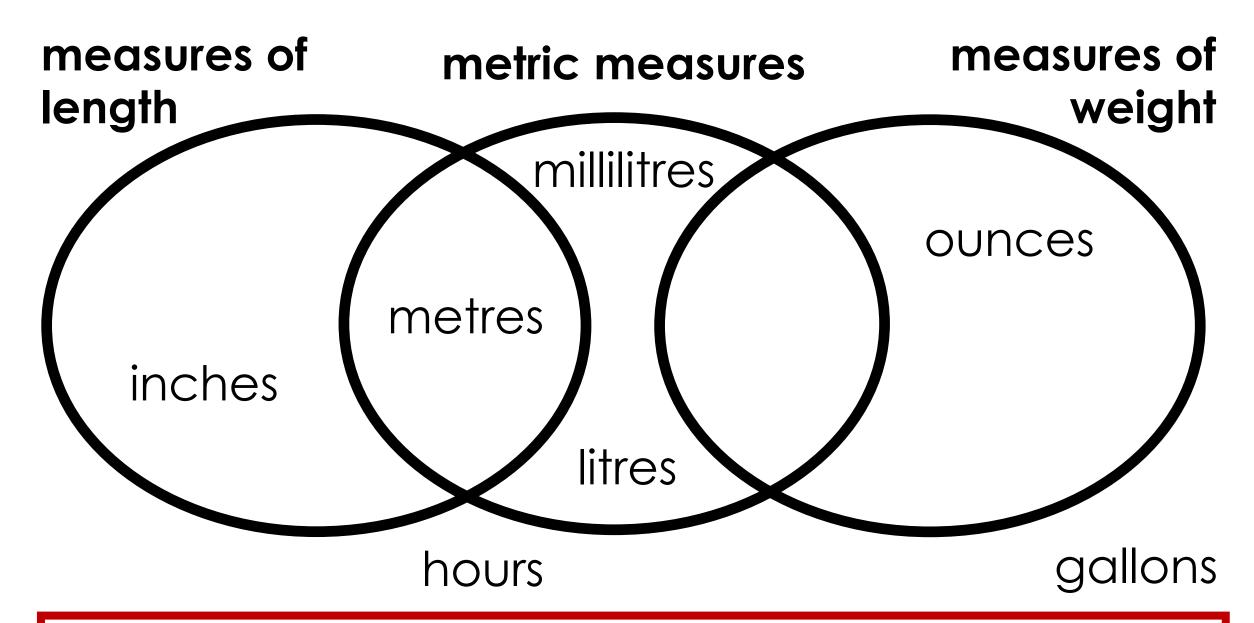
Position these measures: inches, metres





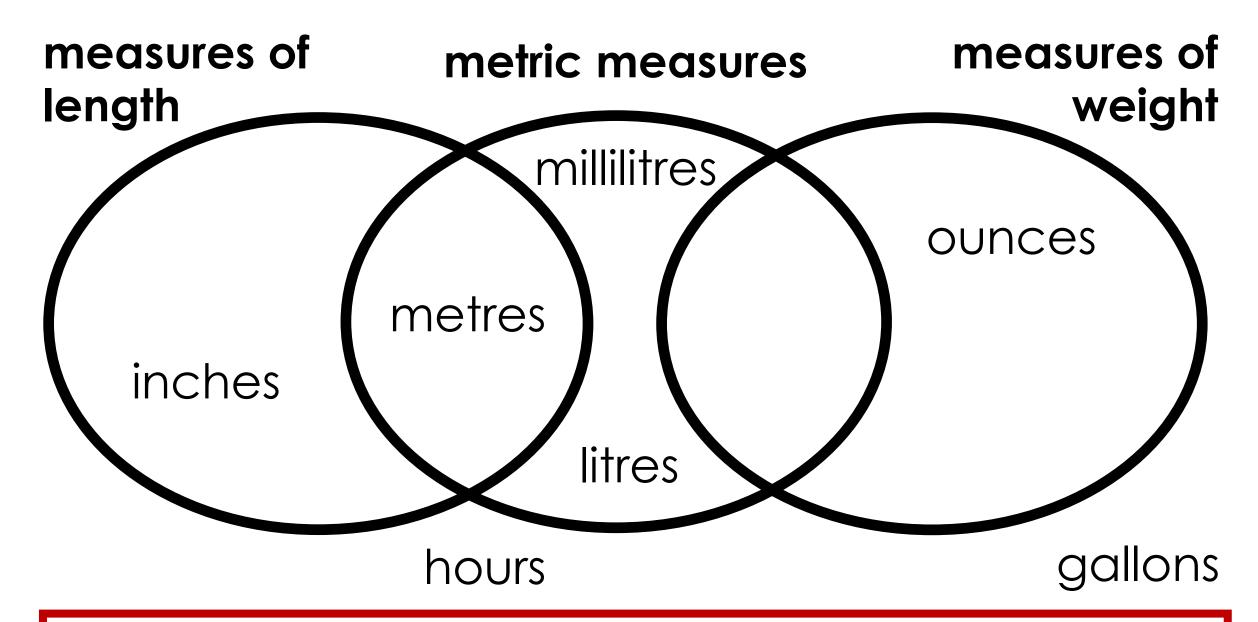
Position these measures: hours, millilitres (ml)





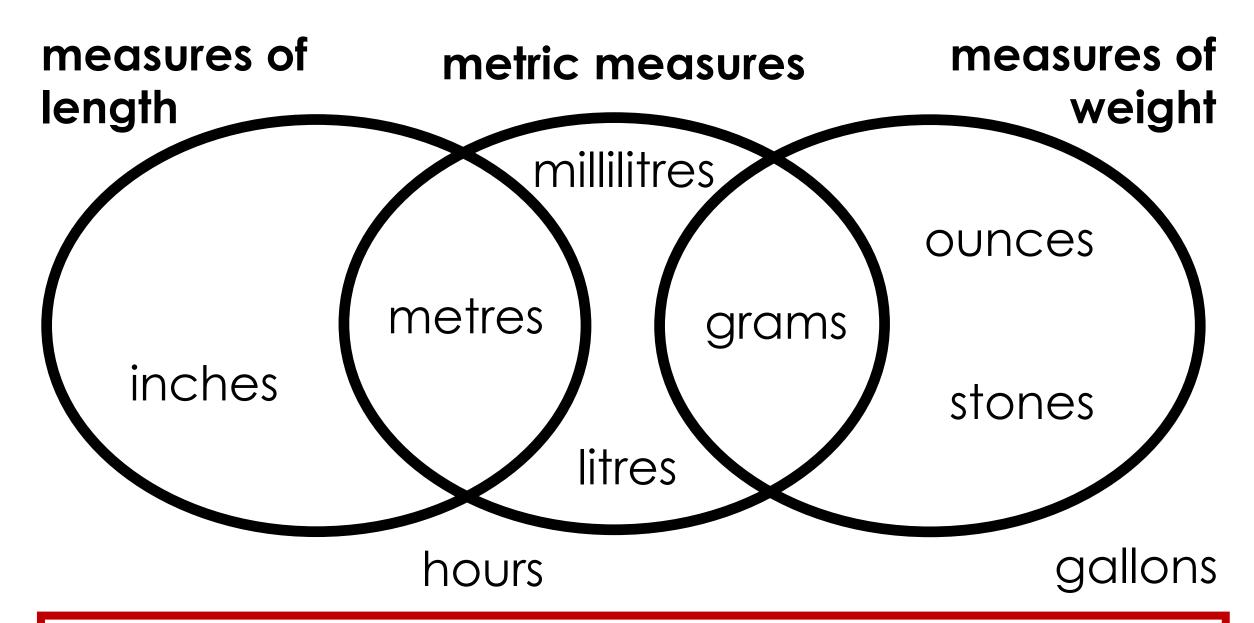
Position these measures: hours, millilitres (ml)





Position these measures: grams, stones





Position these measures: grams, stones



### **Example Method 1:**

$$\frac{3}{4}$$
 hour drive each way =  $1\frac{1}{2}$  hours driving per day



### **Example Method 1:**

$$\frac{3}{4}$$
 hour drive each way =  $1\frac{1}{2}$  hours driving per day

$$5 \text{ days} \times 1\frac{1}{2} \text{ hours} = 7\frac{1}{2} \text{ hours per week}$$

7 hours 30 minutes driving to work each week



### **Example Method 2:**

 $\frac{3}{4}$  hour drive each way, 10 journeys

$$\frac{3}{4} \times 10$$



### **Example Method 2:**

 $\frac{3}{4}$  hour drive each way, 10 journeys

$$\frac{3}{4} \times 10 = \frac{30}{4}$$

$$\frac{30}{4} = 7\frac{2}{4}$$
 hours per week

### 7 hours 30 minutes driving to work each week



### Example Method 3:

 $\frac{3}{4}$  hour drive each way (45 minutes), 10 journeys

45 minutes × 10



#### Task 37: Time spent driving

# **Example Method 3:**

 $\frac{3}{4}$  hour drive each way (45 minutes), 10 journeys

45 minutes  $\times$  10 = 450 minutes

450 minutes = 7 hours 30 minutes

7 hours 30 minutes driving to work each week



minutes  $\rightarrow$  hours  $\rightarrow$  days  $\rightarrow$  weeks

5400 minutes

$$\frac{1}{2}$$
 week 72 hours 4 days



shortest



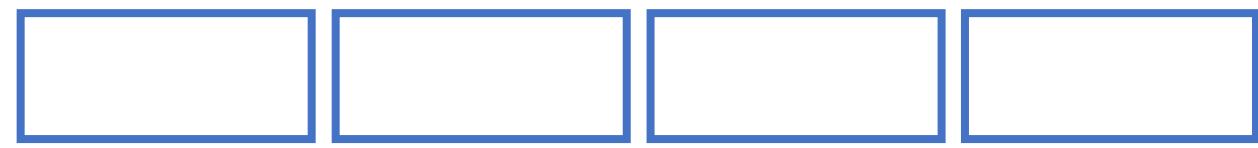
# minutes $\rightarrow$ hours $\rightarrow$ days $\rightarrow$ weeks

5400 minutes

$$\frac{1}{2}$$
 week 72 hours 4 days

 $5400 \text{ mins} \div 60$ 

**= 90 hours** 



shortest



# minutes $\rightarrow$ hours $\rightarrow$ days $\rightarrow$ weeks

$$\frac{1}{2}$$
 week 72 hours 4 days
$$3\frac{1}{2}$$
 days × 24
= 84 hours

shortest

**= 90 hours** 



# minutes $\rightarrow$ hours $\rightarrow$ days $\rightarrow$ weeks



$$\frac{1}{2}$$
 week 72 hours
$$3\frac{1}{2}$$
 days × 24
= 84 hours



shortest

longest

4 days

 $4 \text{ days} \times 24$ 

= 96 hours

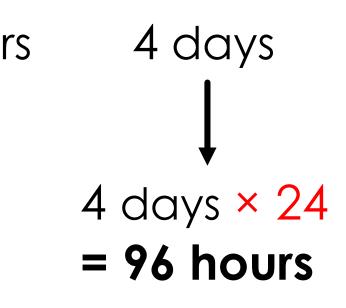


# minutes $\rightarrow$ hours $\rightarrow$ days $\rightarrow$ weeks



$$\frac{1}{2}$$
 week 72 hours
$$\frac{1}{2}$$

$$3\frac{1}{2}$$
 days × 24
= **84 hours**



72 hours

$$\frac{1}{2}$$
 week

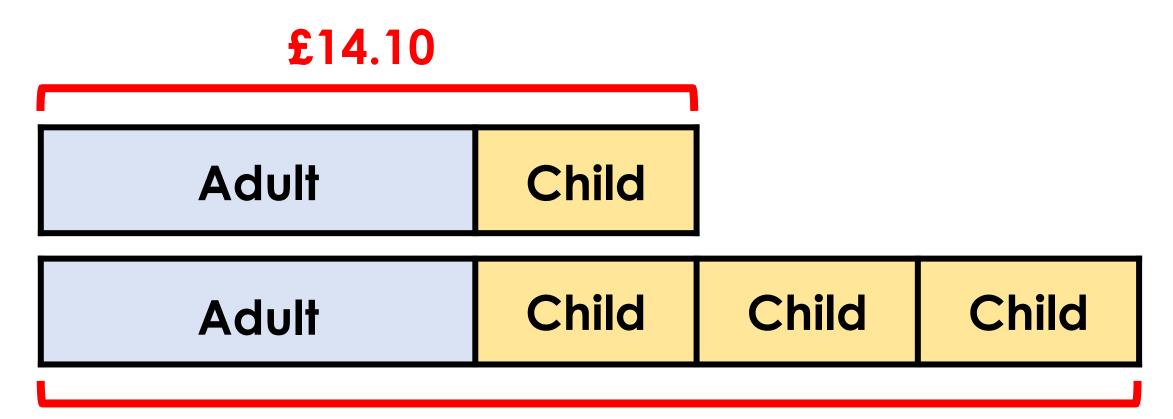
5400 minutes

4 days

shortest



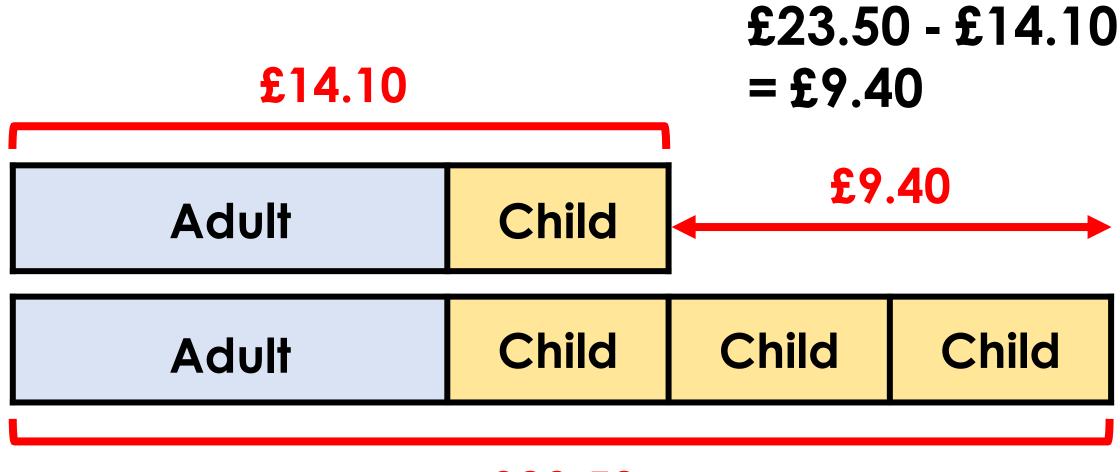
### Task 39: Ticket prices



£23.50



#### Task 39: Ticket prices

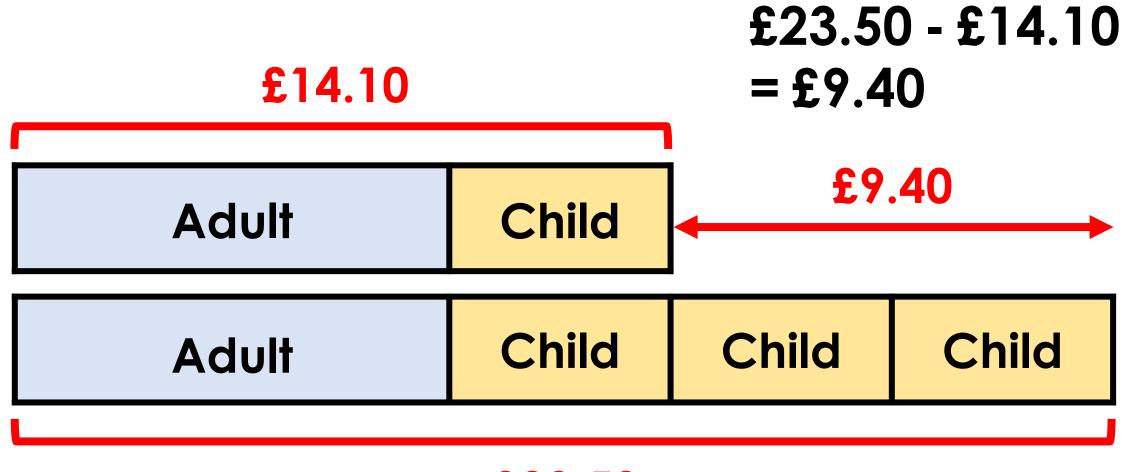


£23.50

Two child tickets = £9.40



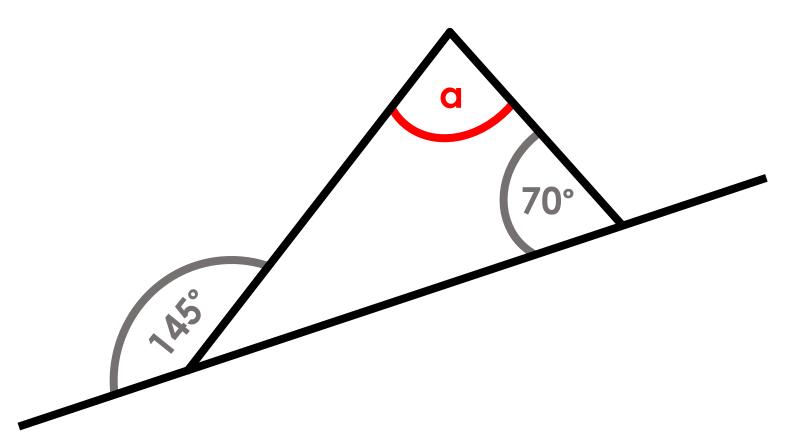
#### Task 39: Ticket prices



£23.50

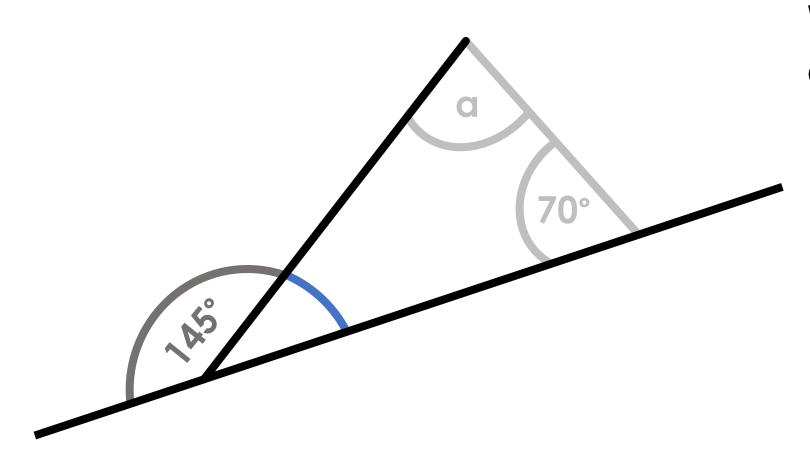
One child ticket = £9.40  $\div$  2 = £4.70





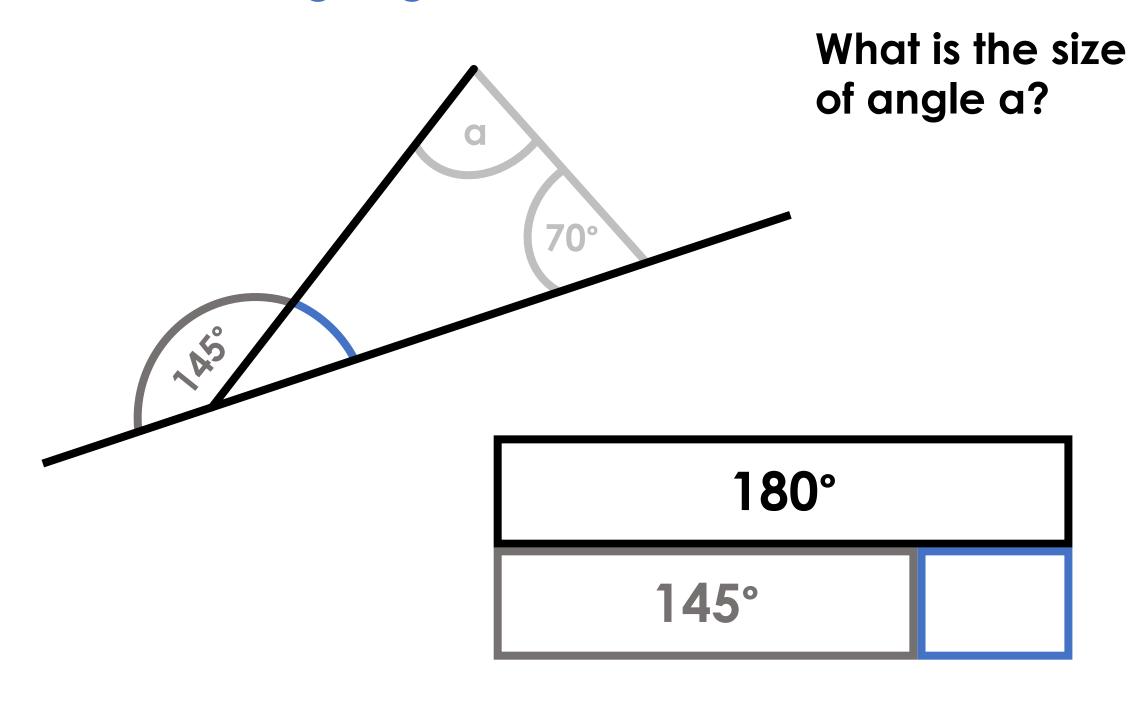
What is the size of angle a?



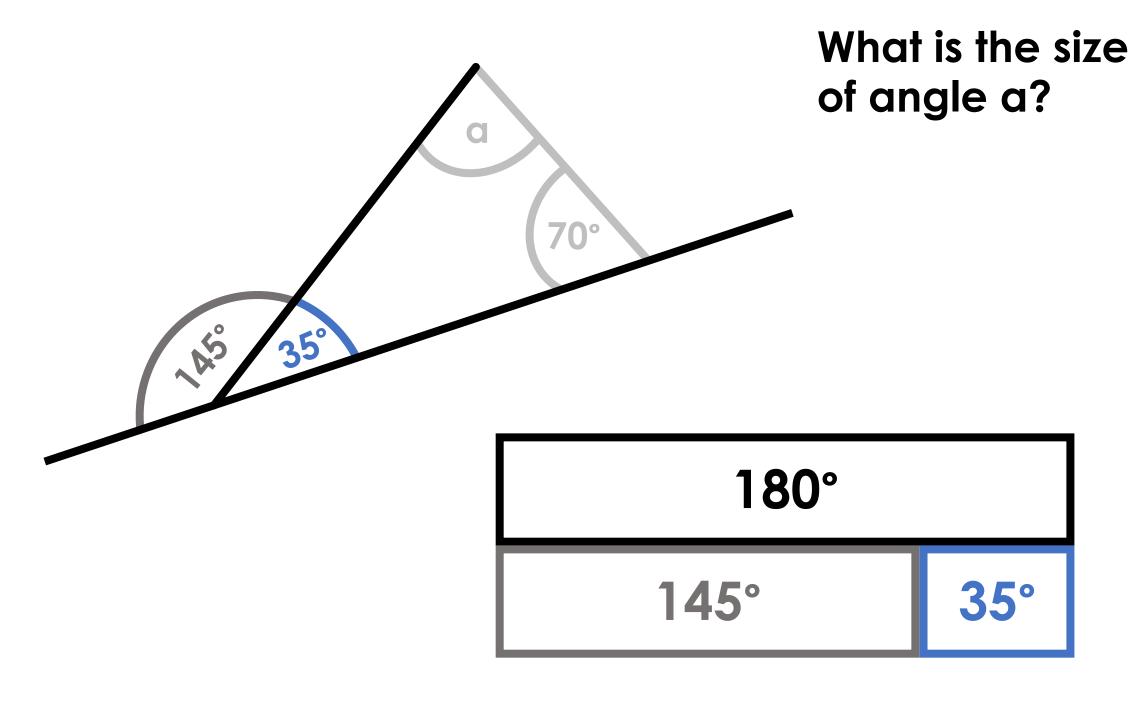


What is the size of angle a?

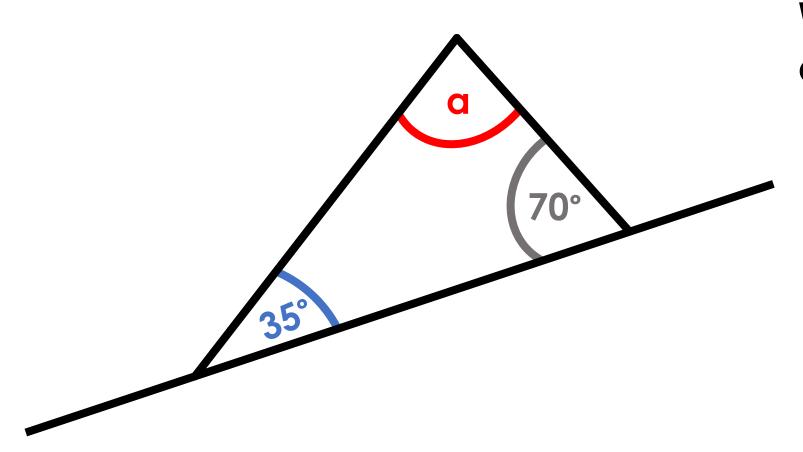






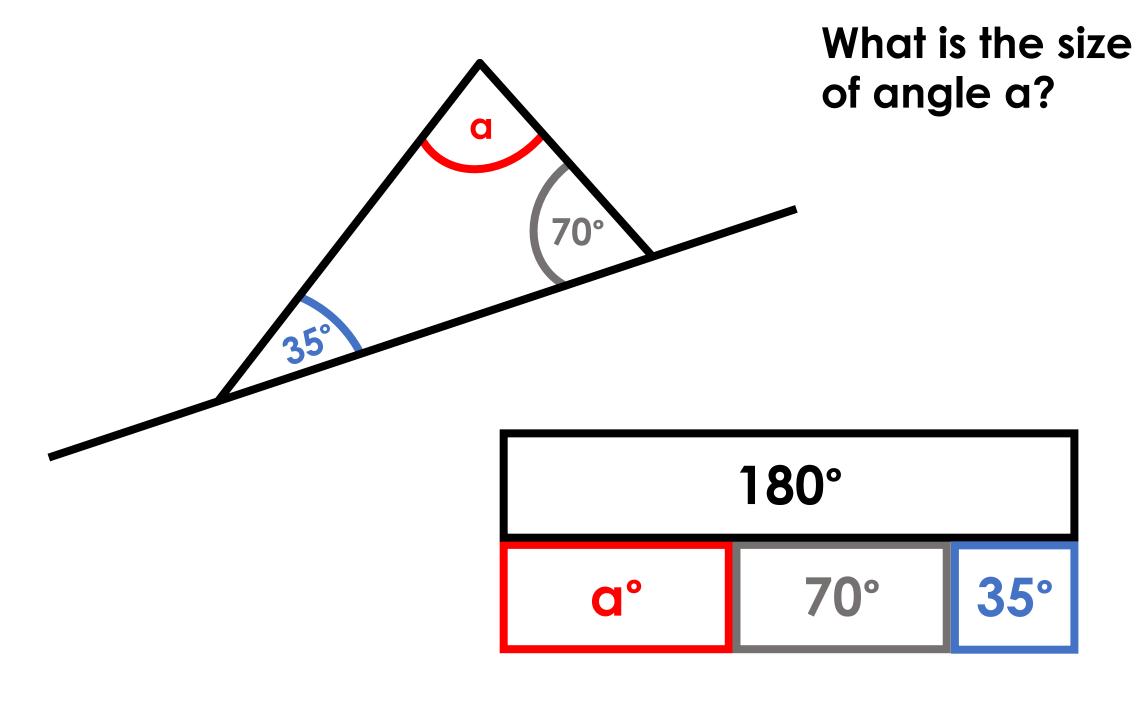




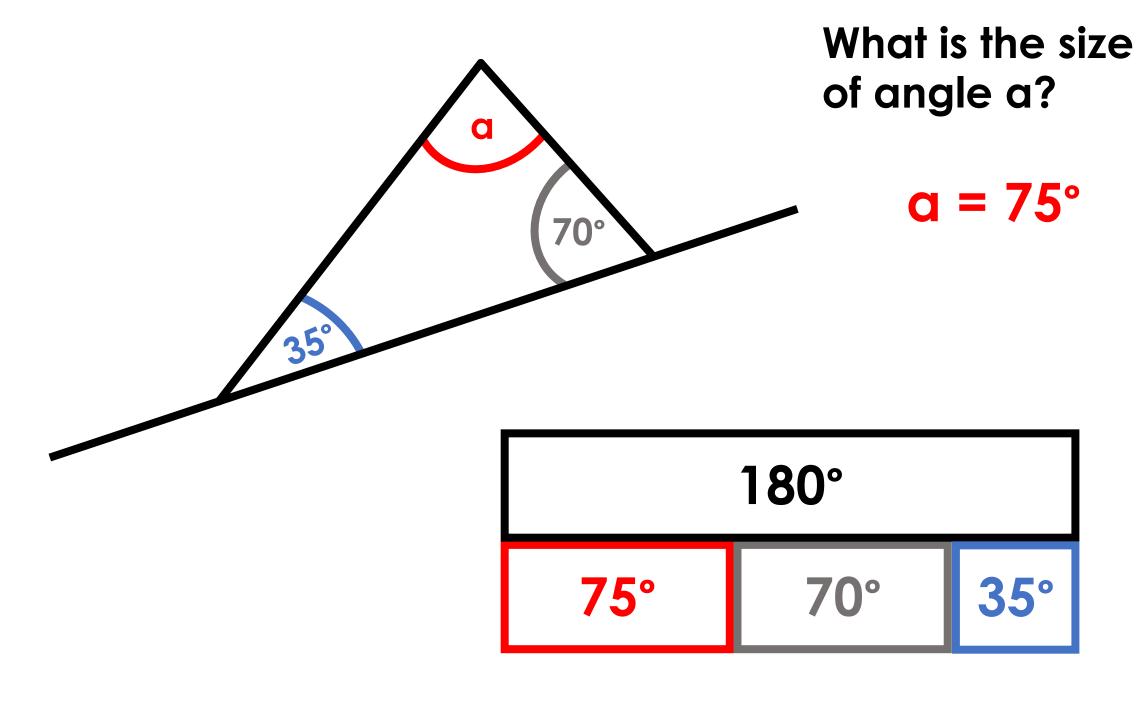


What is the size of angle a?

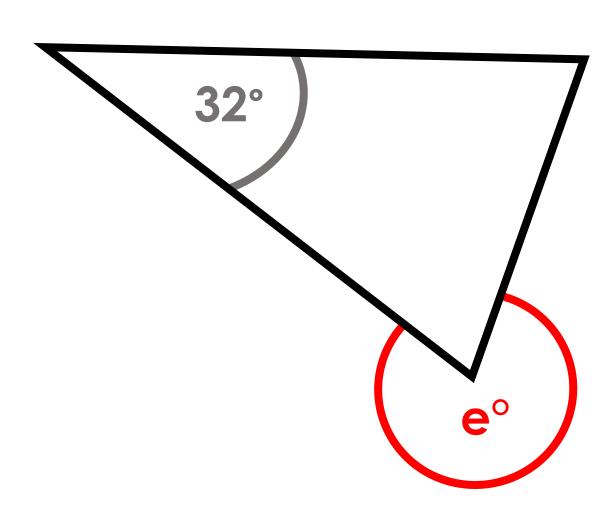






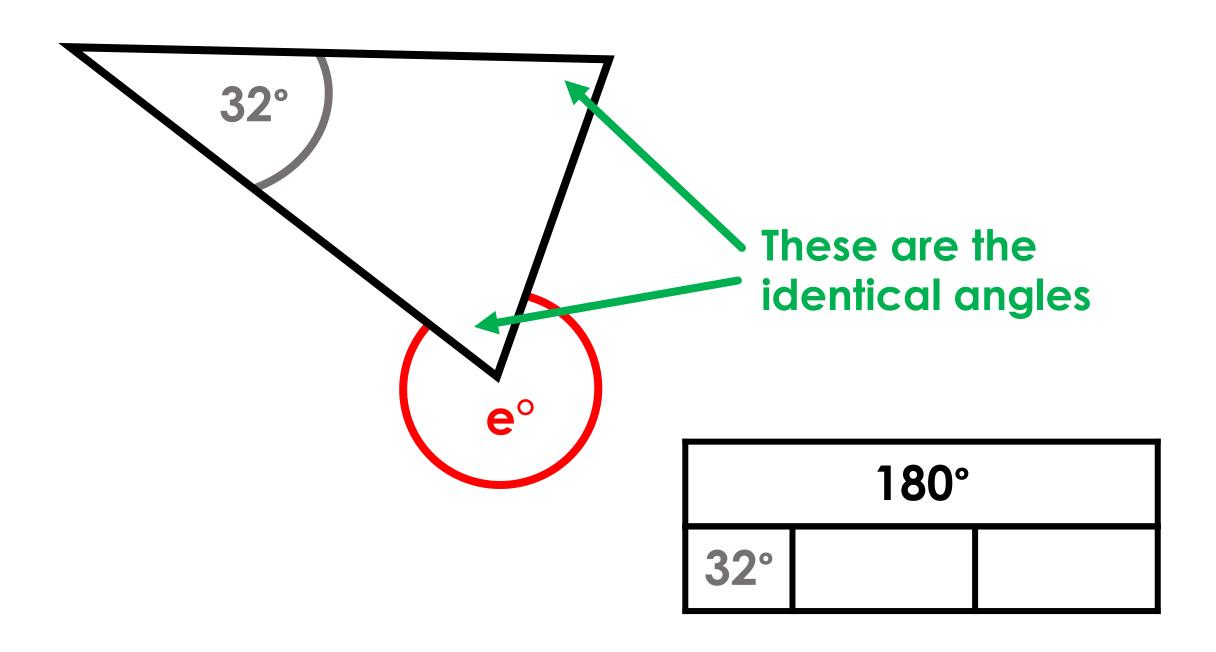




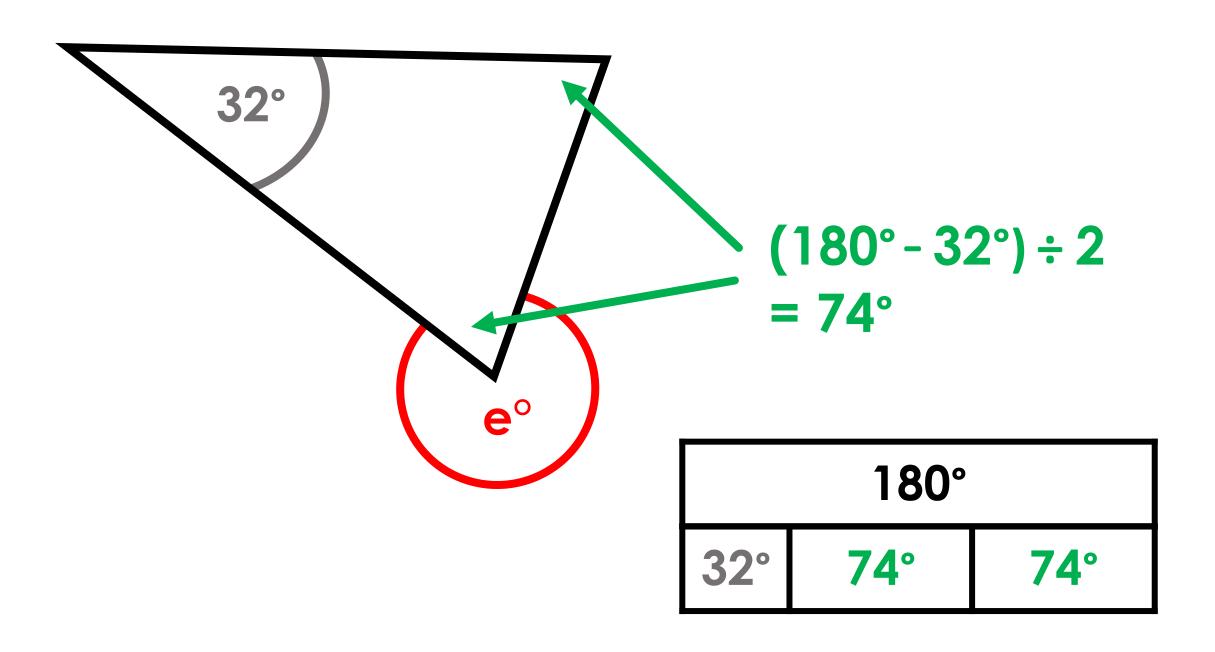


Isosceles triangles have two identical angles

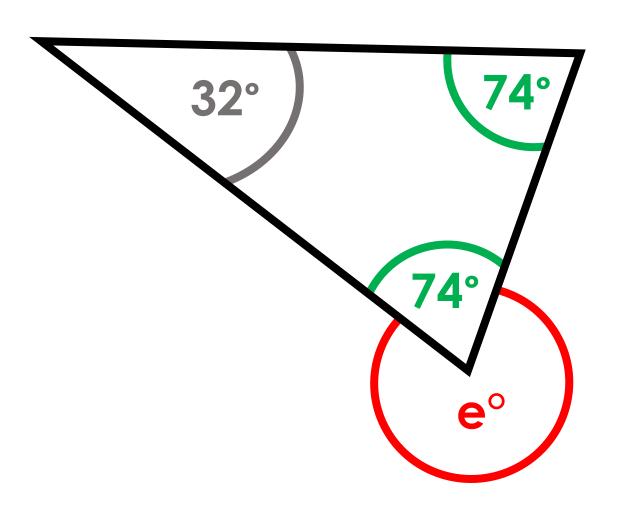


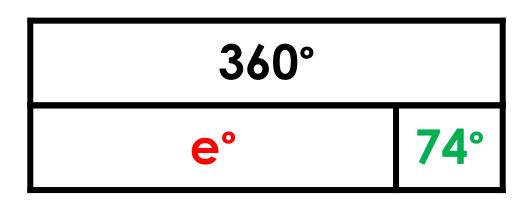




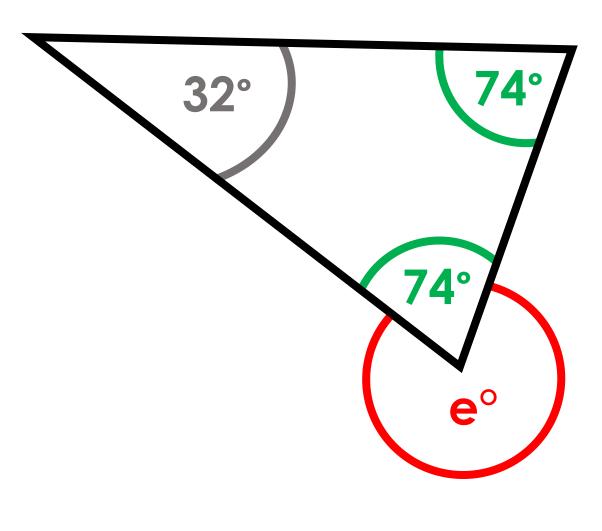










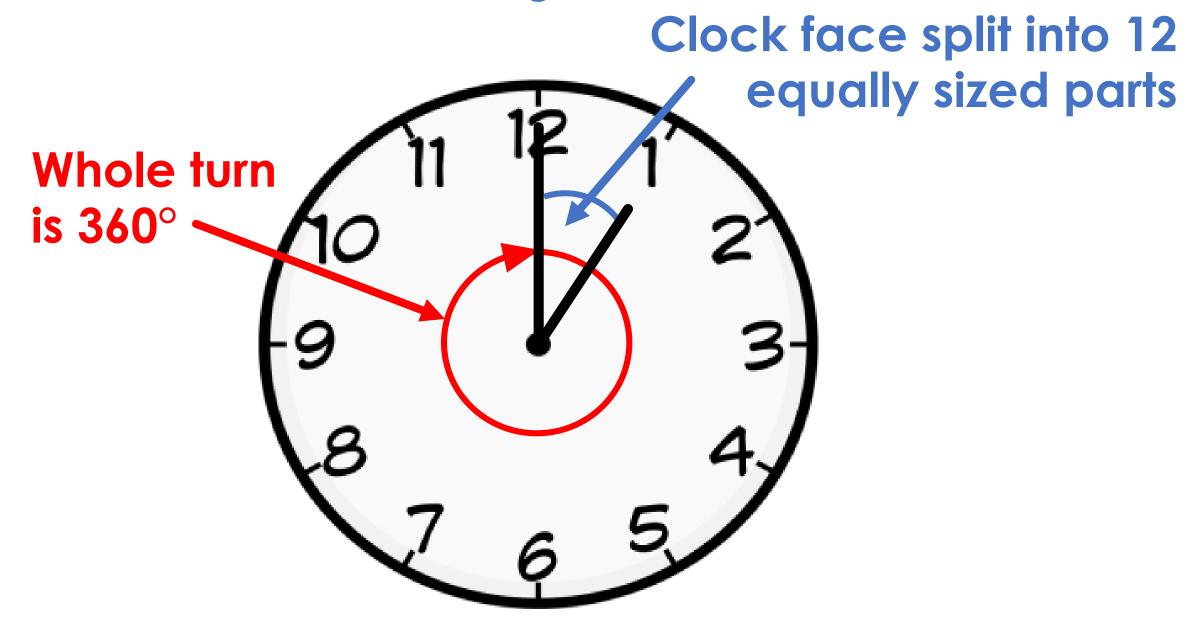


 $360^{\circ} - 74^{\circ} = 286^{\circ}$ 

 $e = 286^{\circ}$ 

360°
286°
74°





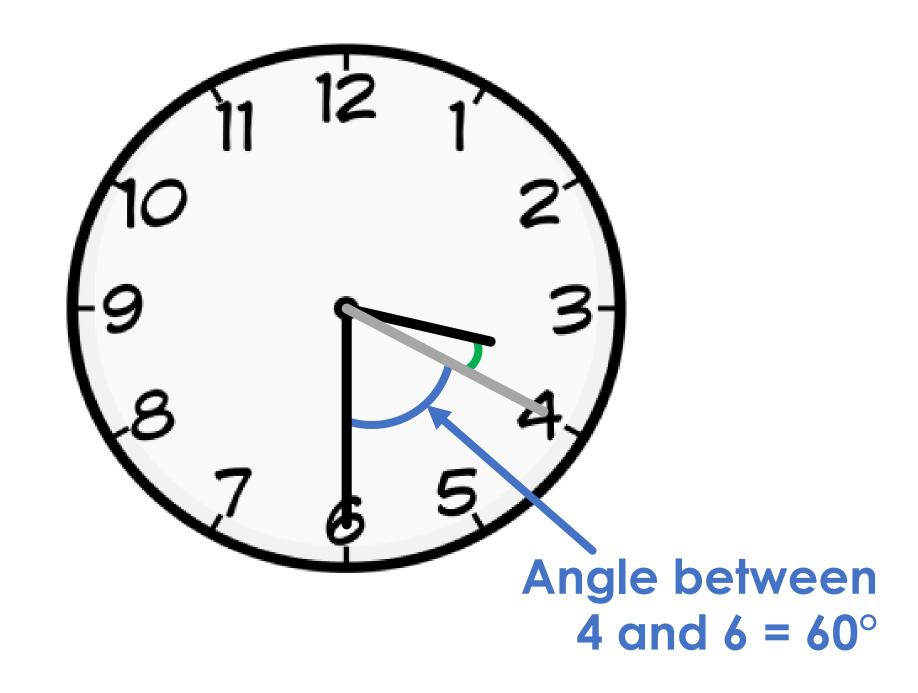


Clock face split into 12 equally sized parts Whole turn is 360°

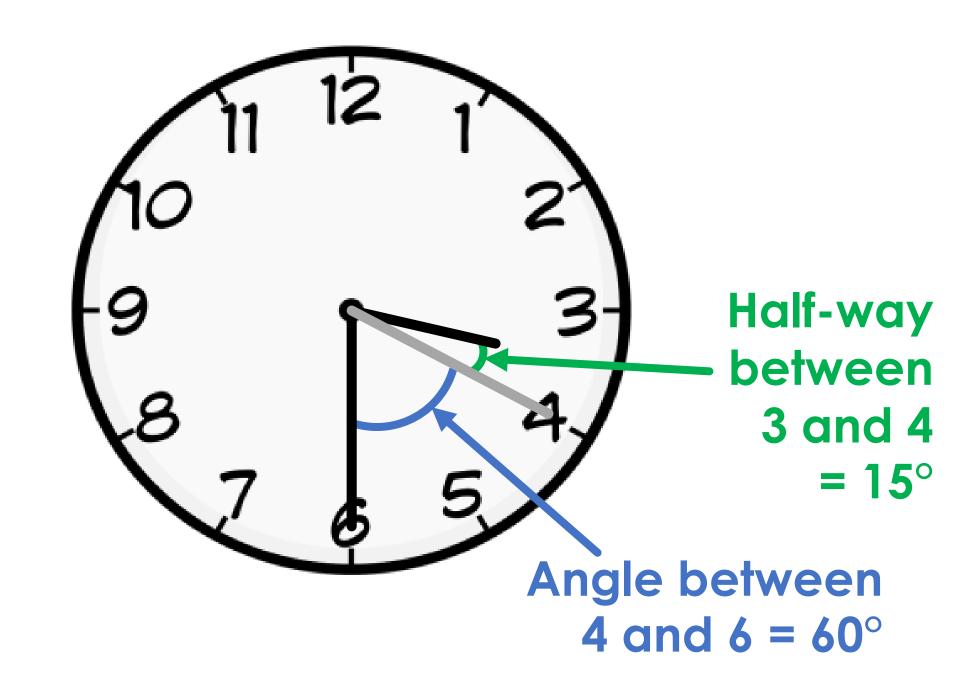
Angle between hands:

$$360^{\circ} \div 12 = 30^{\circ}$$

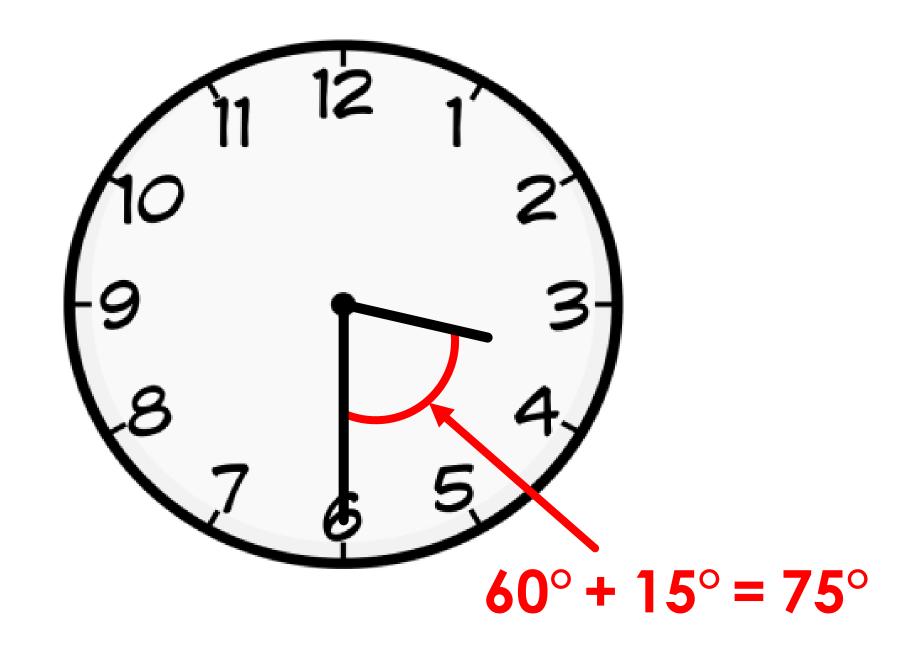






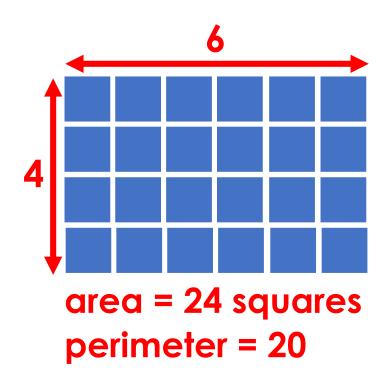


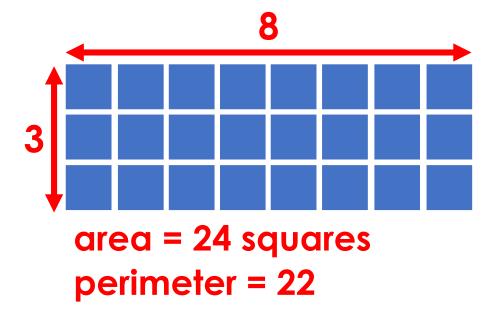






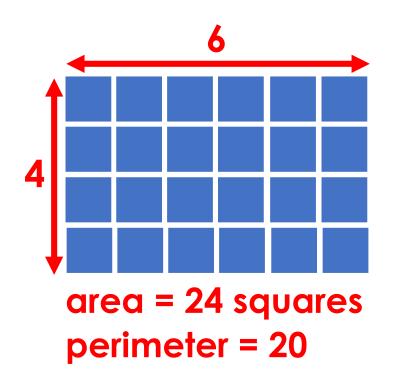
### Task 43: Change the perimeter

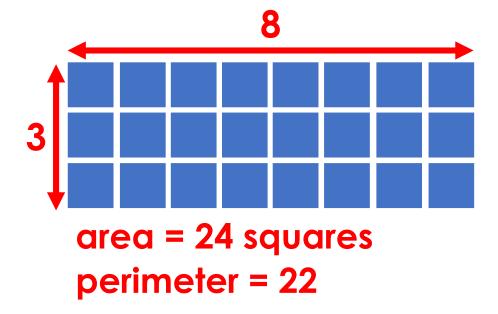






#### Task 43: Change the perimeter

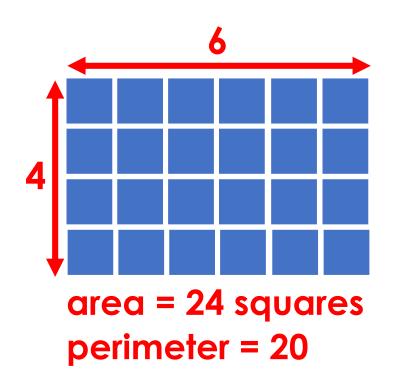


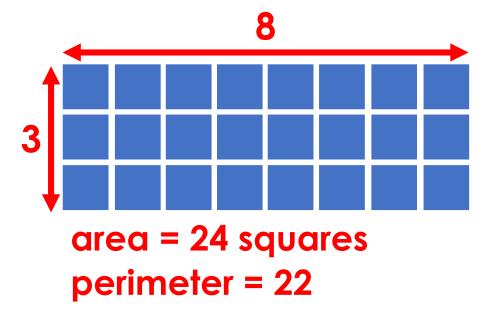


'For rectangles with the same area, thinner rectangles have a larger perimeter.'



#### Task 43: Change the perimeter





'For rectangles with the same area, thinner rectangles have a larger perimeter.'



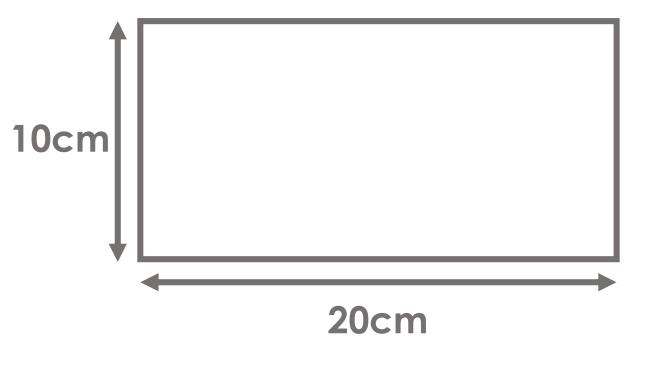
area = 24 squares

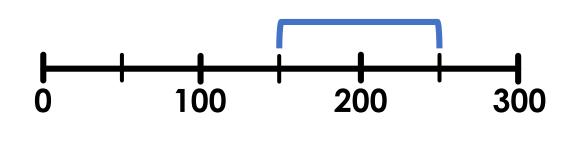
perimeter = 50



- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

## Trial 1: length = 20cm, width = 10cm

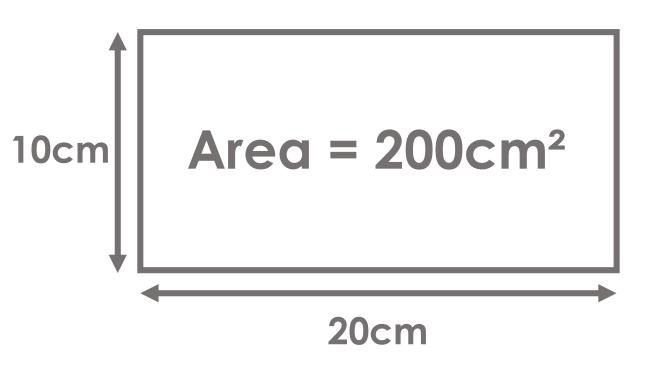


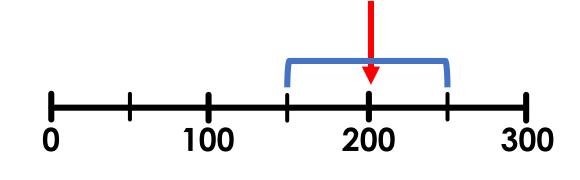




- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

## Trial 1: length = 20cm, width = 10cm

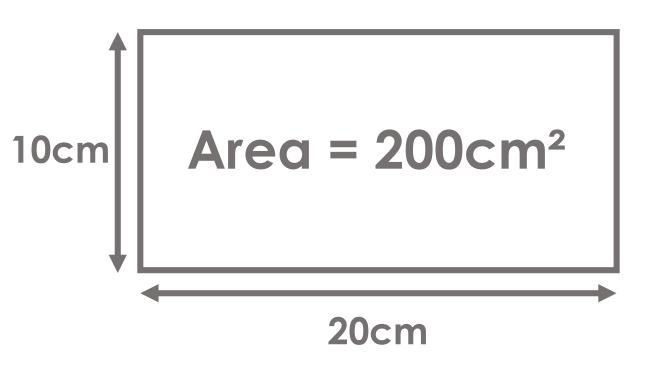


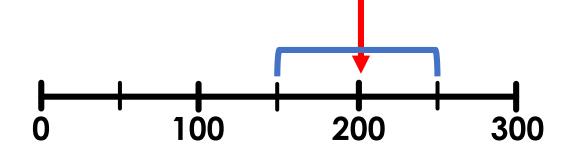




- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

# Trial 1: length = 20cm, width = 10cm





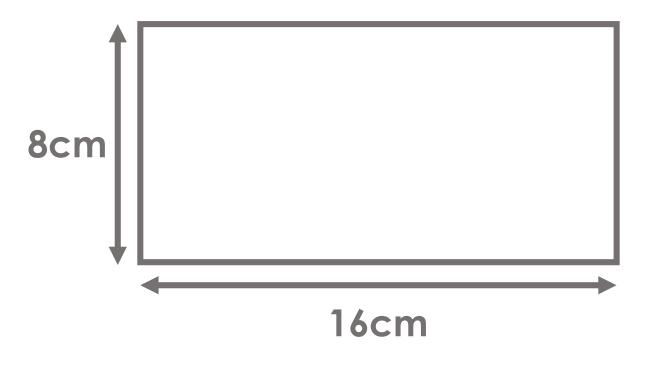
Does round to 200. ✓

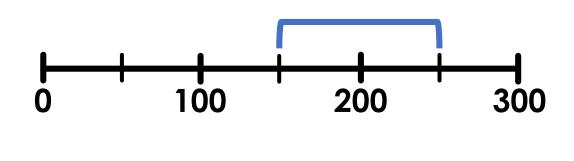
Next try a smaller rectangle.



- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

## Trial 2: length = 16cm, width = 8cm

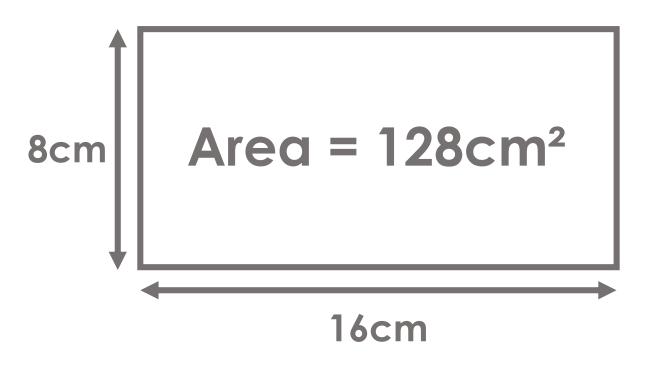


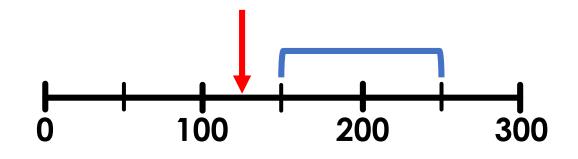




- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

## Trial 2: length = 16cm, width = 8cm

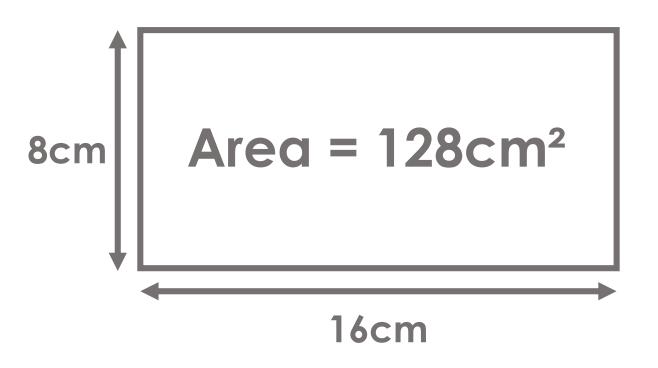


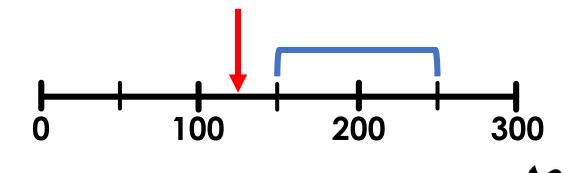




- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

# Trial 2: length = 16cm, width = 8cm





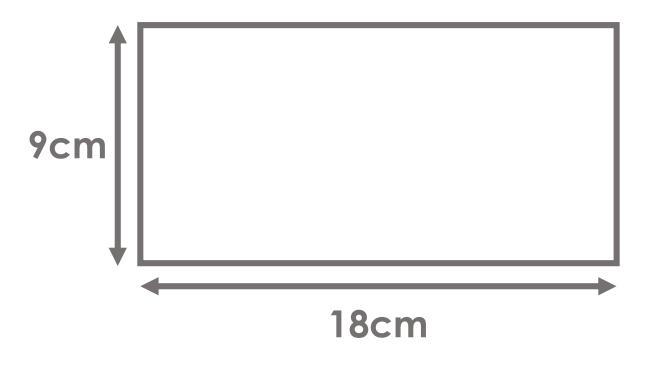
Does not round to 200.

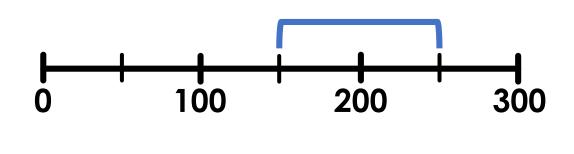
Next try a larger rectangle.



- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

# Trial 3: length = 18cm, width = 9cm



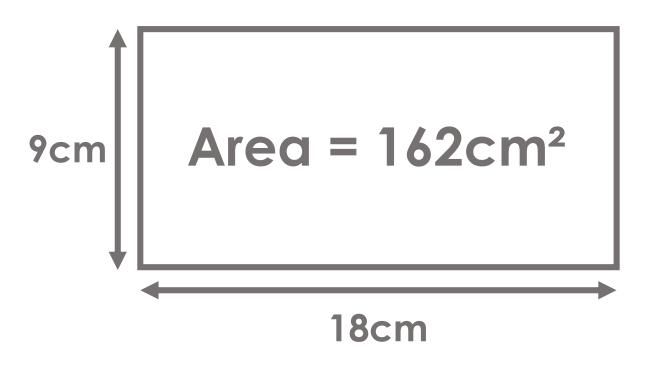


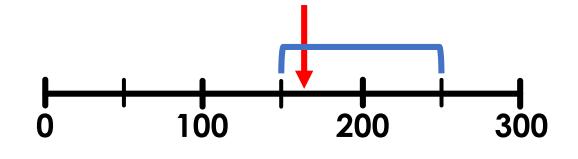


### Task 44: Rectangle length

- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

### Trial 3: length = 18cm, width = 9cm



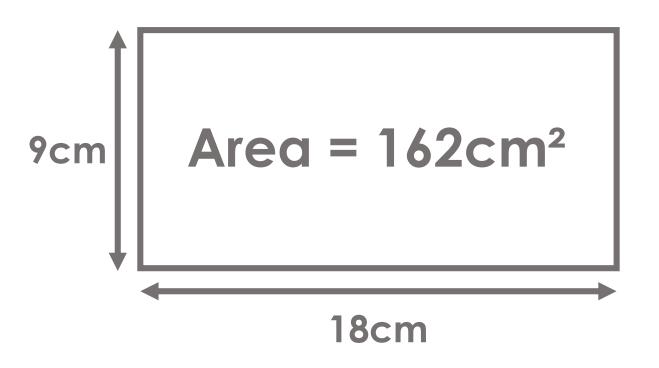


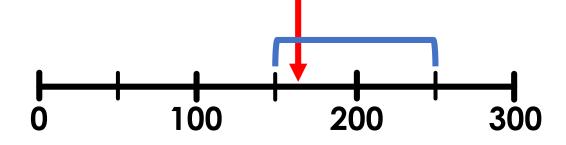


### Task 44: Rectangle length

- Length is double width.
- Area to nearest 100cm<sup>2</sup> is 200cm<sup>2</sup>.
- Smallest length of rectangle.

### Trial 3: length = 18cm, width = 9cm

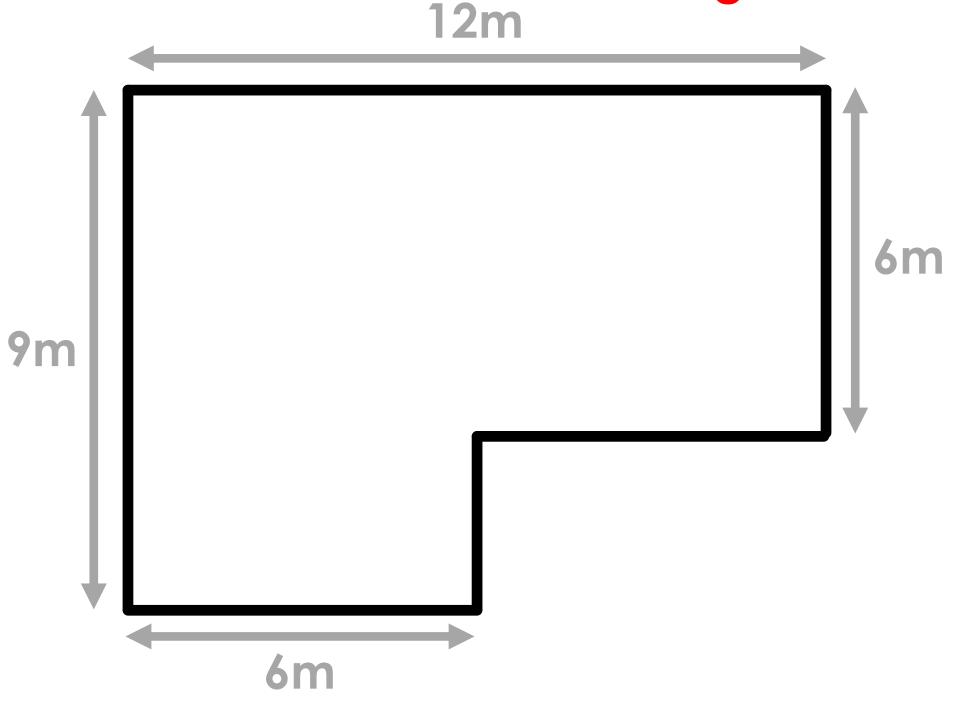




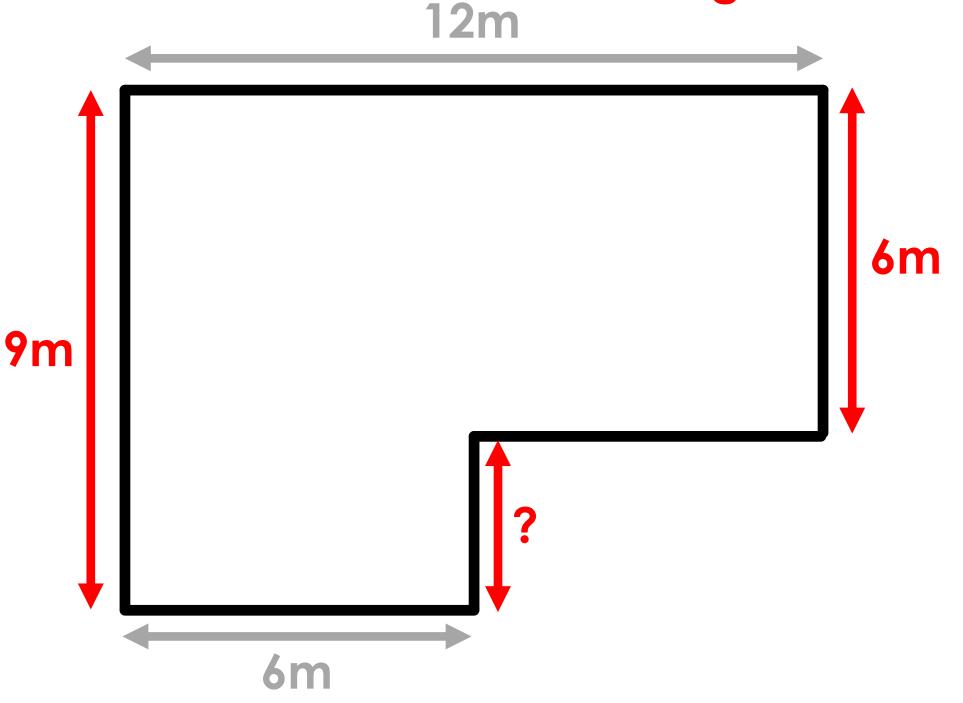
Does round to 200. √

This is the smallest possible rectangle. <u>Length = 18cm</u>

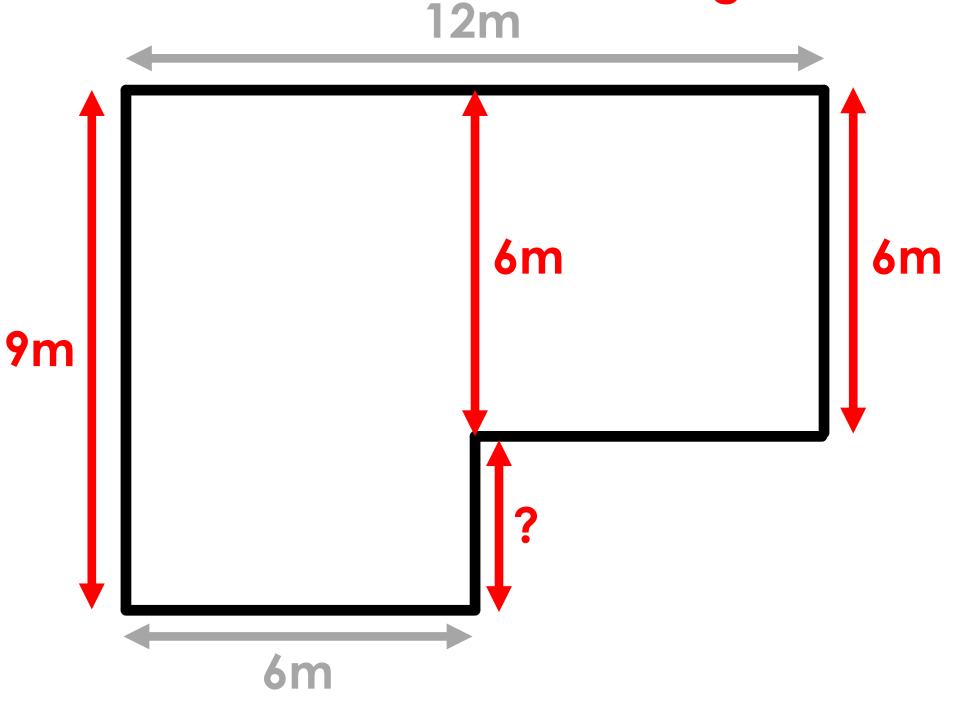




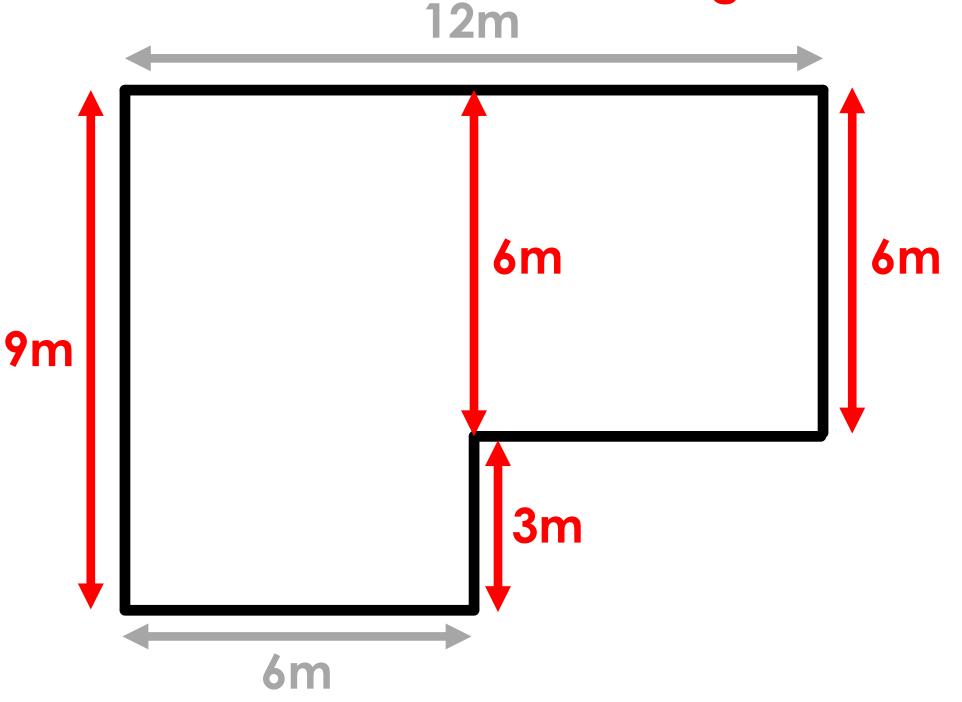




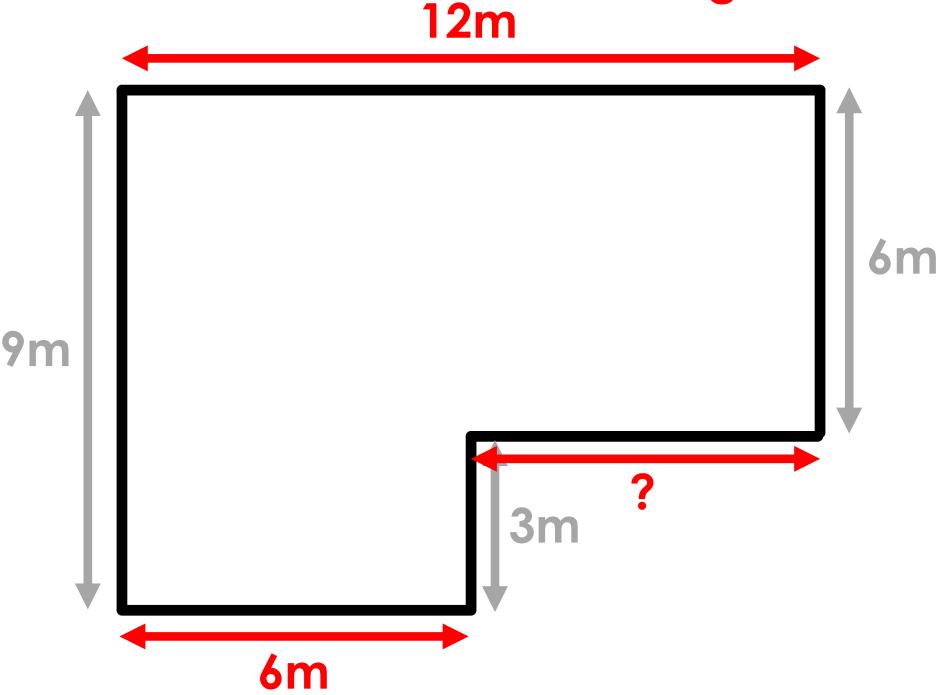




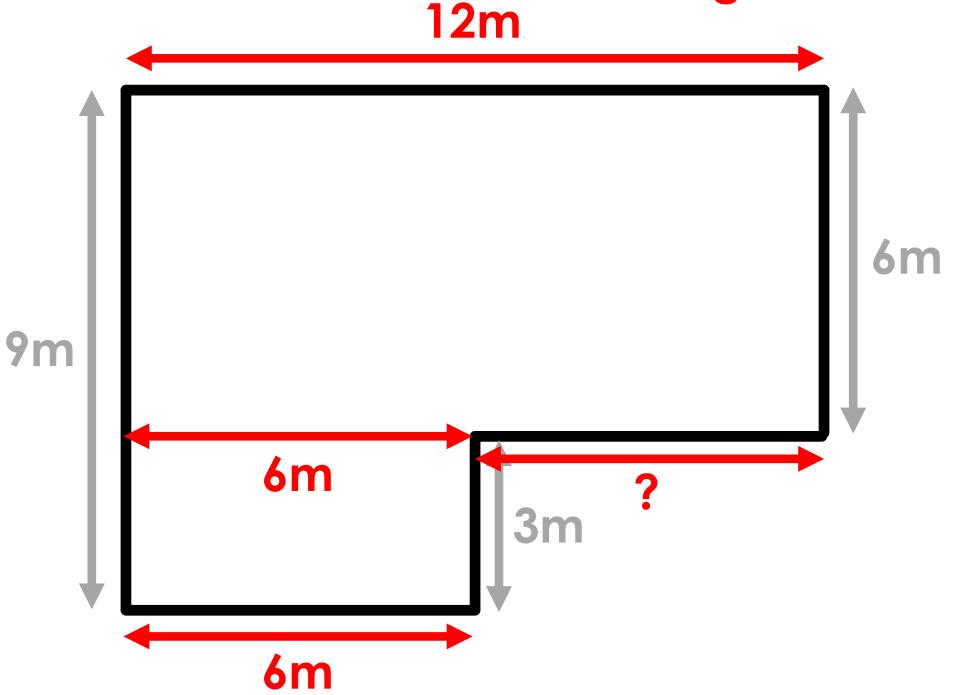




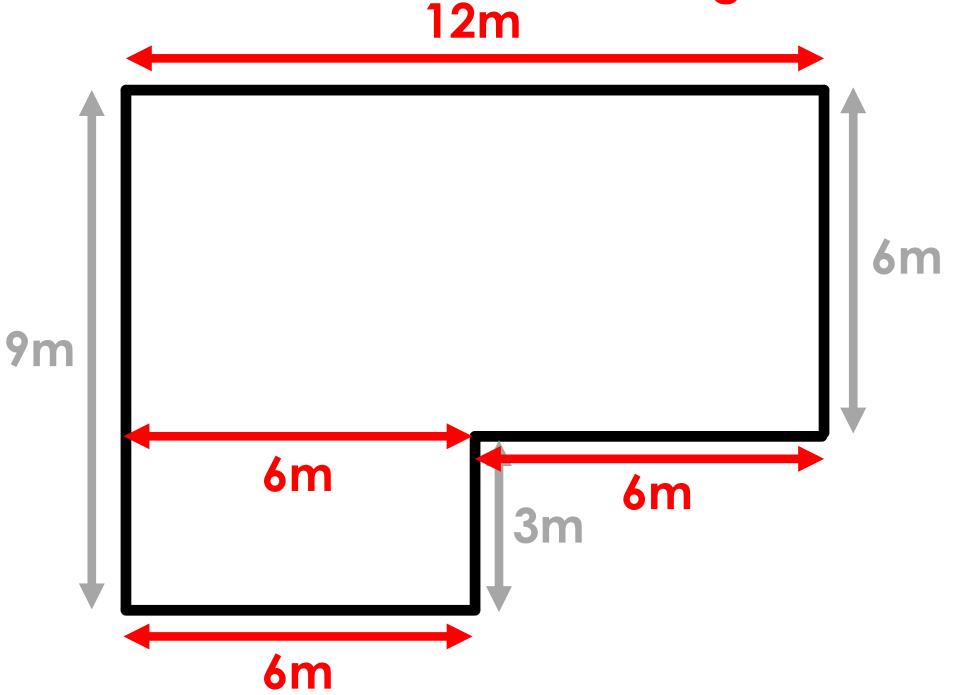




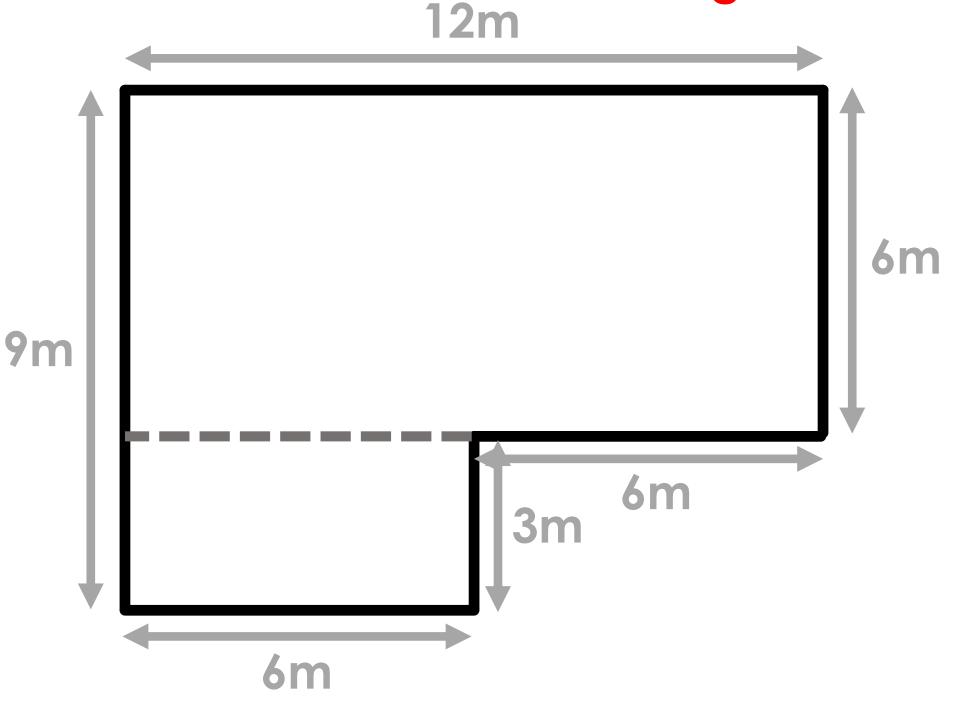




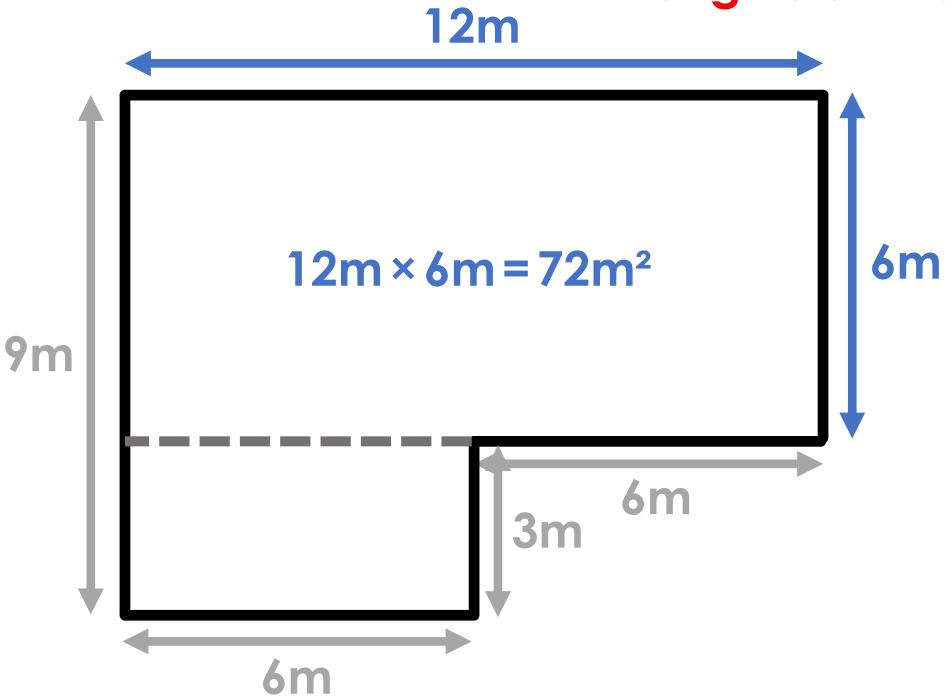




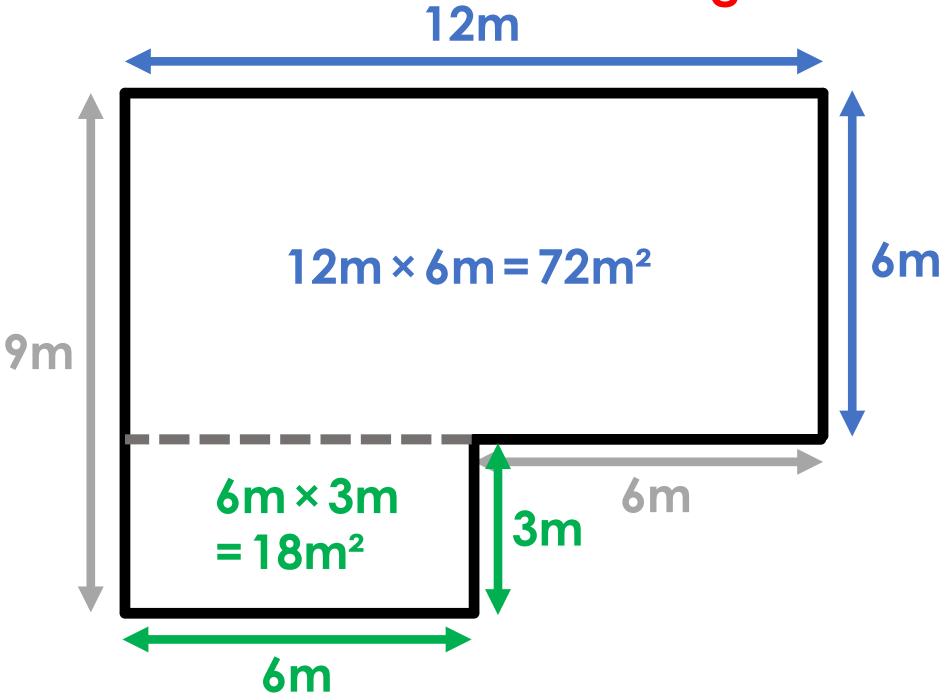




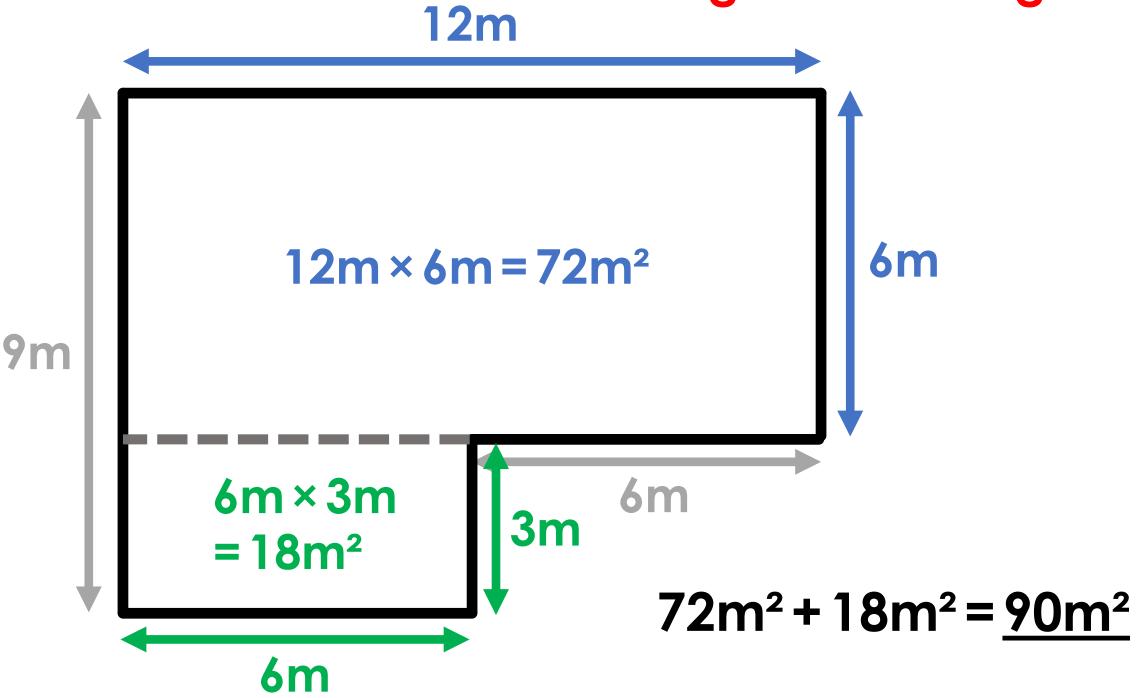




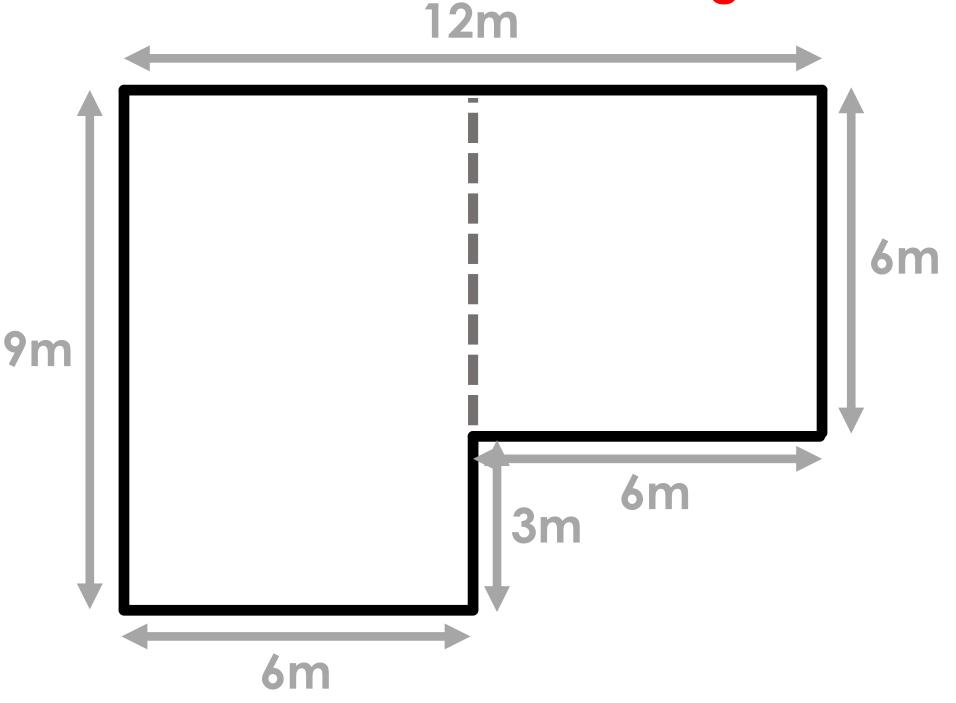




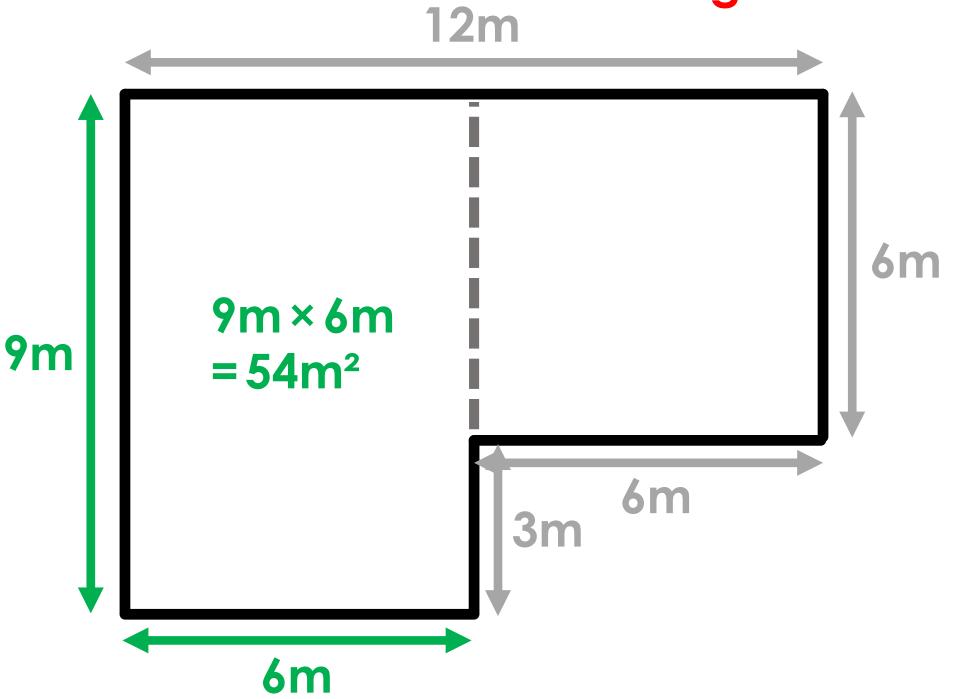




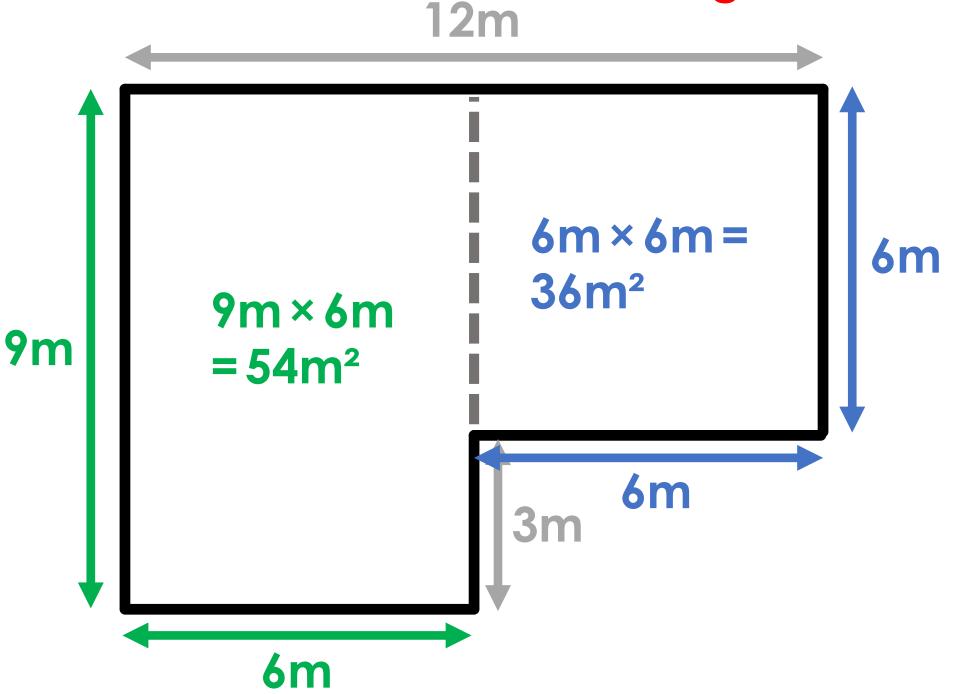




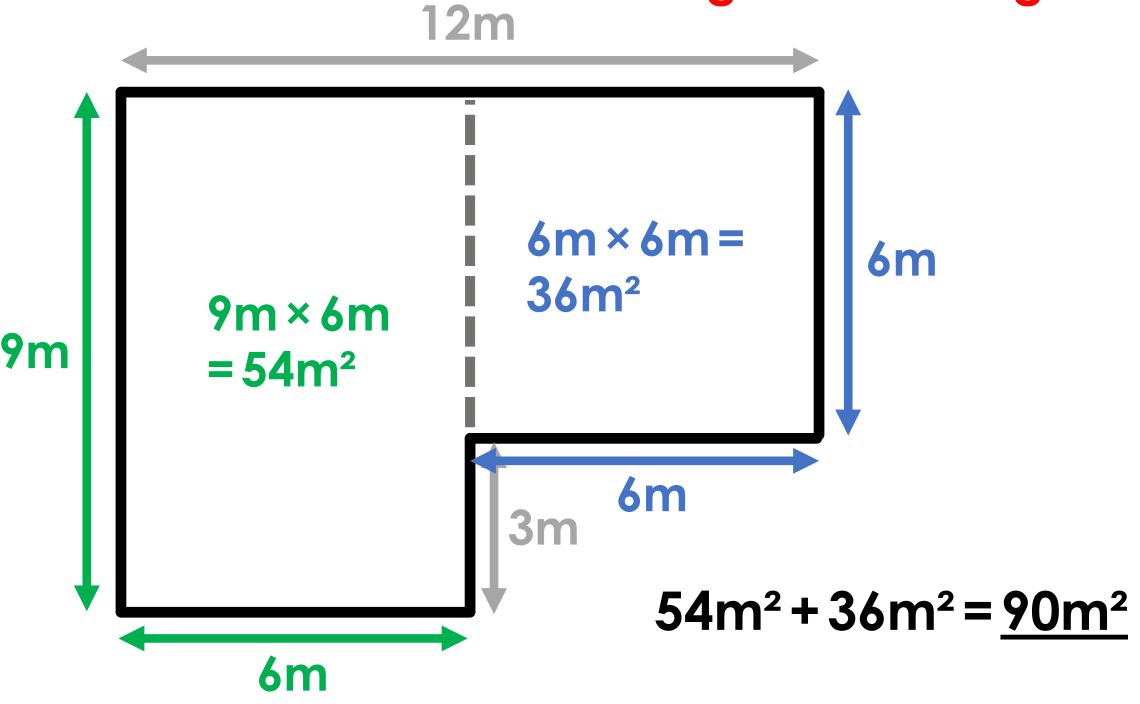




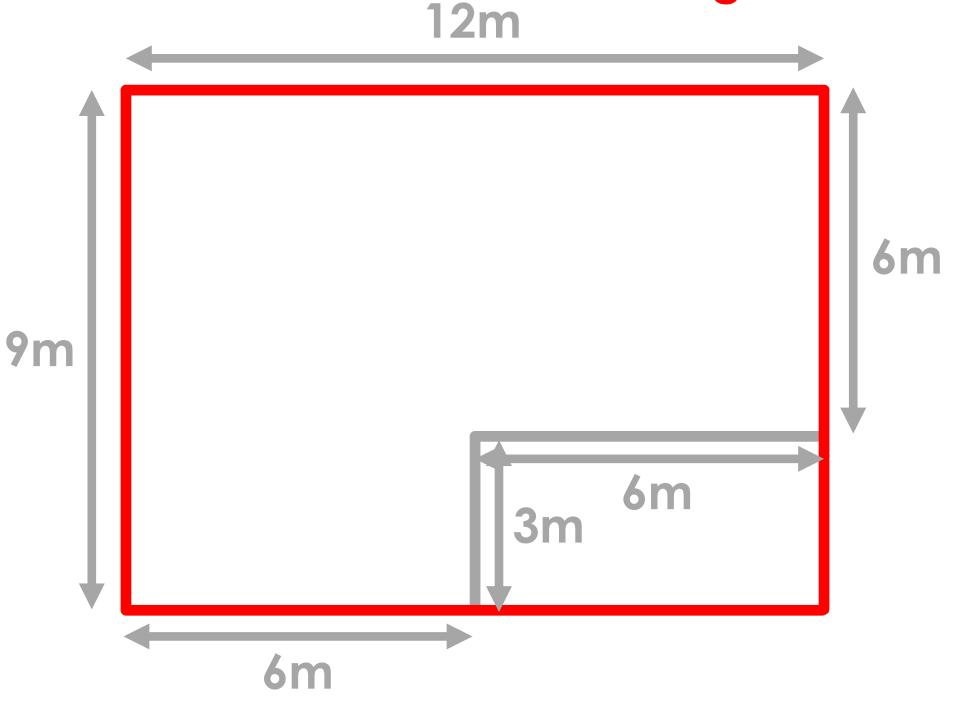




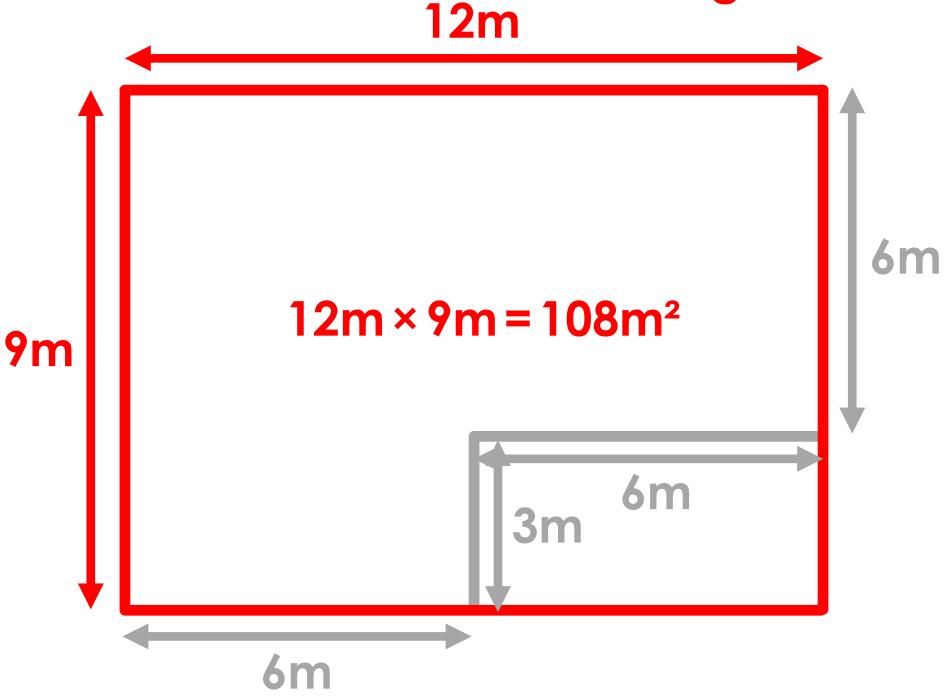




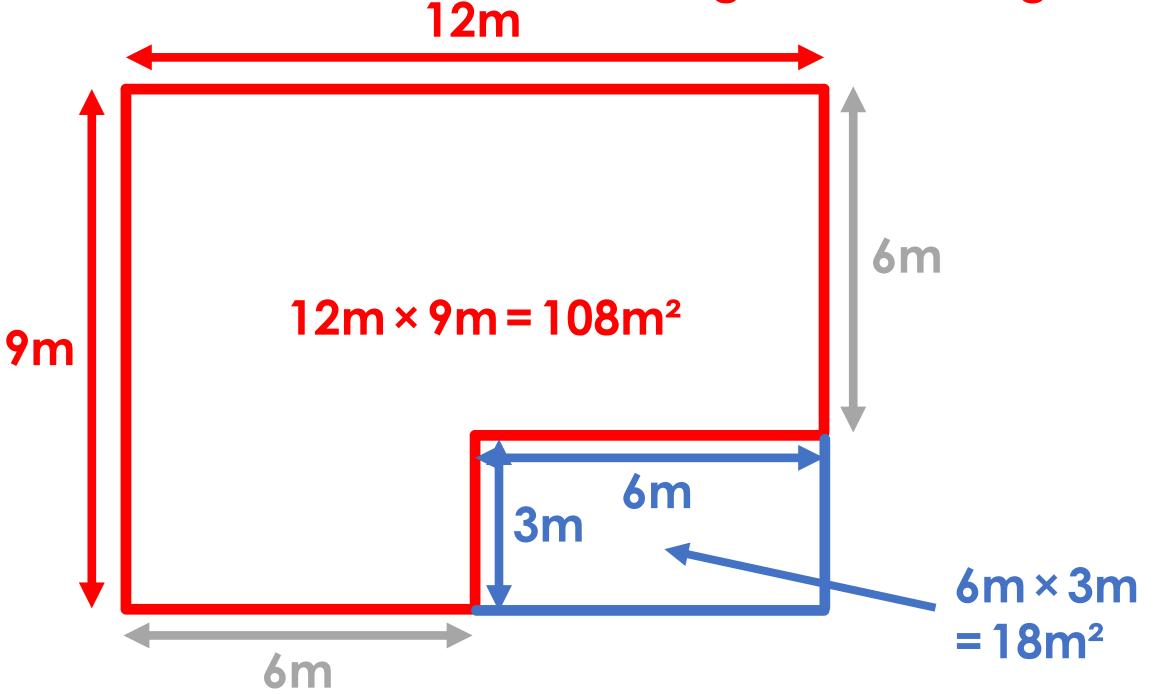




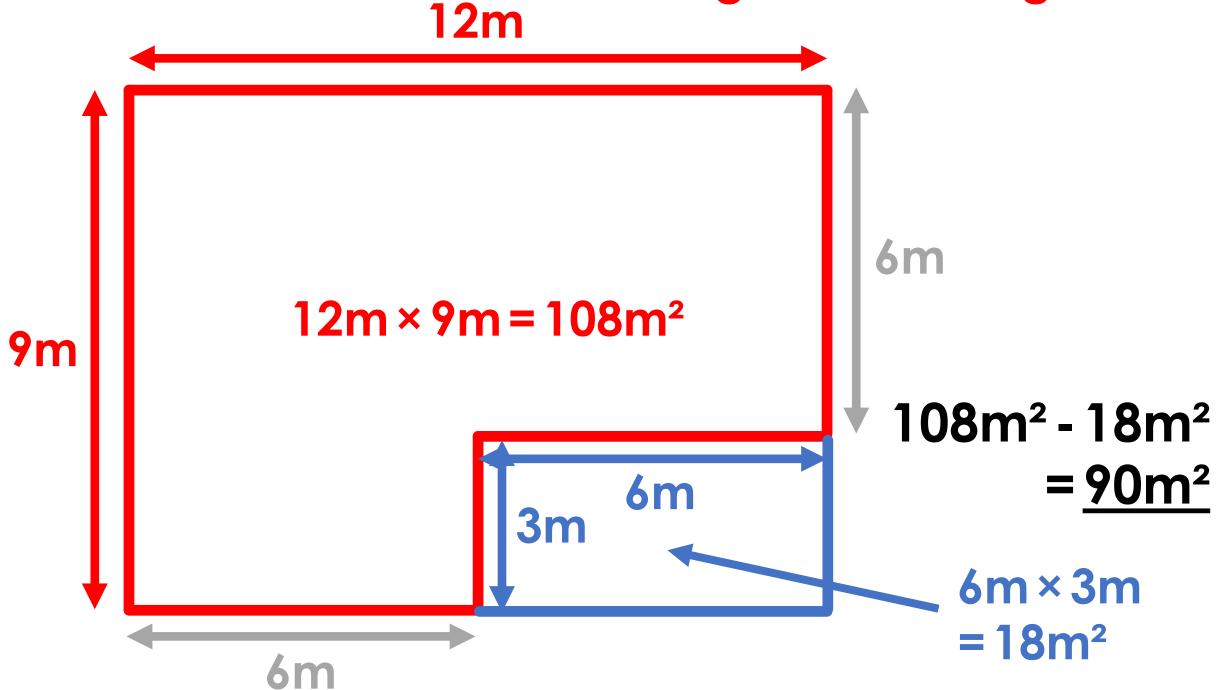




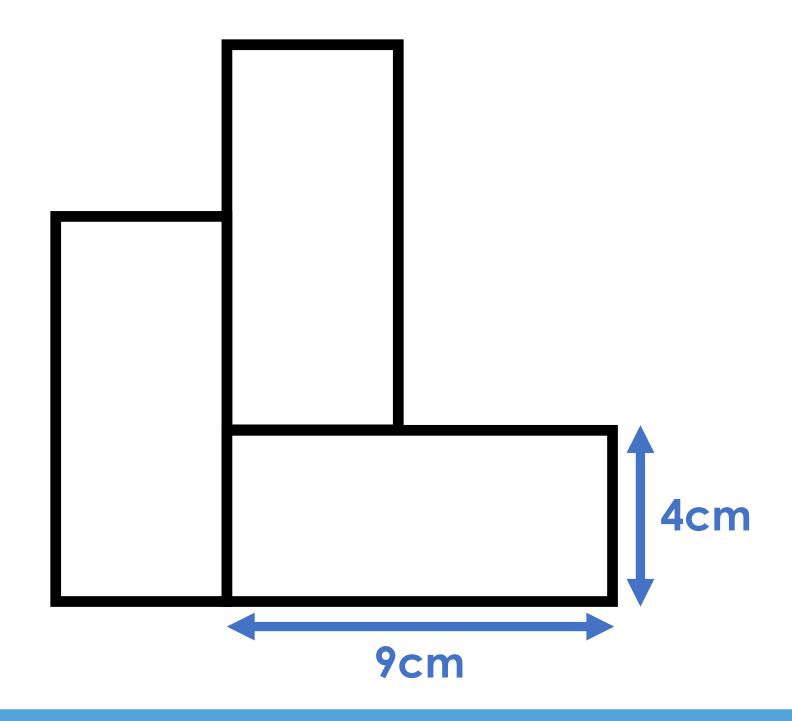




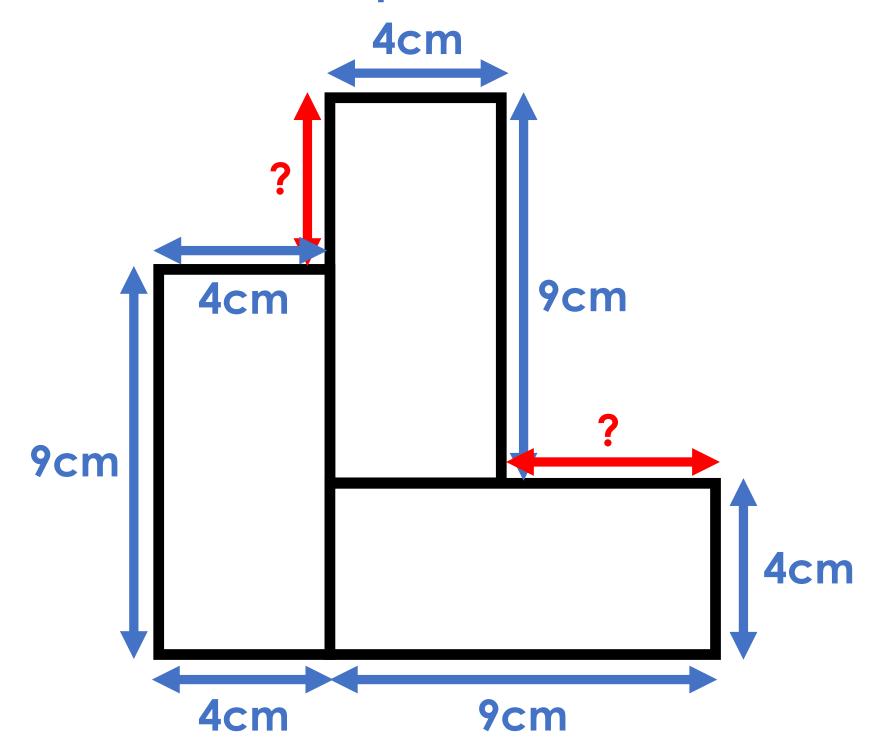




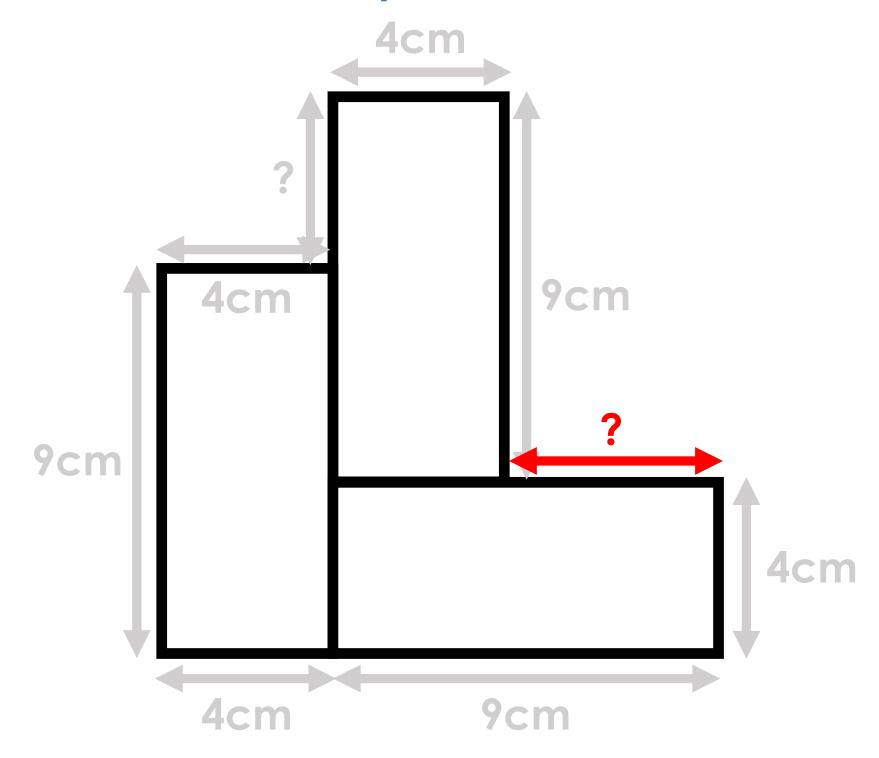




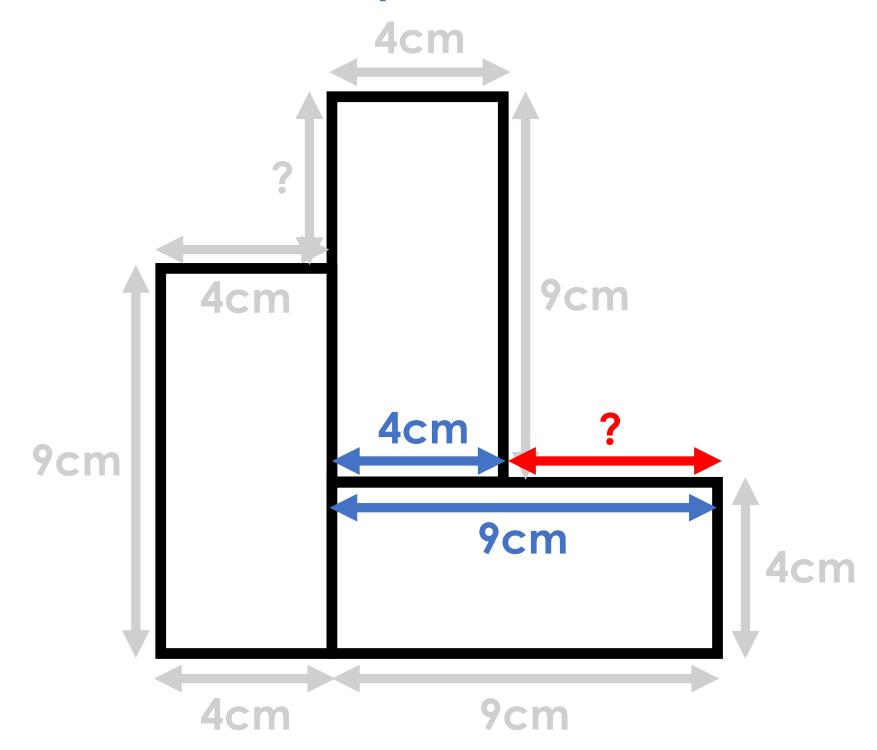




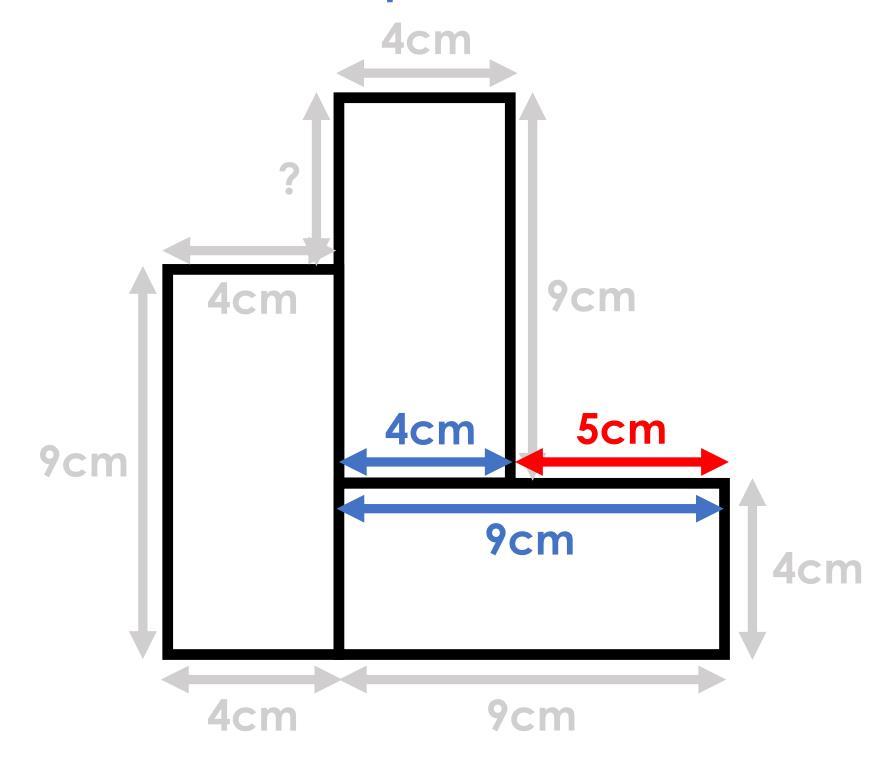




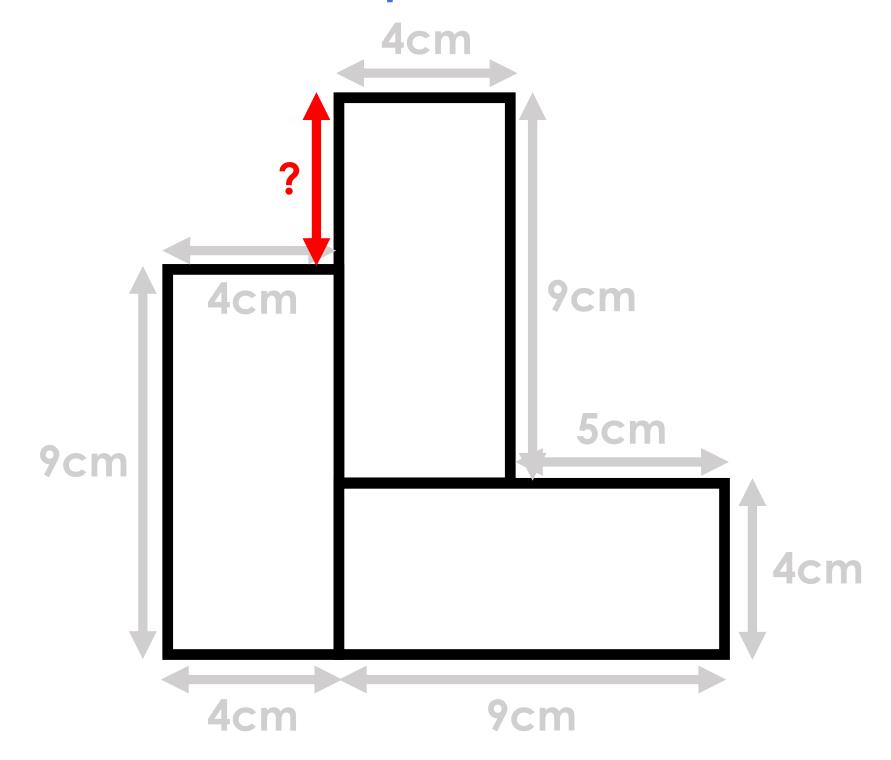




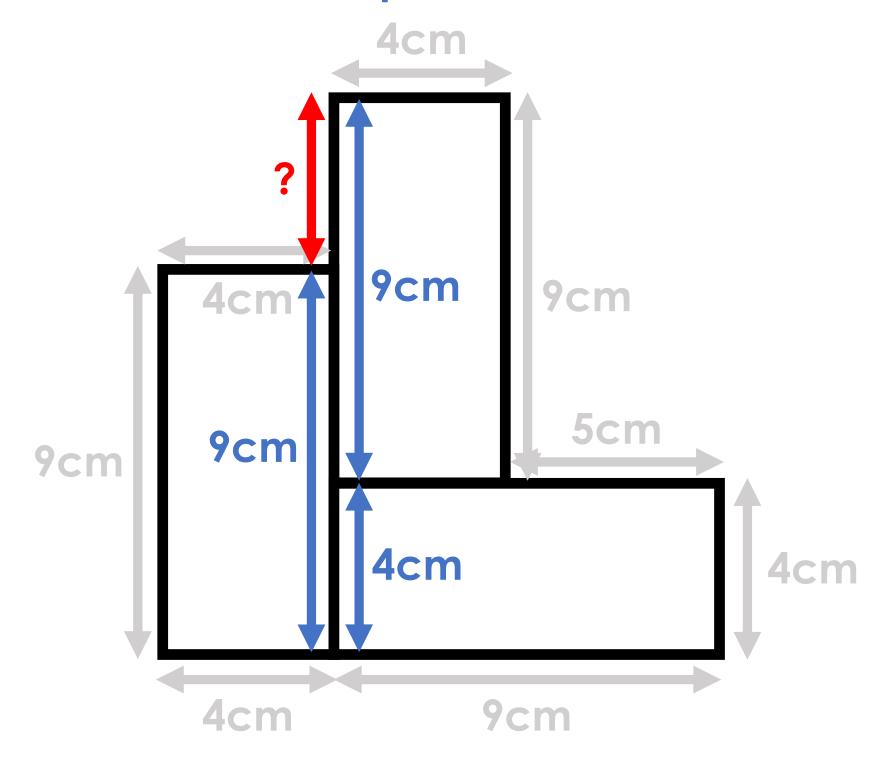




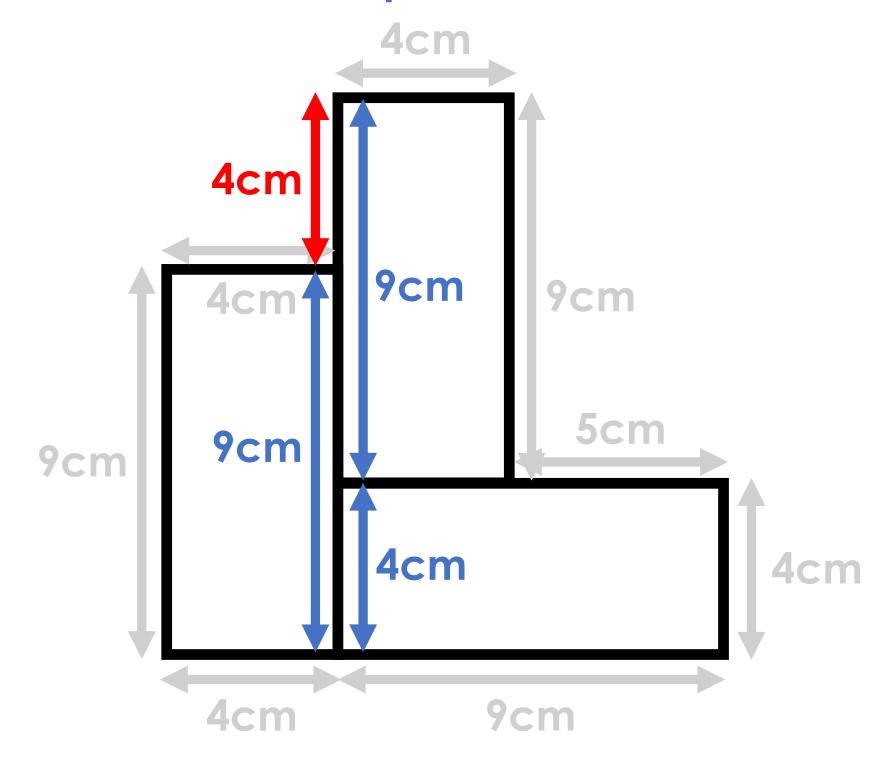






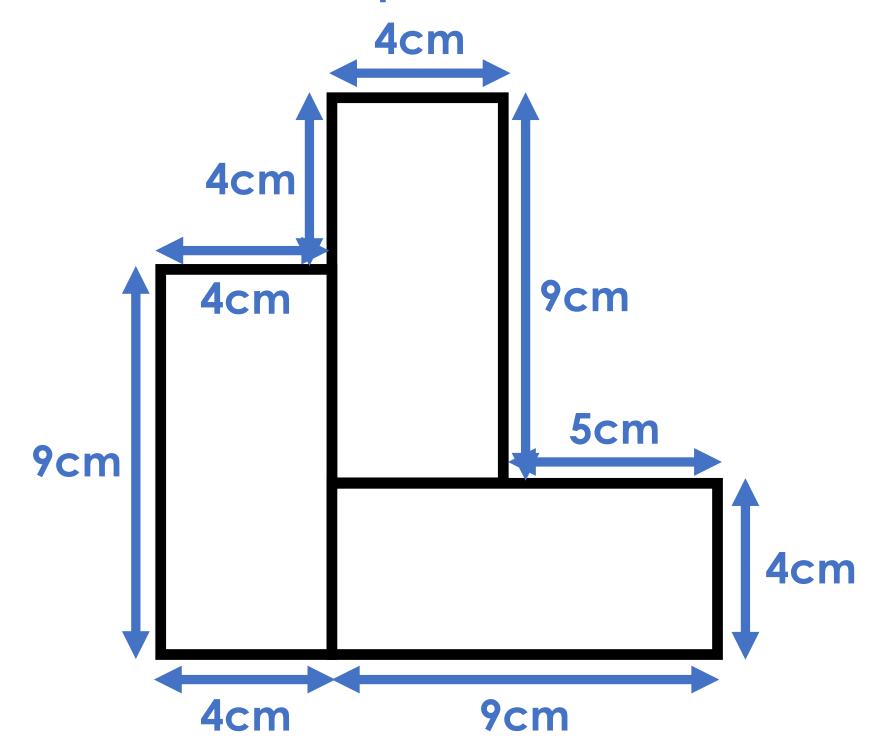




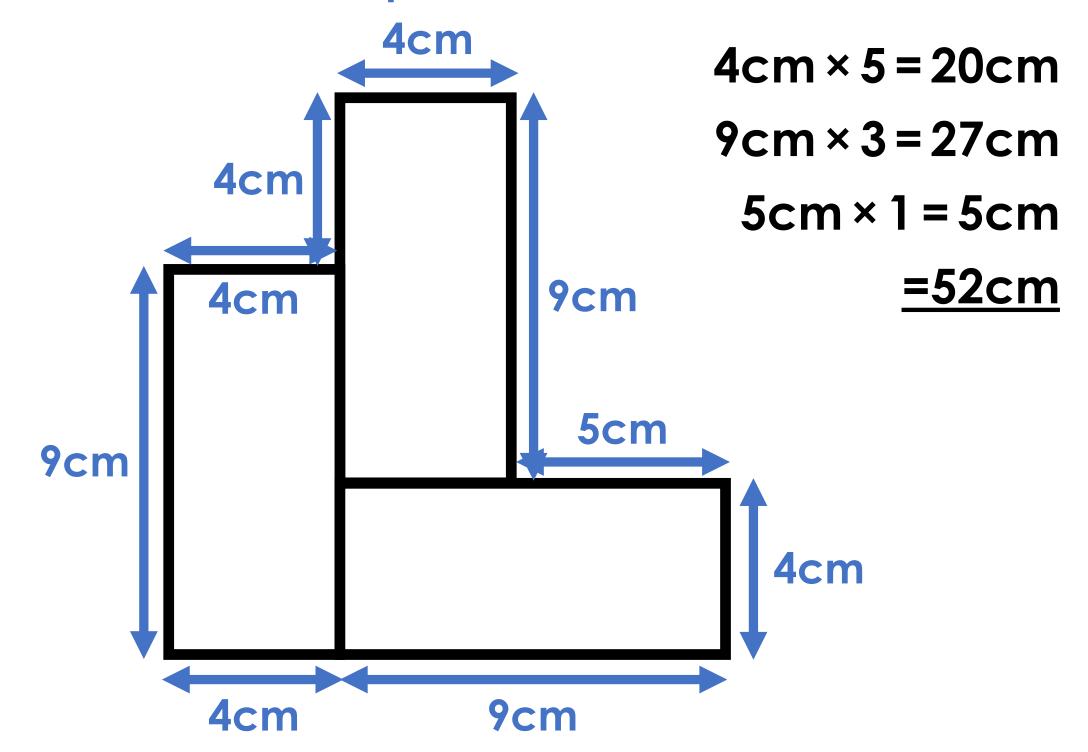




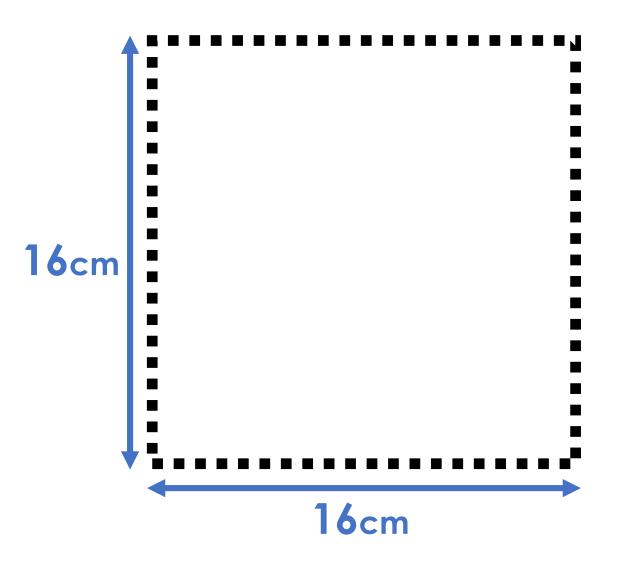
Task 46: Combined shapes







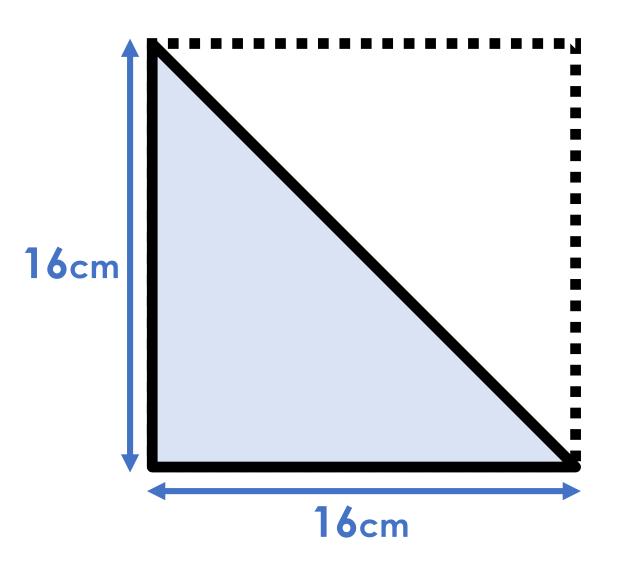




When length B = 16cm
Area of square:

$$16^2 = 256 \text{cm}^2$$

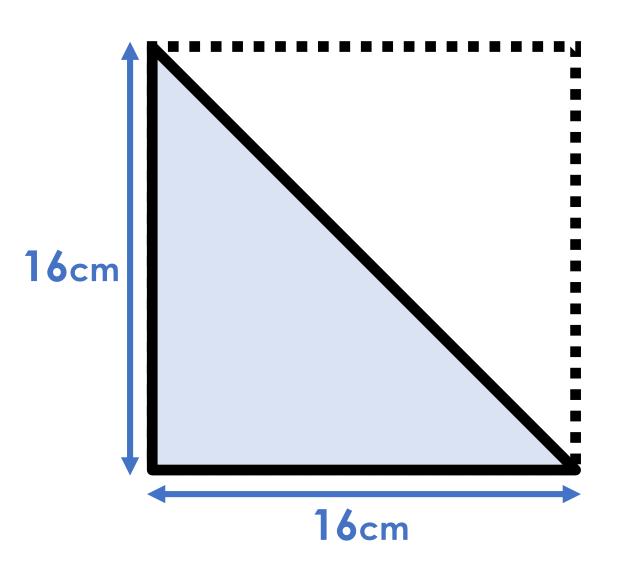




When length B = 16cm Area of triangle:

$$16^2 \div 2 = 128 \text{cm}^2$$





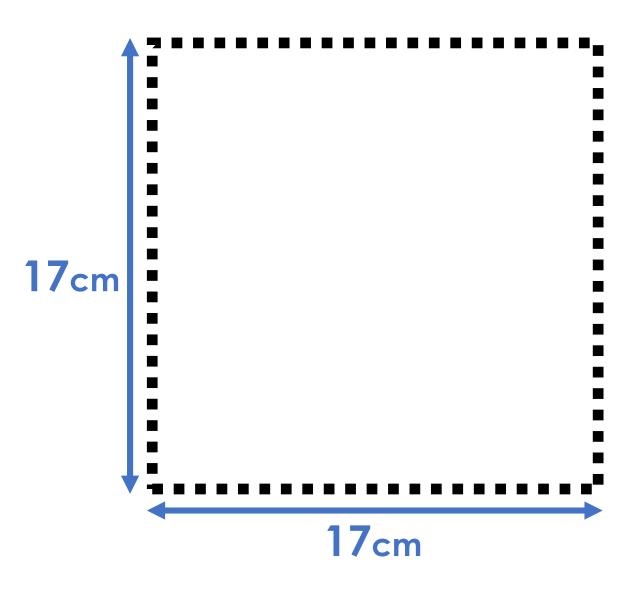
When length B = 16cmArea of triangle:

 $16^2 \div 2 = 128 \text{cm}^2$ 

Less than 150cm² √

Now try 17cm



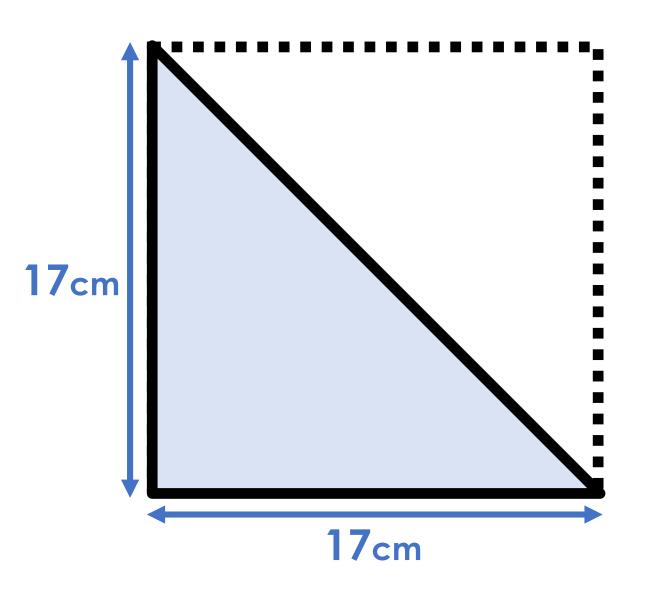


When length B = 17cm

Area of square:

$$17^2 \div 2 = 289 \text{cm}^2$$

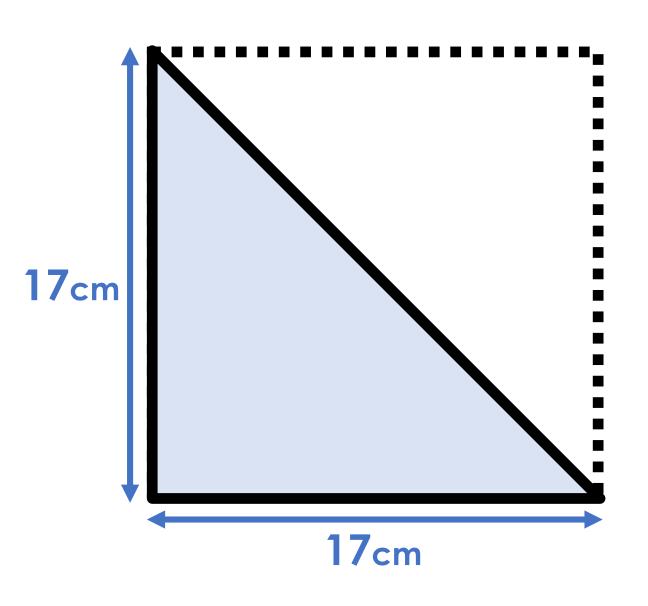




When length B = 17cm
Area of triangle:

$$17^2 \div 2 = 144.5 \text{cm}^2$$





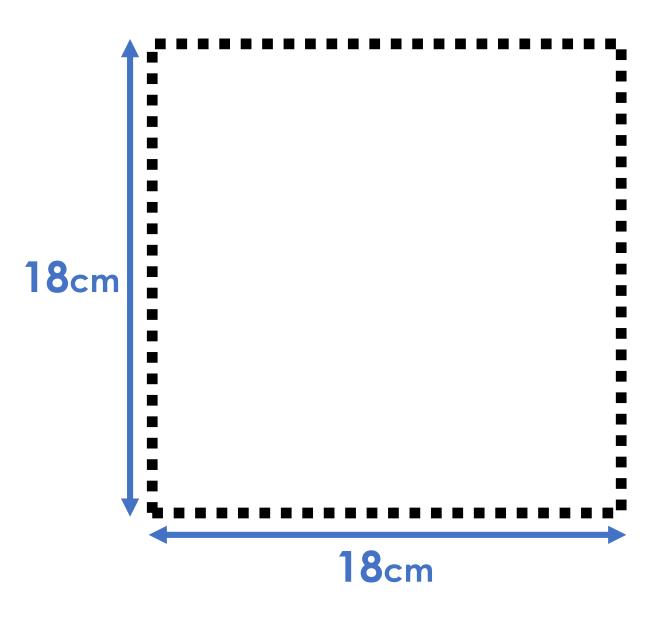
When length B = 17cmArea of triangle:

 $17^2 \div 2 = 144.5 \text{cm}^2$ 

Less than 150cm² √

Now try 18cm

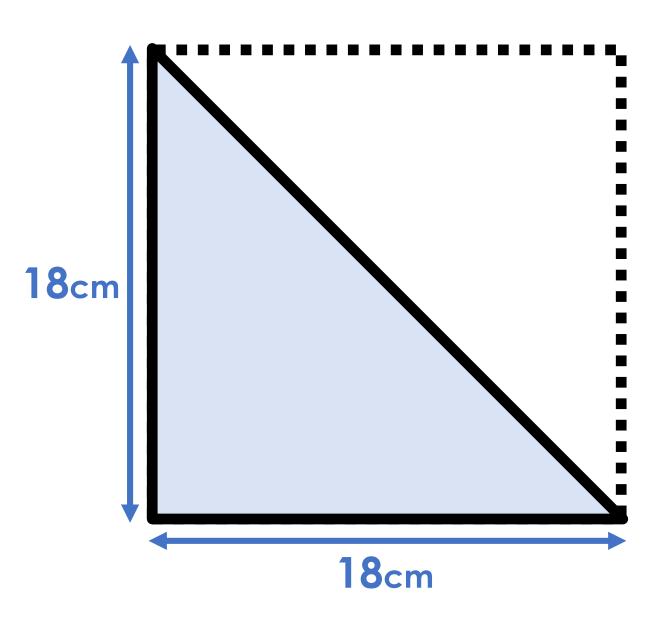




When length B = 18cm
Area of square:

$$18^2 = 324 \text{cm}^2$$

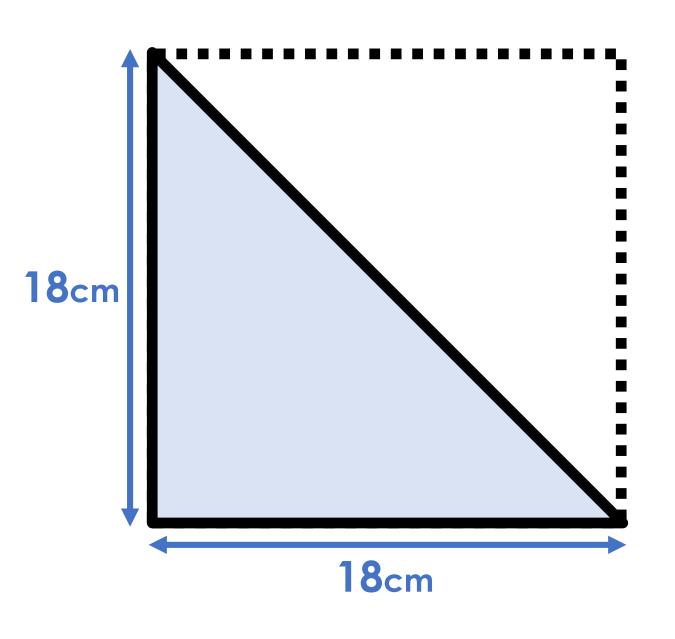




When length B = 18cm Area of triangle:

$$18^2 \div 2 = 162 \text{cm}^2$$





When length B = 18cm

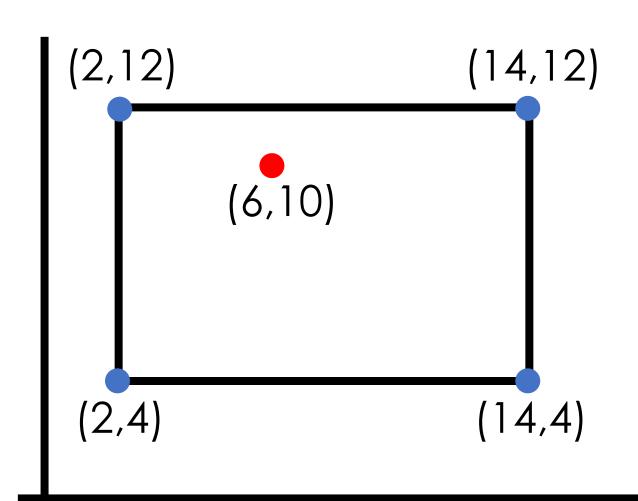
Area of triangle:

 $18^2 \div 2 = 162 \text{cm}^2$ 

More than 150cm<sup>2</sup> X

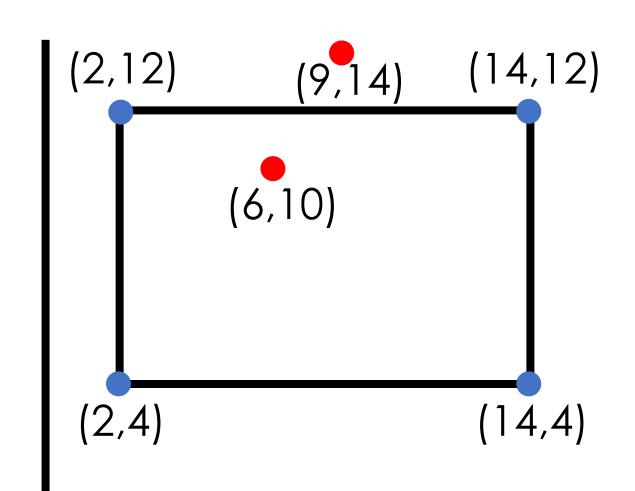
Largest length B = 17cm





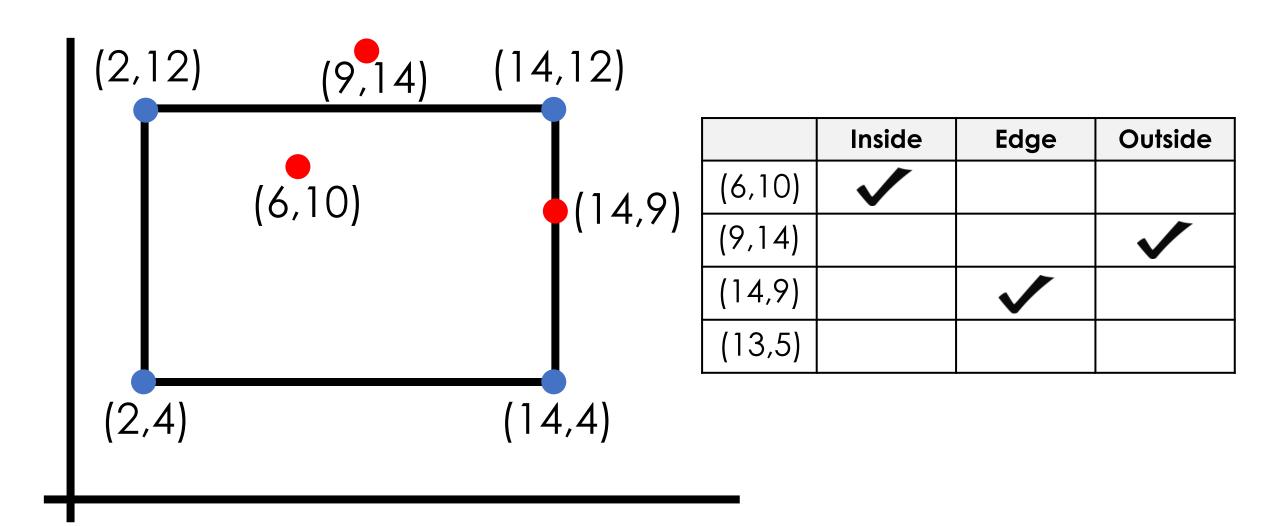
	Inside	Edge	Outside
(6,10)	<b>\</b>		
(9,14)			
(14,9)			
(13,5)			



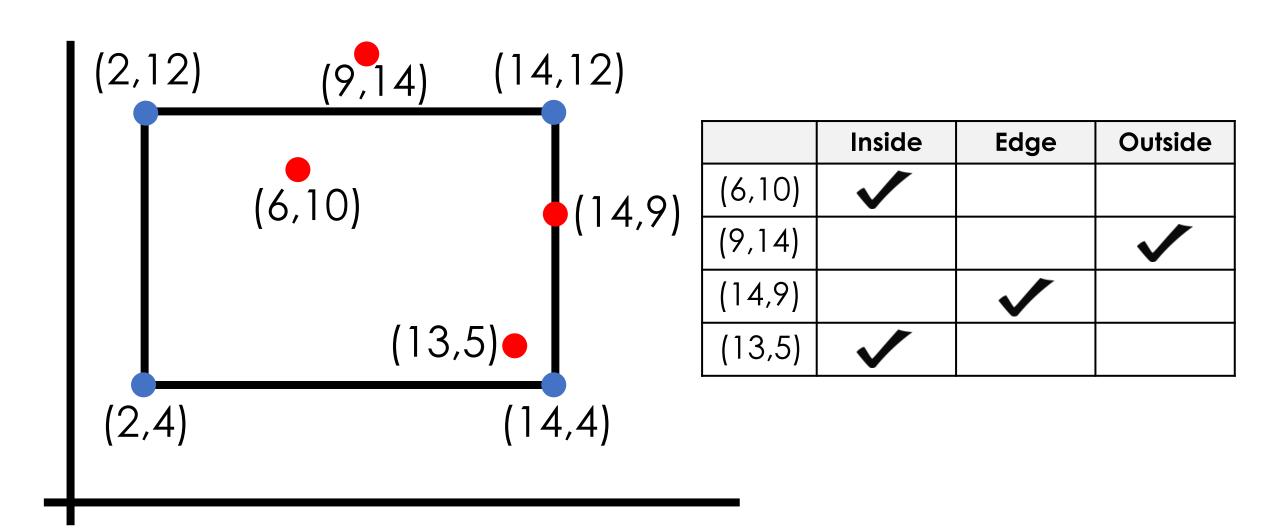


	Inside	Edge	Outside
(6,10)	<b>\</b>		
(9,14)			<b>/</b>
(14,9)			
(13,5)			

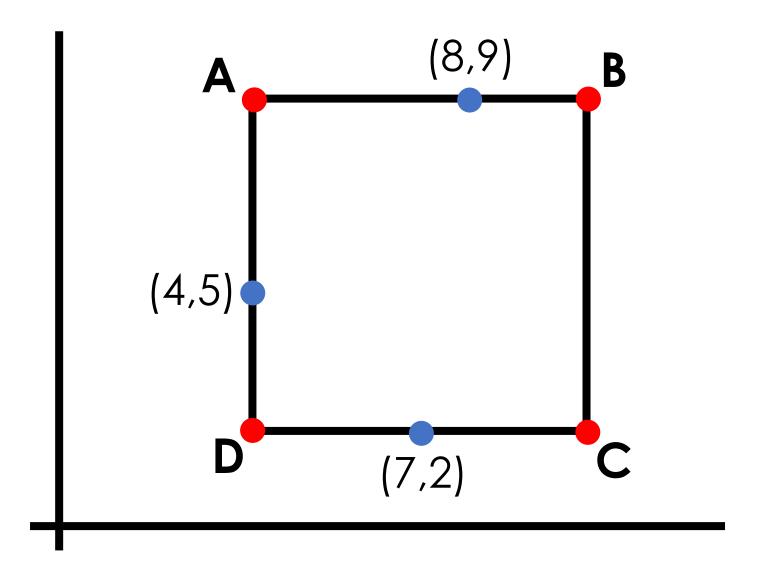




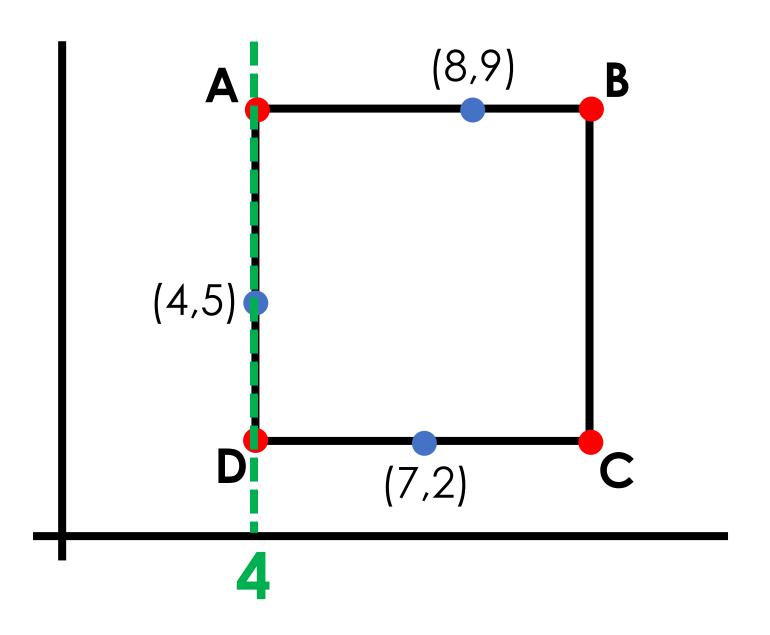




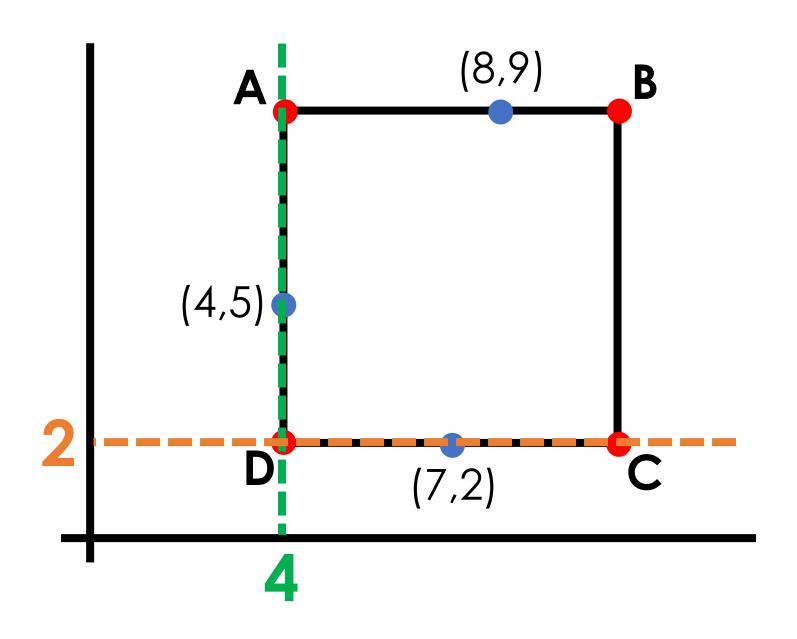




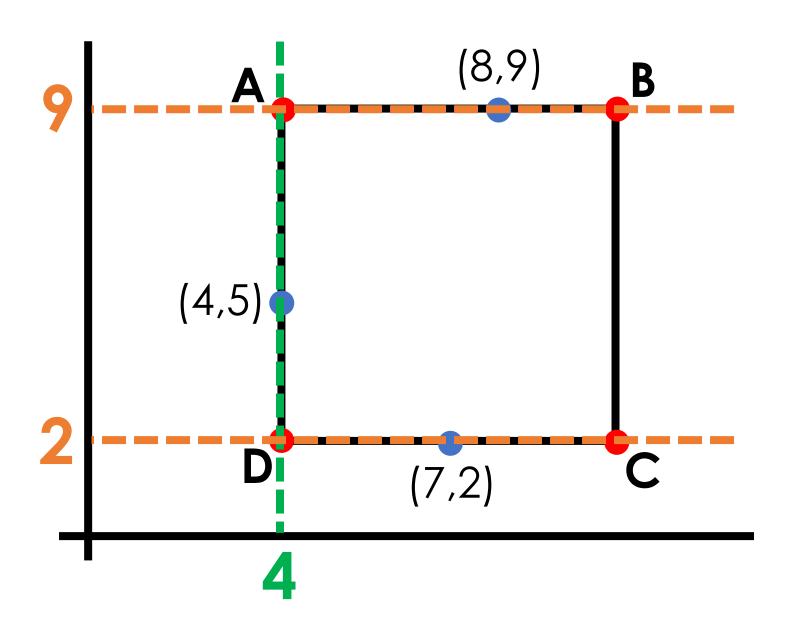




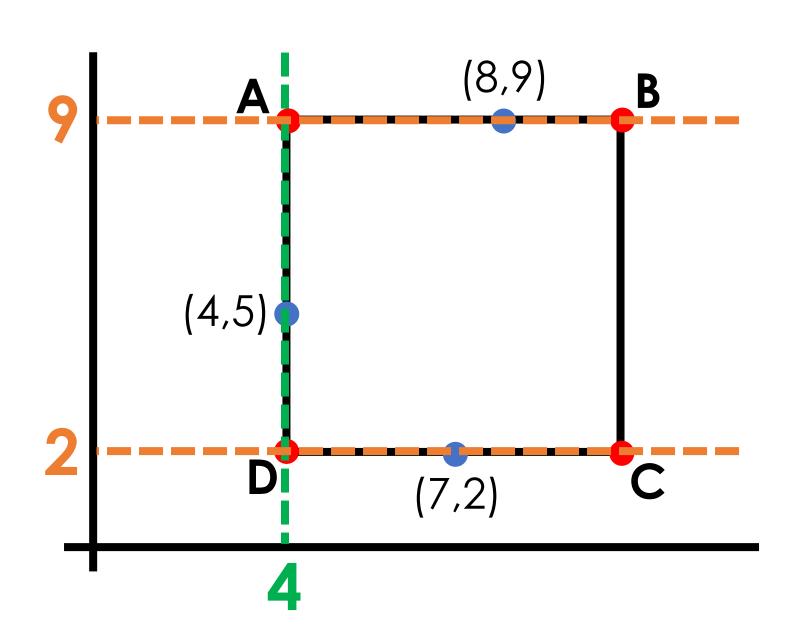






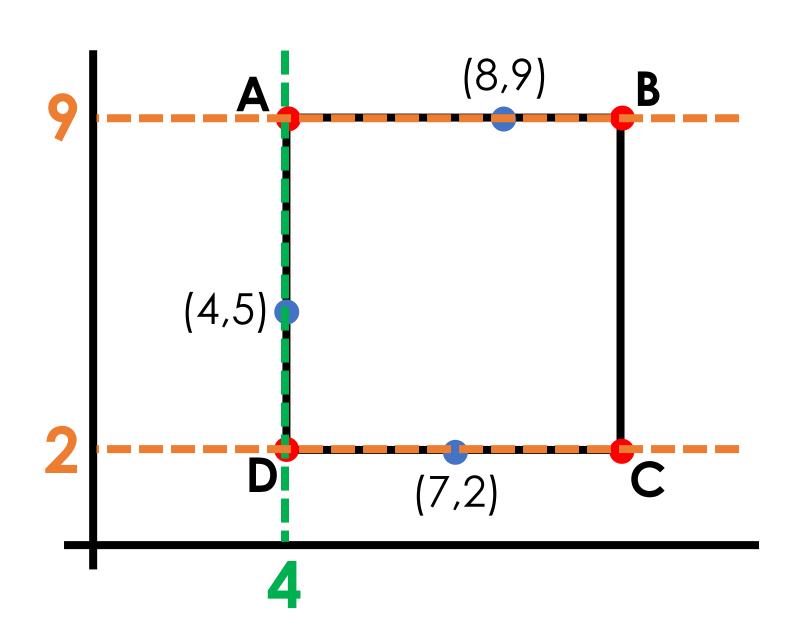






$$A = (4,9)$$

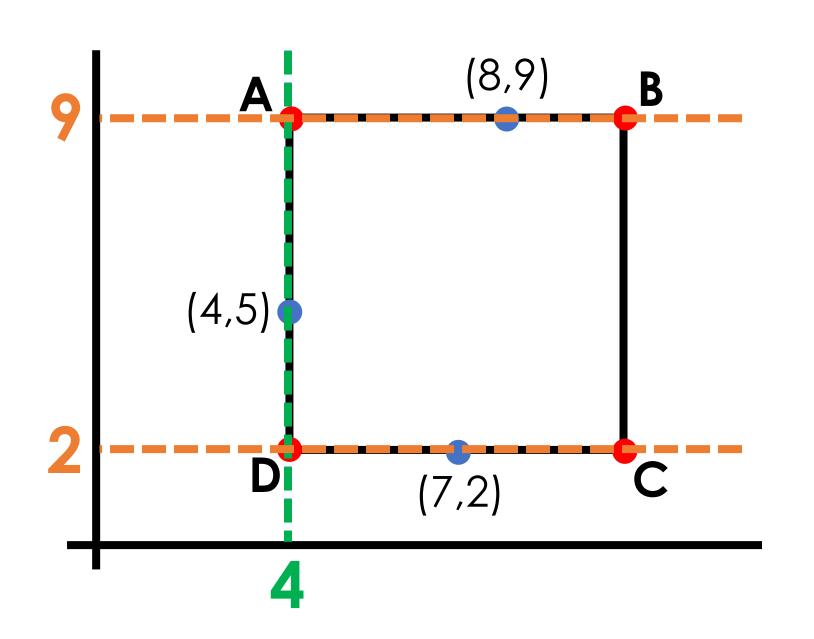




$$A = (4,9)$$

$$D=(4,2)$$



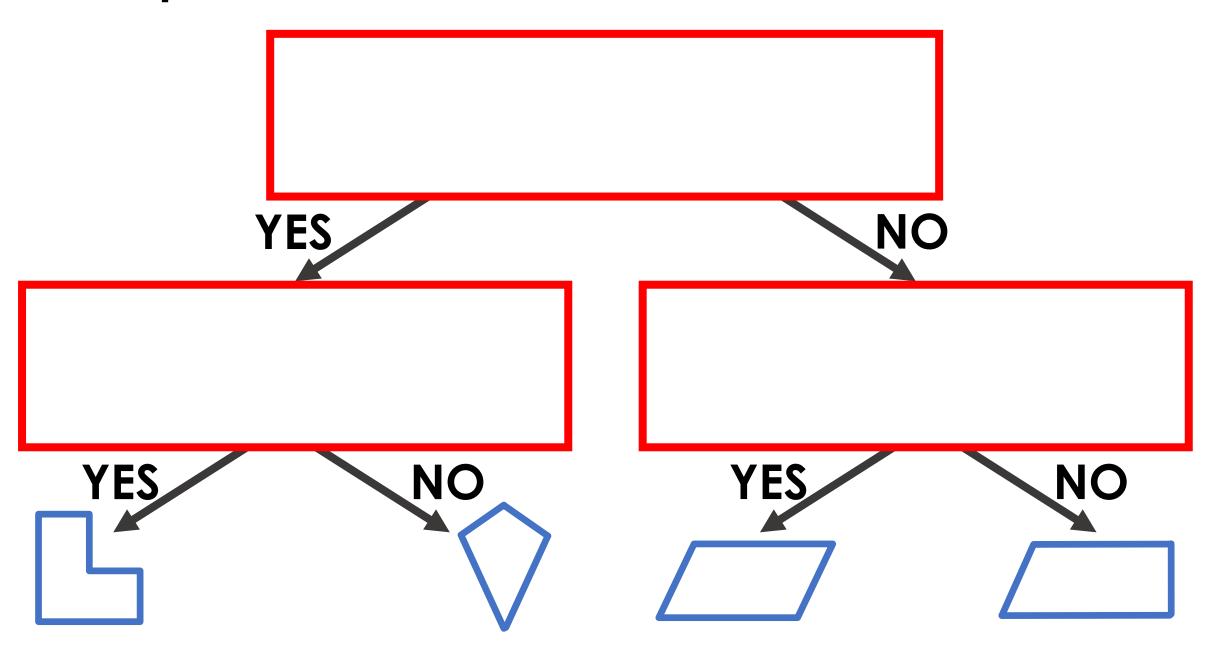


$$A = (4,9)$$

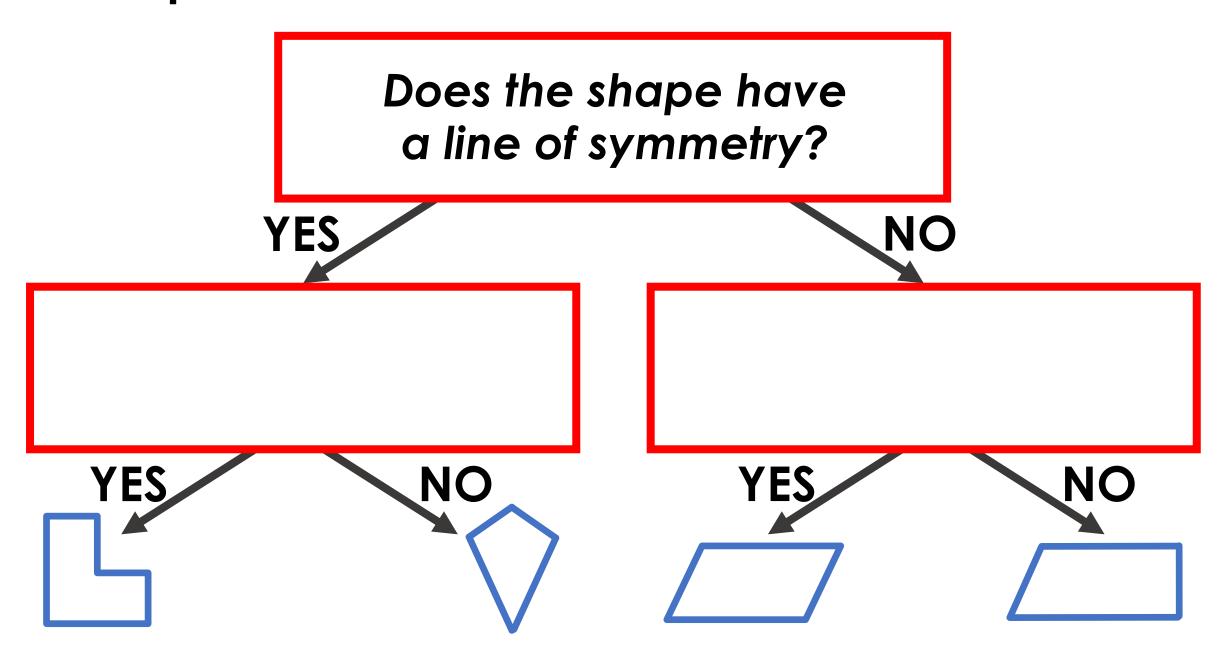
$$D=(4,2)$$

We don't know the x coordinate of points B and C

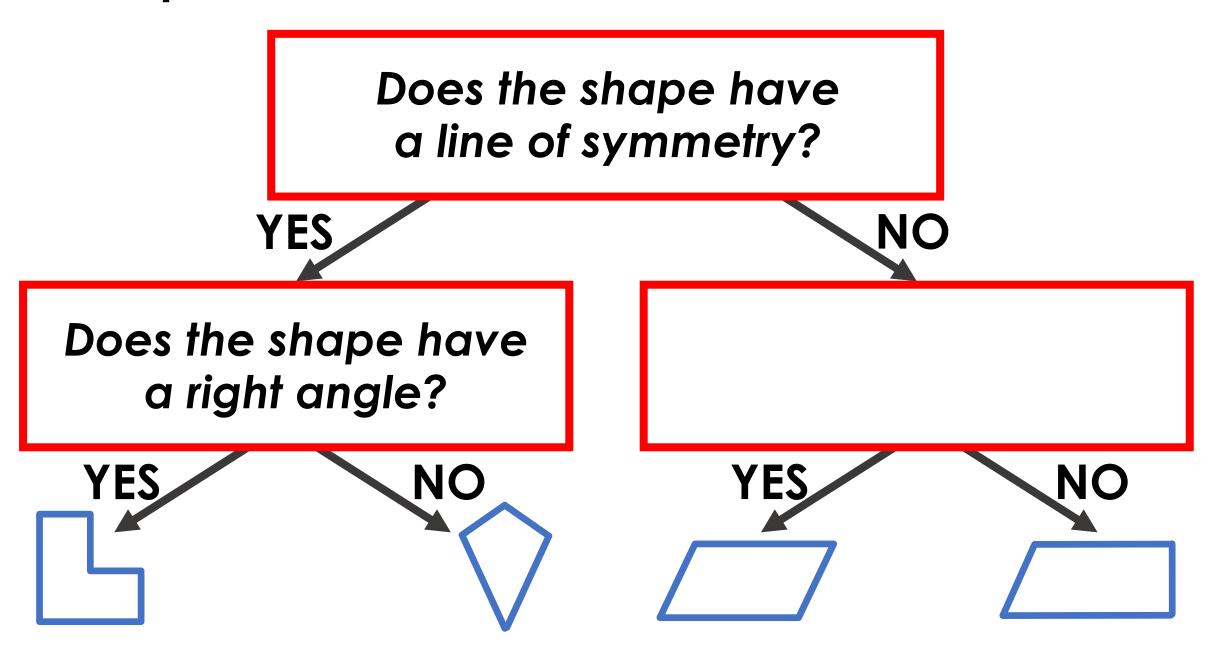




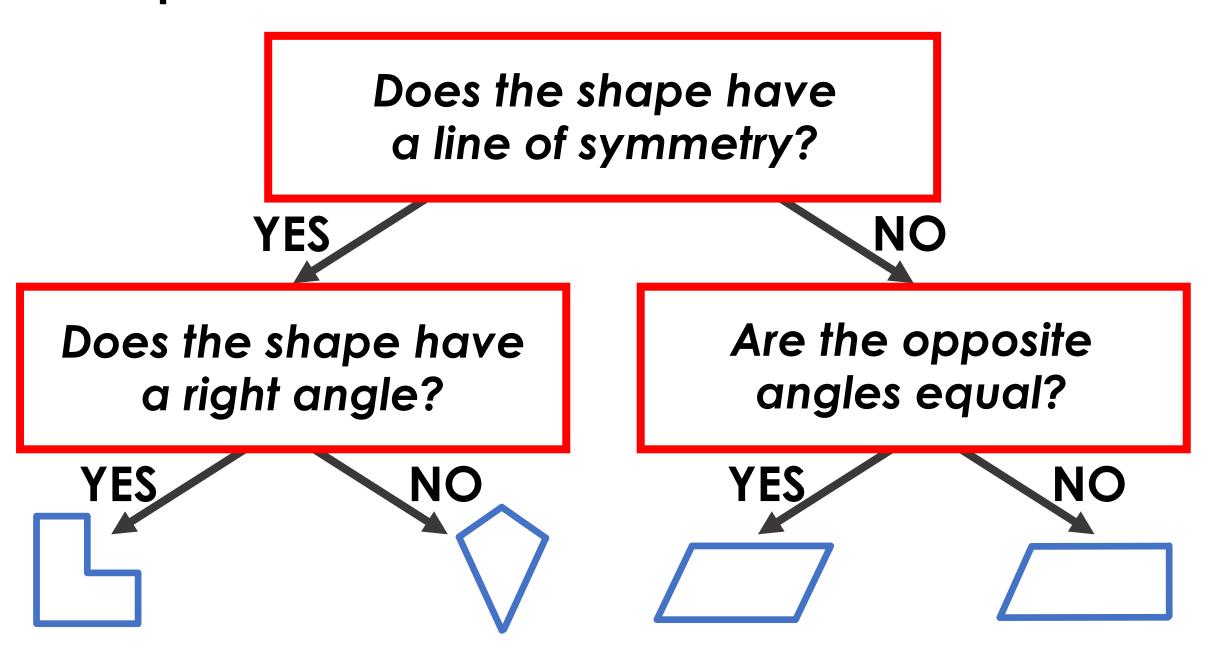




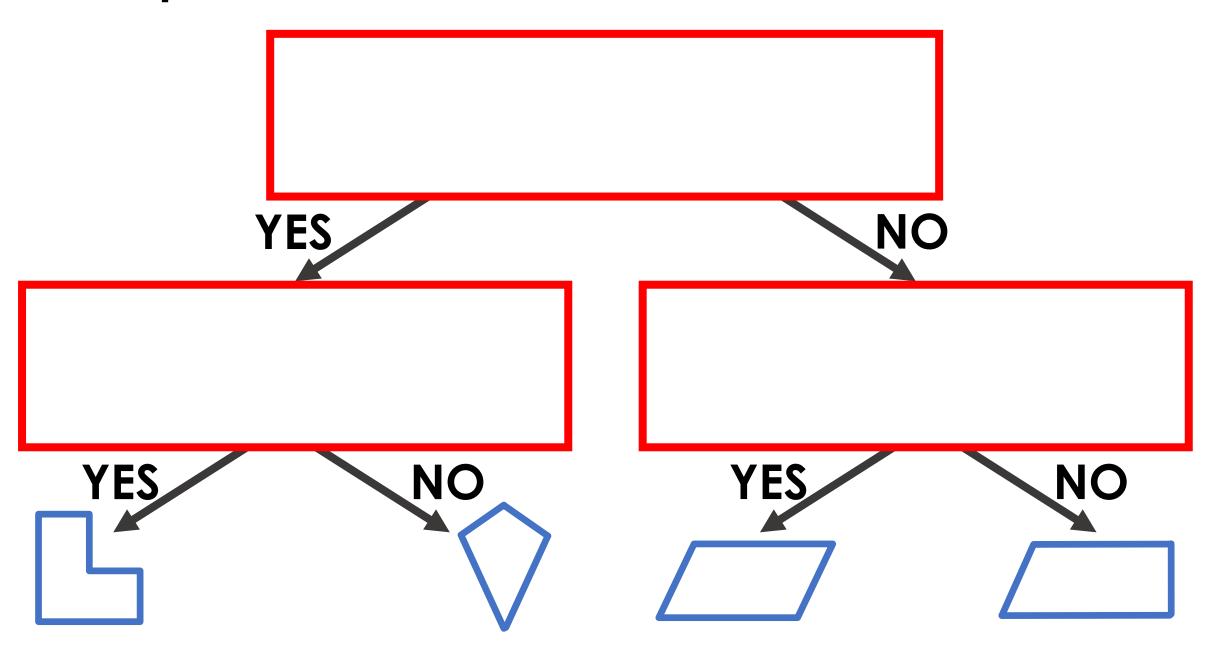




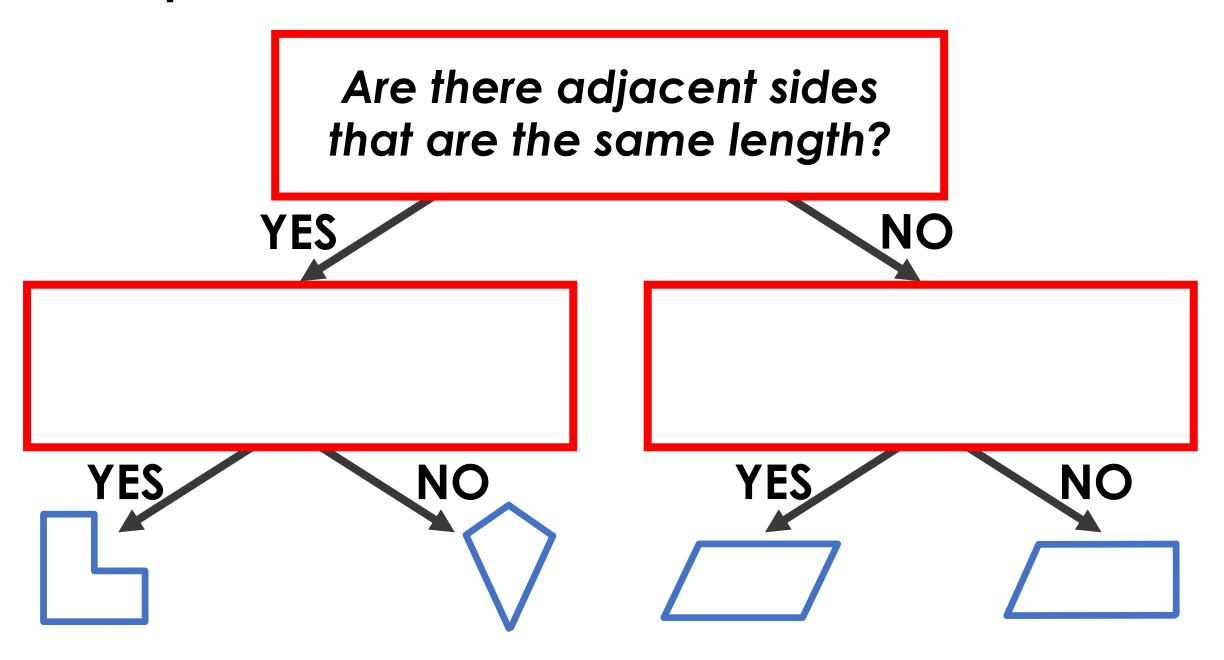




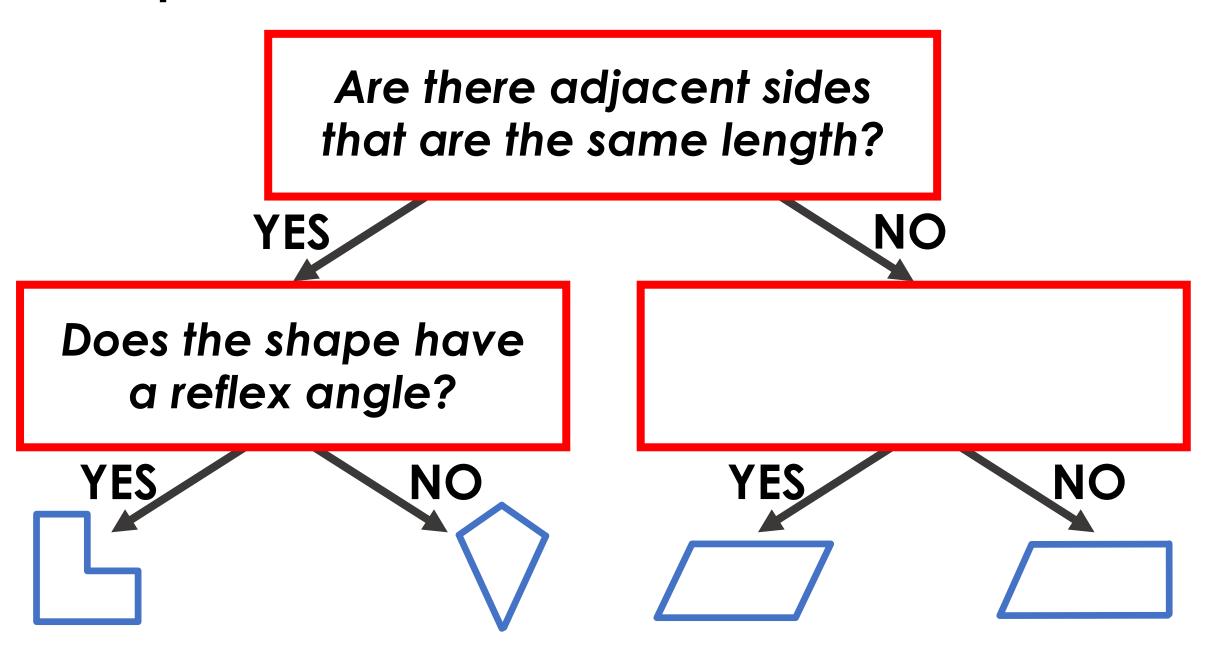




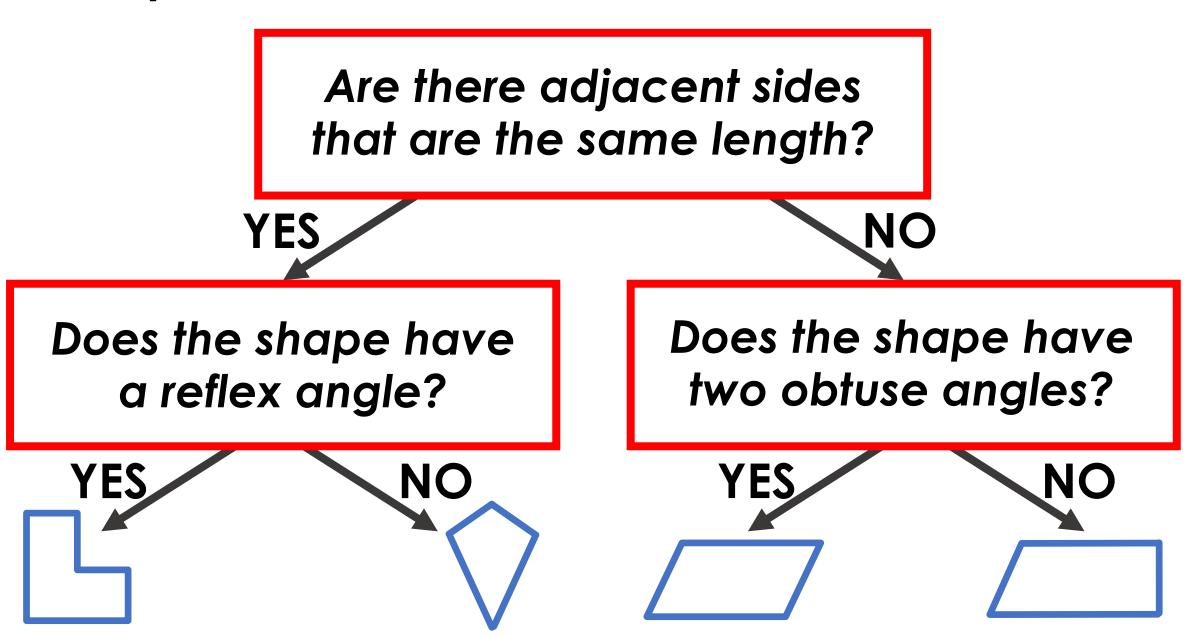




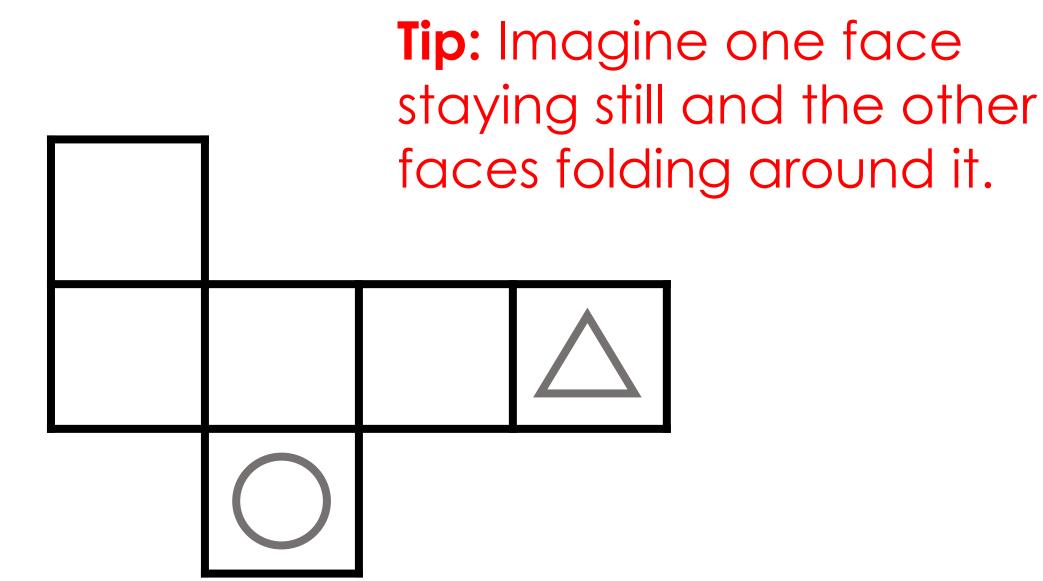




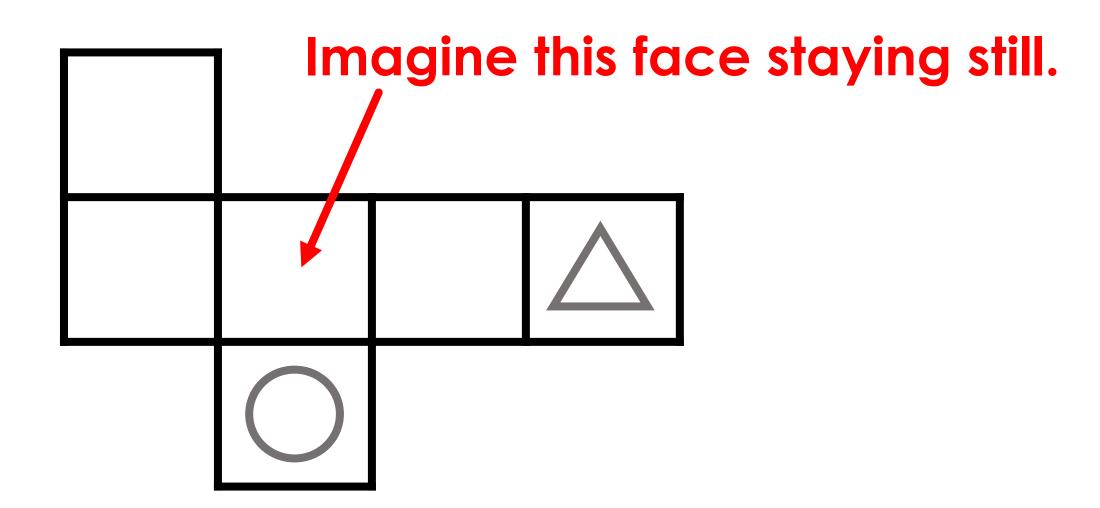




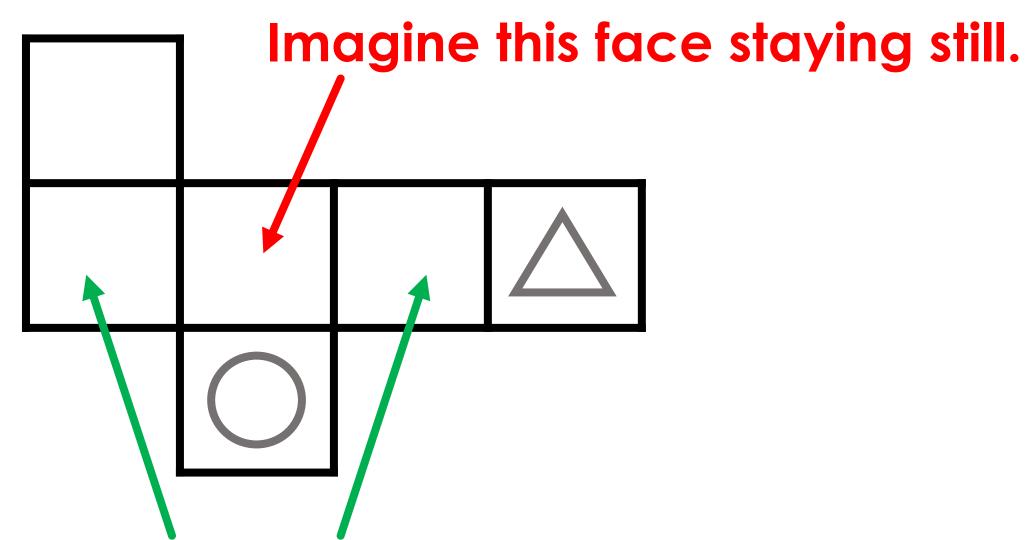






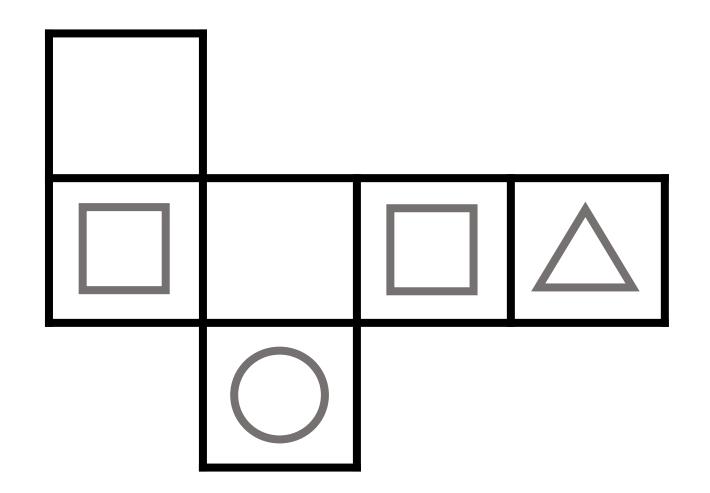




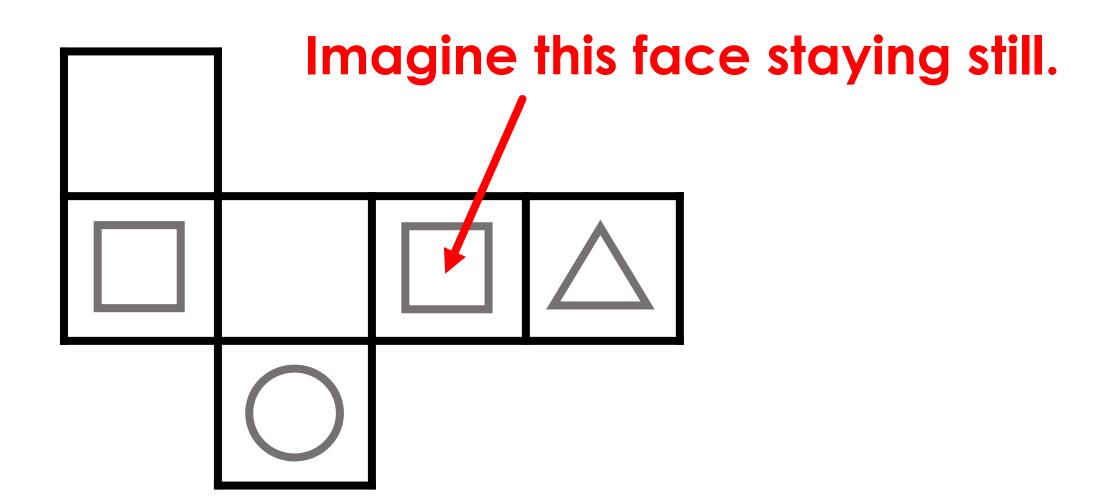


These faces are opposite.

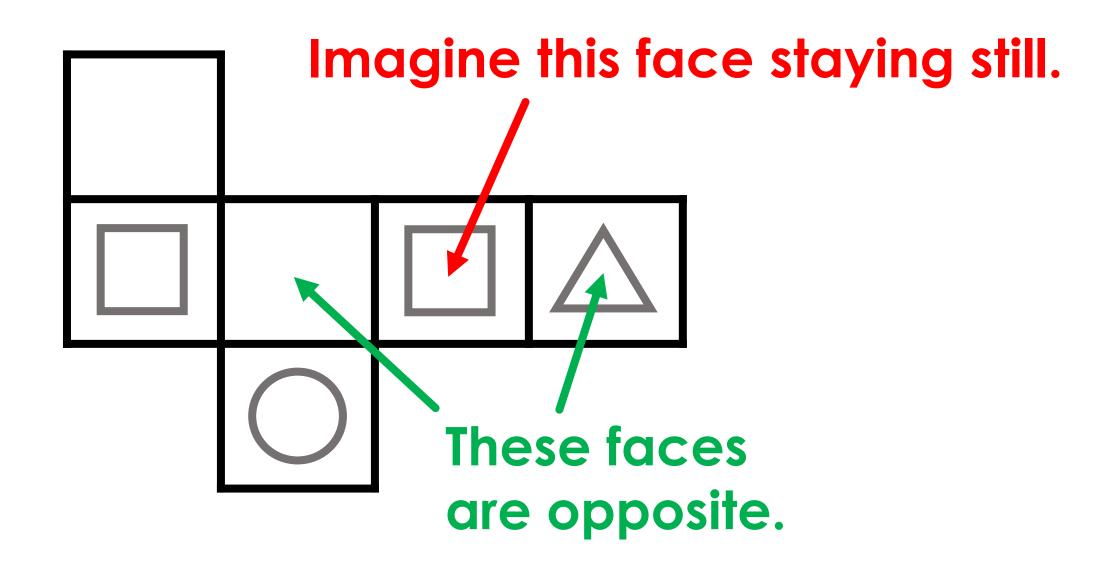




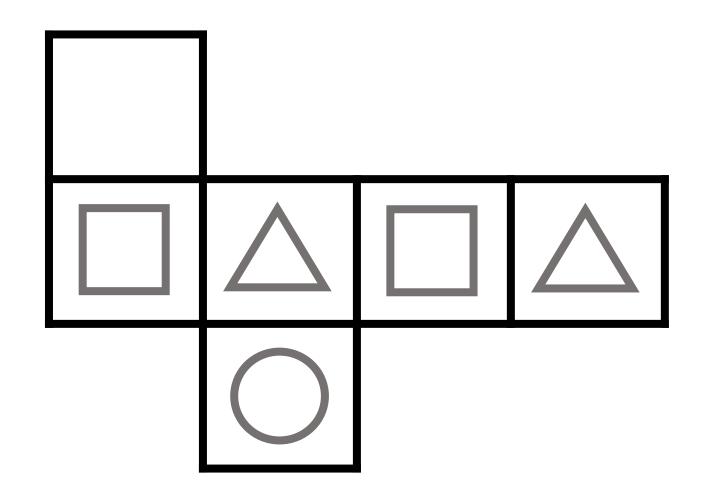




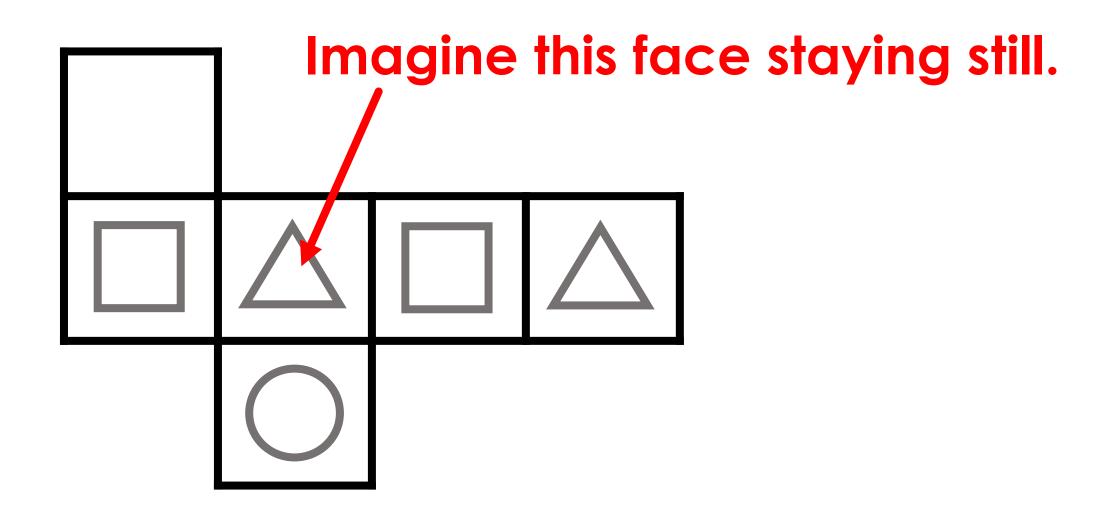




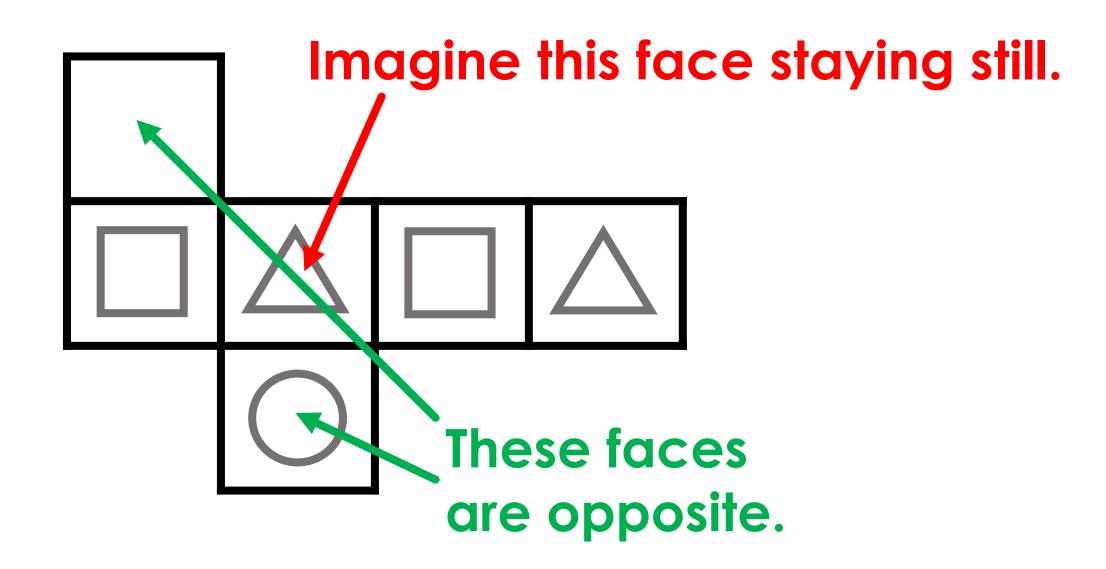




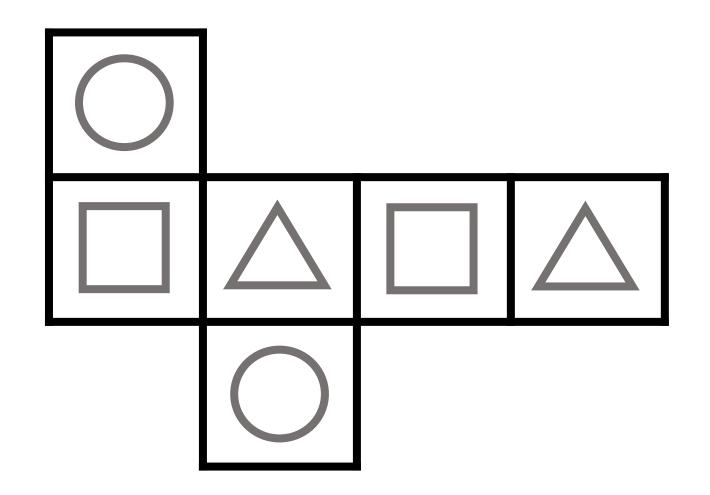








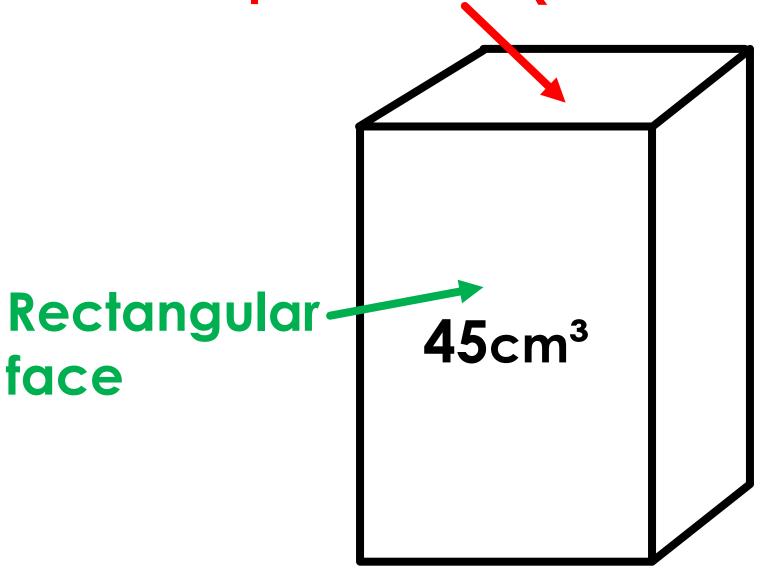






### Task 52: Cuboid dimensions

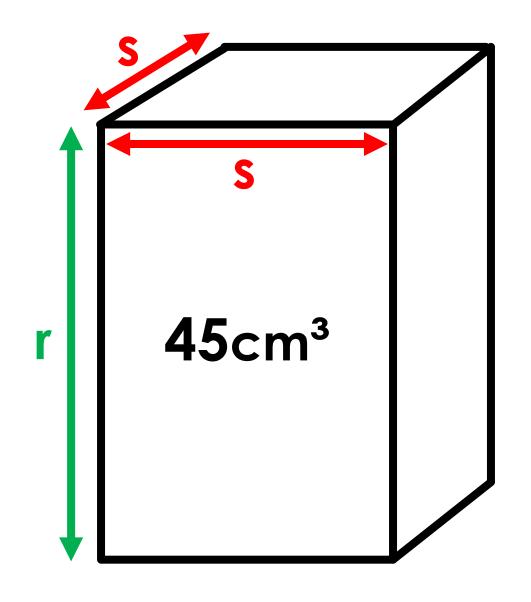
Square face (sides same length)





### Task 52: Cuboid dimensions

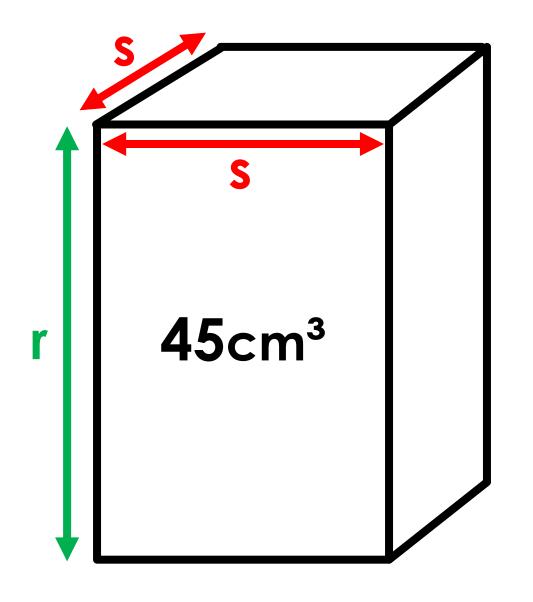
$$\mathbf{s} \times \mathbf{s} \times \mathbf{r} = 45 \text{cm}^3$$





### Task 52: Cuboid dimensions

$$\mathbf{s} \times \mathbf{s} \times \mathbf{r} = 45 \text{cm}^3$$



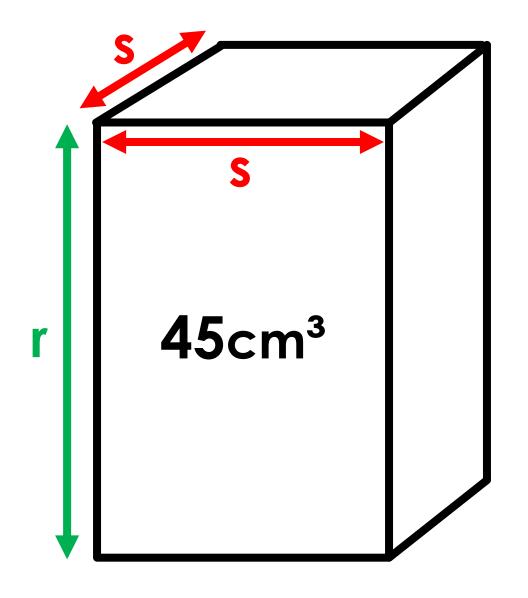
s × s is a factor of 45

What could the length of s be?



#### Task 52: Cuboid dimensions

$$\mathbf{s} \times \mathbf{s} \times \mathbf{r} = 45 \text{cm}^3$$

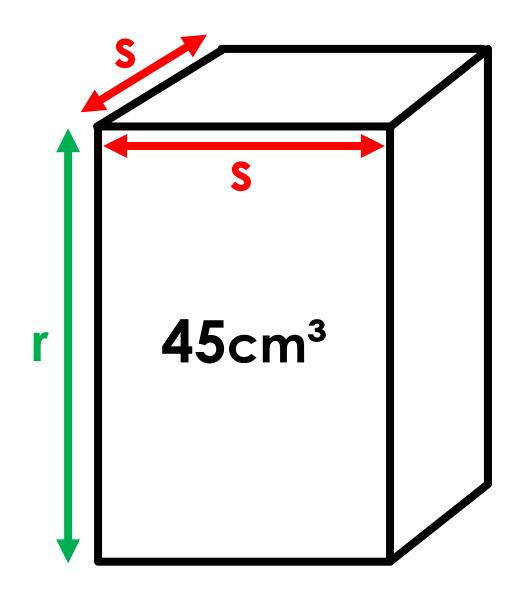


$$s = 3cm$$



#### Task 52: Cuboid dimensions

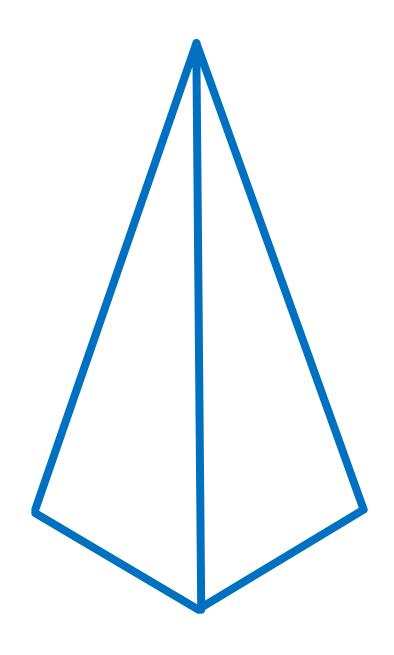
$$\mathbf{s} \times \mathbf{s} \times \mathbf{r} = 45 \text{cm}^3$$



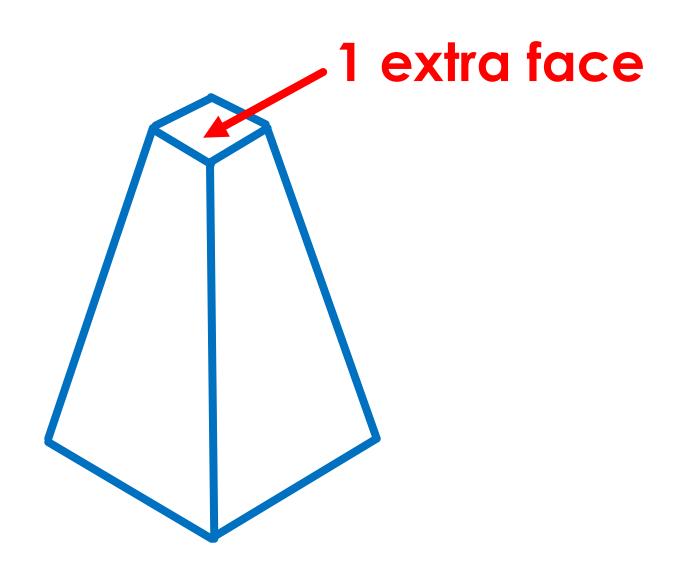
$$s = 3cm$$

$$r = 5cm$$

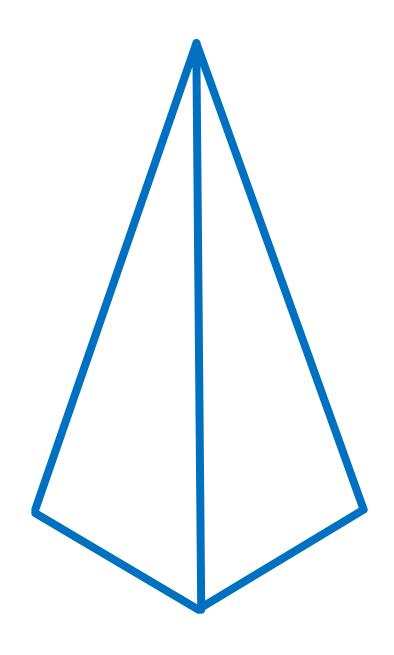




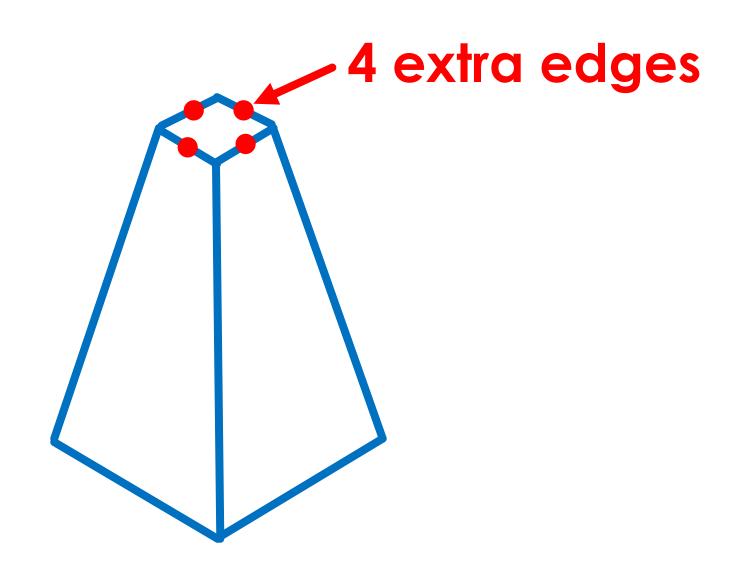




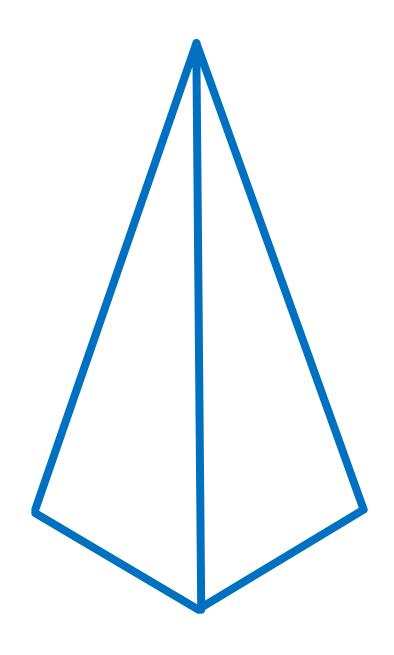




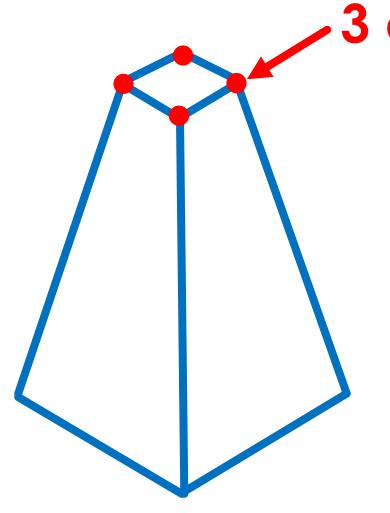












#### 3 extra vertices

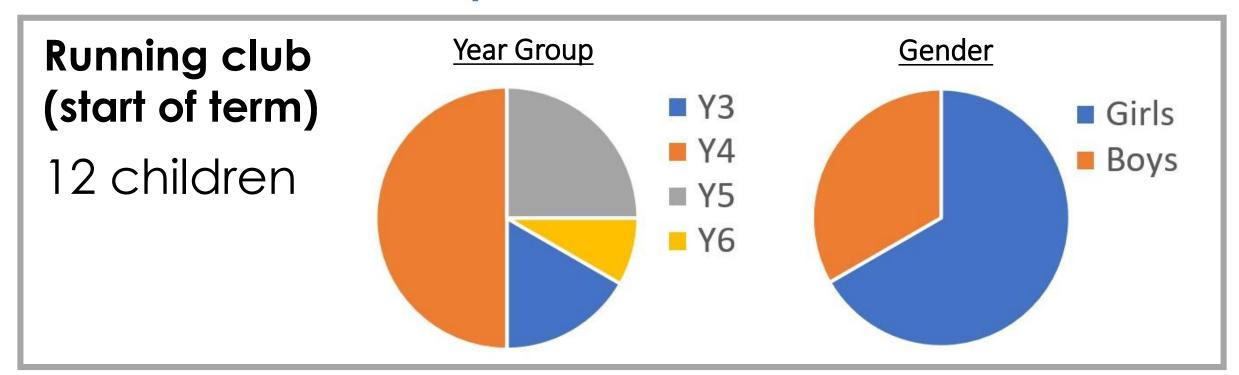
#### Note:

4 new vertices at the top.

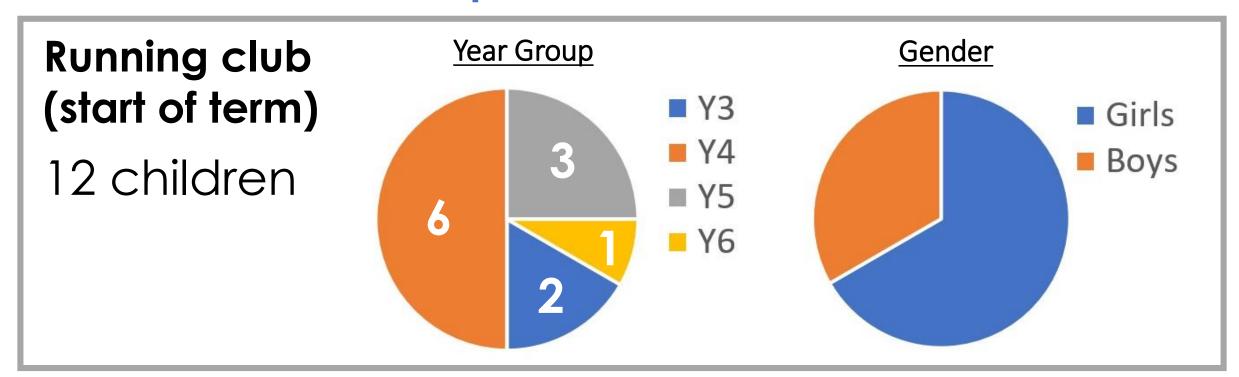
1 vertices cut off from top of pyramid.

In total 3 extra vertices.

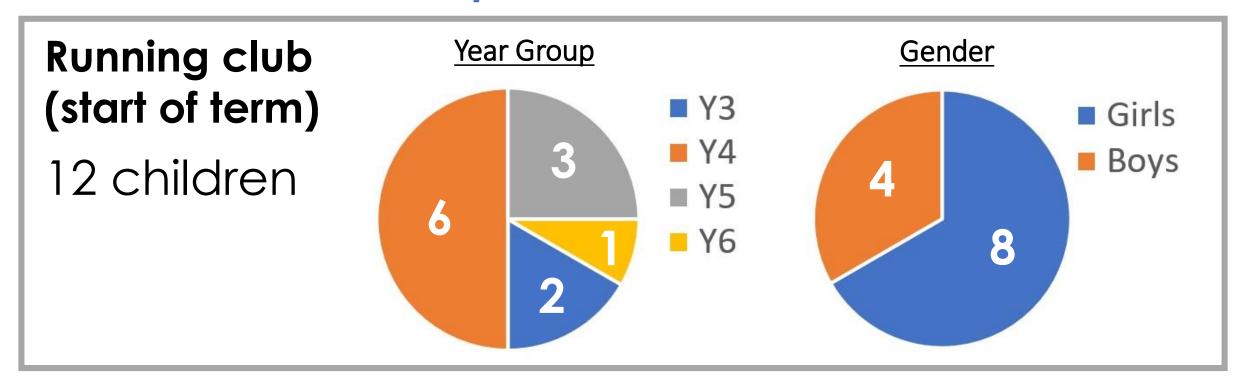




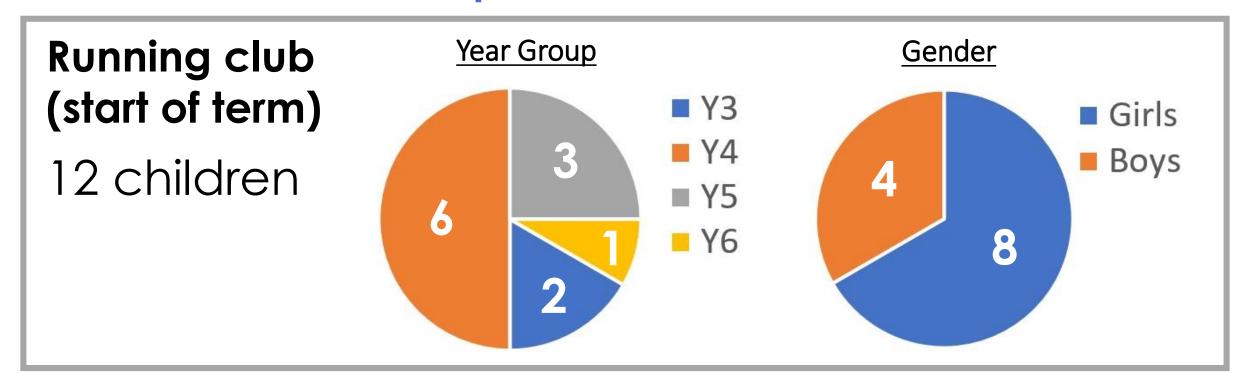


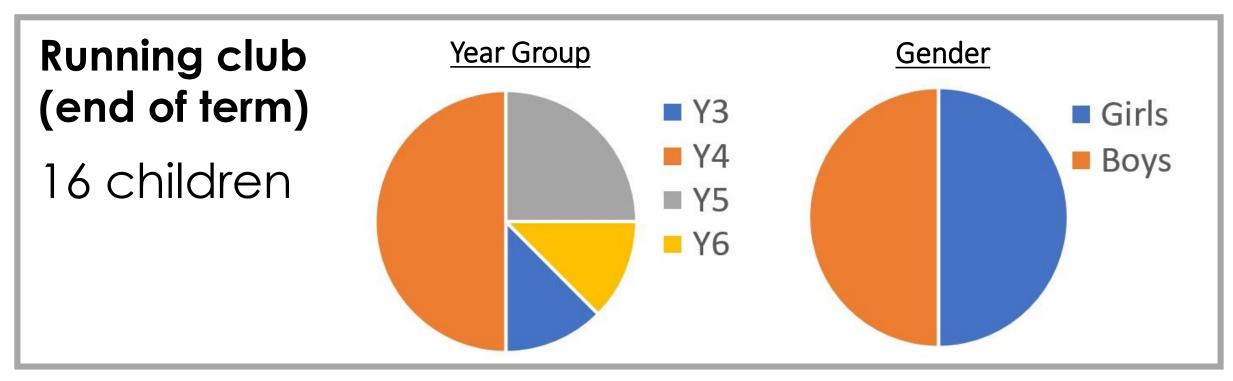






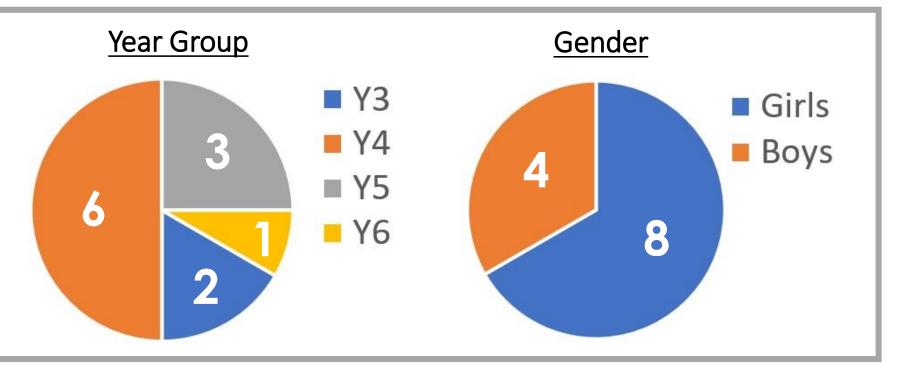






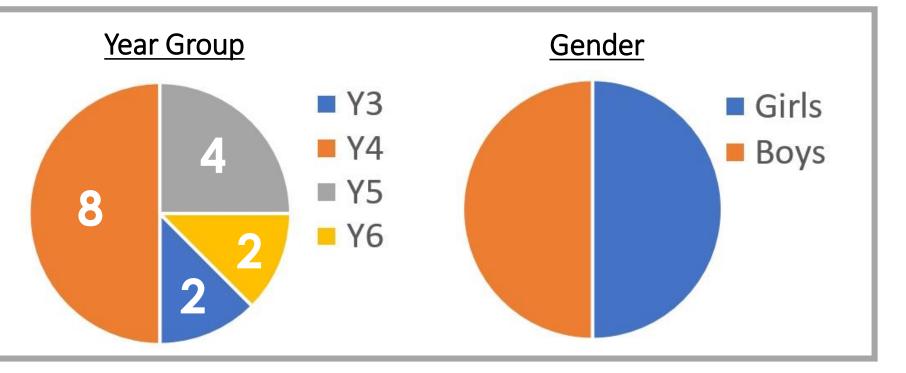




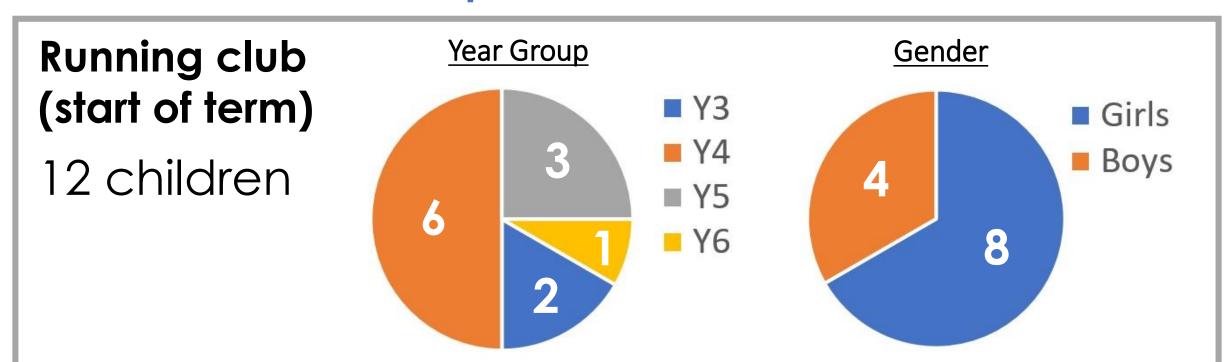


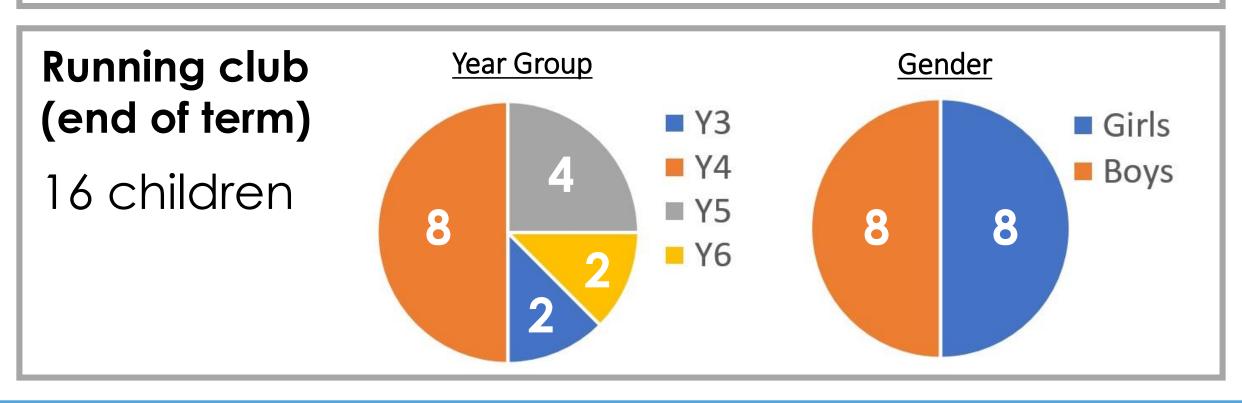
# Running club (end of term)

16 children

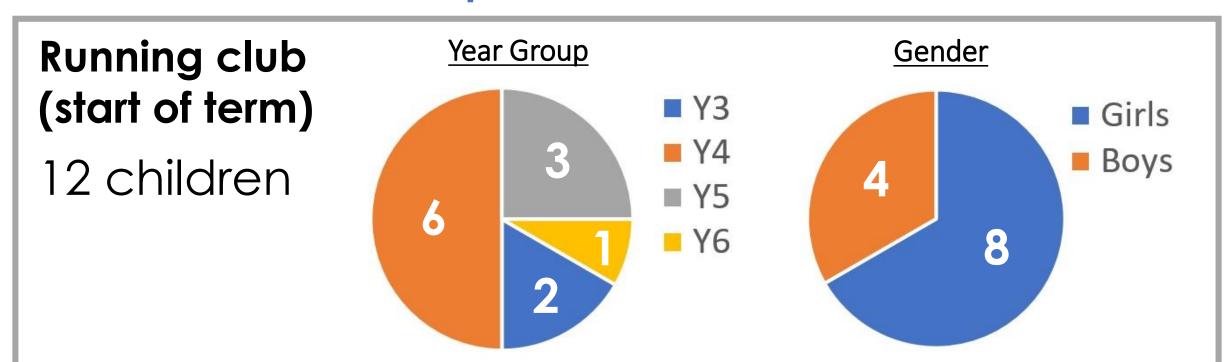


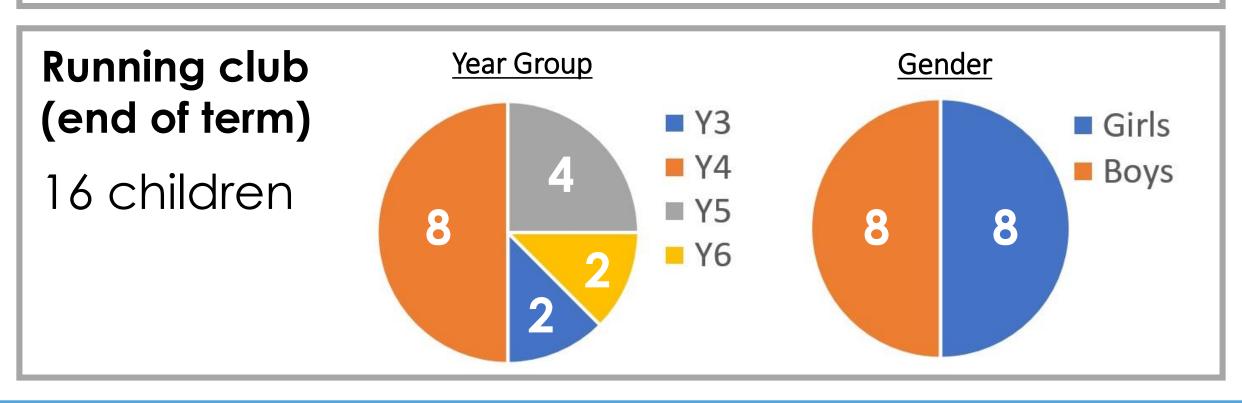




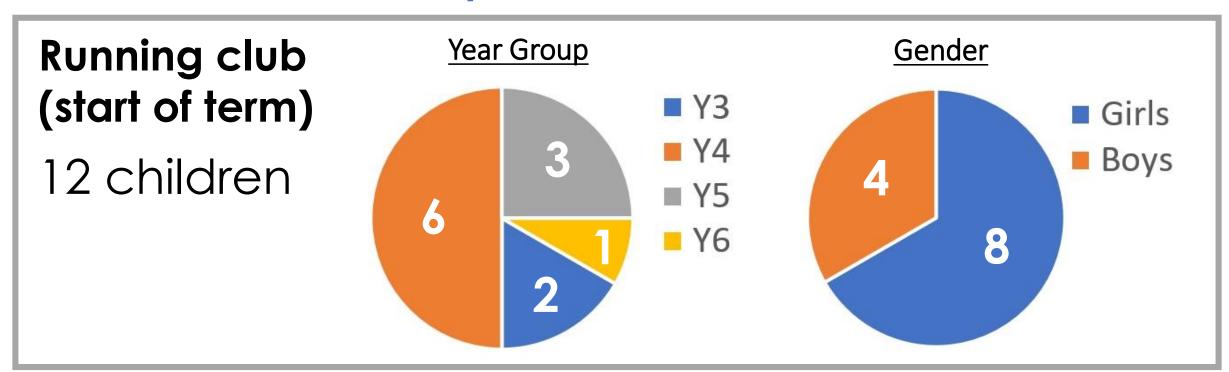


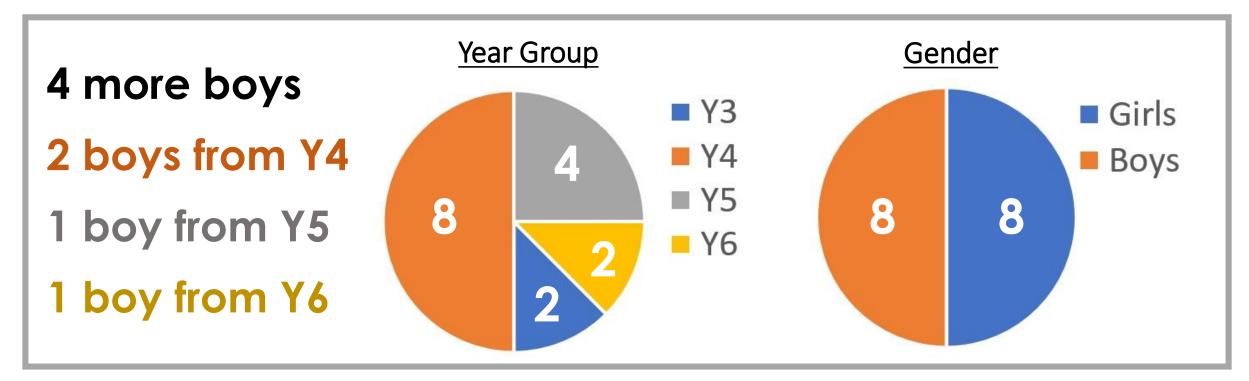




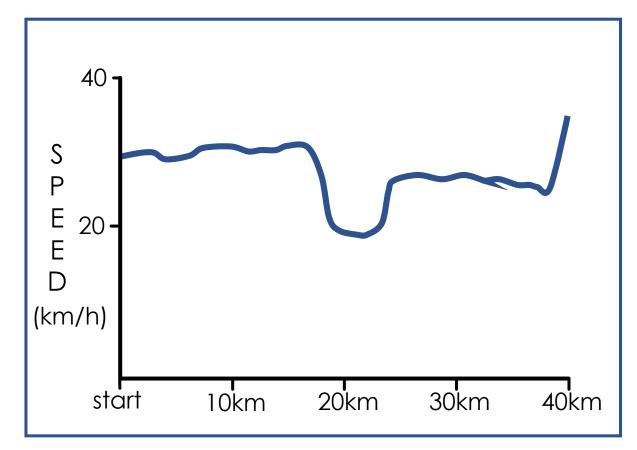


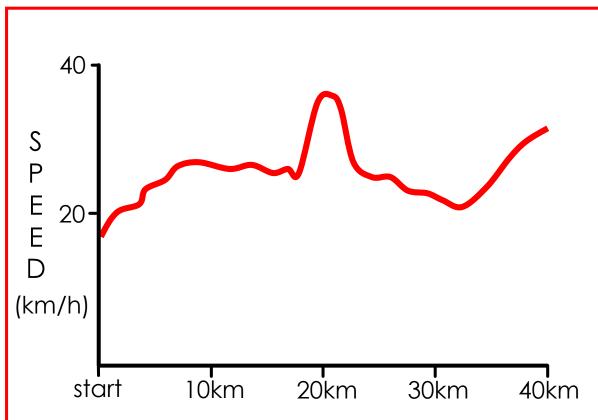










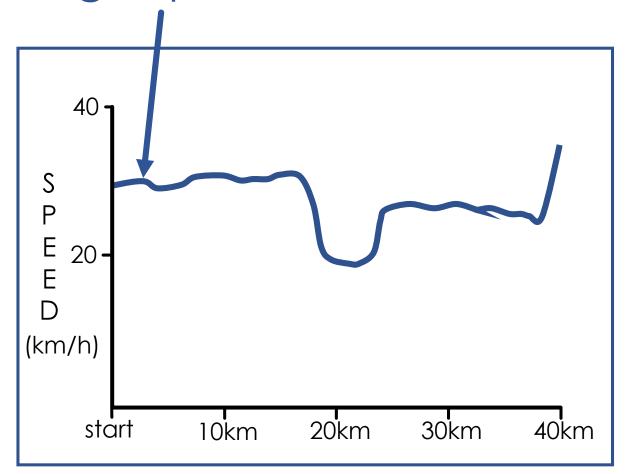


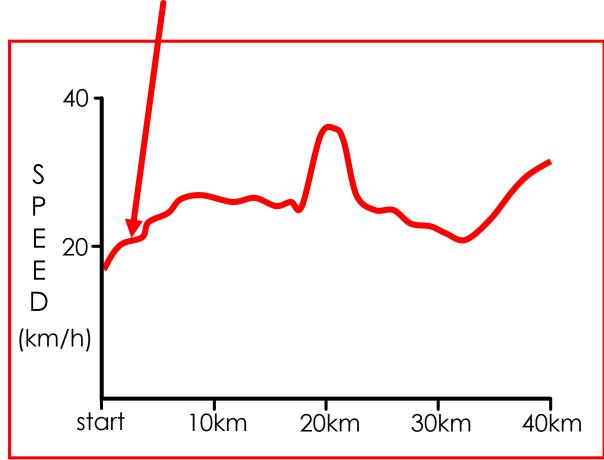
'I started the race quickly.'



High speed at the start

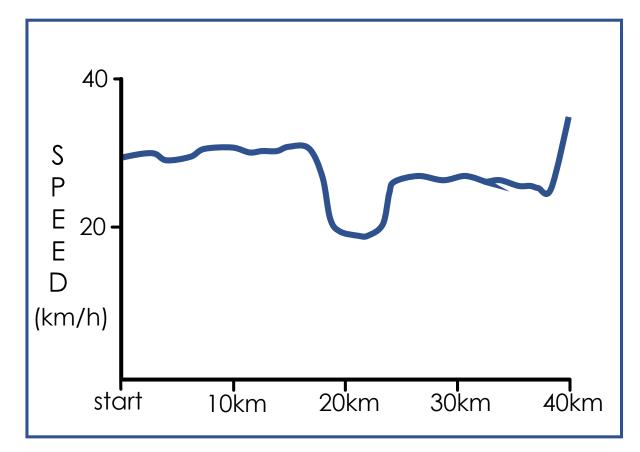
Low speed at the start

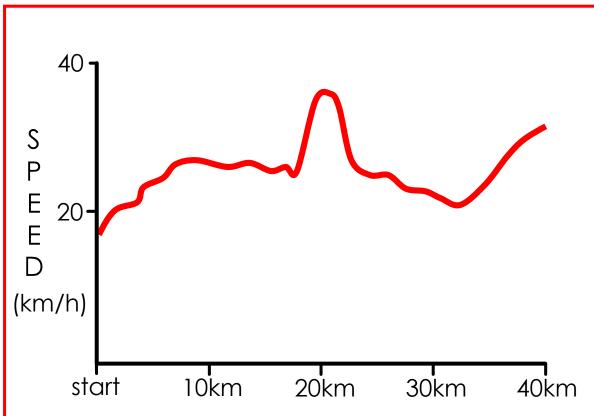




'I started the race quickly.'

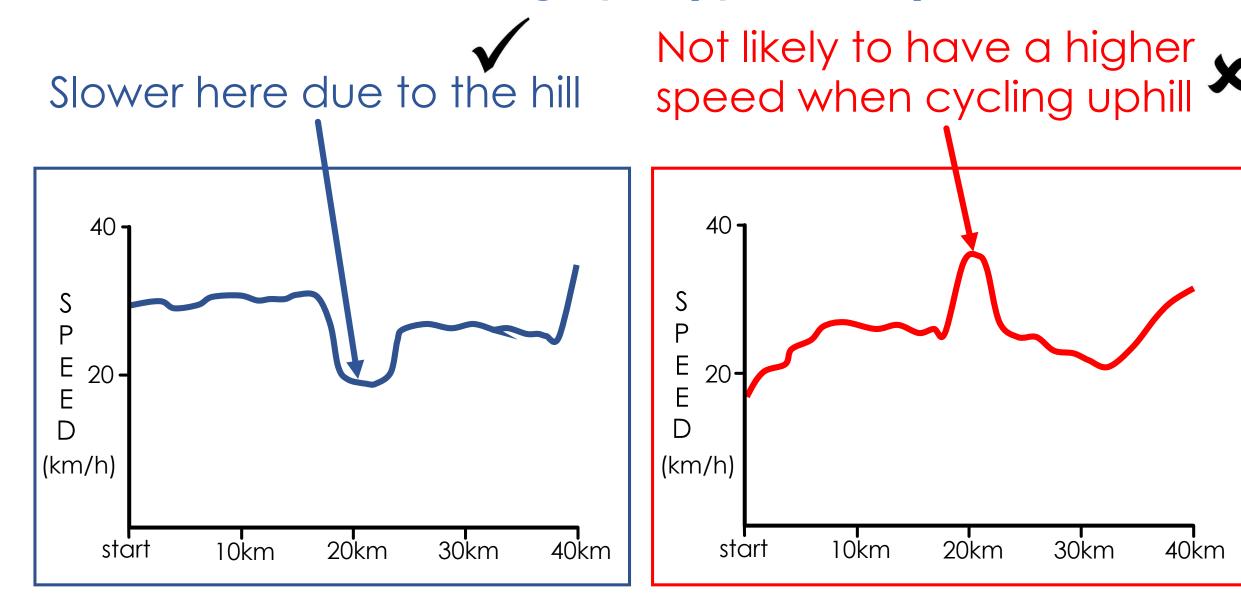






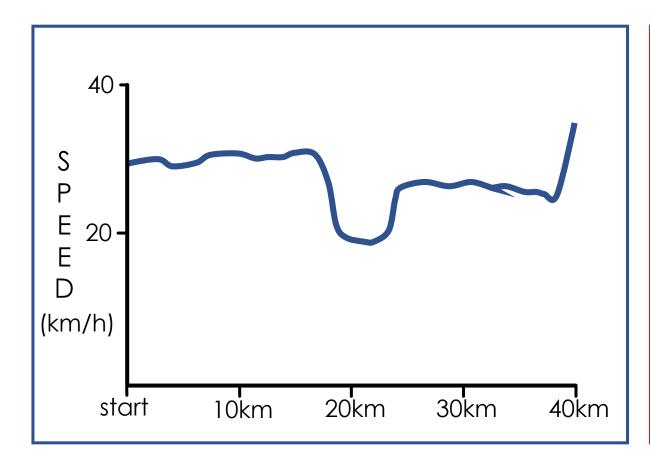
'There was a big uphill climb half-way through the race.'

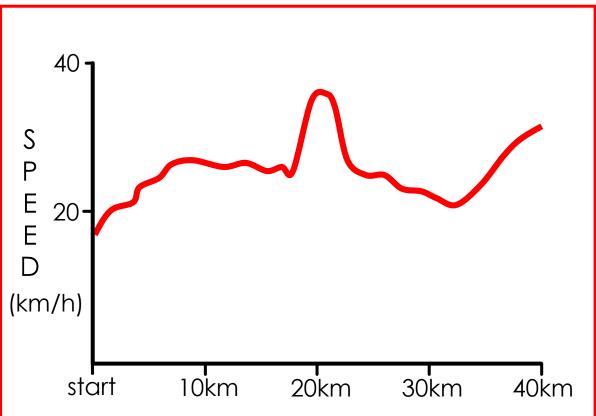




'There was a big uphill climb half-way through the race.'

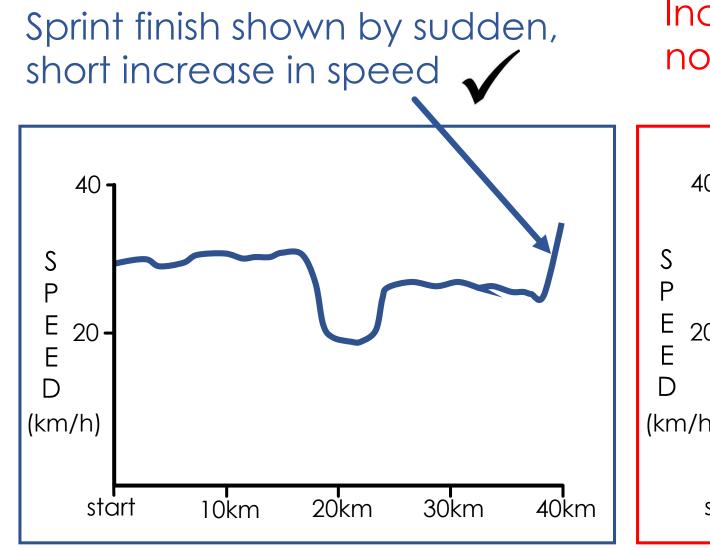


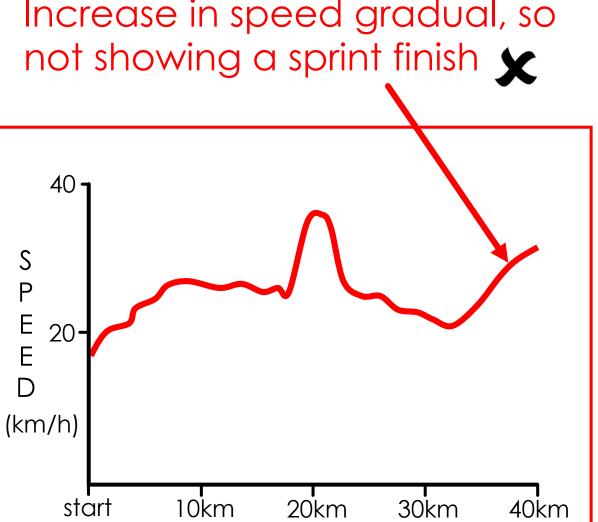




'I slowed down for the last 5km but I did a sprint finish.'





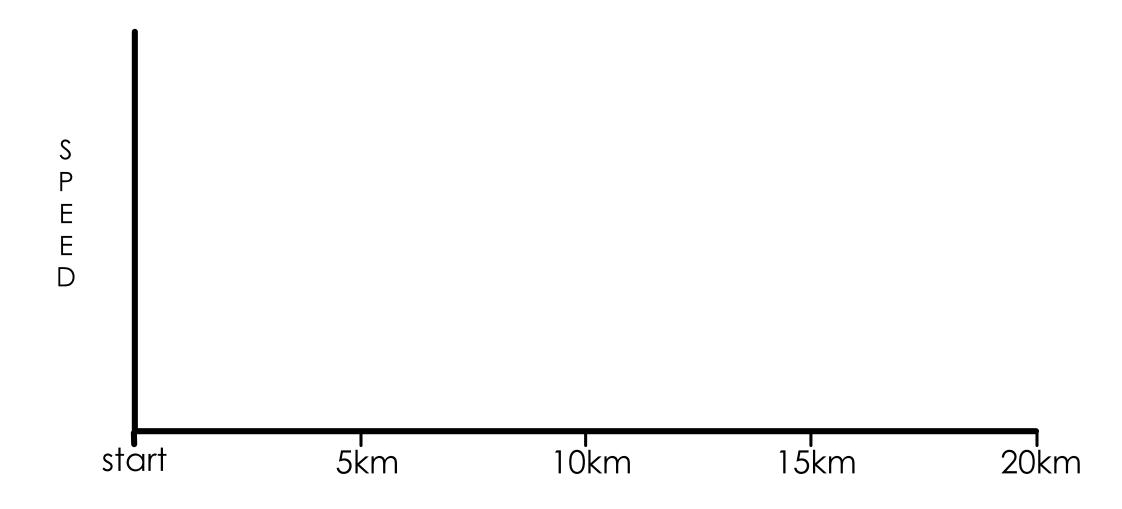


'I slowed down for the last 5km but I did a sprint finish.'



# **Example Graph:**

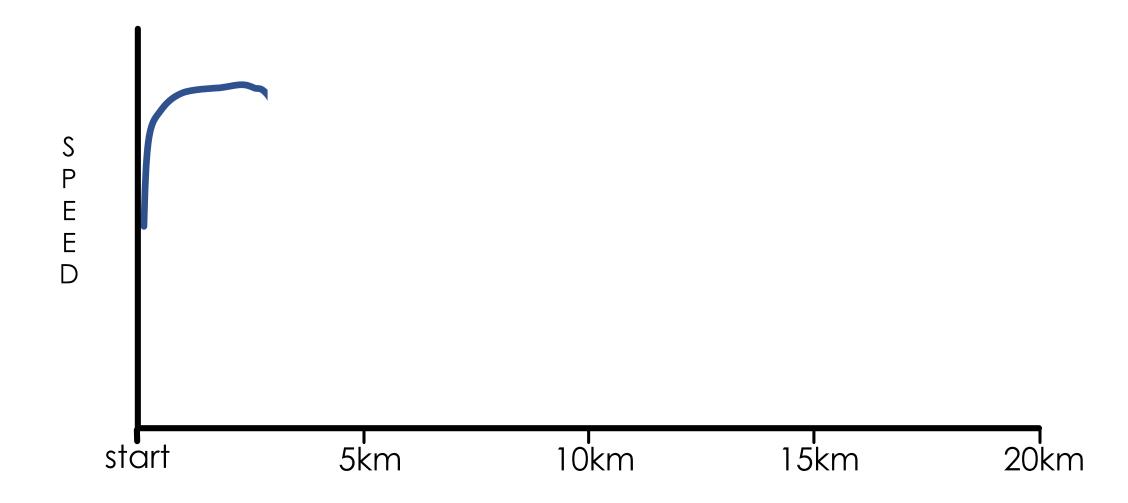
'I started quickly - first 3km of the race was downhill.'





# **Example Graph:**

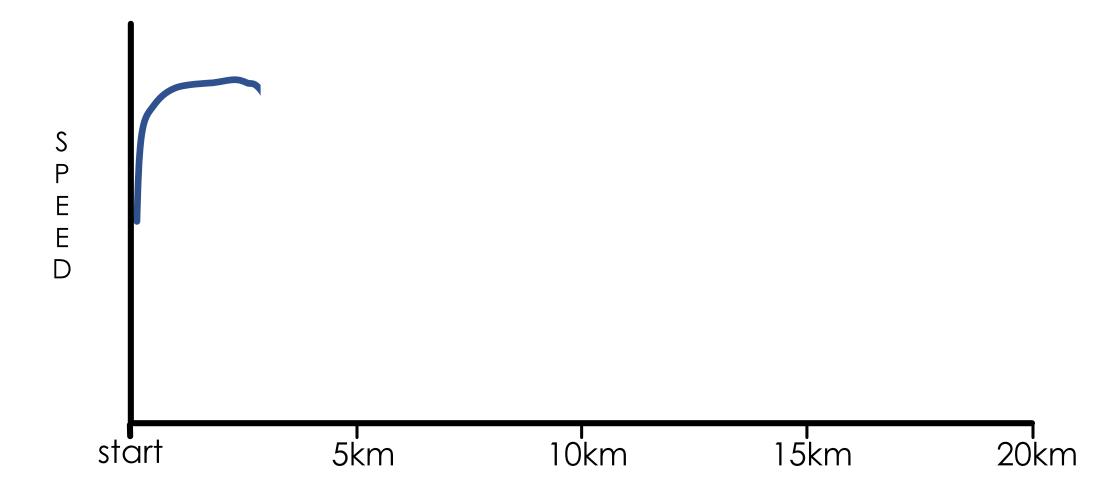
'I started quickly - first 3km of the race was downhill.'





# **Example Graph:**

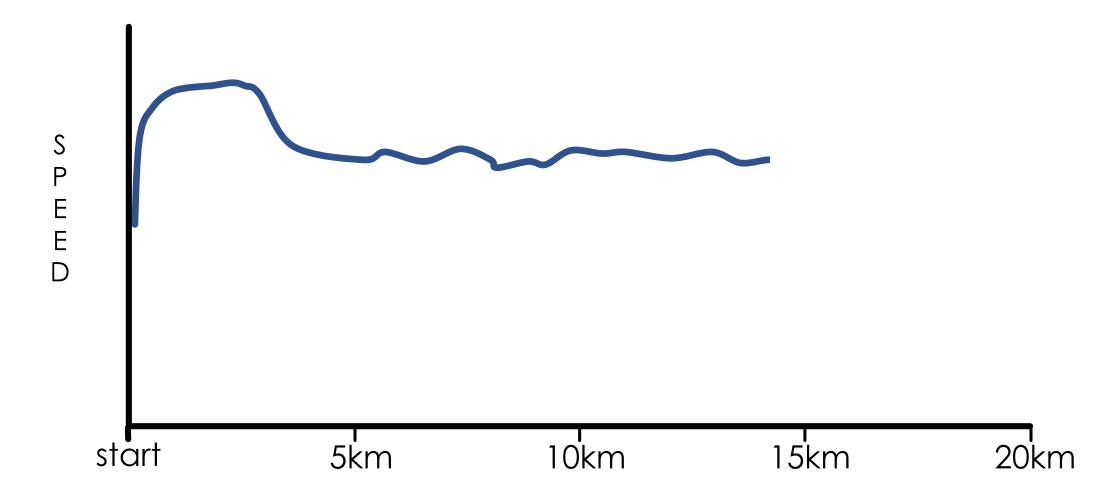
'I slowed down after that, cycling at a similar speed in the middle part of the race.'





# **Example Graph:**

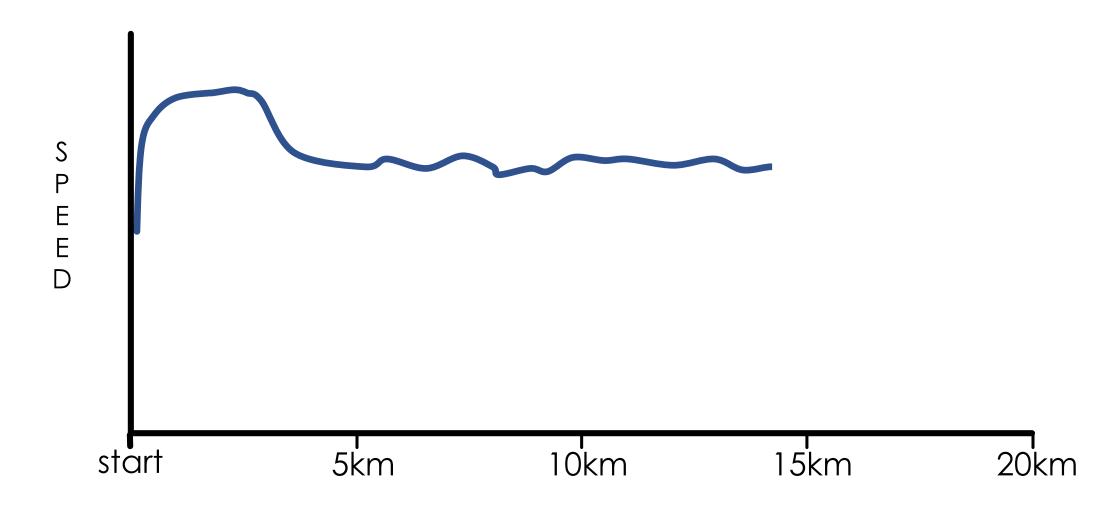
'I slowed down after that, cycling at a similar speed in the middle part of the race.'





# **Example Graph:**

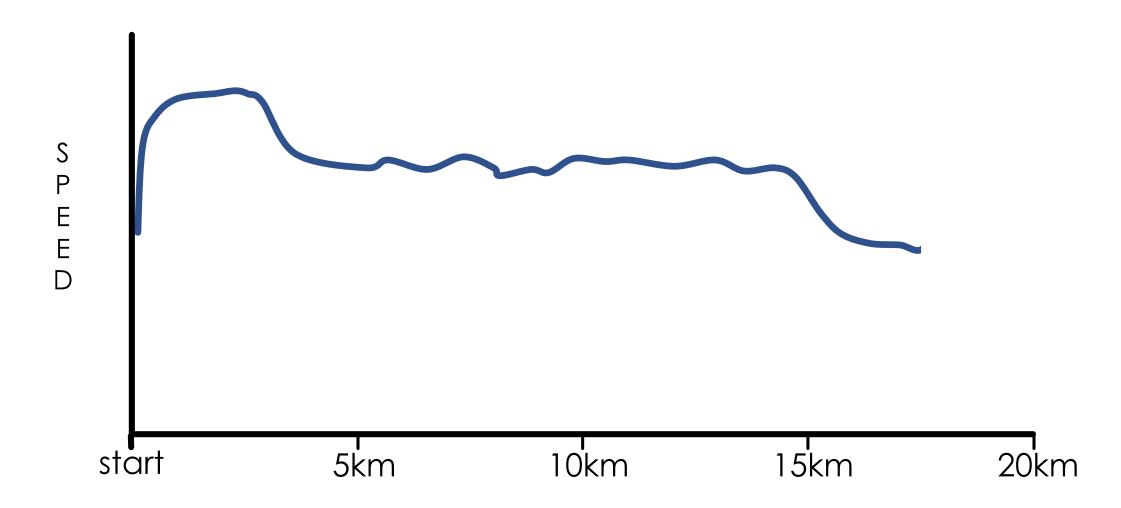
'There was a long hill that started 15km into the race.'





# **Example Graph:**

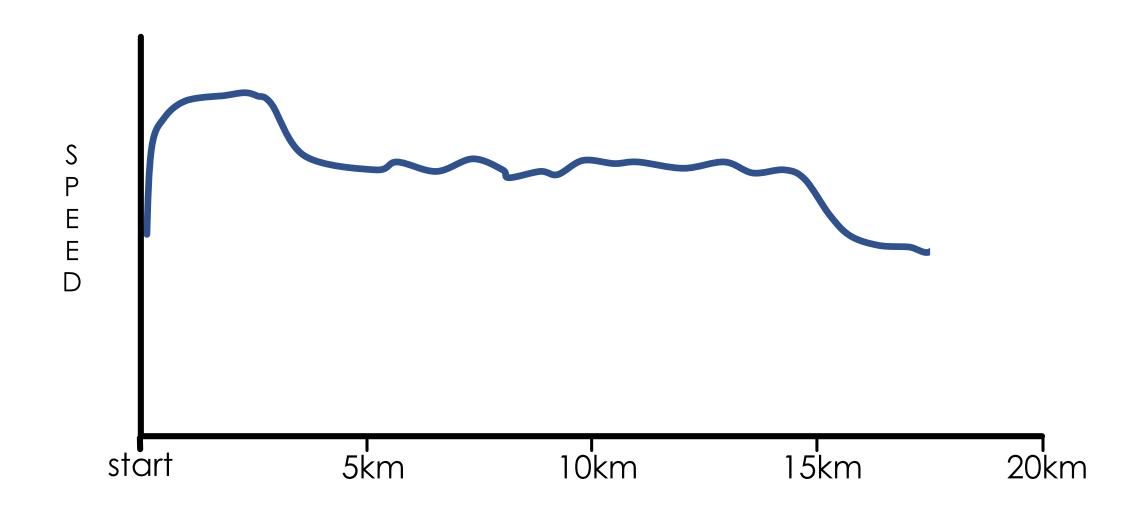
'There was a long hill that started 15km into the race.'





# **Example Graph:**

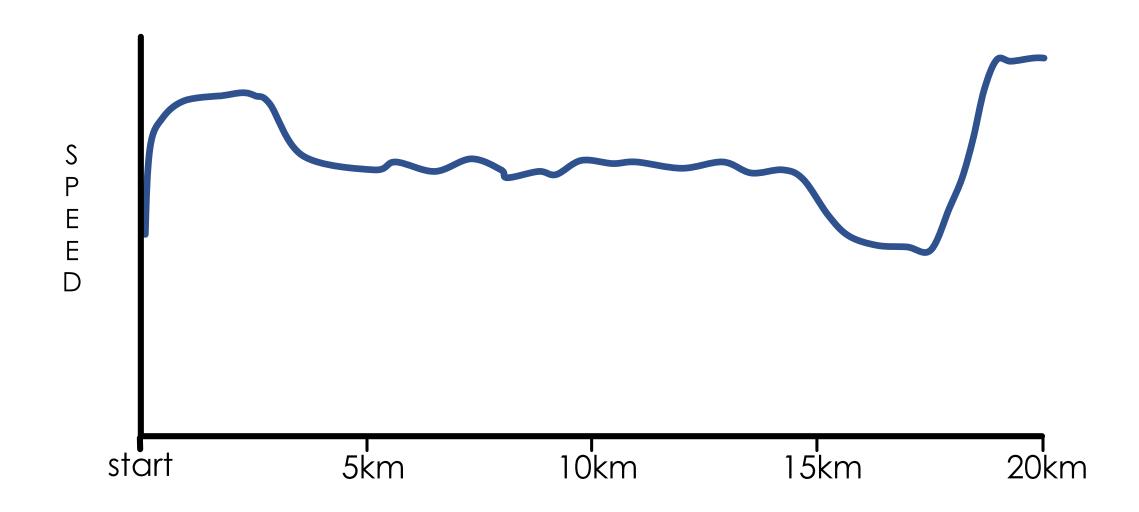
'The fastest part of my race was the last 2km.'





# **Example Graph:**

'The fastest part of my race was the last 2km.'





#### Task 56: Train timetables

#### Stan gets to Doncaster train station at 7:35am.

Sheffield	6:20	7:04	7:58	8:45
Doncaster	6:47	7:33	8:25	9:14
York	7:14	8:00	8:52	9:41
Darlington	7:43	8:29	9:21	10:11
Durham	8:01	8:48	9:39	10:30
Newcastle	8:14	9:01	9:52	10:43



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The next train from Doncaster leaves at 8:25.



#### Task 56: Train timetables

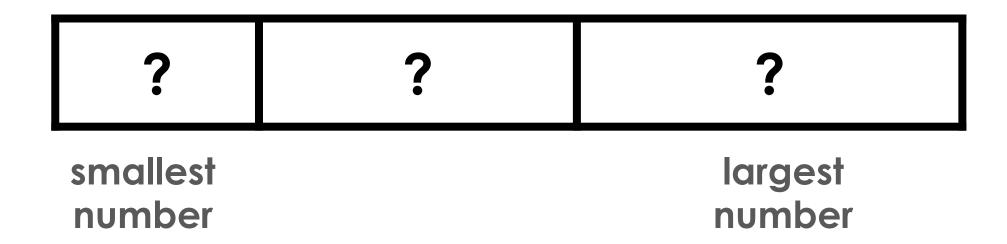
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Durham	8:01	8:48	9:39	10:30
Newcastle	8:14	9:01	9:52	10:43

The next train from Doncaster leaves at 8:25 Stan will arrive in Durham at 9:39

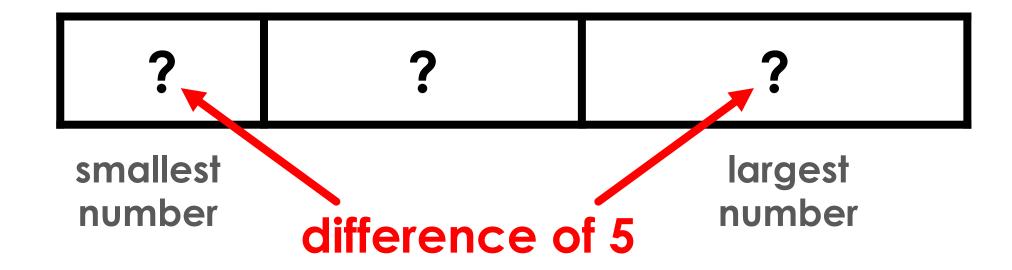


# Task 57: Average of 3 numbers



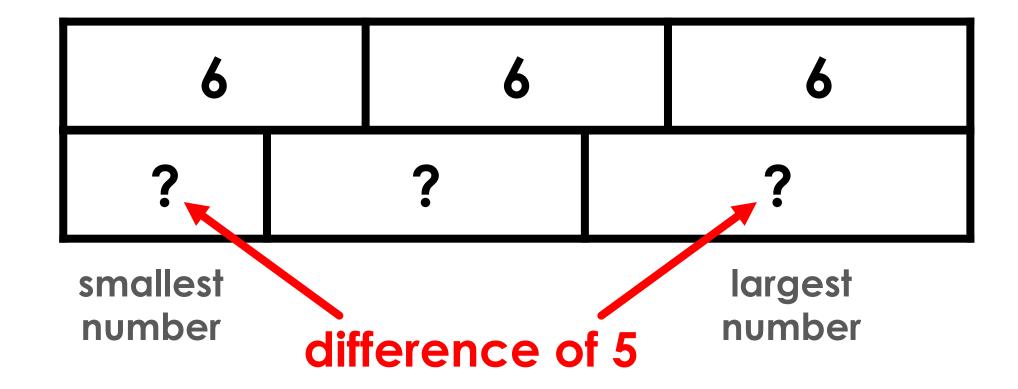


# Task 57: Average of 3 numbers



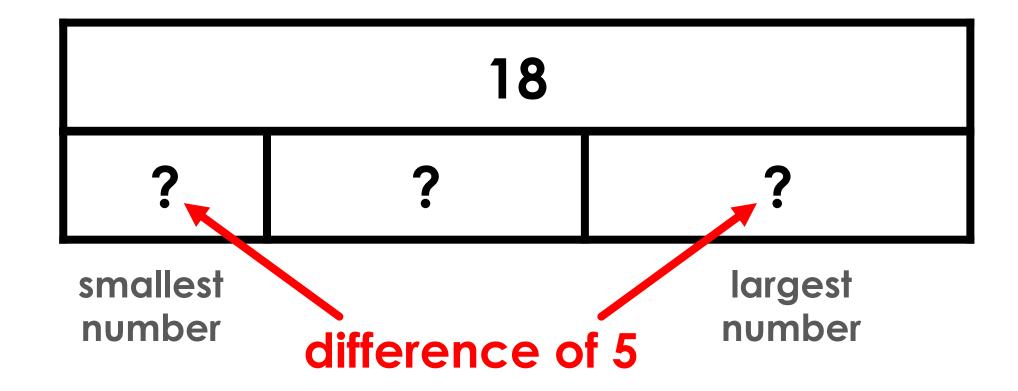


#### Task 57: Average of 3 numbers



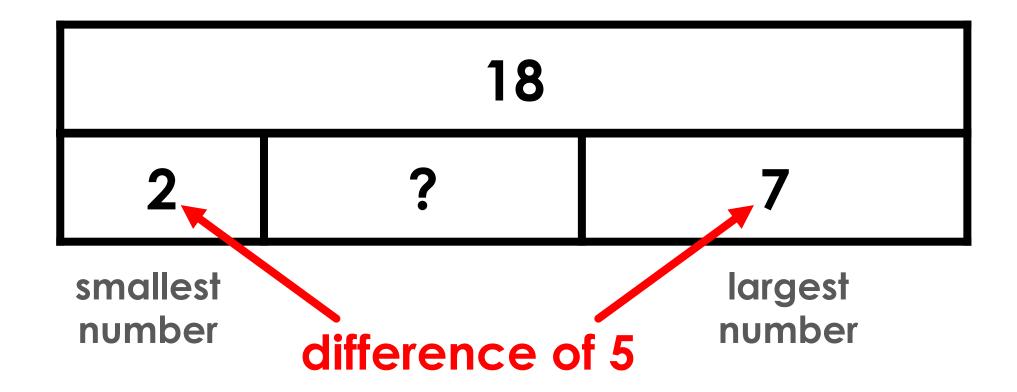
The three numbers have an average of 6.





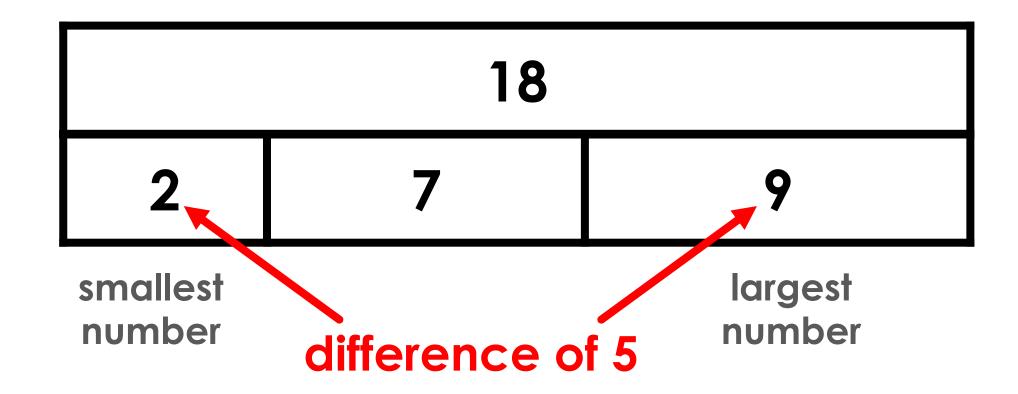
Therefore, the sum of the three numbers is 18.





Can the smallest and largest numbers be 2 and 7?

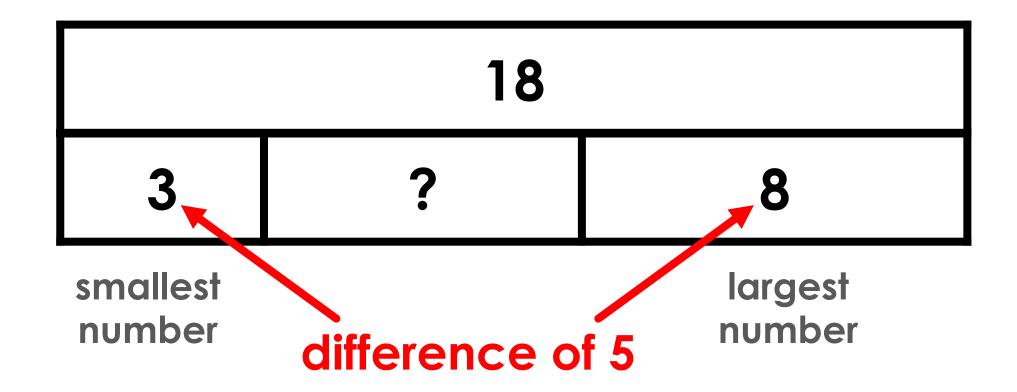




# Can the smallest and largest numbers be 2 and 7?

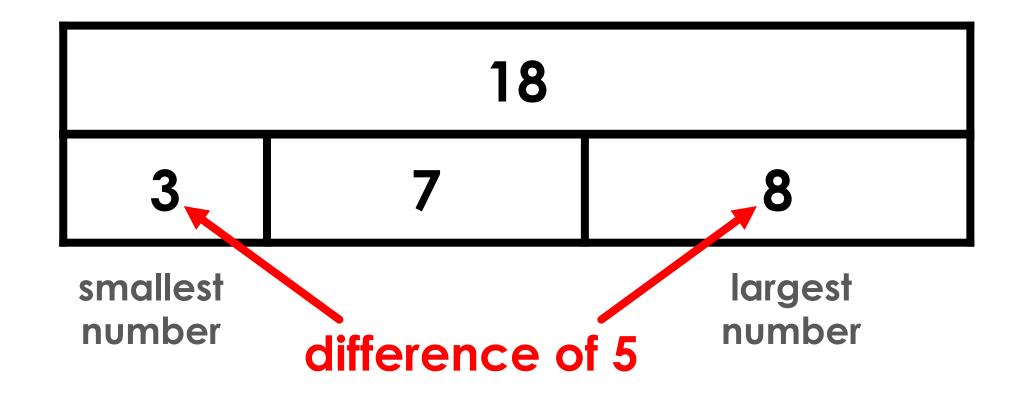
**No:** to have an average of 6, the other number is 9. This makes the difference between the largest and smallest numbers incorrect.





Can the smallest and largest numbers be 3 and 8?

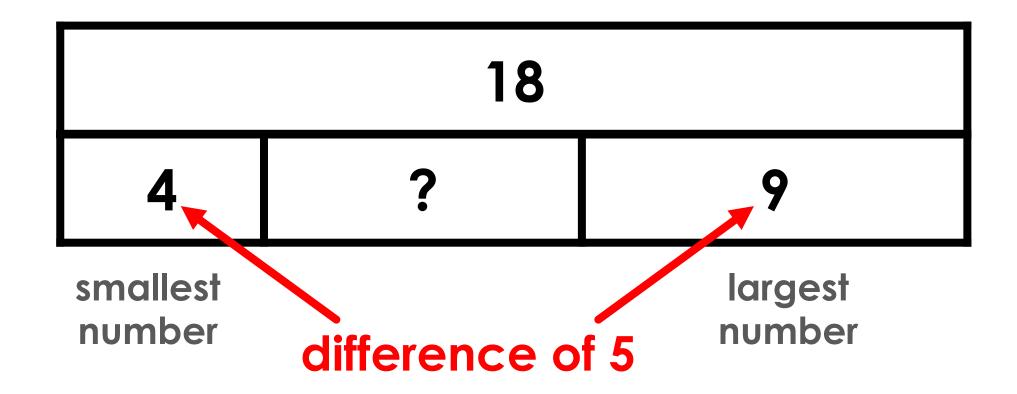




Can the smallest and largest numbers be 3 and 8?

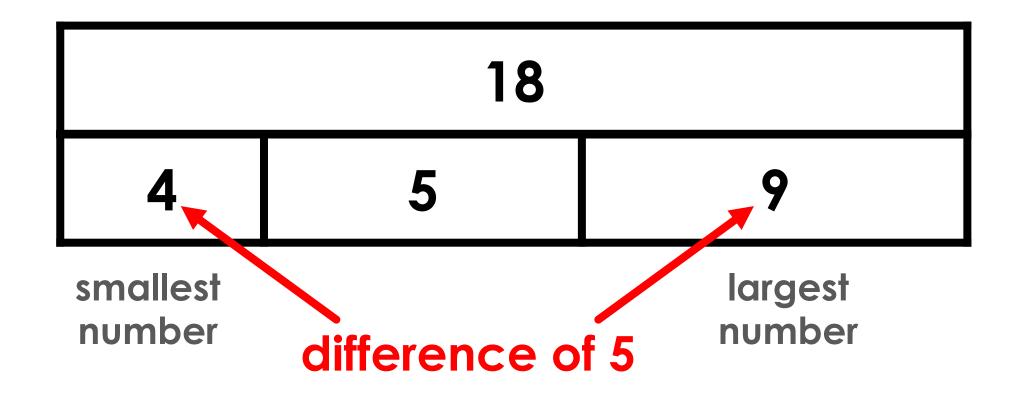
**Yes:** to have an average of 6, the other number is 7.





Can the smallest and largest numbers be 4 and 9?

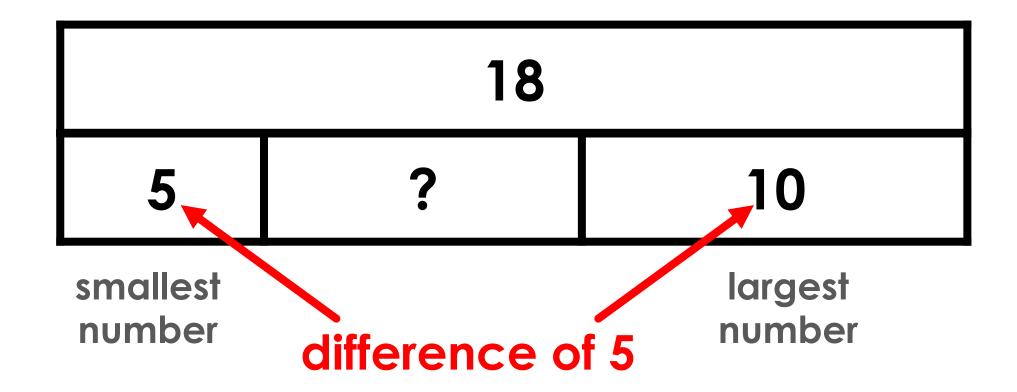




Can the smallest and largest numbers be 4 and 9?

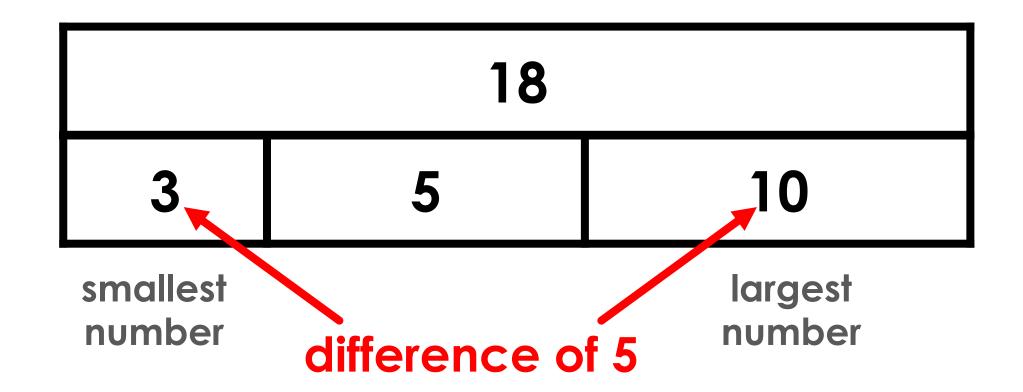
Yes: to have an average of 6, the other number is 5.





Can the smallest and largest numbers be 5 and 10?





# Can the smallest and largest numbers be 5 and 10?

**No:** to have an average of 6, the other number is 3. This makes the difference between the largest and smallest numbers incorrect.

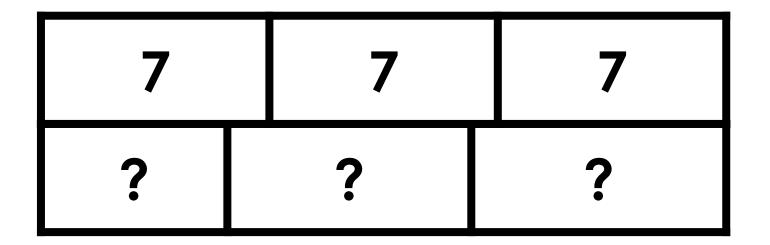


Three children, ages unknown.

? ? ?

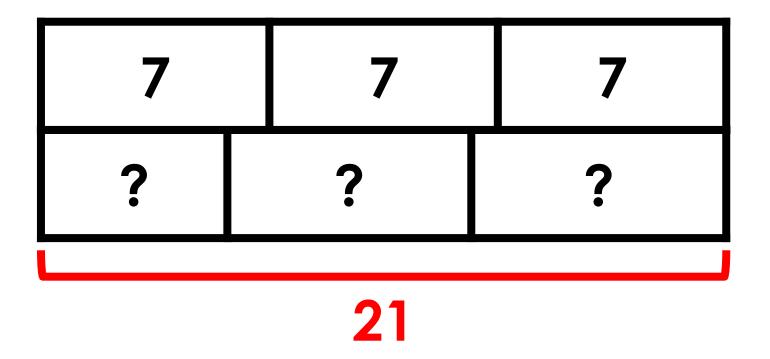


Three children, ages unknown, average age of 7.



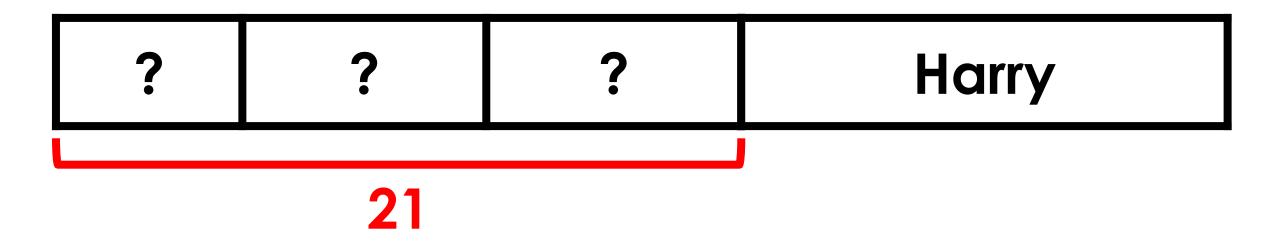


Sum of three children's ages is 21.



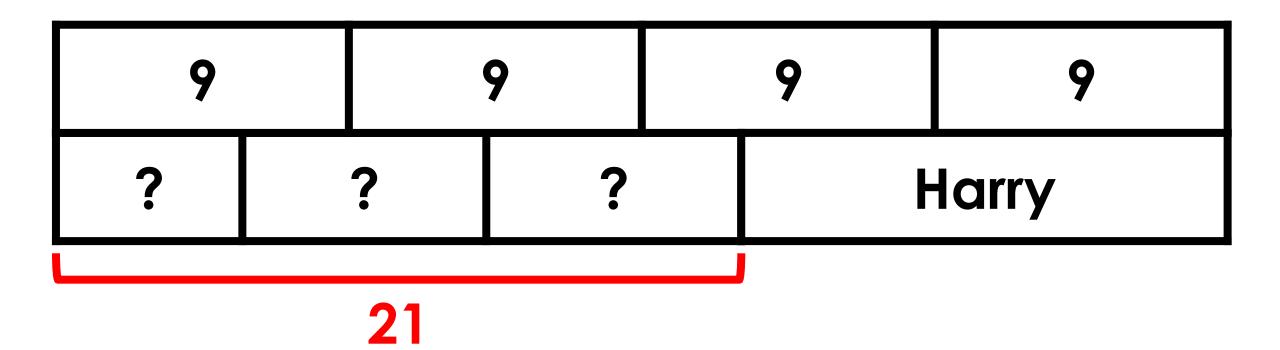


Harry walks in.



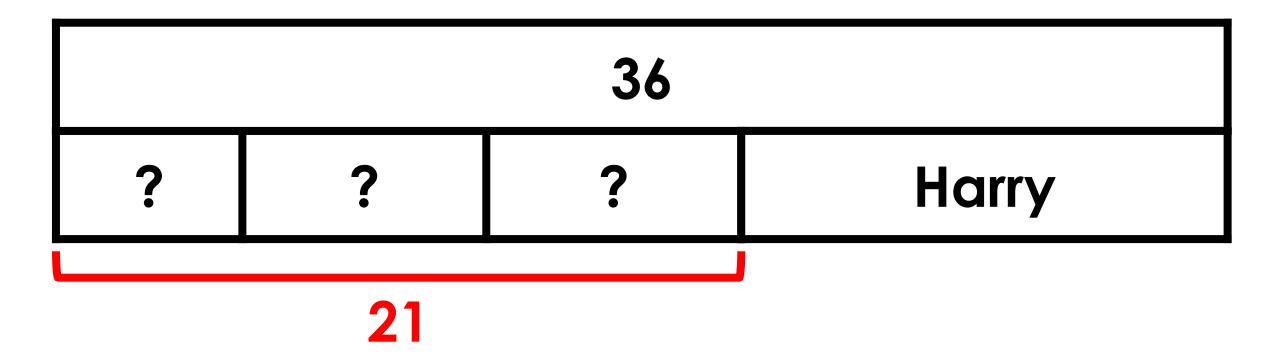


The average age for the four people is 9.



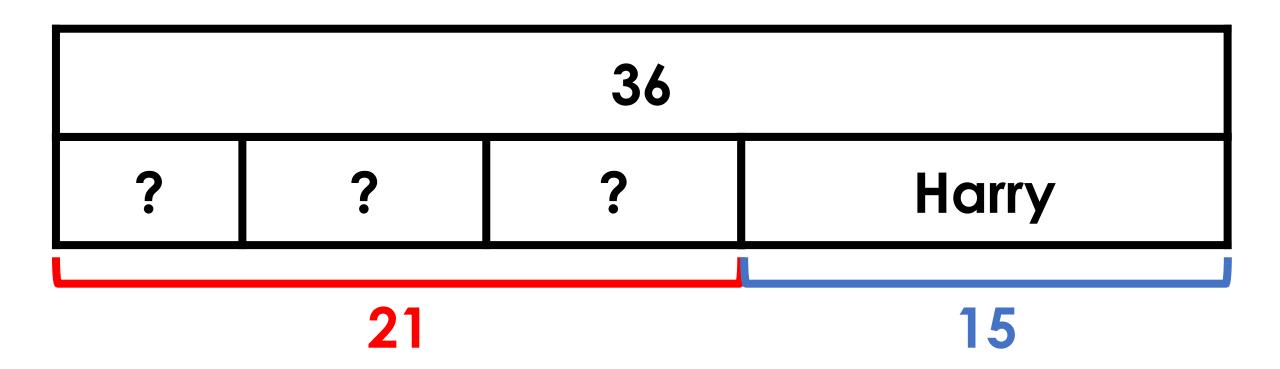


The sum of the ages for the four people is 36.





The sum of the ages for the four people is 36.



Harry is <u>15 years old.</u>